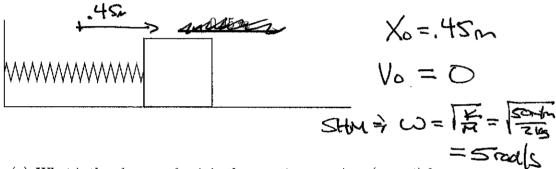
The final exam in physics 160 will consist of 12 multiple choice questions and one or two written questions. 10 of the multiple choice will be review questions and will be based on the multiple choice questions from the previous exams. The remaining multiple choice and written questions will be from new material. Here are practice problems from the new material.

1. A 2 kg mass is attached to a 50 N/m spring as shown below. The mass is pulled 0.45 m to the right of its equilibrium position and then released from rest. There is no friction between the mass and the floor,



- (a) What is the phase angle,  $\phi$ , in the equation  $x = A\cos(\omega t + \phi)$  for this motion?
- (b) What is the amplitude of this motion?

2. A periodic wave has a speed of  $10\,m/s$  and  $5\,m$  wavelength. What is the wave's period?

3. A small mass is started from rest one-third of the way up a frictionless circle of radius 2.45 m. How long does it take for the mass to slide to the other side? Assume this motion occurred on Earth. HINT: Compare the forces acting on this mass to the ones acting on the simple pendulum.

NOTE: PERIO IS
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IS HALF OF A CYCLE

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SMAIL Angle Approximation

$$\omega = \sqrt{9} \Rightarrow T = 2\pi = 2\pi \sqrt{9} + \text{Here } L = \Gamma$$

$$= 2\pi \sqrt{9} \cdot 45m = 2\pi \sqrt{4}s^2 = 2\pi (\frac{1}{2}s) = TS = 3.14s$$

- 4. Through circumstances too bizarre to be detailed here, you find yourself marooned on an extrasolar, Earth-like planet!! In "honor" of Mastering Physics (whose psychological scars remain with you wherever you go), you christen your new home Planet Mongo.
  - (a) Taking your Physics instructor's always excellent advice, you immediately measure the period of a simple pendulum. If you find that a 0.35 m long pendulum has a 1.57 s period, what is the acceleration due to gravity on Mongo?

$$T^{2} = \frac{4\pi^{2}L}{9} \Rightarrow 9 = \frac{4\pi^{2}L}{7^{2}} = \frac{4\pi^{2}(.35m)}{(1.57s)^{2}} = 5.61 \text{ m/s}^{2}$$

(b) From data recovered from your wrecked spaceship, you determine that your vehicle's speed was  $5860 \, m/s$  when it entered Mongo's atmosphere (and was effectively a distance of one radius from Mongo's center). When your engines stopped working, your spaceship was traveling at  $2500 \, m/s$ . Assuming you were infinitely far away from Mongo at this point (when gravity became the only force doing work on your spaceship), determine the mass and radius of your new home planet. HINT: You will need to use your result from part (a).

CONSERVATION OF BUERY & (GRAVITY ONLY Force doing work)

M = Spreaship, Mm = Mongo's MASS

MORGO'S PAOUS

$$\Rightarrow \frac{1}{2}V_{1}^{2} = \frac{1}{2}V_{2}^{2} - \frac{GMm}{Rm} \Rightarrow \frac{1}{2}(V_{2}^{2} - V_{1}^{2}) = \frac{1}{2}((5860mls^{2}) - (2520mls^{2}))$$

ON Any planet  $g = GMM \rightarrow GMm = gRm \rightarrow gRm = 1.40448 \times 100 k^2$ 

= 5.26x10 Kg

- 6. The most famous of comets is, of course, Halley's comet (mass  $2.2 \times 10^{14} \, kg$ ). It orbits the sun (mass  $1.99 \times 10^{90} \, kg$ ) with a period of 75.3 years on a highly elliptical orbit of eccentricity 0.967.
  - (a) Find the closest and farthest distance between the sun and Halley's comet, i.e. find the perihelion and aphelion distances.

$$a^{5} = (2.375 \times 10^{3} \text{s})^{2} (6.67 \times 10^{11} \text{N.m}/16^{1} \text{N.99} \times 10^{3} \text{m}) = 1.9 \times 10^{37} \text{m}^{3}$$

$$= 1.9 \times 10^{37} \text{m}^{3}$$

$$eqt(p-a) = (p-a)(-e) = 2.67 \times 10^{12} \times (1-.967)$$

$$= 2.67 \times 10^{12} \times (.033)$$

$$= 8.8 \times 10^{10} \times (.033)$$

(b) Find the speed of Halley's comet at peribelion and aphelion.