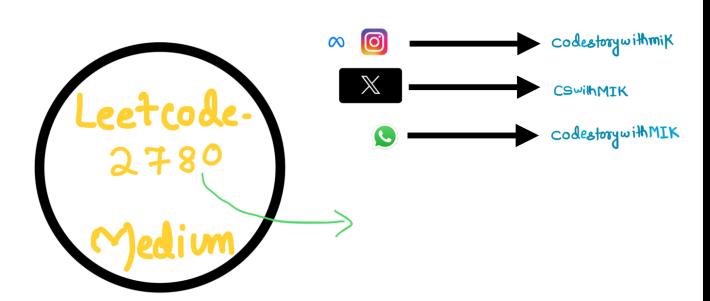
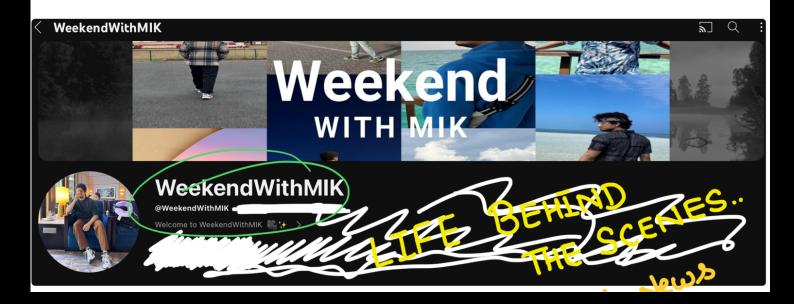
Hash Map/Set



video - 17







Motivation:

The difference between

ORDINARY & EXTRAORDINARY

that little "EXTRA"

It's the extra effort extra hours, and extra persistence that twen dream into reality.



WIK

2780. Minimum Index of a Valid Split



An element x of an integer array arr of length m is dominant if more than half the elements of arr have a value of x.

You are given a **0-indexed** integer array nums of length n with one **dominant** element.

You can split [nums] at an index [1] into two arrays [nums[0, ..., 1]] and [nums[1 + 1, ..., n - 1]], but the split is only **valid** if:

- 0 <= i < n 1
- $[0, \ldots, i]$, and $[i + 1, \ldots, n 1]$ have the same dominant element.

Here, [nums[i, ..., j]] denotes the subarray of [nums] starting at index [i] and ending at index [j], both ends being inclusive. Particularly, if [j < i] then [nums[i, ..., j]] denotes an empty subarray.

Return the *minimum* index of a *valid split*. If no valid split exists, return -1.

 $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$

output =

2 > 3/2

$$\frac{n_{1}=3}{\sqrt{1_{1},2,2}}$$

$$\sqrt{1_{1},2,2}$$

$$\sqrt{2}$$
Country 2-(2) $n_{1/2}$

$$\frac{\sqrt{2}}{\sqrt{2}} = 1$$

$$\frac{2}{\sqrt{2}} = 1$$

$$2 = 1$$

$$2 = 1$$

$$2 = 1$$

$$2 = 1$$

$$1 > \frac{1}{2}$$

$$1 > 0$$

Thought Process Brute Force

 $0000 = \{ 1, 2, \frac{2}{2}, 2 \}$

กับกรร์ป=2

mapl

2:2

n1 = 2

map2

1:0

2:1

$$n2 = 4 - 2 - 1 = 1$$

$$\frac{2 > 2/2}{i} \left(\frac{2}{\text{mapl (nums(i))}} > \frac{1}{2} \right)$$

1 > 1/2

Ultimately

clements

& & map 2 (nums (i)) $> n^2/2)$

return

Metun -1;

Approach-2

$$\frac{\text{Counti(n)} + \text{count2(x)}}{\text{Total Count of } x} > \frac{n1/2}{2} + \frac{n2/2}{2}$$

Total County x > n/2

Majority Element.

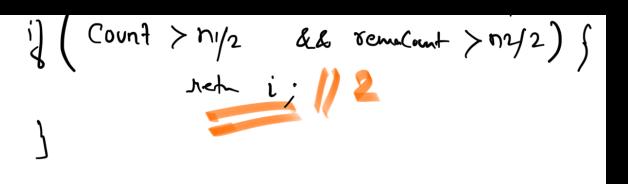


- 1) Find Majority Element.
- 2) This will be dominant in by a right subarrays
 of a ratio split.

Over:
$$\begin{cases} 1, 2, 2 \\ i \end{cases} \xrightarrow{2} \text{Totaj} = 2 \end{cases}$$

$$countMaj = 3$$

Count =
$$2$$
;
Yemai = $3-2=1$



$$\begin{cases} 1, 2, 2, 2, 3, n = 4 \\ 1, 2, 2, 2, 3, n = 4 \\ 2, 3, n = 4 \\ 3,$$