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**Wisdom & Virtue**

MIRPUR UNIVERSITY OF SCIENCE AND TECHNOLOGY (MUST), MIRPUR  
DEPARTMENT OF SOFTWARE ENGINEERING

# Computer Networks

Lecture [13]: Wavelength, Time and Frequency Domains

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*(Lecturer)*

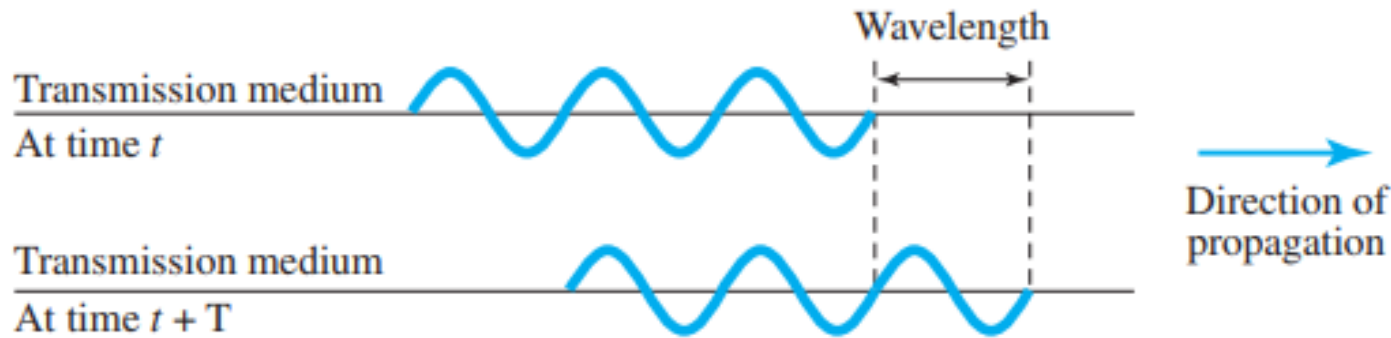
## *Topics discussed in Today's Lectures*

- Wavelength
- Time and Frequency Domains
- Composite Signals



# Wavelength

- **Wavelength** binds the period or the frequency of a simple sine wave to the propagation speed of the medium



- While **frequency** of a signal is independent of medium, **wave-length** depends on both the frequency and the medium
- In data comm., we often use wavelength to describe the transmission of light in an **optical fiber**
- The wavelength *is the distance a simple signal can travel in one period*

# Wavelength

- Wavelength can be **calculated** if one is given propagation speed (the speed of light) and period of the signal
- As period & frequency are related to each other, if we represent wavelength by  $\lambda$ , propagation speed by **c** (speed of light), and frequency by **f**, we get:

$$\text{Wavelength} = (\text{propagation speed}) \times \text{period} = \frac{\text{propagation speed}}{\text{frequency}}$$

$$\lambda = \frac{c}{f}$$

# Wavelength

- Propagation speed of **electromagnetic signals** depends on the medium and on frequency of the signal
- For example, in a vacuum, light is propagated with a speed of  $3 \times 10^8$  m/s
- That speed is lower in air and even lower in cable
- For example, the wavelength of **red light** (frequency =  $4 \times 10^{14}$ ) in air is

$$\lambda = \frac{c}{f} = \frac{3 \times 10^8}{4 \times 10^{14}} = 0.75 \times 10^{-6} \text{ m} = 0.75 \text{ } \mu\text{m}$$

- In a **coaxial** or **fiber-optic cable**, wavelength is shorter (0.5  $\mu\text{m}$ ) because propagation speed in the cable is decreased

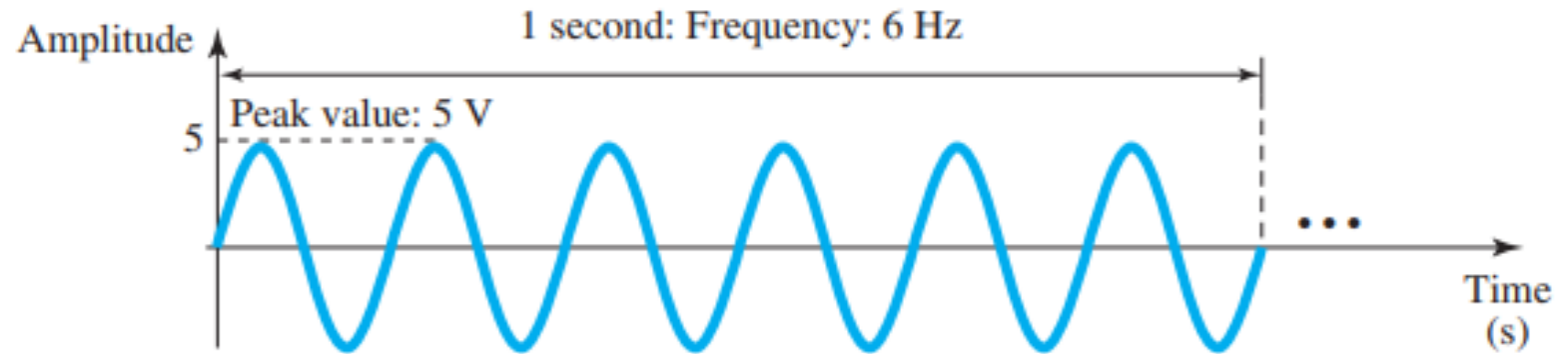
# Time and Frequency Domains

- A sine wave is comprehensively defined by its amplitude, frequency, and phase
- Sine wave is using what is called a **time-domain plot**
- **Time-domain plot** shows *changes in signal amplitude w.r.t time*
  - It is an *amplitude-versus-time plot*
  - **Phase** is not explicitly shown on a time-domain plot
- Relationship b/w amplitude and frequency is shown by **frequency-domain plot**
- **Frequency-domain plot** is concerned with only **peak value**
  - **Frequency** changes of amplitude during one period are not shown

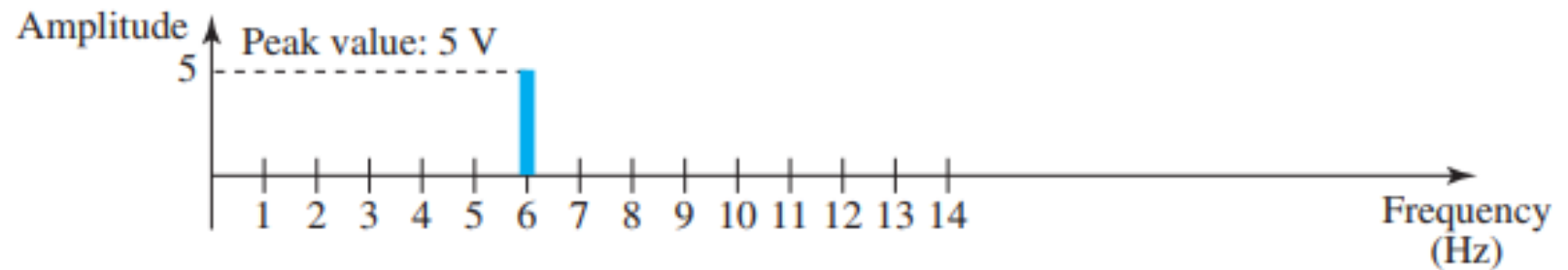
# Time and Frequency Domains

**Figure 3.8** *The time-domain and frequency-domain plots of a sine wave*

- Complete sine wave is represented by one spike
- Position of the spike shows the frequency; its height shows the peak amplitude



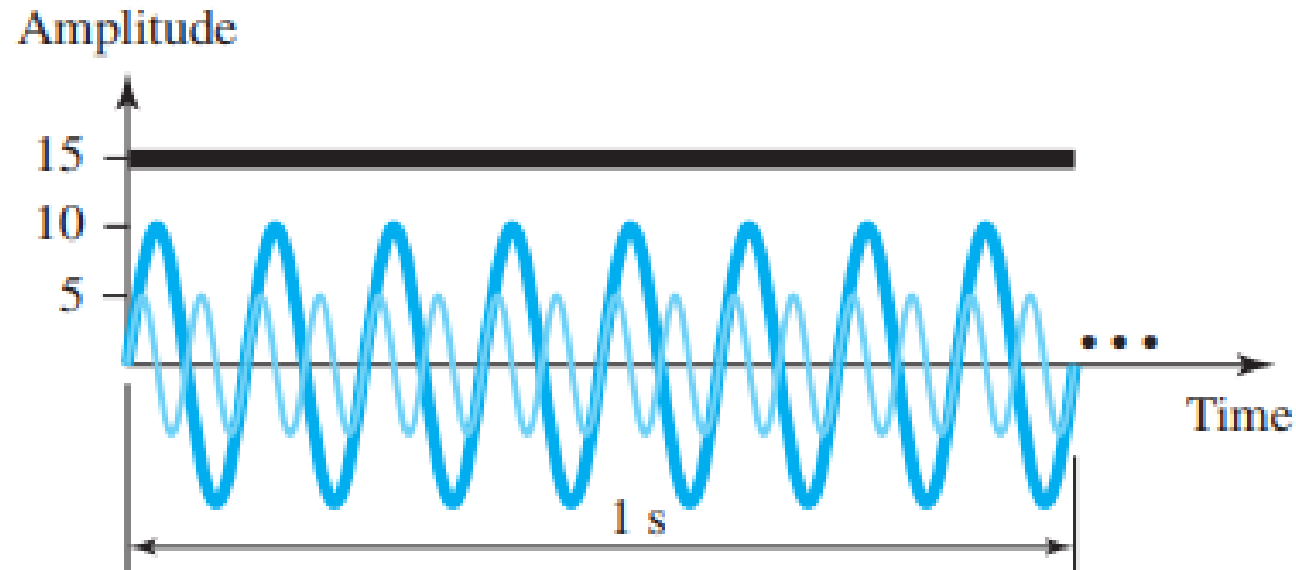
a. A sine wave in the time domain (peak value: 5 V, frequency: 6 Hz)



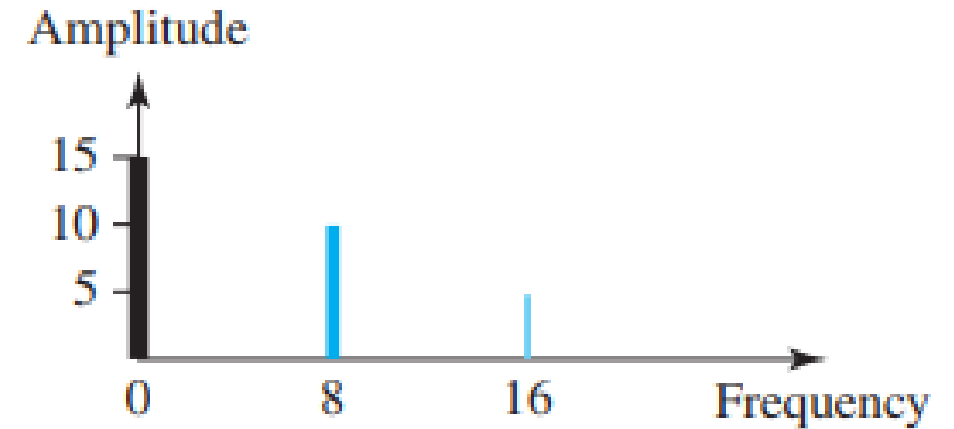
b. The same sine wave in the frequency domain (peak value: 5 V, frequency: 6 Hz)



# Time and Frequency Domains



a. Time-domain representation of three sine waves with frequencies 0, 8, and 16



b. Frequency-domain representation of the same three signals

# Simple Sine Waves Applications

- Single sine wave is used to carry **electric energy** from one place to another
- For example, power company sends a **single sine wave** with a frequency of 60 Hz to distribute electric energy to houses and businesses
- We can use a single sine wave to **send an alarm** to a **security center** when a thief opens a door or window in the house
- In the 1<sup>st</sup> case, the sine wave is carrying **energy**
- In 2<sup>nd</sup> case, the sine wave is a **signal of danger**

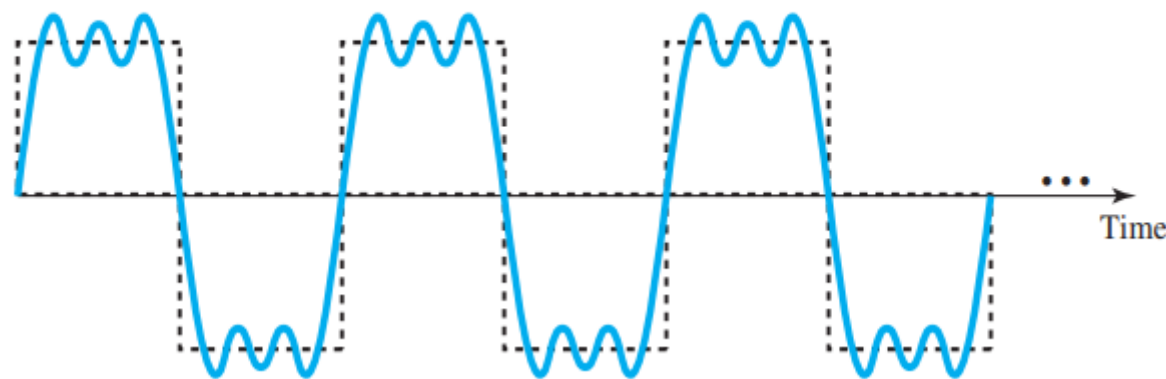
# Composite Sine Wave

- Composite signal is actually a **combination of simple sine waves** with diff. frequencies, amplitudes, and phases
- Composite signal can be periodic or nonperiodic
- **Periodic composite signal** can be decomposed into a series of simple sine waves with **discrete frequencies**:
  - Frequencies that have integer values (1, 2, 3, and so on)
- **Nonperiodic composite signal** can be decomposed into a combination of an **infinite number** of simple sine waves with **continuous frequencies**

# Composite Sine Wave - Example

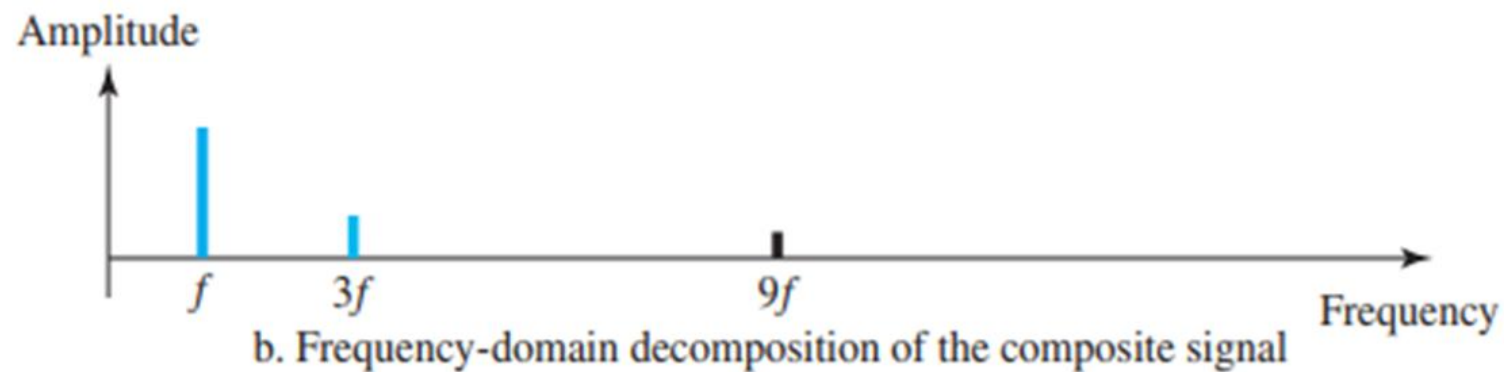
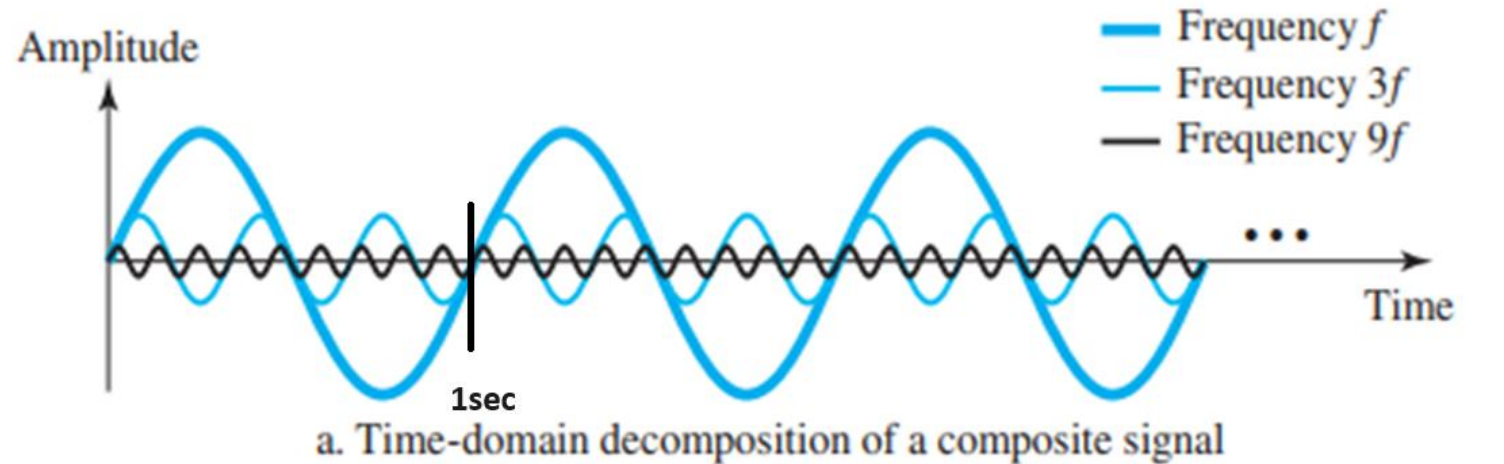
- Consider a signal consisting of **3 alarm systems**, each with a different frequency.
- It is very difficult to manually decompose this signal into a series of simple sine waves
- Figure 3.11 shows the result of decomposing the above signal in both the time and frequency domains

**Figure 3.10** *A composite periodic signal*



# Composite Sine Wave - Example

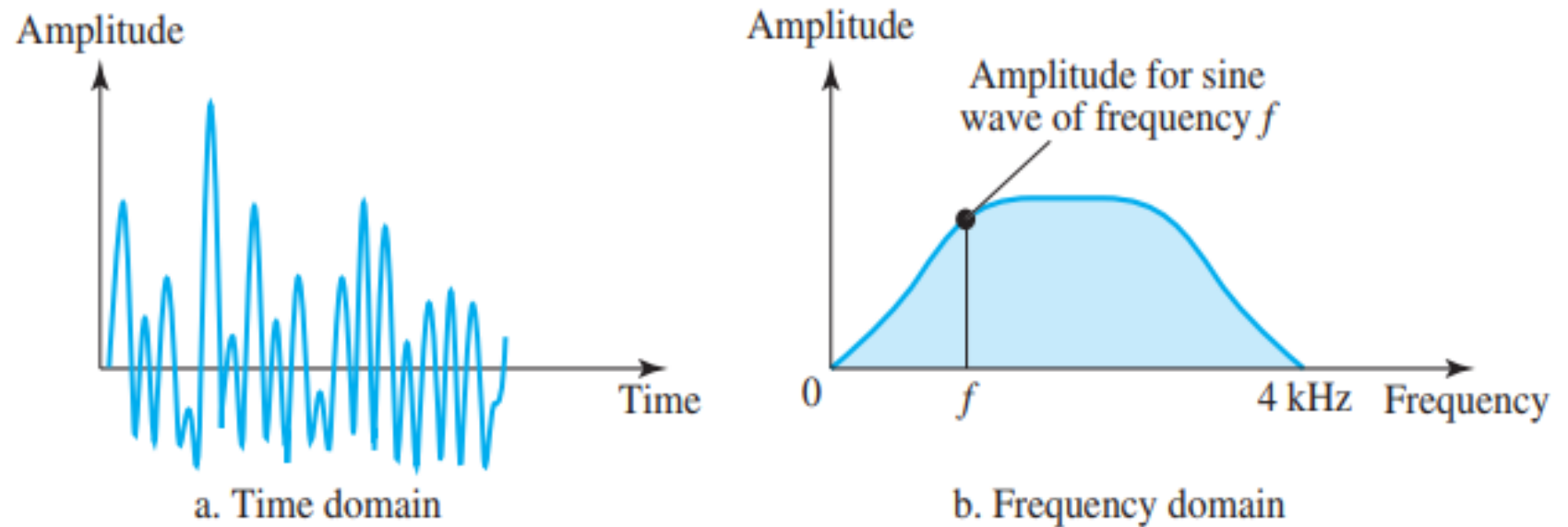
**Figure 3.11** *Decomposition of a composite periodic signal in the time and frequency domains*



# Non-Periodic Composite Signal-Example

- Signal created by a microphone or a telephone set when a word or two is pronounced
- In this case, the composite signal cannot be periodic
- Because we are repeating the same word or words with exactly the same tone

**Figure 3.12** *The time and frequency domains of a nonperiodic signal*



# References

## Chapter 3

**Data Communication and Networking (5th Edition)**  
**By Behrouz A. Forouzan**

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