

Today's Content

1. Min Triplet pairs
2. Water logging

18 Given 3 Sorted Arrays $A[n]$ $B[m]$ $C[k]$

Return min of expression $\{ \text{Max}(A[i], B[j], C[k]) - \text{Min}(A[i], B[j], C[k]) \}$

Where i, j, k are indices.

$A[4] = \begin{matrix} 0 & 1 & 2 & 3 \\ 3 & 14 & 16 & 23 \end{matrix}$

$B[4] = \{-6 \ 23 \ 24 \ 30\}$

$C[4] = \{-15 \ 15 \ 26 \ 31\}$

i	j	k	$\text{Max}(A[i], B[j], C[k]) - \text{Min}(A[i], B[j], C[k])$
0	0	0	$\text{max}(3, -6, -15) - \text{min}(3, -6, -15) = 3 - (-15) = 18$
0	0	1	$\text{max}(3, -6, 15) - \text{min}(3, -6, 15) = 15 - (-6) = 21$
3	3	3	$\text{max}(23, 30, 31) - \text{min}(23, 30, 31) = 31 - 23 = 8$
3	2	2	$\text{max}(23, 24, 26) - \text{min}(23, 24, 26) = 26 - 23 = 3$

Idea: Generate all triplets

Calculate expression value & get overall min.

```
i = 0; i < N; i++ {
    TC: O(N^3) SC: O(1)
    j = 0; j < N; j++ {
        k = 0; k < N; k++ {
            ans = min(ans, max(A[i], B[j], C[k]) - min(A[i], B[j], C[k]));
        }
    }
}
return ans;
```

Idea2: Find a pair for $A[]$ & $B[]$

Try search for c : , : greatest $ele \leq a$ or 1

$\{a \quad c \quad b\}$ c smallest $ele \geq b$ or 2

1

3

2

smallest $ele \geq a$ or greater $ele = b$.

TC: $O(N^2 * 3 \log N)$

Idea3: Find every $A[i]$ as a :

for every a :

Calculate floor & ceil of a in $B[]$ & $C[]$.

Case1: $[a \quad b \quad c]$ # floor of a in both $B[]$ & $C[] = b, c$
Excess = $\max(b, c) - a$

Case2:

2a $b \quad a \quad c$ # floor of a in $B[]$ ceil of a in $C[]$

2b $c \quad a \quad b$ # floor of a in $C[]$ ceil of a in $B[]$

Case3 $[b \quad c \quad a]$ # floor of a in both $B[]$ & $C[] = b, c$
Ex = $a - \min(b, c)$

TC: $O(N * 4 \log N) = O(N \log N)$

Idea 3:

0 1 2 3 { 7 10 20 } = 23
 $A[] = \{ 10, 14, 16, 23 \}$ ↑

$B[] = \{ 4, 23, 24, 30 \}$ ↑ # find gesture pointer update

$C[] = \{ 7, 10, 26, 31 \}$ ↑

i	j	k	$\text{Max}(A[i], B[j], C[k]) - \text{Min}(A[i], B[j], C[k])$	Update
0	0	0	$\text{Max}(10, 4, 7) - \text{Min}(10, 4, 7) = 6$	more small P_2
0	1	0	$\text{Max}(10, 23, 7) - \text{Min}(10, 23, 7) = 16$	
0	1	1	$\text{Max}(10, 23, 10) - \text{Min}(10, 23, 10) = 13$	
1	1	1	$\text{Max}(14, 23, 10) - \text{Min}(14, 23, 10) = 13$	
1	1	2	$\text{Max}(14, 23, 26) - \text{Min}(14, 23, 26) = 12$	
2	1	2	$\text{Max}(16, 23, 26) - \text{Min}(16, 23, 26) = 10$	
3	1	2	$\text{Max}(23, 23, 26) - \text{Min}(23, 23, 26) = 3$	

Idea;

$P_1 = 0, P_2 = 0, P_3 = 0$

while ($P_1 < A.\text{size}() \text{ and } P_2 < B.\text{size}() \text{ and } P_3 < C.\text{size}()$) {

calculate up value & update ans
move pointer with min value
}

Why?

$A[] = \{ 10 \quad 14 \quad 16 \quad 23 \}$

$B[] = \{ 4 \quad 23 \quad 24 \quad 30 \}$

$C[] = \{ 7 \quad 10 \quad 26 \quad 31 \}$

P_1	P_2	P_3	$\text{Max}(A[i], B[j], C[k]) - \text{Min}(A[i], B[j], C[k])$
0	0	0	$\text{max}(10, 4, 7) - \text{min}(10, 4, 7)$ # Move min pointer? $\{ 4 \quad 7 \quad 10 \}$

Here: 4 with smallest cc in other array Diff = 4.

4

diff 4 with othe cc in $arr[]$ diff > 4 , It's a guarantee that with 4, we cannot get better ans hence discard.

$Tc: O(N+N+N);$

int minDiff(vector<int> &A, vector<int> &B, vector<int> &C) {

}

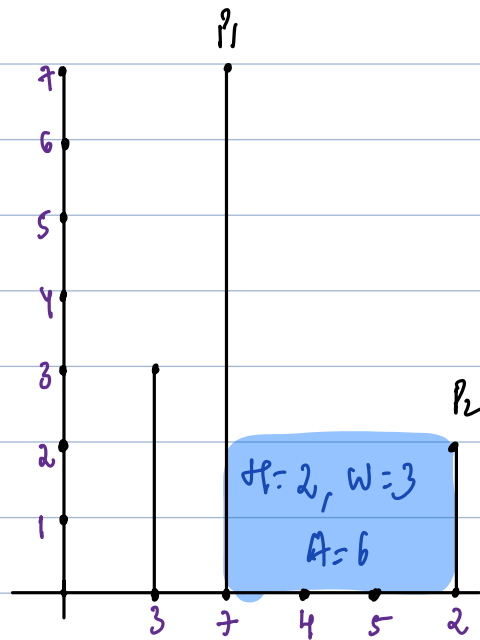
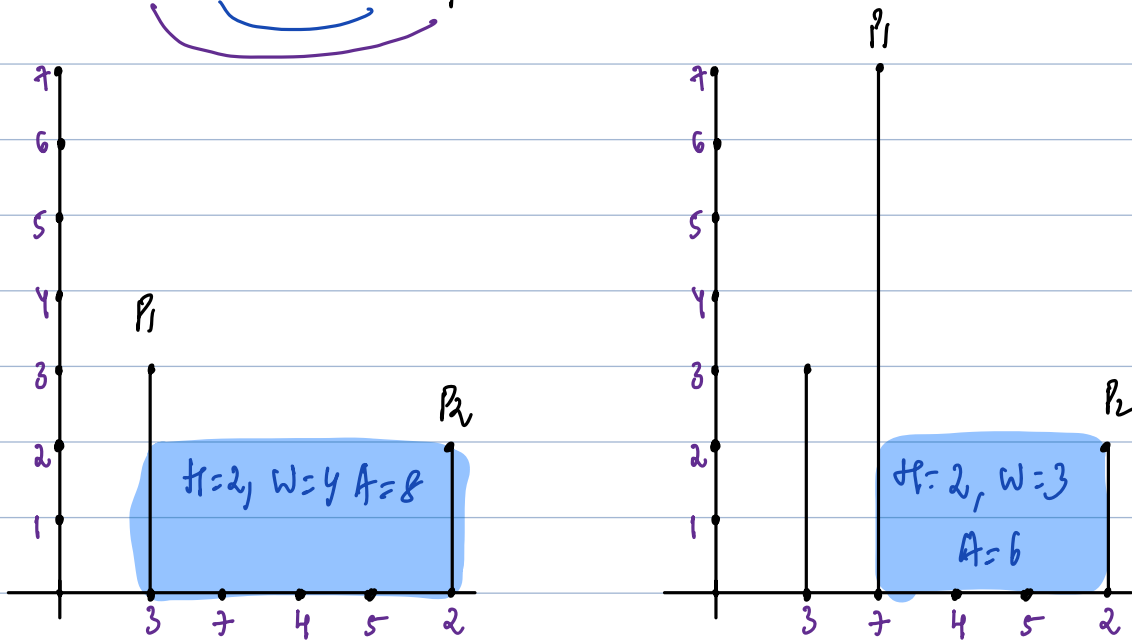
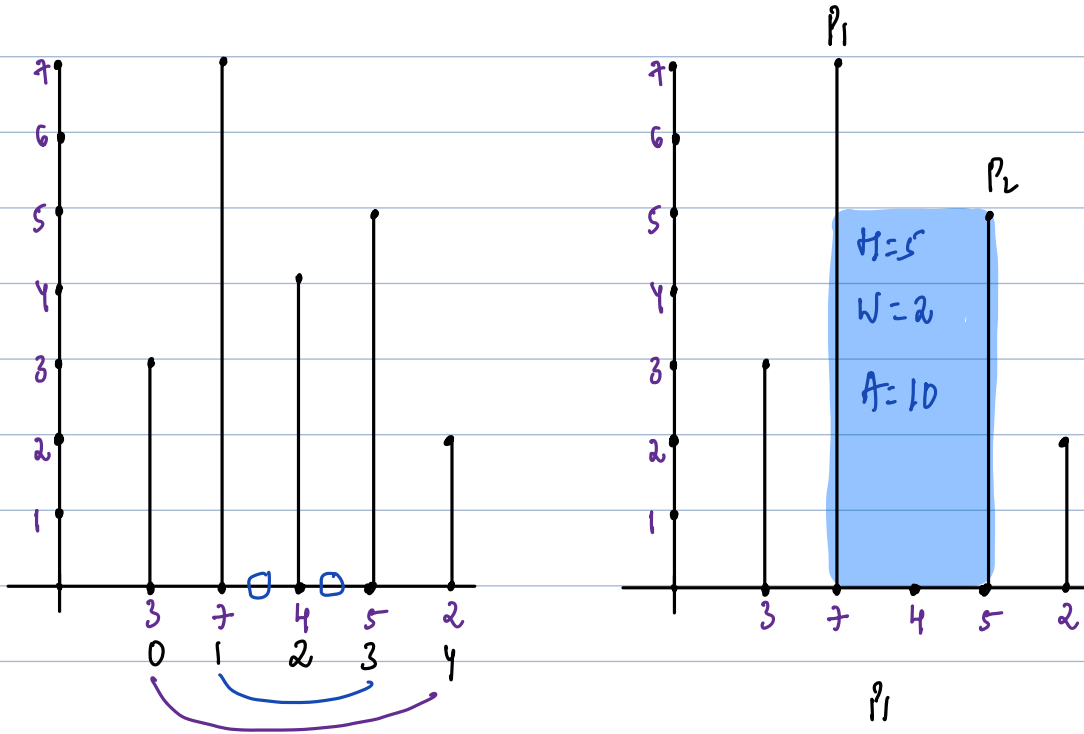
20 Given $ar[N]$ i.e., $ar[i]$ represents height of each wall.

Find Max water accumulated between any 2 walls?

Note1: # Between 2 consecutive walls width = 1

Note2: # When we calculate water between any 2 walls, neglect all other walls between them.

Ex: $ar[5] = \{ 3 \ 7 \ 4 \ 5 \ 2 \}$ ans =



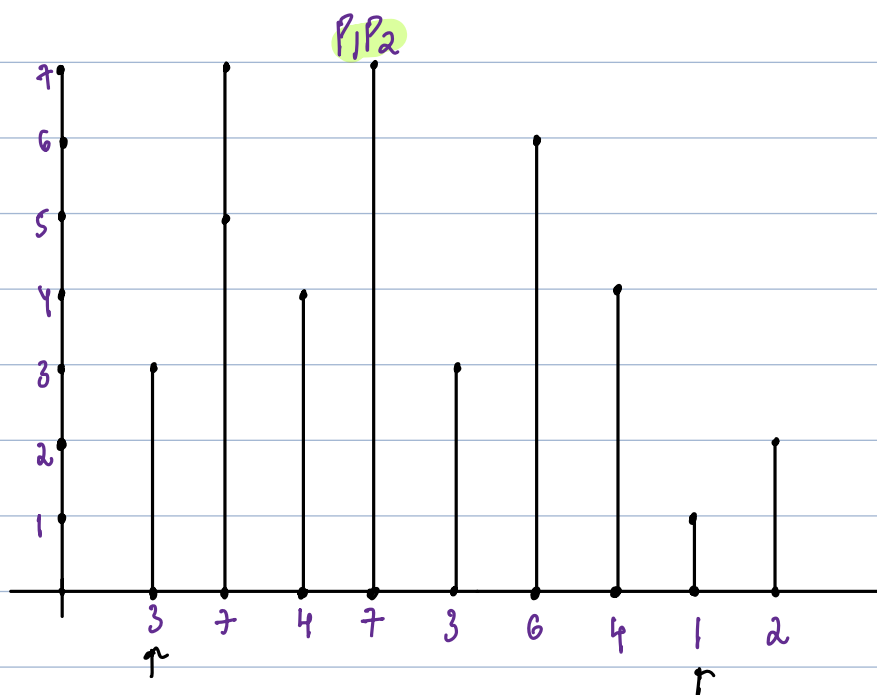
Idea: Consider every pair of Buildings

```
i = 0; i < N; i++) {    Tc: O(N^2)
    j = i+1; j < N; j++) {
        # (i..j)
        w = (j-i); h = min(A[i], A[j])
        Area = w * h
        ans = max(ans, Area);
    }
}
```

Idea: Tc: $O(N \log N)$ TODO

Idea2:

$arr[10] = \{ 3 \ 7 \ 4 \ 7 \ 3 \ 6 \ 4 \ 1 \ 2 \}$



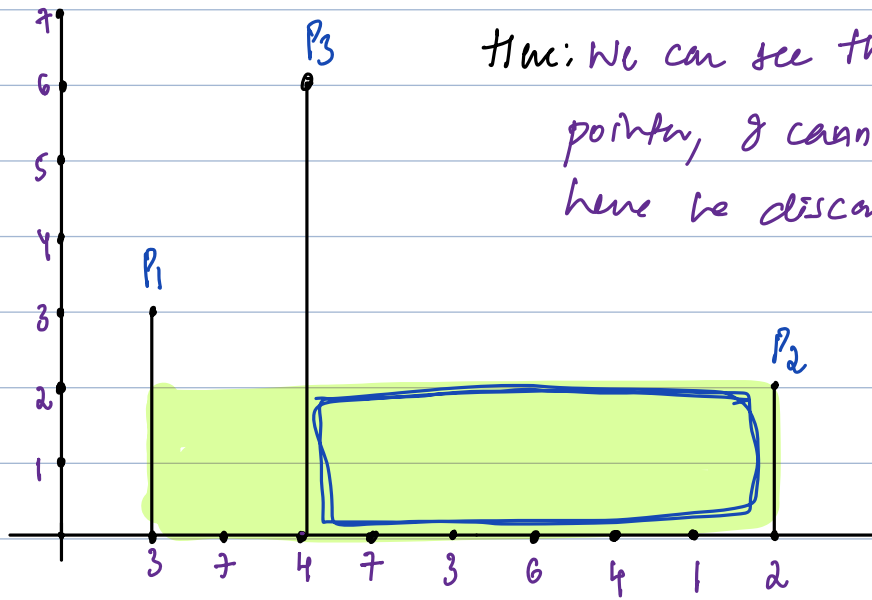
$A = 16, 7, 18, 20, 24, 9, 17, 7$

$P_1 \quad P_2 \quad H = \min(arr[P_1], arr[P_2]) \quad W = P_2 - P_1 \quad \text{Area Update}$

0	8	$H = \min(3, 2) = 2$	$W = 8$	16
		$H = \min(\quad) =$		
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while ($P_1 < P_2$)

Q? Which pointer can we update



long water(vector<int> &H){

3

Note: In 2 pointer we discard a pointer if with element we cannot get ans or if we cannot get better ans.