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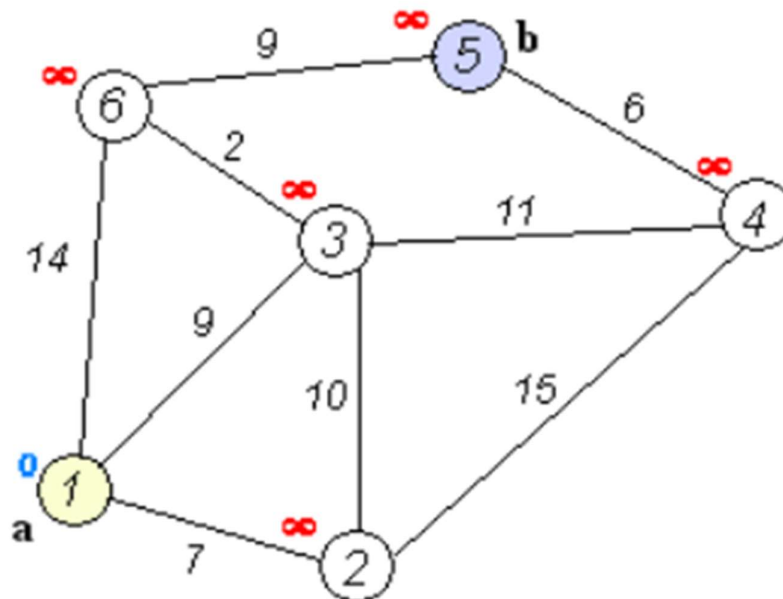
Branch- AIML- A1

Data Structural & Algorithms Experiential Learning Assignment

(Topic- Dijkstra's Algorithm)

**Dijkstra Algorithm** is additionally called single source most limited way calculation. It depends on ravenous procedure. The calculation keeps a rundown visited[ ] of vertices, whose briefest separation from the source is now known.

On the off chance that visited[1], approaches 1, the briefest distance of vertex 1 is as of now known. At first, visited[i] is set apart as, for source vertex. At each step, we mark visited[v] as 1. Vertex v is a vertex at most limited separation from the source vertex. At each step of the calculation, most brief distance of every vertex is put away in an exhibit distance[ ].



**Algorithm:**

1. Make cost network  $C[ ][ ]$  from nearness grid  $adj[ ][ ]$ .  $C[i][j]$  is the expense of going from vertex  $i$  to vertex  $j$ . In the event that there is no edge between vertices  $i$  and  $j$ ,  $C[i][j]$  is vastness.

2. Array  $visited[ ]$  is introduced to nothing.

```
for(i=0;i<n;i++)
```

```
    visited[i]=0;
```

3. In the event that the vertex 0 is the source vertex,  $visited[0]$  is set apart as 1.

4. Make the distance network, by putting away the expense of vertices from vertex no. 0 to  $n-1$  from the source vertex 0.

```
for(i=1;i<n;i++)
```

```
    distance[i]=cost[0][i];
```

At first, distance of source vertex is taken as 0. for example  $distance[0]=0$ ;

5. 

```
for(i=1;i<n;i++)
```

- Pick a vertex  $w$ , to such an extent that  $distance[w]$  is least and  $visited[w]$  is 0. Mark  $visited[w]$  as 1.

- Recalculate the most limited distance of residual vertices from the source.

- Just, the vertices not set apart as 1 in exhibit  $visited[ ]$  ought to be considered for recalculation of distance. for example for every vertex  $v$

```
    if(visited[v]==0)
```

```
        distance[v]=min(distance[v],
```

```
        distance[w]+cost[w][v])
```

**Time Complexity:**

The program contains two nested loops each of which has a complexity of  $O(n)$ .  $n$  is number of vertices. So the complexity of algorithm is  $O(n^2)$ .

```

1: #include<stdio.h>
2: #include<conio.h>
3: #define INFINITY 9999
4: #define MAX 10
5:
6: void dijkstra(int G[MAX][MAX],int n,int startnode);
7:
8: int main()
9: {
10: int G[MAX][MAX],i,j,n,u;
11: printf("Enter no. of vertices:");
12: scanf("%d",&n);
13: printf("\nEnter the adjacency matrix:\n");
14: for(i=0;i<n;i++)
15: for(j=0;j<n;j++)
16: scanf("%d",&G[i][j]);
17: printf("\nEnter the starting node:");
18: scanf("%d",&u);
19: dijkstra(G,n,u);
20: return 0;
21: }
22:
23: void dijkstra(int G[MAX][MAX],int n,int startnode)
24: {
25:
26: int cost[MAX][MAX],distance[MAX],pred[MAX];
27: int visited[MAX],count,mindistance,nextnode,i,j;
28: //pred[] stores the predecessor of each node
29: //count gives the number of nodes seen so far
30: //create the cost matrix
31: for(i=0;i<n;i++)
32: for(j=0;j<n;j++)
33: if(G[i][j]==0)
34: cost[i][j]=INFINITY;
35: else
36: cost[i][j]=G[i][j];
37: //initialize pred[],distance[] and visited[]
38: for(i=0;i<n;i++)
39: {
40: distance[i]=cost[startnode][i];
41: pred[i]=startnode;
42: visited[i]=0;
43: }
44: distance[startnode]=0;
45: visited[startnode]=1;
46: count=1;
47: while(count<n-1)
48: {
49: mindistance=INFINITY;
50: //nextnode gives the node at minimum distance

```

```
51: for(i=0;i<n;i++)
52: if(distance[i]<mindistance&&!visited[i])
53: {
54: mindistance=distance[i];
55: nextnode=i;
56: }
57: //check if a better path exists through nextnode
58: visited[nextnode]=1;
59: for(i=0;i<n;i++)
60: if(!visited[i])
61: if(mindistance+cost[nextnode][i]<distance[i])
62: {
63: distance[i]=mindistance+cost[nextnode][i];
64: pred[i]=nextnode;
65: }
66: count++;
67: }
68:
69: //print the path and distance of each node
70: for(i=0;i<n;i++)
71: if(i!=startnode)
72: {
73: printf("\nDistance of node%d=%d",i,distance[i]);
74: printf("\nPath=%d",i);
75: j=i;
76: do
77: {
78: j=pred[j];
79: printf("<-%d",j);
80: }while(j!=startnode);
81: }
82: }
```

Enter no. of vertices:5

Enter the adjacency matrix:

0 10 0 30 100

10 0 50 0 0

0 50 0 20 10

30 0 20 0 60

100 0 10 60 0

Enter the starting node:0

Distance of node1=10

Path=1<-0

Distance of node2=50

Path=2<-3<-0

Distance of node3=30

Path=3<-0

Distance of node4=60

Path=4<-2<-3<-0

-----  
Process exited after 39.24 seconds with return value 0

Press any key to continue . . .