

Chapter 15 - Lazy Evaluation

→ Expressions are evaluated using a technique called lazy evaluation

1. Avoids doing unnecessary evaluation
 2. Ensures termination whenever possible
 3. Supports programming with infinite lists
 4. Allows programs to be modular.
- Benefits

Ex: $\text{Square } n = n * n$

$$\begin{aligned} &= \text{Square } (1+2) \\ &\quad \hookrightarrow \text{Apply first} \\ &= \text{Square } 3 \\ &= 3 * 3 \\ &= 9 \end{aligned}$$

$$\begin{aligned} &= \text{Square } (1+2) \\ &= (1+2) * (1+2) \quad \hookrightarrow \text{Apply Square first} \\ &= 3 * (1+2) \\ &= 3 * 3 \\ &= 9 \end{aligned}$$

Any way of evaluating the expressions gives the same result provided it terminates

→ Number of reductions (reducible expressions a.k.a redex)

→ 2 ways innermost / outermost evaluation

Innermost

$$\begin{aligned} &\text{Square } (1+2) \\ &= \text{Square } 3 \quad ① \\ &= 3 * 3 \quad ② \\ &= 9 \quad ③ \\ &\quad 3 \text{ steps} \end{aligned}$$

Outermost

$$\begin{aligned} &\text{Square } (1+2) \\ &= (1+2) * (1+2) \quad ① \\ &= 3 * (1+2) \quad ② \\ &= 3 * 3 \quad ③ \\ &= 9 \quad ④ \\ &\quad 4 \text{ steps} \end{aligned}$$

→ Pointers to indicate sharing of arguments can reduce outermost evaluation

Square (1+2)

$$= * \overbrace{\quad \quad \quad}^{1+2} \quad (1)$$

$$= * \overbrace{\quad \quad \quad}^3 \quad (2)$$

$$= 9 \quad (3)$$

→ Lazy evaluation: Outermost evaluation with sharing of arguments