## (Y) Concepts & video-2 Ons



Facebook 7 -> code storywith MIK

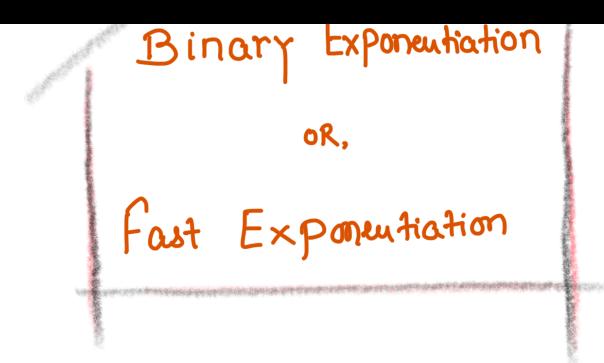
(Twitter) > CS with MIK

codestorywith MIK ->

## Motivation :-

If you have the patience to do what others can't, you we already ahead others can't, you we already ahead of them.

MIK



What is it??

It is one of the most efficient ways to calculate large powers  $a^b$ 

ab in O (log b) time

What's wrong with Naive Exponentiation ???

$$2^{10} - 2 \times 2 \times 2 \times \dots$$
 where 
$$2^{10} = 0 (b)$$
Using fact exponentiatin
$$2^{10} - 2 \times 2 \times 2 \times \dots$$
 with the continuation 
$$2^{10} - 2 \times 2 \times 2 \times \dots$$

Time = (log (b))

$$C^{b} = \begin{cases} (C^{b/2})^{2}, & \text{if b is even} \\ C^{b/2} & \text{if b is odd} \end{cases}$$

$$C^{b} = \begin{cases} (C^{b/2})^{2}, & \text{if b is odd} \end{cases}$$

Lxample:-

$$3^{12}$$
:  $0 = 3$ ,  $b = 12$  (even)  
 $3^{12}$ :  $0 = 3$ ,  $0 = 12$  (even)  
 $3^{12}$ :  $0 = 3$  i.e.  $0 = 3$   
 $3^{12/2}$ :  $0 = 3$  i.e.  $0 = 3$   
 $3^{12/2}$ :  $0 = 3$  i.e.  $0 = 3$ 

$$3^{13}$$
:  $0 = 3$ ,  $b = 13$  (odd)  
 $(3 * 3^{13})$   
 $3^{13/2}$  i.e.  $3^{6}$   
 $3^{6} * 3^{6} = 3^{12}$   
 $3^{6} * 3^{6} = 3^{12}$   
 $3^{6} * 3^{6} = 3^{12}$ 

## Recursive (ode inf findPower (inf a, inf b) i) (b = = 0)return 1; inf half = findPower (a, b/2);

$$\frac{1}{3} \left( \frac{5}{2} = 1 \right)$$

$$\frac{1}{3} = \frac{1}{3}$$

$$\frac{1}{3} = \frac{1}{3} = \frac{1}{3}$$

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$$\frac{1}{3} = \frac{1}{3} = \frac{1}{3} = \frac{1}{3} = \frac{1}{3} = \frac{1}{3} = \frac{1$$

Tr 
$$C = (bg_2b)$$
 $C = (bg_2b)$ 
 $C$ 

## Photative Code

Note: Iterative code is faster than Recursive code ...

Video - 3









