## Mean

07 July 2022 16:48

Mean is the average value of any distribution or set of data. It is one of the most common way to measure central tendency. (Central tendency is the descriptive summary of a dataset or a single value that represents data.)

- Statistical speaking it the area under the curve having most of the points are available.
- Formula for mean is :

$$\mathcal{U} = \underbrace{\sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{j=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{j=1}$$

Calculate mean using *python* for a given data set as below:

- Without using predefined functions:

def manual\_mean(I1):
 sum\_l1=0
 for i in l1:
 sum\_l1=sum\_l1+i
 mean=sum\_l1/len(I1)

return mean

l1=[1,2,3,45,6,66,7,8,9,10]
cal\_mean=manual\_mean(l1)
print("The mean for the dataset is :",cal\_mean)

- With statistics library: import statistics as st l1=[1,2,3,45,6,66,7,8,9,10]

mean\_l1=st.mean(l1)
print("The mean for the dataset is :",mean\_l1)

With Numpy library:

import numpy as np I1=np.array([1,2,3,45,6,66,7,8,9,10]) I2=np.array([[1,2],[3,4]]) print("Mean for I1 dataset is :", np.mean(I1)) print("Mean for I2 dataset is :", np.mean(I2,axis=0)) print("Mean for I2 dataset is :", np.mean(I2,axis=1))