

St. Peter's Engineering College (Autonomous) Dullapally (P), Medchal, Hyderabad – 500100.				Dept. : CSE(AIML)
				Academic Year 2024-25
QUESTION BANK				
Subject Code	:	AS22-66PC02	Subject	: AUTOMATA THEORY & COMPILER DESIGN
Class/Section	:	B. Tech.	Year	: II
Semester	:		Semester	: II

BLOOMS LEVEL					
Remember	L1	Understand	L2	Apply	L3
Analyze	L4	Evaluate	L5	Create	L6

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UNIT – IV				
1	Define Compiler.	1M	L1	C224.4
	Define Pre-Processor.	1M	L1	C224.4
	Define an Assembler.	1M	L1	C224.4
	Define First Symbol in CFG.	1M	L1	C224.4
	Define Follow Symbol in CFG.	1M	L1	C224.4
2	Discuss about First & Follow Symbols with examples.	3M	L2	C224.4
	Discuss about Token and Lexemes.	3M	L2	C224.4
	Discuss about Input Buffering.	3M	L2	C224.4
	Discuss about CFG, Derivation of a Grammar.	3M	L2	C224.4
	Discuss about of Parsing and Types of Parsing.	3M	L2	C224.4
3	Explain in detail about Complier Process.	5M	L4	C224.4
	Explain in detail about the role of Lexical Analyzer.	5M	L4	C224.4
	Explain in detail about Recursive Descent Parsing with Backtracking.	5M	L4	C224.4
	Explain in detail about any one Bottom-up Parsing.	5M	L4	C224.4
	Explain in detail about Phases of Compilation.	5M	L4	C224.4
4	a) Explain in detail about the role of Syntax Analyzer. b) Explain in detail about Predictive Parsing.	10M	L4	C224.4
	a) Explain in detail about LR (0) Parsing. b) Explain in detail about Lexical-Analyzer Generator Lex.	10M	L4	C224.4
	a) Explain in detail Scanning & Parsing. b) Explain in detail about LL(1) Parsing.	10M	L4	C224.4

Answers

1.

Define Compiler.

A compiler is a software that converts the source code to the object code. In other words, we can say that it converts the high-level language to machine/binary language. Moreover, it is necessary to perform this step to make the program executable. This is because the computer understands only binary language.

Define Pre-Processor.

A preprocessor is a program that processes input data to create output that is used as input for another program, such as a compiler. It is a key component of a compiler that generates input for it.

Define an Assembler.

An assembler is a type of computer program that takes in basic instructions and converts them into a pattern of bits that the computer's processor can use to perform basic operations.

Define First Symbol in CFG.

In a Context-Free Grammar (CFG), the first symbol is the start symbol, which is a special nonterminal symbol. The start symbol is used to derive strings in the language of the CFG.

Define Follow Symbol in CFG.

In a Context-Free Grammar (CFG), the Follow set of a nonterminal AAA (denoted $\text{Follow}(A) \setminus \text{text}\{\text{Follow}\}(A)\text{Follow}(A)$) is the set of terminals that can appear immediately after AAA in any derivation.

2.

Discuss about First & Follow Symbols with examples.

CFL:

$$(S/N, N \rightarrow \text{term}) = (2)^N \text{ ways}$$

Fist Sym: The set of Terminal Sym's that begin in String for given Non-Terminal.

→ Let us Consider a CFL

$$S \rightarrow aABC \mid bAcd, \text{ & } a \in \Sigma$$

$$A \rightarrow b \text{ (for producing } a \text{)} \text{ for producing }$$

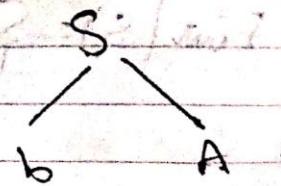
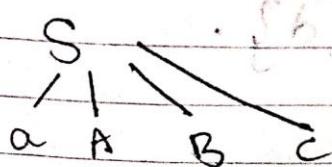
$$B \rightarrow c \text{ (for producing } b \text{)} \text{ for producing }$$

$$C \rightarrow d \text{ (for producing } c \text{)} \text{ for producing }$$

→ So, for Fist(S) i.e. First(Fist of a Non-Terminal in the first Terminal Sym) it is encountered in its production. i.e. $S \rightarrow aABC$ or $S \rightarrow bA$ (S with a in b)

∴ Here S is going to elaborate with some terminal so with what terminal it elaborate is called as Fist(S).

(here a 's is elaborated with ' a ' or ' b ').



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$$\text{First}(S) = \text{First}(a) \cup \text{First}(b)$$

$a \cup b$

$$\text{First}(A) = \{a, b\} \text{ (all terminals)}$$

$$\text{First}(B) = \{c\} \text{ (single terminal)}$$

$$\text{First}(C) = \{d\} \text{ (single terminal)}$$

all the others

$$\text{eg 2: } S \rightarrow Bb | Cc \text{ (two non-terminals in first set)}$$

$$B \rightarrow aB | \epsilon \text{ (single non-terminal in first set)}$$

$$C \rightarrow cC | \epsilon$$

$$\text{First}(S) = \text{First}(B) \cup \text{First}(C)$$

$$\{a, b\} \cup \{c\} = \{a, b, c\}$$

because $\{a, b, c\}$ is part of

the union $\{a, b\} \cup \{c\}$

→ As we don't have terminals in the production of 'S', so we need to go with $\text{First}(B)$ & $\text{First}(C)$.

$$\text{First } \text{First}(B) = \{a\}$$

$$\text{First}(B) = \{a, \epsilon\}$$

$$\text{First}(C) = \{c\}$$

→ So, we go $\text{First}(B) \cup \text{First}(C) = \{a, c\}$ if we consider $S \rightarrow Bb$, now if we substitute $B \rightarrow aB$ then $S \rightarrow ab$ so for

$S \rightarrow aB \rightarrow aab$, if we substitute $C = c$

then $S \rightarrow ab \rightarrow abc$

$$\rightarrow \text{So, } \text{First}(S) = \{a, b, c\}$$

Follow Sym's in Compiler

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→ Follow Sym's: The terminal Sym's that encounter after the completion of given Non-terminal.

$$(1) S \rightarrow aAB$$

$$\begin{array}{c} a \\ | \\ A \rightarrow b \\ | \\ B \rightarrow c \end{array}$$

Category

Phrase

→ The Follow Sym of A is

$$\text{Follow}(A) = \text{First}(B)$$

Now what is $\text{Follow}(A)$ if P is not in Q?

- After Completion of A^* , the terminal Sym's that are going to encounter after the Completion of A .

- That is whatever terminal Sym that follows after A^* .

- So, in the parse tree, have the $\text{First}(A)$. i.e.

- b , however need to go with the Non-Terminal whatever followed after Completion of A .

- So, in $S \rightarrow aAB$, after Completion of A , we

have B which is a Non-term, So now

go with $\text{First}(B)$.

- $\text{First}(B)$ - the terminal first terminal that encounter after b i.e. the following is

→ Before finding $\text{Follow}(A)$, find $\text{First}(A)$.

Note: Before finding $\text{Follow}(S)$, find $\text{First}(S)$.

Condition 2: If there are follow Sym for 1st Non-term,

why this is part of last case

→ For other given terms, we need to choose $\text{First}(S)$ or the follow Sym of S .

eg: PASCAL Code

begin
if 1) do begin
begin
stmt
end.

end \$

|
Compound Stmt

begin for stmt end
(2) will = (1) will

- So in this eg {Pascal Code}, we see the code begin with keyword begin & ends with end.
- B/w that we have a Stmt.
- Inorder to identify whether these are syntactically correct or not we use Context Free grammar.
- Here we have a Stmt in b/w begin & end.
- If end is not there then it's not a Stmt.
- for w/ Compound Stmt → begin Stmt end.
- so if we write Compound Stmt b/w begin & end then it's a Stmt.
- i.e. begin Stmt end is a Stmt.
- How a Computer Know that this is Compound Stmt is furnished if we know what is the program.
- is syntactically correct (Control by rules)
- Inorder to identify them, Computer will add split sym '\$' at the end of the program.

→ By this '\$' symbol Computer will come to know that the program is ended.

- This is also surrounded by the first Non-terminal, so Compound Stmt end \$ are follow Sym for 1st Non-terminal.

Discuss about Token and Lexemes.

In the context of compilers and lexical analysis, the terms token and lexeme refer to key concepts used in analyzing and processing programming languages.

1. Lexeme:

A lexeme is a sequence of characters in the source code that matches the pattern of a token. It is the actual string or character sequence that the lexical analyzer (lexer) identifies as a meaningful unit.

- Example:
 - In the code snippet int x = 10;; the lexemes could be int, x, =, 10, and ;. These are the raw character sequences that are identified during lexical analysis.

2. Token:

A token is a category or classification that the lexeme belongs to. It represents the syntactic role or function of the lexeme in the programming language. Each token corresponds to a class of strings that are treated as a single unit.

- Example:
 - For the lexeme int, the corresponding token would be KEYWORD.
 - For x, the token would be IDENTIFIER.
 - For =, the token would be ASSIGNMENT_OPERATOR.
 - For 10, the token would be INTEGER_LITERAL.
 - For ;, the token would be SEMICOLON.

Discuss about Input Buffering.

Input buffering is an important technique used in lexical analysis (scanning) for efficient handling of input data during the process of reading source code or text files. It is particularly useful when dealing with large amounts of input that need to be processed quickly, such as in the construction of compilers or interpreters.

Purpose of Input Buffering:

When the lexical analyzer (lexer) reads a source program, it must process the characters one at a time to identify tokens. However, reading characters one by one can be inefficient because:

- It involves frequent I/O operations (which can be slow).
- It might result in excessive overhead when determining the boundaries of lexemes.

Input buffering optimizes this process by loading multiple characters into memory in advance and then reading from this memory rather than from the original input source.

Discuss about CFG, Derivation of a Grammar.

A context-free grammar (CFG) consisting of a finite set of grammar rules is a quadruple (N, T, P, S) where

- N is a set of non-terminal symbols.
- T is a set of terminals where $N \cap T = \text{NULL}$.
- P is a set of rules, $P: N \rightarrow (N \cup T)^*$, i.e., the left-hand side of the production rule P does not have any right context or left context.
- S is the start symbol.

Example

- The grammar $(\{A\}, \{a, b, c\}, P, A), P : A \rightarrow aA, A \rightarrow abc.$
- The grammar $(\{S\}, \{a, b\}, \{a, b\}, P, S), P: S \rightarrow aSa, S \rightarrow bSb, S \rightarrow \epsilon$
- The grammar $(\{S, F\}, \{0, 1\}, P, S), P: S \rightarrow 00S \mid 11F, F \rightarrow 00F \mid \epsilon$

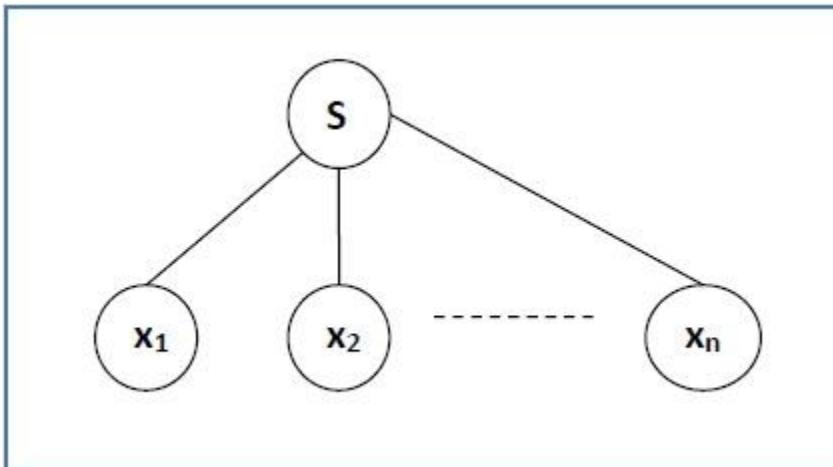
Generation of Derivation Tree

A derivation tree or parse tree is an ordered rooted tree that graphically represents the semantic information a string derived from a context-free grammar.

Representation Technique

- **Root vertex** – Must be labeled by the start symbol.
- **Vertex** – Labeled by a non-terminal symbol.
- **Leaves** – Labeled by a terminal symbol or ϵ .

If $S \rightarrow x_1x_2 \dots x_n$ is a production rule in a CFG, then the parse tree / derivation tree will be as follows –



There are two different approaches to draw a derivation tree –

Top-down Approach –

- Starts with the starting symbol **S**
- Goes down to tree leaves using productions

Bottom-up Approach –

- Starts from tree leaves
- Proceeds upward to the root which is the starting symbol **S**

Derivation or Yield of a Tree

The derivation or the yield of a parse tree is the final string obtained by concatenating the labels of the leaves of the tree from left to right, ignoring the Nulls. However, if all the leaves are Null, derivation is Null.

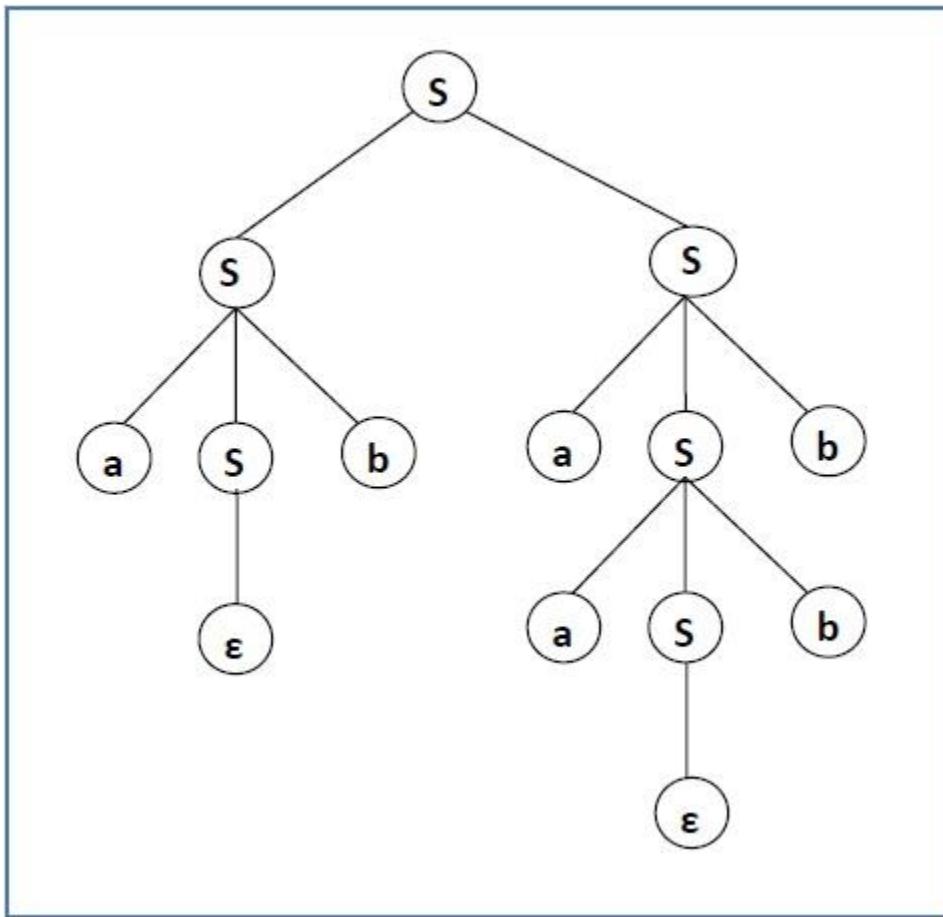
Example

Let a CFG $\{N, T, P, S\}$ be

$N = \{S\}$, $T = \{a, b\}$, Starting symbol = S , $P = S \rightarrow SS \mid aSb \mid \epsilon$

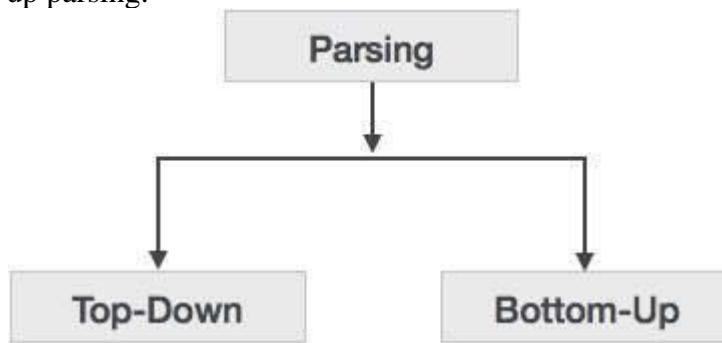
One derivation from the above CFG is “abaabb”

$S \rightarrow SS \rightarrow aSbS \rightarrow abS \rightarrow abaSb \rightarrow abaaSbb \rightarrow abaabb$



Discuss about of Parsing and Types of Parsing.

Syntax analyzers follow production rules defined by means of context-free grammar. The way the production rules are implemented (derivation) divides parsing into two types : top-down parsing and bottom-up parsing.



Top-down Parsing

When the parser starts constructing the parse tree from the start symbol and then tries to transform the start symbol to the input, it is called top-down parsing.

- Recursive descent parsing : It is a common form of top-down parsing. It is called recursive as it uses recursive procedures to process the input. Recursive descent parsing suffers from backtracking.
- Backtracking : It means, if one derivation of a production fails, the syntax analyzer restarts the process using different rules of same production. This technique may process the input string more than once to determine the right production.

Bottom-up Parsing

As the name suggests, bottom-up parsing starts with the input symbols and tries to construct the parse tree up to the start symbol.

Example:

Input string : a + b * c

Production rules:

S → E

E → E + T

E → E * T

E → T

T → id

Let us start bottom-up parsing

a + b * c

Read the input and check if any production matches with the input:

a + b * c

T + b * c

E + b * c

E + T * c

E * c

E * T

E

S

3.

Explain in detail about Complier Process.

→ When we Compile a prog, the Compiler Converts the HLL into H/c Level Lang.

Eg: `#include < stdio.h>`

`#define Z 8 ;`

`main() // Main Function`

`int x,y;`

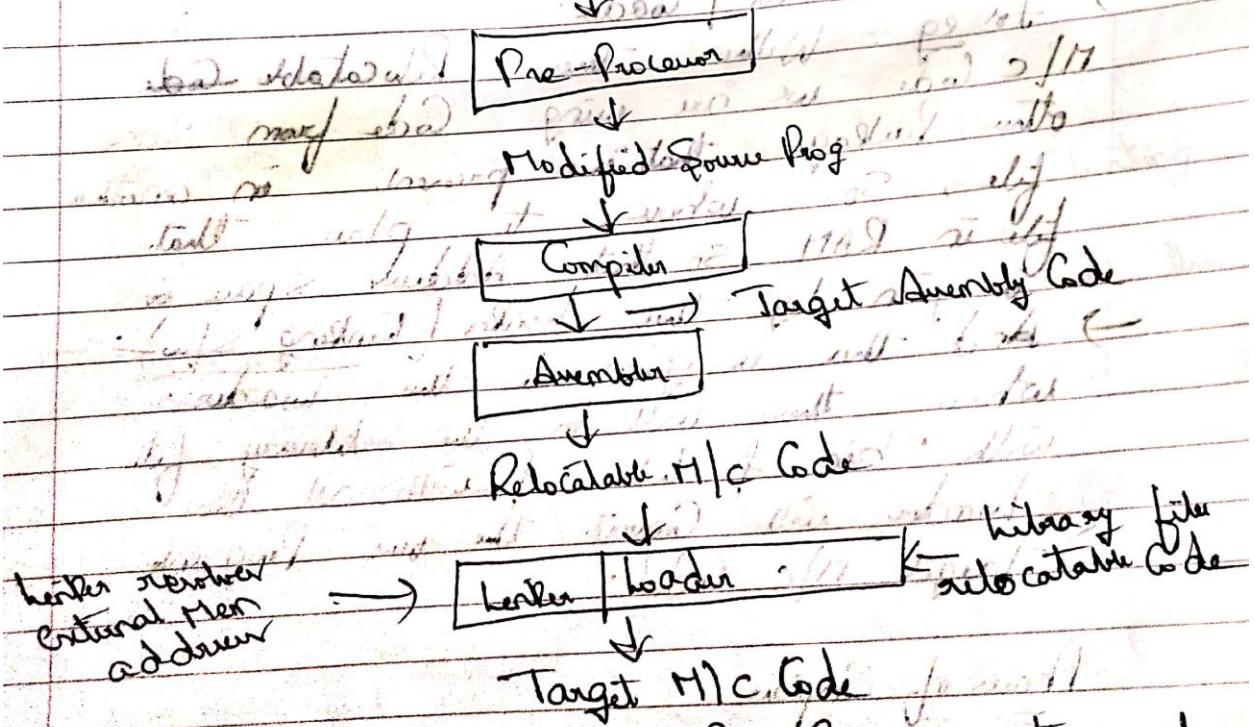
`x = Z * y;`

↳ Now whenever we Compile this prog, this prog is converted into H/c code.

→ At that stage, what kind of procedure works internally?

↳ If it's not mentioned then it's not implemented.

→ Now when we run the program, it's first converted into Source/Prog.



→ Source Prog is given to Pre-Processor, the role of Pre-Processor is to replace the Macro (`#define Z 8`) i.e. in the place of `Z` it replaces it with `8`.

→ By whatever Comments, we write in the

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- Prog., all those Comments are then Pre-processor
will eliminate, all those Comments (ignor) are made
 → Then the 'Modified Source Prog' is given
to the Compiler as an I/p. Now this
Compiler Converts the 'Modified Source Prog'
into Target Assembly Code $8 \times 8 = 64$
 → This Target Assembly Code is given as
an I/p to ~~target~~ a Prog called Assembly.
 → This Assembly converts this into
Relocatable M/c Code.
- This Relocatable M/c Code is a Prog Code
that can be loaded anywhere in the mem.
- The Relocatable Code is then given
to the linker / loader.
- For eg: Within this Relocatable Code
M/c code we are using Code from some
other package that is present in another
file, So where to place that
file in RAM, so that Address space is
given by the linker (linking S/w).
- And this is given to the loader:
where there will be the library file
with `bios.lib`; with all these
loader will convert the our Prog into
Target M/c Code.

Phases of Compiler / I/p

Explain in detail about the role of Lexical Analyzer.

Role of Lexical Analyzer Phase

→ The first phase in Computer is Response of Lexical Analyzer.

→ Let us, Consider a simple C Prog.

Off Generated by
Lexical Analyzer

main()

main > () >

{ int i=20, j=20, k;

vars > id1 > < num, 20>

i = i+3;

vars > id2 > < num>

if (k >= 50)

< id2 >

if (

< if > > if >

Print ("Hello")

i ; i ; i ; i ;

int k;

i ; i ; i ; i ;

}

i ; i ; i ; i ;

→ Now the simple program is given as an input to the lexical Analyzer phase.

→ Here Lexical Analyzer used to read every character like main, m, a, i, ..., (,) from Identifier, Value, Symbol etc into some token.

→ After reading 'i', here 'i' is an Identifier so it needs to maintain a symbol Table.

Symbol Table

Type	Value	Type
1	i	int
2	j	int
3	k	int

→ In Symbol Table, it will place all the identifiers with its type (int, float etc) in the Table.

Table.

→ Such that every token will be their symbol.

→ For names, variables etc we call them as Identifiers. It will place all those in SymTable.

→ cid, id mean it place "i" in the first position of the SymTable.

→ So, Lexical Analyzer will identify all

- then & place them in the Sym Table.
- So, we need & that's the reason we write the prog in H with some order.
 - Representation of Lexical Analyzer
 - Removal of white space & Comment.
 - Count num of lines
 - Reading ahead ($>=$ is one sym ahead than $>$)
 $>=, >$ (deciding $>=$ & $>$ are different)
 - Reading Constant
 20 - num Constant
 20.2 - floating pt num
 - ~~→ Note Imp Note: Variable name should not start with a digit. (c Long).~~
 - Identify keywords & identifiers.
 - " Literal (eg: "hello")
 - " Comparison Operation ($<$, $>$, $<=$, $>=$).

Explain in detail about Recursive Descent Parsing with Backtracking.

Recursive Descent Parsing [Top-Down Parsing]

- This is Top-Down Method, Backtracking
- We will discuss Simple CFG to understand Top-Down this.

$$\begin{array}{l} S \rightarrow cAd \\ A \rightarrow ab/a \end{array} \quad \left\{ \text{CFG} \right.$$

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S & A are Non-terminal.

- Here we will write fun for each Non-terminal.
- So, there fun's work

fun for S

Vid $S()$

{

loop to choose all production, chosen production
 $S \rightarrow x_1 x_2 \dots x_k$ (S has at most one prod)
 for ($i=1$ to k)

{

if (x_i is nonterminal)

Call $x_i()$

else if ($x_i = \text{Current I/P Sym}$)

advance input

sym to next

→ As 'S' has only one production, this loop executes only once, $S \rightarrow CAD$.

→ A has 2 production, A 's loop executes 2 times
 $(A \rightarrow ab, A \rightarrow a) \dots$

else

The given production is in the form

$S \rightarrow x_1 x_2 \dots x_k$, for $S \rightarrow CAD$, $x_1 = C$ in x_1 ,

$A, \#$ in x_2 , d in $x_3 \dots$

The loop for ($i=1$ to k) executes for ' k ' times based on x_i 's.

= So, but if (x_i is nonterminal), true $x_i = c$ which not a Non-terminal, so we need to go with 'else if ($x_i = \text{Current input Sym}$)' where 'c' is the same terminal.

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- So we need to go with 'advance input' Sym & next i.e. with 'A'.
- if this also don't match then we need to go with the Condition which is 'error occurred'.
- Here this we check for all the production given, if one production go back fails, go back of check with another production, again if it fails Go back of check with next production, so we go back & go with next production, this is called as Backtracking.

→ So for $S \rightarrow CAd$

- 'c' is a Terminal, so go back of go with 'A'
- 'A' is a Non-terminal, so call 'nil', so substitute 'A' with 'a'

$S \rightarrow Cad$

- Next we have we have 'd' will which is terminal.

$S \rightarrow Cad \dots$

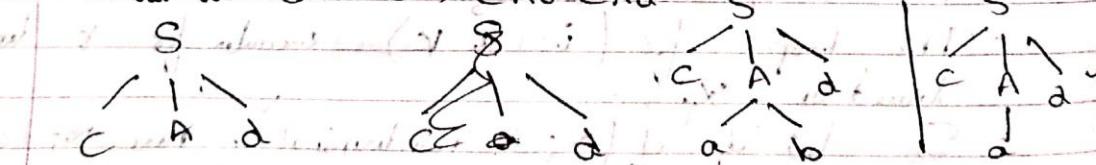
→ This is how the CFG's are evaluated using Backtracking. Remove Derent Parsing using with,

→ Backtracking:

→ What is Backtracking?

→ Now let us take the IP Sym; Cad.

- First we call $S \rightarrow CAD$



Now this one will expand as S.Cad

A → ab or A → a as it have 2 production

- We 'call the fun' means expanding the Non-terminal.

→ Idea for $A \rightarrow \lambda$, there are 2 productions, go with first one, apply it if it fails, take second prod, apply it, if it fails go with next.

- As we go back if one fails, it's called as Backtracking.

→ So, the production $S \rightarrow \text{cad}$ in meal matching, so our gram is identified accepted.

→ Why we need to write either Recursive Descent Parsing for Expression Grammars or of

$$E \rightarrow TE' \quad \text{and} \quad E' \rightarrow id$$

$$E' \rightarrow TTE' \quad | \quad \text{empty} \quad \left\{ \begin{array}{l} \text{think in} \\ T \rightarrow FT \end{array} \right. \quad \text{CFG to check}$$

$$T \rightarrow *FT' \quad | \quad \text{empty} \quad \text{entire lang.}$$

$$F \rightarrow (E) \quad | \quad id$$

→ So here we need write the fun for every Non-Term.

→ Here this is not a good practice because everyone we need to go back so for eg when we have a prod of that don't match with many prod's then how to deal everyone we need to go back, in such cases lot of them is needed for Compiler to compile one single prod's.

→ So, there exist the problem with their parsing.

→ So, what is the solution of this problem? Well, first of all we can go with forward and backward approach.

Explain in detail about any one Bottom-up Parsing.

LR(0) Parsing Problem

(I)

For the given grammar G , add an Augmented prod'n
(now its Augmented G):

$$\text{eg: } A \rightarrow aA/b \quad (\text{grammar})$$

$$\Downarrow \\ A' \rightarrow A \rightarrow \text{Augmented Prod'n}$$

$$\Downarrow \\ A' \rightarrow A \rightarrow (\text{Augmented Prod'n}) \\ A \rightarrow aA \\ A \rightarrow b$$

This is the final Augmented Gram for
the given Gram.

(II)

Now Start parsing using LR(0)

Our augmented grammar add (.) at start
to start parsing.

Two T's \rightarrow Set 1

$$A' \rightarrow \cdot A \quad \text{and} \quad A' \rightarrow A \cdot$$

and $A \rightarrow \cdot aA$ and $A \rightarrow \cdot b$

Set 2

$$A \rightarrow \cdot a$$

Set 3

$$A \rightarrow \cdot b$$

Set 4

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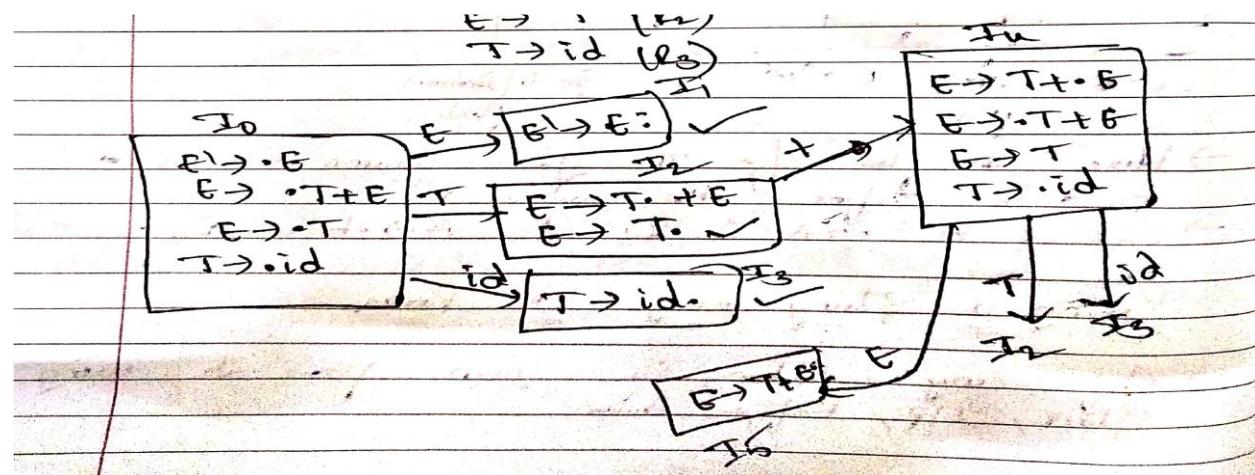
Set 266

Set 267

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	a	b	\$	A	B
I ₀	S ₂	S ₃		I	
I ₁			accept		
I ₂	S ₂	S ₃		u	
I ₃	R ₂	R ₂	R ₂		
I _n	R ₁	R ₁	R ₁		

↓
Stack → Action Go to Action
(OR)



LR(0) Parsing SR Chart

→ Let the given Grammar is

$$E \rightarrow T + E \mid T \\ T \rightarrow id$$

So the Augmented Grammar for the given grammar is

$$E' \rightarrow E$$

$$E \rightarrow T + E \quad (R_1)$$

$$E \rightarrow T \quad (R_2)$$

$$T \rightarrow id \quad (R_3)$$

In

→ Here in I_2 , we have 2 prod'n, $E \rightarrow T \cdot + E f$
 $E \rightarrow T \cdot$ where $E \rightarrow T \cdot$ & $E \rightarrow T \cdot + E f$ is
 still continuing.

- So, this is not LR(0) grammar because
 here there is one 2 choices (one is ended & another
 is continuing).

- This is called as ~~not~~ LR(0) grammar Clark,
 SLR (Shift Chain of Reduce chain).

		E	T
I_0	S_3	1	2
I_1	accept		
I_2	$S_2 R_2$	R_2	R_2
I_3	R_3	R_3	R_3
I_4	S_2	5	2
I_5	R_1	R_1	R_1

{ Action Go to }
 ↓ ↓

→ Here in I_2 , giving σ^+ we have a conflict
 - i.e. Shift & Reduce Conflict is there,
 by this we can say that the given
 grammar is not LR(0).

→ To resolve this issue, we need to go
 with SLR Parser.

SLR(1) (Simple LR)

- All steps are same except when we are adding rules in parse table.
- We do the same process as previous Parsing table, Creating Augmented Grammar. Then using this Augmented Grammar we are creating the parser.
- Using this we are going to fill the Parse Table.

→ We write only at follow part.

→ blue font let us write the rules.

$$\begin{aligned} R_1 &\Rightarrow E \rightarrow T + E \\ R_2 &\Rightarrow E \rightarrow T \\ R_3 &\Rightarrow T \rightarrow id \end{aligned}$$

→ Now let us write the Follow Sym's of Non-Term's E & T.

$$\text{Follow}(E) = \$,$$

$$\text{Follow}(T) = \$, \$ \}$$

Table

	+ id \$	E T	
I ₀	S ₃	1 2	
I ₁	accept		
I ₂	S ₁	R ₂	
I ₃	R ₃	R ₃	
I ₄	S ₃	5 2	
I ₅	R ₁	=	

→ Here R₂, E → T is reduced in I₂. So write R₂ in I₂ at \$.

→ Now R₁, E → T + E " " I₅. So write R₁ in I₅ at \$.

(OR)

Date	/ /
------	-----

Canonical LR (CLR) $(LR + \text{lookahead}) \Rightarrow CLR$.

\rightarrow All the steps are almost the same but as we lookahead hence we calculate follows for each LR item.

\rightarrow We can understand with eg.

\rightarrow The given Grammar is

$$S \rightarrow AA$$

$$A \rightarrow aA$$

$$A \rightarrow b$$

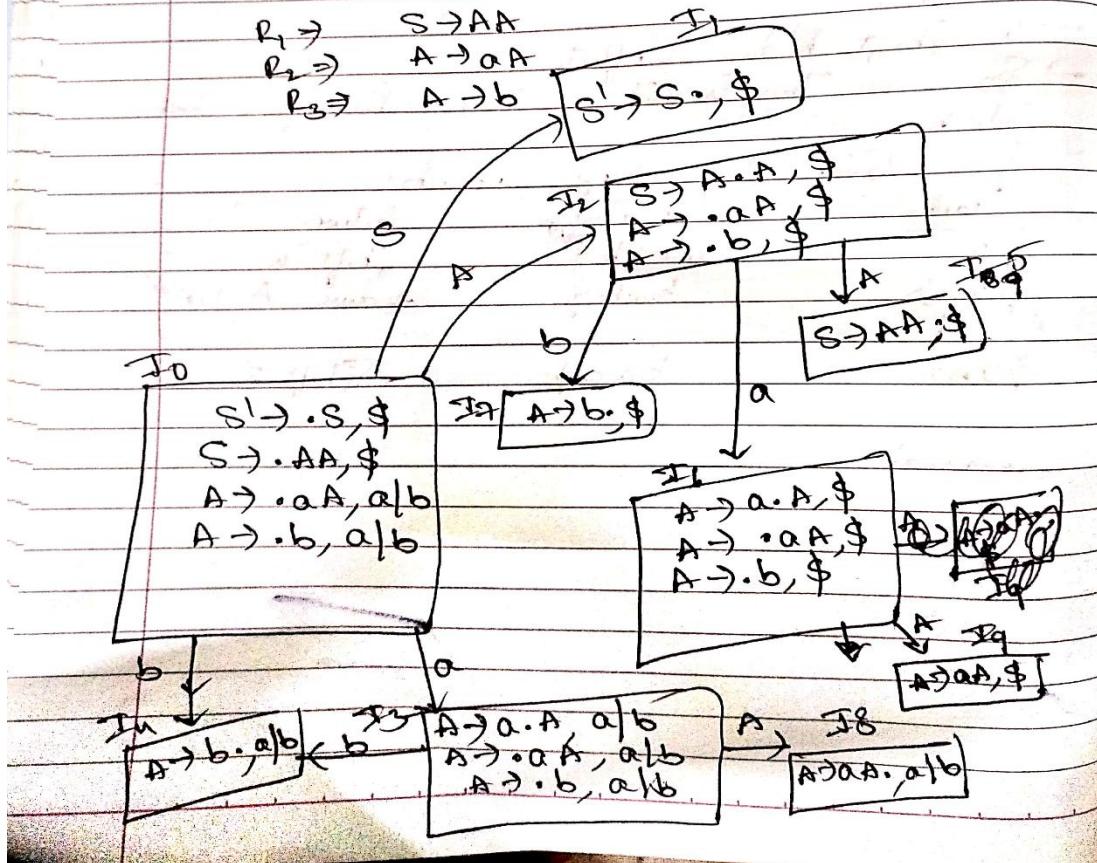
The Augmented Grammar is

$$S' \rightarrow S$$

$$R_1 \Rightarrow S \rightarrow AA$$

$$R_2 \Rightarrow A \rightarrow aA$$

$$R_3 \Rightarrow A \rightarrow b$$



<u>Parsing Table</u>		<u>a</u>	<u>b</u>	<u>\$</u>	<u>S</u>	<u>A</u>
<u>S1's</u>						
<u>I₀</u>	<u>S₃</u>	<u>S₄</u>			<u>I</u>	<u>2</u>
<u>I₁</u>				<u>empt.</u>		<u>5</u>
<u>I₂</u>	<u>S₆</u>	<u>S₇</u>				<u>8</u>
<u>I₃</u>	<u>S₃</u>	<u>S₄</u>				
<u>I₄</u>	<u>R₃</u>	<u>R₃</u>				
<u>I₅</u>				<u>R₁</u>		<u>9</u>
<u>I₆</u>	<u>S₆</u>	<u>S₇</u>				
<u>I₇</u>				<u>R₃</u>		
<u>I₈</u>	<u>R₂</u>	<u>R₂</u>				
<u>I₉</u>				<u>R₂</u>		

→ If we observe clearly, we can notice many similar data like

$I_4 - I_7$, $I_3 - I_6$

$I_8 - I_9$

- If we remove these then we can call this as LALR.

(OR)

LALR(1):

→ The given Grammar is

S → AP

$$A \rightarrow aA$$

$A \rightarrow b$

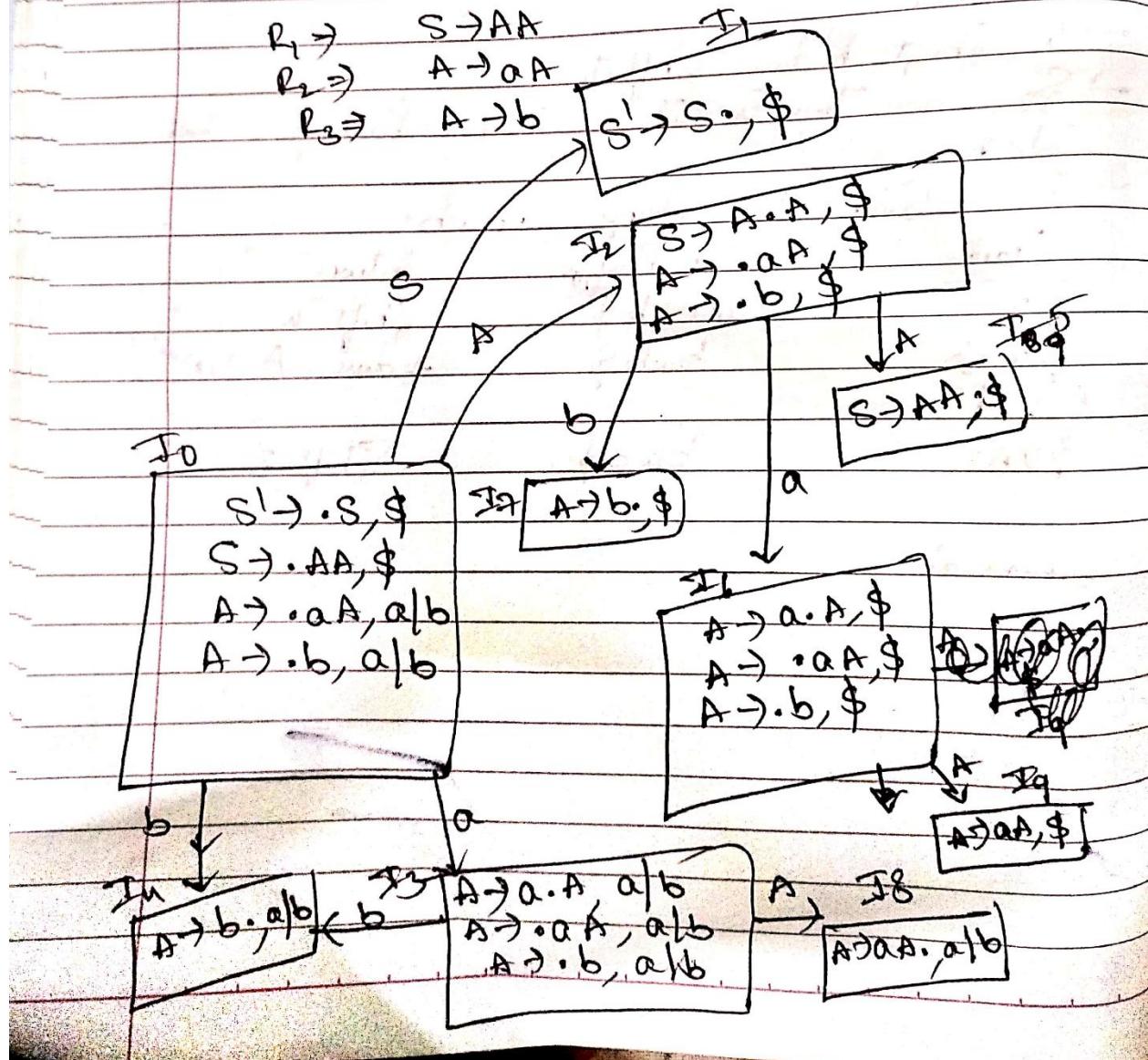
The Augmented Grammar

S' S

$R_1 \rightarrow S \rightarrow AA$

$$R_2 \Rightarrow A \rightarrow \alpha A$$

$$P_3 \Rightarrow A \rightarrow b \quad | \quad S' \rightarrow S^{\circ}, \$$$



- Lookahead LP
- A Compacted / optimized version of CLR in LALR.
- In the previous eg, or just by observing
we can say.
Solve the Same CLR Problem.

$$I_n - I_7 \Rightarrow I_{n7}$$

$$I_3 - I_6 \Rightarrow I_{36}$$

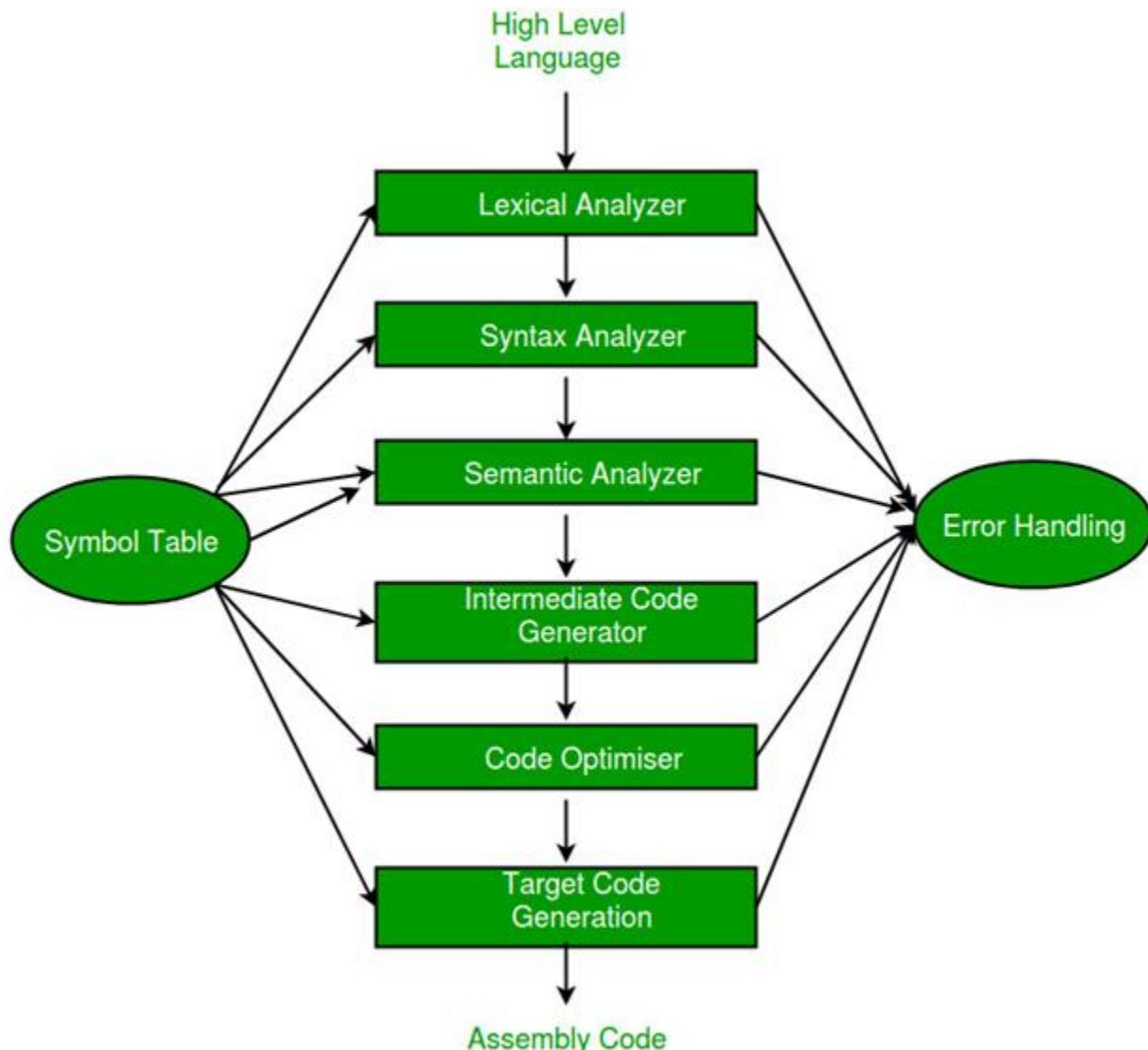
$$I_8 - I_9 \Rightarrow I_{89}$$

Update or

→ Based on this, let us fill the table.

St's	a	b	\$	S.	A.
I ₀	S ₃₆	S _{n7}		1	2
I ₁					accept
I ₂	S ₃₆	S _{n7}			5
I ₃₆	S ₃₆	S _{n7}		8	9
I _{n7}	R ₃	R ₃	R ₃		
I ₅				R ₁	
I ₈₉	R ₂	R ₂	R ₂		

Explain in detail about Phases of Compilation.



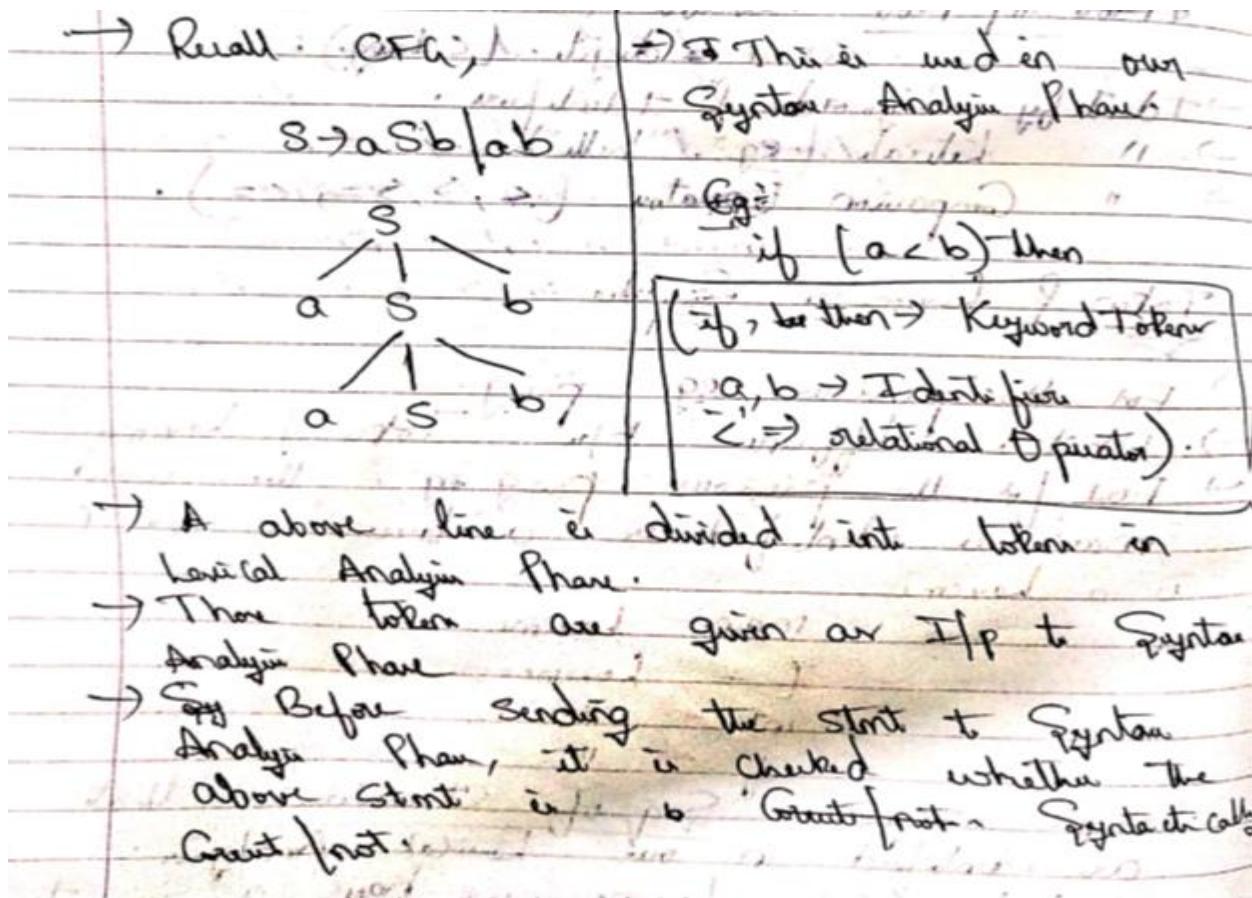
1. Lexical Analysis: The first phase of a compiler is lexical analysis, also known as scanning. This phase reads the source code and breaks it into a stream of tokens, which are the basic units of the programming language. The tokens are then passed on to the next phase for further processing.
2. Syntax Analysis: The second phase of a compiler is syntax analysis, also known as parsing. This phase takes the stream of tokens generated by the lexical analysis phase and checks whether they conform to the grammar of the programming language. The output of this phase is usually an Abstract Syntax Tree (AST).
3. Semantic Analysis: The third phase of a compiler is semantic analysis. This phase checks whether the code is semantically correct, i.e., whether it conforms to the language's type system and other semantic rules. In this stage, the compiler checks the meaning of the source code to ensure that it makes sense. The compiler performs type checking, which ensures that variables are used correctly and that operations are performed on compatible data types. The compiler also checks for other semantic errors, such as undeclared variables and incorrect function calls.

4. Intermediate Code Generation: The fourth phase of a compiler is intermediate code generation. This phase generates an intermediate representation of the source code that can be easily translated into machine code.
5. Optimization: The fifth phase of a compiler is optimization. This phase applies various optimization techniques to the intermediate code to improve the performance of the generated machine code.
6. Code Generation: The final phase of a compiler is code generation. This phase takes the optimized intermediate code and generates the actual machine code that can be executed by the target hardware.

4.

- | |
|--|
| a) Explain in detail about the role of Syntax Analyzer. |
| b) Explain in detail about Predictive Parsing. |
| a) Explain in detail about LR (0) Parsing. |
| b) Explain in detail about Lexical-Analyzer Generator Lex. |
| a) Explain in detail Scanning & Parsing. |
| b) Explain in detail about LL(1) Parsing. |

- a) Explain in detail about the role of Syntax Analyzer.



→ Here (a+b) is an EXPRESSION, here we can write any expression in the place of (a+b) i.e. (a+b), (a-b) ... etc.

→ If we write in this manner

$S \rightarrow \text{if } (\text{EXPR}) \text{ then}$

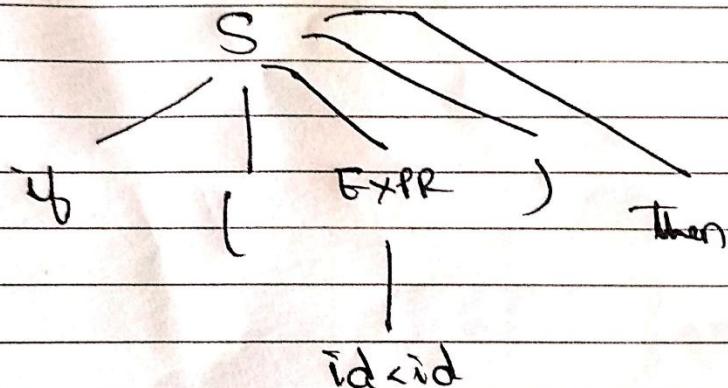
Now this is Syntactically Correct.

$S \rightarrow \text{if } (\text{EXPR}) \text{ then}$

Here S, EXPRESSION are Non-Terminal & if, then are Terminal.

∴

$\text{EXPR} \rightarrow \text{id} + \text{id} \mid \text{id} \times \text{id}$



→ So the line ' $S \rightarrow \text{if } (\text{EXPR}) \text{ then}$ ' is Syntactically Correct.

b) Explain in detail about Predictive Parsing.

Predictive Parsing

- Recursive Approach without Backtracking.
- We use lookahead only (IP Sym for to predict without Backtracking)

Start \rightarrow Expr; if | expr
 if (expr) Start
 and non-term for (optexpr; optexpr; optexpr)
 else other tokens

→ Here 'start' is Non-Terminal & 'expr' is a Terminal
 for our convenience purpose

Start - Non-Terminal
 expr - Terminal (for this eg.)

if - Term
 product - $11 \cdot 11 \cdot 11 \cdot 11$
 $) = 11^6$; $(11^6)^3$

optexpr (optional expr) - Non-Terminal

→ So, and class has no next IP

optexpr \rightarrow E

expr is not used yet
 and for (optexpr; optexpr; optexpr) other more

So, here 'lookahead' means, lookahead is a
 variable signal at origin of tokens

lookahead - Variable flag

- 'lookahead' is going to point to first IP Sym 'for' that we need to look for a loop start.
- So here 'for' is for $(; \dots)$ is a token given by lexical Analyzer phase.
- By ' $(, ; , \text{expr}, ; \dots)$ ' are taken whatever given by Lexical Analyzer.

- like this 'lookahead' looks after one I/p Sym within one I/p.
- So, this lookahead one I/p Sym is one after the other.
- We can lookahead one Sym; lookahead 2 I/p Sym's, lookahead n Sym's, lookahead 5 Sym's.
- So, this lookahead one I/p Sym is one after the other if we write the logic below:
- like this, then eliminates the backtracking.
- So, now the logic before the input is as follows:
- `start → expr;`
- `expr → void start();`
- `void start() {`
- `switch (lookahead) {`
- `case 'e':`
- ~~`if (expr match();)`~~
- ~~`match(expr);`~~
- ~~`match(expr);`~~
- ~~`match(expr);`~~
- ~~`match(expr);`~~

→ Here we go with a match fun! What is match() fun?

match(Terminal t) // if match() applies for Terminal t

if (Lh = t) // if lookahead = terminal

Lh = next terminal // Then go with next terminal

else,

repeat case until matched with Lh

if (Lh != t) then next terminal

if (Lh == t) then match(t)

case if

match(if) match(;) match(expr)

match(;) start(;) break(;;)

Case for $\text{match } \text{expr} \text{ with } \dots$
on $\text{for } \dots$.
Case for $\text{match } \text{expr} \text{ with } \dots$
 $\text{match } (\text{for } \dots) \text{ with } \dots$
 $\text{opt_expr}(\text{for } \dots) \text{ match } (\text{for } \dots) \text{ with } \dots$
 $\text{opt_expr}(\text{for } \dots) \text{ match } (\text{for } \dots) \text{ with } \dots$ it's
it also use $\text{opt_expr}(\text{for } \dots) \text{ match } (\text{for } \dots) \text{ with } \dots$
 $\text{opt_expr}(\text{for } \dots) \text{ match } (\text{for } \dots) \text{ with } \dots$

- So, By using lookahead, we are looking ahead every I/p symbol here 'spring' is also 'lookahead' this is going to be checked (the friend of expr ...) loop of for & have to check if it's a terminal or not.
 - Because "Take the match() function logic suitable for for loop (if it's a terminal then match(Terminal t) return // Terminal t = for" then if(dK == t) // if lookahead == to 'for' terminal then lookahead = next Terminal
 - So 'match(for)' matches () (there is no = next terminal) So here the lookahead moves to the next I/p symbol (' ', optexpr(1), ..., (, =, ;,), .)

void

- Here the lookahead pt's token which terminal then if the lookahead is in terminal i.e then it moves to next I/p Sym 'l' & next to the expr.
- match 'l' then the next I/p Sym is ';' So which option

Via droppings (\rightarrow faeces)
if (the sample) is \leq determined
mainly by

→ Idue for $(-; \text{expr}; \text{expr})$, after E' , we have empty Span. So we will take ' E' ' in the place of empty Span.

→ ' E' ' means no I/p. So after ' E' ' the next I/p Sym is ';' then

$\text{if } (l_1 = \text{expr}) \text{ where } ;$ is not an expr, So this if Condition don't work.

- After that we will come out of if Condition if there is nothing to execute within if Condition

- It means the fin void optexpr) is completed.

- And here if in $\text{for}(;, \text{expr}, ;)$ we cannot move forward just $(;)$.

→ So, if we come out of if Condition, there is nothing to execute within this function.

- So this id optexpr) is completed.

- Here without I/p(E') we eliminate optexpr).

→ But we are not moving ahead if we stay at $;$ but still moving down.

→ This is how ' E' ' is executed in prog'g.

→ This is how we write Coding for E' .

→ This is BackPredictive Parsing is implemented.

→ Now let us discuss this in the form of CFG. with production:

$$E \rightarrow TE'$$

$$E' \rightarrow +TE' | \epsilon$$

$$T \rightarrow FT'$$

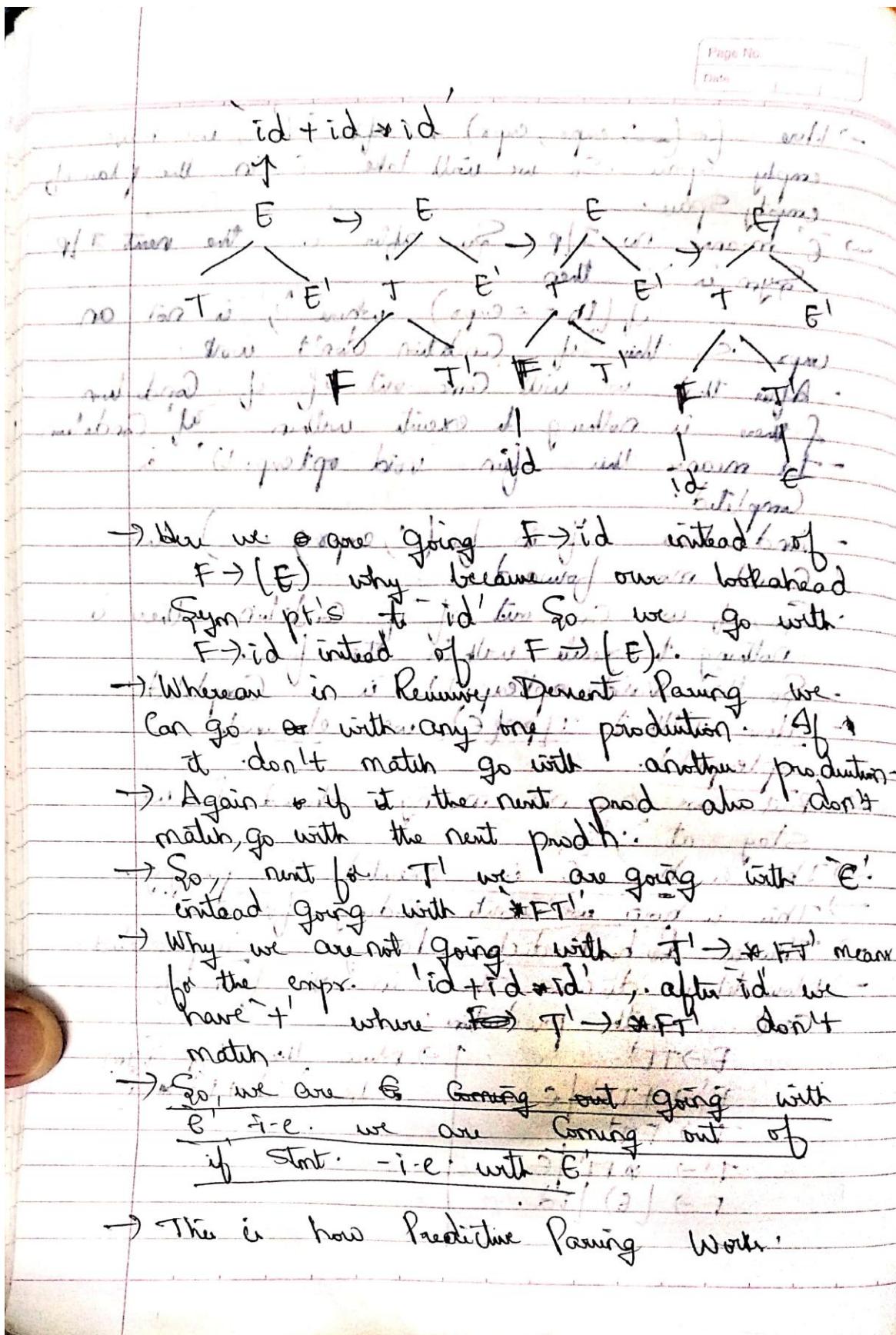
$$T' \rightarrow *FT' | \epsilon$$

$$F \rightarrow (E) | \text{id}$$

→ Now the I/p Sym

be $\text{id} + \text{id} * \text{id}$

→ Now our solution will be like



a) Explain in detail about LR (0) Parsing.

LR(0) Parsing Problem

(I) For the given grammar G , add an Augmented prodn (now its Augmented G)
 eg: $A \rightarrow aA/b$ (grammar)

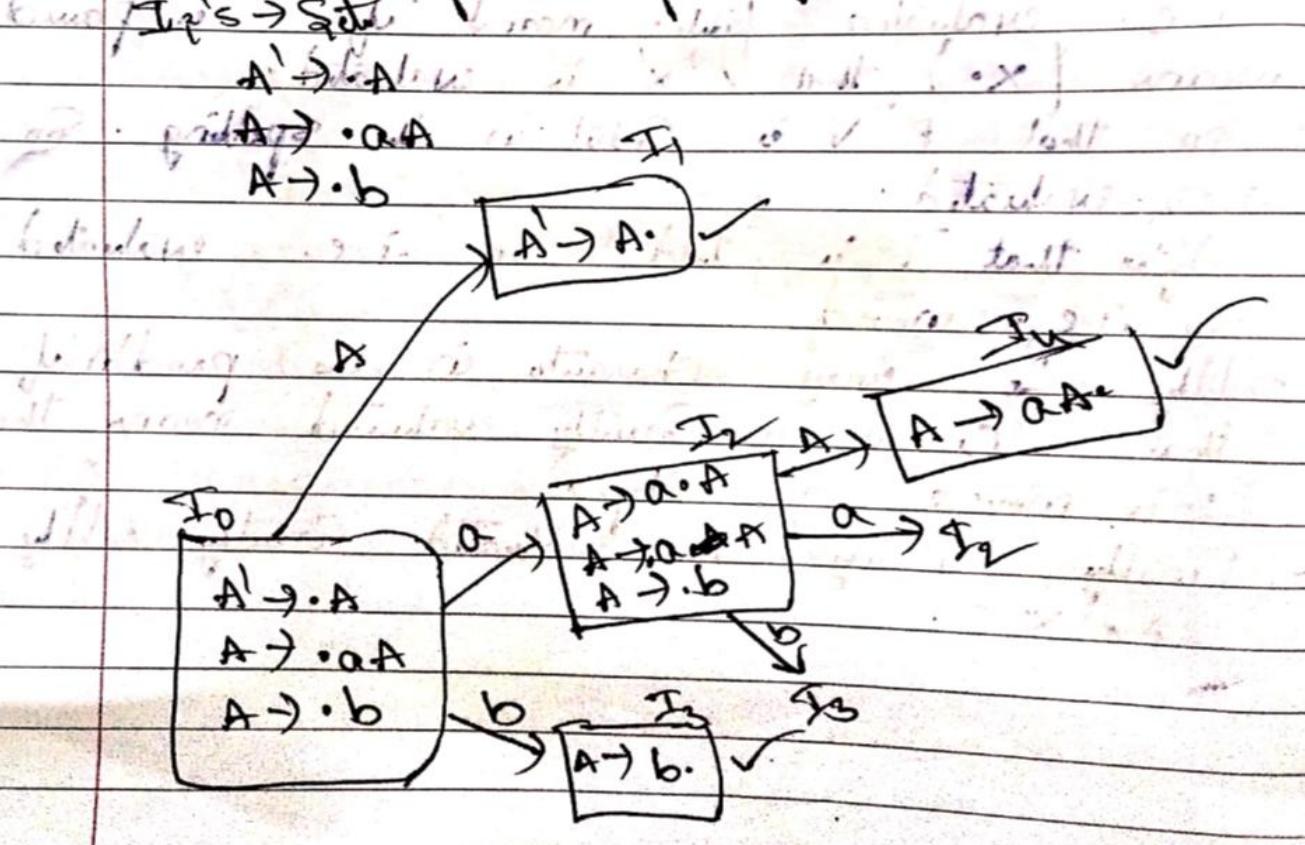
\Downarrow
 $A' \rightarrow A \rightarrow$ Augmented Prod'n.

\Downarrow
 $A' \rightarrow A$ (Augmented Prod'n)
 $A \rightarrow aA$
 $A \rightarrow b$

This is the final Augmented Gram for the given Gram.

Now Start parsing using LR(0)

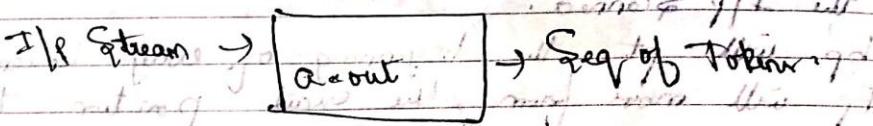
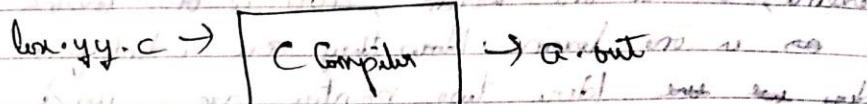
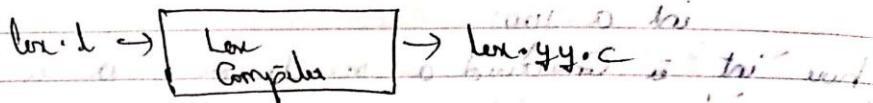
Our augmented grammar (add (\cdot) at start to start) parse using parsing.



b) Explain in detail about Lexical-Analyzer Generator Lex.

- ↳ The Lexical-Analyzer Generator LEX (or) LGX
- LEX is a tool or a lang which is useful for generating lexical analyzer.
- Lexical Analyzer Specifier RF's & Reg. Expr's are used to represent the pattern of the tokens.

Lex Source Prog



→ lex.l is a lex lang file when given as an I/P to Lex Compiler, it generates lex.yy.c which is a C Code.

→ now lex.yy.c is a Code when given as I/P to C Compiler, it generates 'a.out' or an obj file which is nothing but a lexical Analyzer.

→ Lexical Analyzer takes I/P Stream or I/P & U/P's seq of tokens for analysis and then generates tokens.

Structure of LEX Prog:

① Declaration

(II) Translation Rules (III) Auxiliary Fun / Subroutine
 (User defined fun's)

(I) Declaration

→ Used mainly for declaring C variable / Constants.
 eg: `y = 5`
`int a, b;`
`float z = 10.0;`
`y = 5`

(II) Translation Rule:

→ Each rule is specified with the informal pattern {Action}

Reg. Expr } pattern (1 →) } Long Stmt.

pattern (Action)

pattern (Action n)

%%

(III) Auxiliary Fun's : (Optional)

→ Any additional Functions are written here
Structure

declaration

translation rule

%%

User Subroutine / auxiliary Function

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Eg: (Lab Prog)

Prog. to Capitalize the given Comment using LF.

```
1. #include <stdio.h>
2. #include <ctype.h> } Declaration
3. int main();
4. void display(char *); } Function
5. { }
```

letter [a-z] } → defining

Com // } → defining a state

%.%

{ Com } { c = 1; }

{ letter } { if (c == 1) display(yytext); }

%.%

main()

Here the
execution
Starts

{ yybegin(); } → initial setting

yybegin(); } → initial setting

void display(char *s)

```
int i; } → initial setting / is not used for
for (i = 0; s[i] != '\0'; i++) // \0 is end of
    pt[i] = c, it upper(s[i])); } → also the String.
```

}

int yywrap()

return 1;

→ Whatever we write
will be converted into

Uppercase

• ↳ P?

// Test,

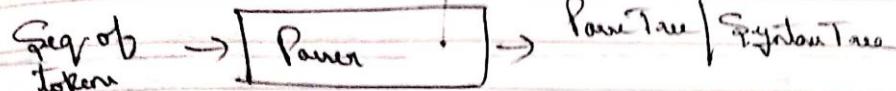
D/P?

TEST.

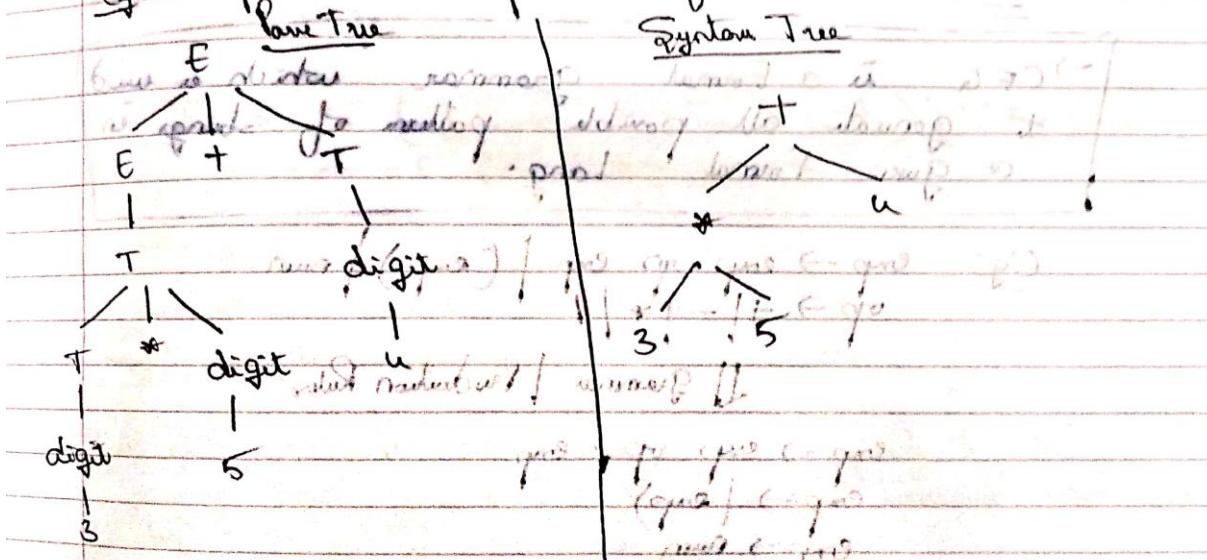
a) Explain in detail Scanning & Parsing.

Parsing | Top down Parsing H (Syntax Analysis)

- Parsing is a process of determining the Syntactic Structure of a program from tokens.
- This is achieved by Constructing Parse Tree.
- Syntax Trees are just possible where attributes are not possible.
- "x+y" is syntactically correct but not possible.
- Parse Tree | Syntax Tree



e.g.: Concept will be explained after Grammars



Note: If Parse Tree & Syntax Tree are generated then we can say that any expression has no error.

Scanning v/s Parsing

Scanning
Task: Determining the Structure of tokens.

Parsing
Task: Determining the Syntactic Structure.

Scanning	Parsing
Defining Reg. Expr grammar	CFG is parser
Tool : (FA)	(Parser) suboptimal
Algo Represented by DFA	Top-Down & Bottom-Up
Method using Sliding Window	Bottom-Up Parsing is PTA
Result Linear Structure	Parser Syntax Tree
Data Structure:	
	int/float str
	num do, for, while
<u>CFG</u>	consists of terminals & non-terminals
	→ CFG is a Formal grammar which is used to generate all possible pattern of strings in a given Formal Lang.
Ex: $\text{emp} \rightarrow \text{emp} \cdot \text{op} \cdot \text{emp} \mid (\text{emp}) \mid \text{num}$	
	$\text{op} \rightarrow + \mid - \mid * \mid /$
	↓ Grammar Production Rules
$\text{emp} \rightarrow \text{emp op emp}$	
$\text{emp} \rightarrow (\text{emp})$	
$\text{emp} \rightarrow \text{num}$	
$\text{op} \rightarrow +$	
$\text{op} \rightarrow -$	
$\text{op} \rightarrow *$	
$\text{op} \rightarrow /$	
Final	
Output	

b) Explain in detail about LL(1) Parsing.

LL(1) Table Construction

- Predictive Parsing Tech (using Non-Recursive Method)
 - Top-Down Parsing
 - In order to eliminate the disadvantages of Predictive Parsing with Recursive Method we are going with this method.
 - To avoid recursion, we use Table $\frac{1}{1} \frac{2}{2} \frac{3}{3}$
 - Top-down (Starting / final / Starting If given Sym) i.e. Starting Non-Terminal & if it proceeds in a Top-Down Approach (and so on) is $\frac{1}{1} \frac{2}{2} \frac{3}{3}$
 - LL(1) is first stands for Scanning DFA from left to right, producing Left Most Derivation (Second) stand for lookahead symbol prop
- How to do Table Construction with
- building is 2 rows and -
- (Few more reg's to understand initial Sym) -
- . (Initial : . i. terminal set to start of S initial) → for validating at for user M
 - . $S \rightarrow aBd$ $F_i(S) = \{a\}$
 - . $B \rightarrow cCf$ $F_i(B) = \{c\}$
 - . $C \rightarrow bC/e$ $F_i(C) = \{b, e\}$
 - . $D \rightarrow EF$ $F_i(D) = \{g, f, E, F\}$
 - . $E \rightarrow g|e$ $F_i(E) = \{g, e\}$
 - . $F \rightarrow f|e|f|e|f|e$ $F_i(F) = \{f, e\}$

eg 2 →

$$S \xrightarrow{\text{initial}} (a) \text{ initial}$$

$$A \xrightarrow{\text{initial}} aB | Ad$$

$$B \xrightarrow{\text{initial}} b$$

$$C \xrightarrow{\text{initial}} g$$

eliminate left, Recursion

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Eg 2: . Given:

$$\begin{aligned} E &\rightarrow TE' \\ E' &\rightarrow +TE' | e \\ T &\rightarrow FT' \\ T' &\rightarrow *FT' | e \\ F &\rightarrow id | (e) \end{aligned}$$

$$F(E) = Fin(T) = Fin(id) -$$

q id, ()

$$T(E') = \{+, e\}$$

$$F(T') = \{*|e\}$$

$$Fin(F) = \{id\}$$

fg's on Follow = Sym's

S:	First	Follow
$S \rightarrow ABCDE$	$\{a, b, c\}$	$\{\$\}^*$ = $(\$ / \text{null})^*$
$A \rightarrow a \text{eine}$	$\{a, e\}$	$Fin(a) = \{b, c\} = \{b, c\} - \{a\}$
$B \rightarrow b e$	$\{b, e\}$	$Fin(b) = \{c\}$ lang id
$C \rightarrow c e$	$\{c\}$	$F(c) = \$$ null
$D \rightarrow d e$	$\{d, e\}$	$Fin(d) = \$$ null
$E \rightarrow e e$	$\{e\}$	$Fin(e) = (\$/\epsilon)^*$

$$(\$.^*) = (\$/\epsilon)^*$$

Follow(A) = Follow(A), $\{T\}^*$ in $\{a, b, c\}$, $\{a, b, c\}^*$

Follow(A) = $Fin(b) \cup Fin(c) = \{b, c\}$ ($\because B \rightarrow e$, if

$b \in (\$/\epsilon)^*$ if $\epsilon \in (\$/\epsilon)^*$ we substitute this

variable in $ABCDEF$); so we get

$(A^*) = (\$/\epsilon)^* \cup Fin(c)$ i.e. $ACDE(B \rightarrow e)$)

Follow(C) = $Fin(D)$, and if we substitute $D \rightarrow G$ in $ABCDEF$ we get ABC if next to C we have

E , $\therefore Fin(D) = Fin(E) \cup Fin(S)$ because $D \rightarrow G$,

$F \rightarrow G$. So $Fin(S) = Follow(S)$

$Fin(C) = Fin(D) \cup Fin(E) \cup Fin(S)$.

$\text{Follow}(D) = \text{Follow}(E) \cup \text{Follow}(S)$, because if we substitute $E \rightarrow G$ then it's $\text{Follow}(S)$.

cg 2?	First	Follow E^*
$E \rightarrow TE^*$	id, (\$,)	\$,)
$E^* \rightarrow TTE^*$	id, (\$,)	\$,)
$T \rightarrow FT^*$	id, (+ \$,)
$T^* \rightarrow *FT^*$	*, id, (+ \$,)
$F \rightarrow id(E)$	id, (* + \$,)

$$\rightarrow \text{Follow}(E) = \$,)$$

(*) Here there's no E^* in any prodⁿ except in last prodⁿ for E^* after the terminal E^* . So E^* can't be in first sym, add $\$$.
 $\therefore \text{Follow}(E) = \$,)$

$$\rightarrow \text{Follow}(E^*) = \text{Follow}(E) = \$,)$$

- for E^* , for E in $E \rightarrow TE^*$, here $\text{Follow}(E)$ is there is nothing. So $\text{Follow}(E^*) \neq \text{Follow}(E)$. And for $E^* \rightarrow TE^*$, so $\text{Follow}(E^*) = \text{Follow}(E)$, now eliminate other conditions.

$$\rightarrow \text{Follow}(T) = \text{Follow}(E) \cap \text{Follow}(E^*) = +, \$,)$$

- As $E^* \rightarrow TE^*$ so after T we have E^* , so $\text{Follow}(E^*) := +, E^*$ & if we place $E^* \rightarrow G$ in $E^* \rightarrow TE^*$ then $E^* \rightarrow TT^*$; so $\text{Follow}(E^*) = \text{Follow}(T) = \text{Follow}(E^*)$

$$\rightarrow \text{Follow}(T^*) = \text{Follow}(T) \setminus T \rightarrow FT^*$$

$$\rightarrow \text{Folk}(F) = \text{Fin}(T) \quad (\because FT \rightarrow FT)$$

- In place of $\mathcal{F} = -\text{Av } T = E$, place it in all $T \mapsto T \circ F \circ T^{-1} \circ F$, i.e $F \circ h(T)$

$$\text{So } \text{Folh}(F) = \text{Fin}(T') \cup \text{Folh}(T)$$

$$\text{. } (\cdot \cdot \cdot = \{ +, +, \$, \}) \text{. all}$$

biet tutto a te (will you be)

(Continued) with (Li_{1-x})⁺Tan⁻), which

$$\left(\frac{1}{2}\right) \in \mathbb{Z}, \quad \text{pd} \cdot (3) = (1) \text{ in } \mathbb{Z}/6\mathbb{Z}$$

LL(1)

 Standard Scanning If from left to right

8/15 10' S. of end of basal - 10' S. (10') 10' S. Sounding Left Most Depression

	First	Follow	\vdash	\vdash	\vdash	$($	$)$	\$
$E \rightarrow TE$	id	$\$)$	$E \rightarrow TE$	$E \rightarrow TE$	$E \rightarrow TE$	$E \rightarrow TE$	$E \rightarrow E$	$E \rightarrow E$
$E \rightarrow TTE E$	$+E$	$\$)$	$E \rightarrow TTE$	$E \rightarrow TTE$	$E \rightarrow TTE$	$E \rightarrow E$	$E \rightarrow E$	$E \rightarrow E$
$T \rightarrow FT$	id	$+)$ $\$$	$T \rightarrow FT$	$T \rightarrow FT$	$T \rightarrow FT$	$T \rightarrow E$	$T \rightarrow E$	$T \rightarrow E$
$T \rightarrow *FT E$	$*E$	$+)$ $\$$	$T \rightarrow E$					
$F \rightarrow id e(E)$	id	$*+$ $\$$	$F \rightarrow id$	$F \rightarrow id$	$F \rightarrow (E)$	$F \rightarrow (E)$	$F \rightarrow (E)$	$F \rightarrow (E)$

For each prod'n $A \rightarrow \alpha$ do the following

(I) For each terminal a in $\text{First}(\alpha)$, add $A \rightarrow a$ to $M[A, a]$
 II. If E is in $\text{First}(\alpha)$, add $A \rightarrow E$ to $M[A, a]$
 all the follow sym's.

- Here I, it's that for prod'n $A \rightarrow \alpha$,
 for each terminal, a , in $\text{first}(\alpha)$ i.e. for id
 in $E \rightarrow TE'$, add for id f (add \Rightarrow
 to $E \rightarrow TE'$).
 → II, if ϵ is in $\text{first}(\alpha)$ add $A \rightarrow \epsilon$ to all the
 follow Sym's.
 i.e. if we have ϵ , so eg: for $E \rightarrow +TE'$ we
 have $+ \epsilon$, so for $\$$, add $E \rightarrow \epsilon$.
 for the follow Sym's (i.e. $\$, \epsilon$).

- for $F \rightarrow id$ || (E), as we added $F \rightarrow id$ for id & $F \rightarrow (E)$ for '(', because we got $F \rightarrow id$ for id & $F \rightarrow (E)$ for ')' (extra)
- i.e. we derived $Fin(F) = id$ by $F \rightarrow id$ & $Fin(F) = (E)$ by $F \rightarrow (E)$.

Predictive Parsing: $LL(1)$ Anyclass? \rightarrow $LL(1)$ parsing \leftarrow anyclass except the IP
Sexprs, strings.

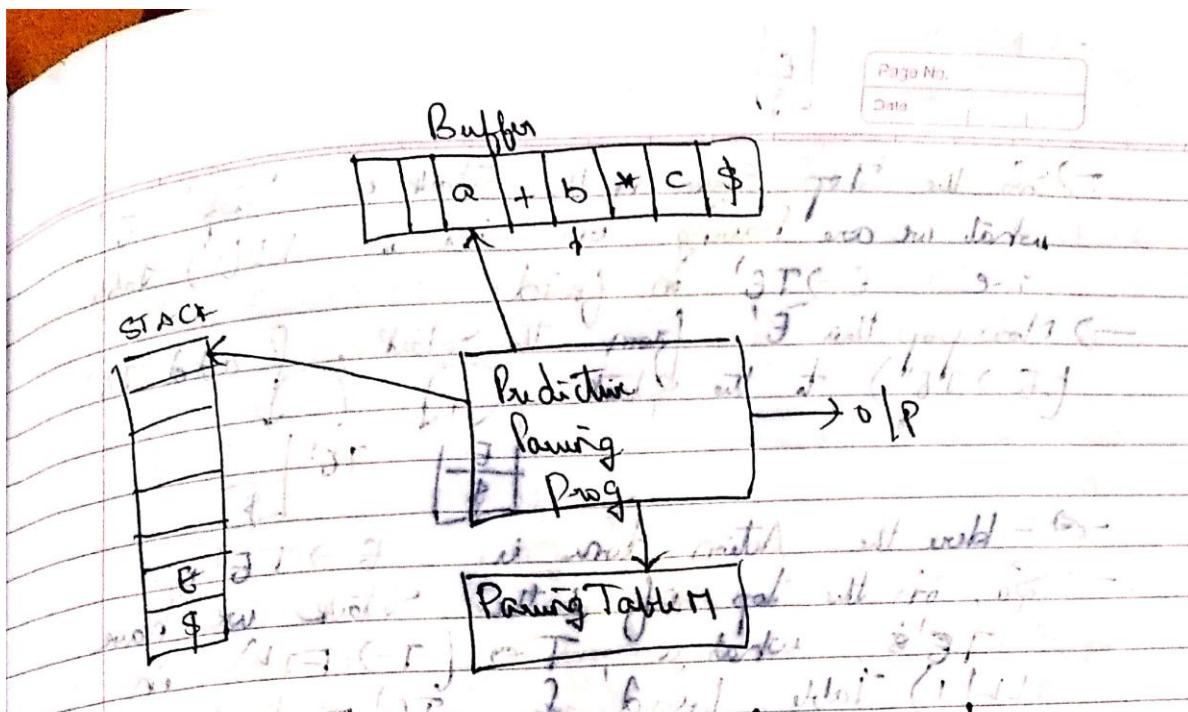
→ Here for accepting the ~~and~~ of String, we are using a STACK. If we need to write a prog to accept a the String? So, what conditions we write for this prog.

→ And a Seating Table is being constituted.

→ And if it is taken from a Buffer then
if we add \$ sign here because this
is a String address by Consider To

\$ Signs are added by compiler (To recognize the ending of a program)

→ In Stark at the end, we add $\$f$ to the first term of our Grammar (First Non-Terminal).



Matched	Stack	Left Production	Action
id	E\$	id + id * id \$	Match id
id +	TE \$	id + id * id \$	$E \rightarrow TE$
id + id	FT E \$	id + id * id \$	$T \rightarrow FT$
id + id +	id T E \$	id + id * id \$	$F \rightarrow id$
id + id + id	T E \$	id + id * id \$	Match id
id + id + id +	E \$	id * id \$	$T \rightarrow E$
id + id + id + id	+ TG \$	id * id \$	$E \rightarrow + TG$
id + id + id + id +	TE \$	id * id \$	$M \rightarrow +$ and draw
id + id + id + id + id	FT E \$	id * id \$	$T \rightarrow FT$
id + id + id + id + id +	id T E \$	id * id \$	$F \rightarrow id$
id + id + id + id + id + id	T E \$	id \$	$M \rightarrow id$
id + id + id + id + id + id +	* TE \$	id \$	$T \rightarrow * TE$
id + id + id + id + id + id + id	FT E \$	id \$	$M \rightarrow *$ and $F \rightarrow id$
id +	id T E \$	id \$	$F \rightarrow id$
id + id	id E \$	id \$	$M \rightarrow id$

With the LL(1) Table as derived, syntactically our stack is $E\$$, f. the I/P consists of $id + id$, $id \$$. Here the I/P Sync at $b \& c\$$

→ From Lexical Analysis phase to the Syntax Analysis phase, our $a + b + c\$$ is converted to $id + id + id \$$. This TIP comes to the Parsing Phase.