To Do Multiply ...

# Multiply Example

10111001 x 11010111 -----10111001 0000001000101011 <- running sum

10111001 x 11010111 ------10111001 <- third PP 0000001000101011 10111001 x 11010111 -----10111001 0000001100001111 <- running sum

10111001 x 11010111 -----00000000 <- fourth PP 0000001100001111 10111001 x 11010111 -----00000000 0000001100001111 <- running sum

Pollard's Attempt to Explain Booth's Multiply

### First, the Equations

$$Value = A \times B$$

$$Value = A \times b_4 b_3 b_2 b_1 b_0$$

Value = 
$$A \times (-b_4 \times 2^4 + b_3 \times 2^3 + b_2 \times 2^2 + b_1 \times 2^1 + b_0 \times 2^0)$$

#### And the Trick:

$$2^k = 2^{k+1} - 2^k$$

$$2^3 = 2^4 - 2^3$$

$$2^2 = 2^3 - 2^2$$

... and so on ...

Value = 
$$A \times ( -b_4 \times 2^4 + b_3 \times 2^4$$
  
 $-b_3 \times 2^3 + b_2 \times 2^3$   
 $-b_2 \times 2^2 + b_1 \times 2^2$   
 $-b_1 \times 2^1 + b_0 \times 2^1$   
 $-b_0 \times 2^0 + 0 \times 2^0$ )

Value = 
$$A \times ( (-b_4 + b_3) \times 2^4$$
  
 $(-b_3 + b_2) \times 2^3$   
 $(-b_2 + b_1) \times 2^2$   
 $(-b_1 + b_0) \times 2^1$   
 $(-b_0 + 0) \times 2^0$ )

### So, Two Bits Per Stage

## Booth's Algorithm Module

So, system is made of modules that can add (+1), subtract (-1), or pass (0) values of A....



