# Dillerence Array Concepts & Ons





### (>)otivation :-

Whatever people say about you, don't let it effect you.

Stay silent, grind alone.

Let your success answer those people ...



#### 3356. Zero Array Transformation II

You are given an integer array [nums] of length [n] and a 2D array [queries] where  $[queries[i] = [l_i, r_i, val_i]$ .

Each queries[i] represents the following action on nums:

- Decrement the value at each index in the range  $[l_i, r_i]$  in nums by at most  $val_i$
- The amount by which each value is decremented can be chosen **independently** for each index.

A Zero Array is an array with all its elements equal to 0.

Return the minimum possible non-negative value of k, such that after processing the first k queries in sequence, nums becomes a Zero Array. If no such k exists, return -1.

Example :- noms = 
$$[2,0,2]$$
  
queries =  $[(0,2,1),(0,2,1),(1,1,3)]$   
output :-  $[2,0,2]$ 

Thought Process

Nums = 
$$\begin{bmatrix} 3, & 7, & 5, & 6, & 4, & 2, & 5, & 3, & 1 \end{bmatrix}$$

Queries = 
$$[0,4,3), (1,4,4), (3,8,5), (4,7,4)]$$
,  $[0,4,2,3,1,2,5,3,1]$ 

$$i=1$$
 (1.4.4) -  $\begin{bmatrix} 0, & 0 & 0 & 0 & 2 & 5 & 3 & 1 \end{bmatrix}$ 

Range -> Decement



## Difference array:

length = 
$$\Gamma$$

queries =  $\left[ (0, 2, 1), (1, 2, 2), (1, 2, -1) \right]$ 
 $\left[ (1, 2, 2, 2), (1, 2, -1) \right]$ 
 $\left[ (1, 2, 2), (1, 2, -1) \right]$ 

$$\frac{\text{Comsom}}{N} \rightarrow \frac{\text{Consom}}{N} \rightarrow \frac{\text{Consom}}{N}$$

Num = 
$$\begin{bmatrix} 2, 4, 5, 5 \end{bmatrix}, n = 4$$

Quaries =  $\begin{bmatrix} (0, 2, 1), (1, 2, 2), (1, 2, -1) \end{bmatrix}$ 

Air  $\begin{bmatrix} 1, 2, -1 \\ 2 \end{bmatrix}, n = 4$ 

Simbon =

Add Dec (Subtract).

Nums = [2, 3) 
$$\%$$
, 5],  $n = 4$ 

Quanta = [2, 1, 3, 5]

Com · Sum

# Little Improvement

Nums = 
$$[2,0,2]$$

Quexieu =  $[(0,2,1),(0,2,1),(1,1,3),0,0,0]$ 

while  $(1<=1)$  {

for (int i =  $(1+1)$ ) {

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while