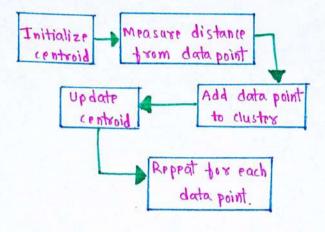
* K-means Clustering:

- · Unsupervised algorithm
- · Used to capture meaningful structure, underlying . In short, processes and grouping inherent in dataset.
- · Aim in clustering is to divide the population into several groups in such way that data points in each group more similar to each other than to data points in other groups.
- · With this we can discover intrinsic groups in unlabelled data.
- · K-means is a centroid based clustering algorithm where we calculate distance between each data point and a controld to assign it to a cluster.
- . The goal is to identify "K" number of clusters.
- · Centroid is center of cluster, which corresponds to axithmetic mean of data points assigned to clusters.
- A: Working
- 1. Random selection of number of clusters or &
- 2. Initialize centroids by selecting random data points as centroid. No. al centroid is equal to number of clusters.
- 3. Calculate eucledian distance from each data point to each cluster centroid.
- 4. Assign the data point to the cluster, whose centroid is closer to that data point i.e minimum distance
- 5. Update the centroid after adding each new data point by calculating new mean.

- 6. Iterate over all data points with same approach.

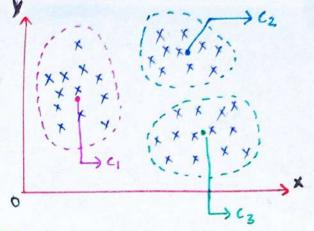
data points.



Eudedian distance $= \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$ where PI (XI) yi) and Pz (X2,42) are two

Value of all data points of · Centroid = cluster Total no. of data points in cluster

Centroid =
$$\frac{1}{n}\sum_{i=1}^{n} x_i$$



B. Choosing value of K.

- · Can be done using elbow method
- · Inter cluster distance: distance between data point and controld of cluster to which it belongs.
- Inter cluster distance: distance between data points of two clusters.
- . Within cluster sum of squares (WCSS): defines total variations within cluster

where d is distance of centroid(c)

 $WCSS = \sum d(x_i, \omega^2 + \dots$ + other clusters

from data point (Xi) · When we plot wess vs K while

experementing, the point where curve bent locks like elbow, is best value at

A WCSS

> optimal(K)