

## Today's Content

1. Sorting Intro
2. Bubble Sort
3. Selection Sort
4. Insertion Sort

Sorting: Arranging data in inc/dec order according to a parameter

0 1 2 3 4 5  
Ex1:  $A[] = \{2, 3, 9, 12, 17, 19\}$  : Inc based on value

0 1 2 3 4 5  
Ex2:  $A[] = \{19, 6, 5, 2, -1, -19\}$  : Dec based on value

0 1 2 3 4 5  
Ex3:  $A[] = \{2, 7, 4, 9, 6, 10\}$  : Inc based on frequency  
#factors = 2 2 3 3 4 4

Sorting library? TC:  $O(N \log N)$  To sort N elements.

1. To sort int arr[]:

`sort(arr, arr+n);` # It will sort arr[] from arr[0] to arr[n-1] in Inc  
`sort(arr, arr+n, greater<DataType>());` # It will sort arr[] in Dec  
# include <function> # for greater

2. To sort vector<int> v;

`sort(v.begin(), v.end());` # Sort in increasing order  
`sort(v.begin(), v.end(), greater<DataType>());` # Sort in Decreasing order  
# include <function> # for greater

Stable Sorting: When 2 data points have same value, their relative order should be same, before & after sorting, that type of sorting algo is called stable sorting Algo.

Ex:  $arr[5] = \{1, 5, 2, 6, 2\}$  # Sort inc based on value;

#Sort1 =  $\{1, 2, 2, 5, 6\}$  # Sort1 is stable sort

#Sort2 =  $\{1, 2, 2, 5, 6\}$  # Sort2 is not stable.

Inplace Sorting:

Sorting Algo with  $SC: O(1)$  It is considered as Inplace Sorting.

# All Sorting Algorithms

# Basic:	Bubble Sort	Selection Sort	Insertion Sort
TC :	$O(N^2)$	$O(N^2)$	
Stable Sort :	✓	*	
Inplace Sort :	✓	✓	

# Optimized:	Merge Sort	Quick Sort	Heap Sort
TC :			
Stable Sort :			
Inplace Sort :			

# Linear:	Count Sort	Radix Sort
TC :		
Stable Sort :		
Inplace Sort :		

## Selection Sort:

At each iteration:

Iterate & select min{index with min v} & keep in its sorted position.

0 1 2 3 4 5  
arr[] = { 9 8 4 10 6 2 }

0 1 2 3 4 5 MinInd Swap(arr[] arr[]);  
i=0 j:[0 5] { 9 8 4 10 6 2 }  
mini=0 1 2 2 2 5 5 swap(arr[5] arr[0])

0 1 2 3 4 5  
i=1 j:[1 5] { 2 8 4 10 6 9 }  
mini=1 2 2 2 2 2 2 swap(arr[2] arr[1])

0 1 2 3 4 5  
i=2 j:[2 5] { 2 4 8 10 6 9 }  
mini=2 2 4 4 4 4 4 swap(arr[4] arr[2])

0 1 2 3 4 5  
i=3 j:[3 5] { 2 4 6 10 8 9 }  
mini=3 4 4 4 4 4 4 swap(arr[4] arr[3])

0 1 2 3 4 5  
i=4 j:[4 5] { 2 4 6 8 10 9 }  
mini=4 5 5 5 5 5 5 swap(arr[5] arr[4])

0 1 2 3 4 5  
i=5 j:[5 5] { 2 4 6 8 9 10 }  
mini=5 5 5 5 5 5 5 swap(arr[5] arr[5])

# Pseudo code:

i: 0 to N-1;

mini = i;

# j = [i.. N-1] # Iterate & calculate index with min value;

swap arr[mini] & arr[i]

void selection(int ar[], int N) { Tc:  $O(N^2)$  Sc:  $O(1)$

```

for (int i = 0; i < N; i++) {
    # Calculate mini
    int mini = i; # iterate from i to N-1
    for (int j = i; j < N; j++) {
        if (ar[j] < ar[mini]) {
            mini = j;
        }
    }
    swap(ar[mini], ar[i]);
}

```

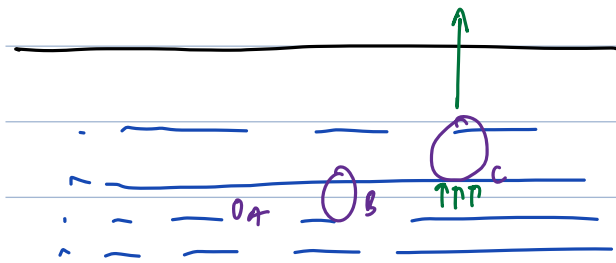
By Run:

		0	1	2	3	4	5	
i = 0	j: [0 5]	6	5	6	3	8	7	
		→	→	→	→	→	→	
mini =		0	1	1	3	3	3	
					MinInd			
					3			
								Swap(ar[0], ar[3]);
								swap ar[3] ar[0]

		0	1	2	3	4	5
i = 0	j: [0 5]	3	5	6	6	8	7

obs: In above case, 6 6 are changing relative order,  
Stability is not maintained in selection sort.

# Idea Bubble Sort: Bigger bubble will come out on top.



Bubble Sort At each iteration: We compare adj elements, if they are not in correct order (Asc) we swap elements

	0	1	2	3	4	5	# Generalization	ar[N]
ar[] = {	9	8	4	10	6	4		}
i=0:	8	4	9	6	4	10	i=0 j < 5; # j=5 stop	
i=1:	4	8	6	4	9	10	i=1 j < 4; # j=4 stop	
i=2:	4	6	4	8	9	10	i=2 j < 3; # j=3 stop	
i=3:	4	4	6	8	9	10	i=3 j < 2; # j=2 stop	
i=4:	4	4	6	8	9	10	i=4 j < 1; # j=1 stop	
i=5:	4	4	6	8	9	10	i=5 j < 0; # j=0 stop	

void bubbleSort(int[] ar, int N) { T.C:  $O(N^2)$  S.C:  $O(1)$

```

for (int i=0; i < N; i++) {
    int swap=0;
    for (int j=0; j < N-i-1; j++) {
        # comp ar[j] & ar[j+1]
        if (ar[j] > ar[j+1]) {
            swap ar[j] & ar[j+1];
            swap++;
        }
    }
    if (swap==0) break;
}

```

# Optimization: 2

ar[] = { 8 3 5 10 9 }

i=0: 3 5 8 9 10

i=1: 3 5 8 9 10

# obs:

for each iteration:

calculate no. of swaps

if swaps == 0:

ar[] sorted break it