

Transformers

April 20, 2020 1:26 PM



- If current enters dotted terminal, opposite dotted terminal = (+)
- V_1, V_2 act as sources

Coils in Series

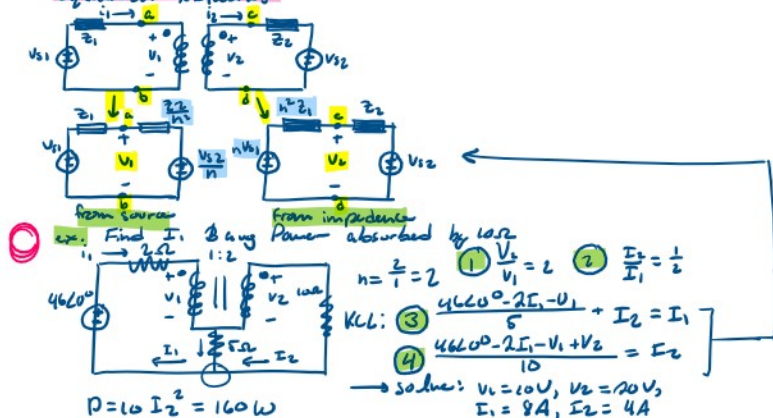
$+V_{1M} + V_{2M} =$
 $+V_1 + V_2 + V_{1M} + V_{2M}$
Voltage Drop: $V = V_1 + V_2 + V_{1M} + V_{2M}$
Total Inductance: $L = L_1 + L_2 + 2M$

$-V_{1M} + V_{2M} =$
 $+V_1 - V_2 - V_{1M} - V_{2M}$
Voltage Drop: $V = V_1 + V_2 - V_{1M} - V_{2M}$
Total Inductance: $L = L_1 + L_2 - 2M$

→ 2nd coil induces mutual inductance on 1st coil

- V_1, V_2 depends on current directions
- V_{1M}, V_{2M} depends on windings of both coils

Equivalent Networks

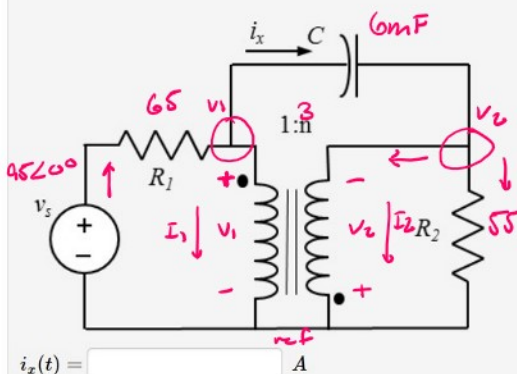


Webwork ST4

ST4: Problem 2

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(9 points)
Let $v_s(t) = 95\cos(7t)V$, $R_1 = 65\Omega$, $R_2 = 55\Omega$, $C = 6mF$ and $n = 3$. Find the current i_x (as a function of time). (NB: for your time-dependent expression to be accepted by WeBWork, your angle should be expressed in radians, instead of degrees, and with 5 significant figures.)



$n = \frac{3}{1} = 3$

① $\frac{V_2}{V_1} = 3 \because V_1, V_2 \rightarrow \text{diff. polarities}$

② $\frac{I_2}{I_1} = \frac{1}{3} \because I_1, I_2 \rightarrow \text{same direction}$

KCL: ③ $\frac{95\cos(7t) - V_1}{65} = I_1 + \frac{V_1 - V_2}{\sqrt{6} \times 10^{-3}}$

④ $\frac{V_1 - V_2}{\sqrt{6} \times 10^{-3}} = I_2 + \frac{V_2}{55}$

→ $s = 7j$

→ solve: $i_x = 0.85307 \cos(7t + 0.260354)$

Sets

ST4

Problem 2

User Settings

Grades

Problems

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Problems

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ST4: Problem 5

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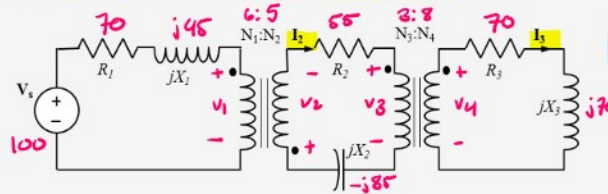
Problem List

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(8 points)

Important Note Up to this point, an ideal transformer has been described by a ratio given either as a to 1, for step down transformers, or 1 to a for step up transformers, where a is always greater than 1 (industrial standard). In this exercise, the ratio is given as a ratio of two integer numbers, N_1 to N_2 , where the relative values of the N's tell us if it is a step up or a step down transformer. Example, if $N_1 = 3$ and $N_2 = 2$, the ratio $a = 1.5$ and we have a step down transformer. If, on the other hand, $N_1 = 2$ and $N_2 = 3$, the ratio is still $a = 1.5$ but we have a step up transformer. (Thanks to Mr. Demers for pointing me out the need to clarify this.)

Let $V_s = 100\angle 0^\circ$, $R_1 = 70\Omega$, $R_2 = 55\Omega$, $R_3 = 70\Omega$, $X_1 = 45\Omega$, $X_2 = -85\Omega$, $X_3 = 70\Omega$, $N_1 = 6$, $N_2 = 5$, $N_3 = 3$, and $N_4 = 8$. Compute the complex power supplied by the source and the phasor currents I_2 and I_3 .

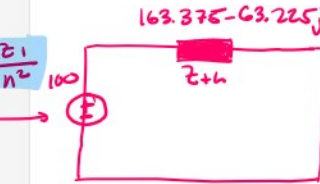


Note: In this problem, you may only submit numerical answers. (i.e. If 4 is the correct answer, 4 will be marked as correct, but 2+2 will be marked as incorrect.)

$S_s = \text{ } \angle \text{ } ^\circ \text{ VA}$

$I_2 = \text{ } \angle \text{ } ^\circ \text{ A}$

$I_3 = \text{ } \angle \text{ } ^\circ \text{ A}$



$$a) S = 100 \cdot \left(\frac{100}{Z_{th}} \right)^* = 57.0834 \angle -21.1561^\circ \text{ VA}$$

$$b) \frac{I_2}{I_1} = -\frac{6}{5} \quad I_2 = 0.685 \angle -158.84390^\circ \text{ A}$$

$$c) \frac{I_3}{I_2} = \frac{8}{3} \quad I_3 = 0.256875 \angle -158.84390^\circ \text{ A}$$

Problems

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Problem 2

Problem 3

Problem 4

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ST4: Problem 7

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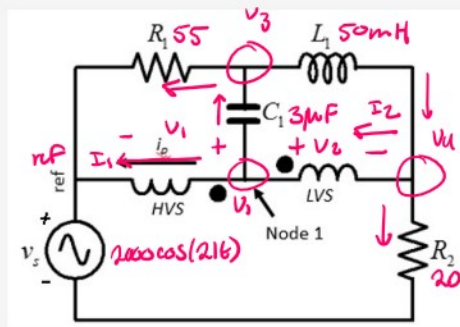
Next Problem

(8 points)

This question is open for business.

This shows a circuit that includes an ideal transformer of turns ratio $\alpha : 1$. Let $v_s(t) = 2000\cos(21t) \text{ V}$, $R_1 = 55\Omega$, $R_2 = 20\Omega$, $C_1 = 3\mu\text{F}$, $L_1 = 50\text{mH}$ and $\alpha = 5$. Compute the primary coil time-dependent voltage $v_1(t)$ (that is, the voltage of node 1) and the primary current $i_1(t)$.

An ideal transformer circuit.



Report the peak value of V_1 V

Report the phase of V_1 : rad

Report the peak value of I_1 : mA

report the phase of I_1 : rad

$$5:1 \rightarrow n = \frac{1}{5}$$

$$① \frac{V_2}{V_1} = \frac{1}{5}$$

$$② \frac{I_2}{I_1} = 5$$

$$\text{KCL: } ③ I_2 = \frac{V_1 - V_3}{\frac{1}{3 \times 10^{-6}}} + I_1$$

$$④ V_4 = V_1 - V_2$$

$$⑤ \frac{V_3 - V_4}{50 \times 10^{-3} \text{ S}} = I_2 + \frac{V_4 + 2000 \angle 0^\circ}{20}$$

$$⑥ \frac{V_1 - V_3}{\frac{1}{3 \times 10^{-6} \text{ S}}} = \frac{V_3}{55} + \frac{V_3 - V_4}{50 \times 10^{-3} \text{ S}}$$

$$\rightarrow S = 215$$

$$\rightarrow \text{solve: } V_1 = 1833.5 \angle -3.13656 \text{ rad}$$

$$i_1 = 5.80227 \angle -1.4897 \text{ rad}$$