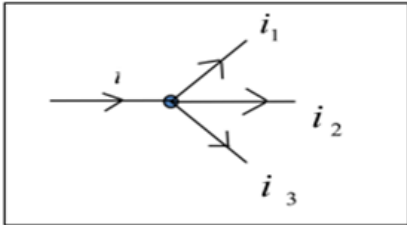
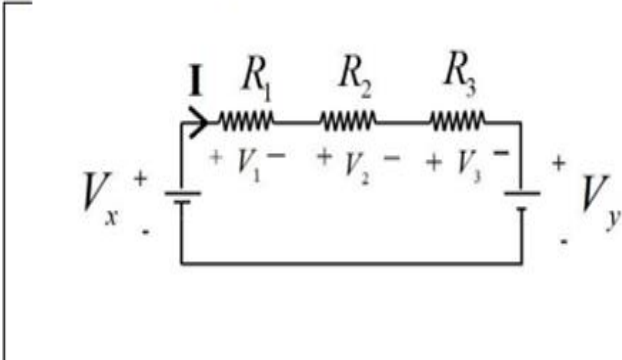


<b>St. Peter's Engineering College(Autonomous)</b> <b>Dullapally (P), Medchal, Hyderabad – 500100.</b> <b>QUESTION BANK</b>				Dept.	:	ECE , CSE,CSD,CS C
				Academic Year 2023-24		
Subject Code	:	AS22-02ES01	Subject	:	Basic Electrical Engineering	
Class/Section	:	B.Tech.	Year	:	I	Semester : I

BLOOMS LEVEL					
Remember	L1	Understand	L2	Apply	L3
Analyze	L4	Evaluate	L5	Create	L6

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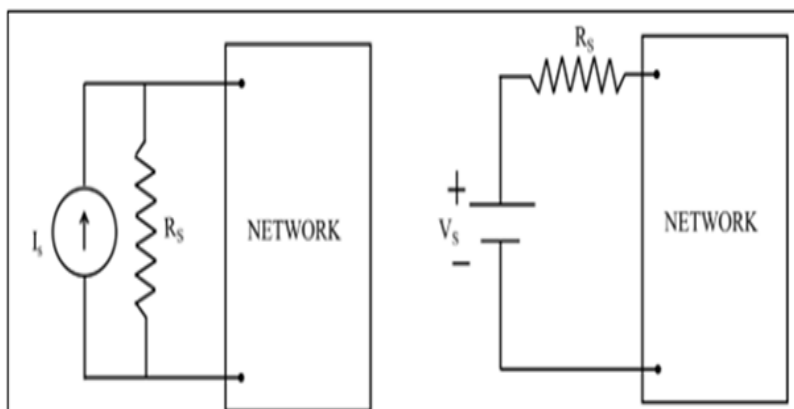
Q. No	Question (s)	Marks	BL	CO
<b>UNIT - I</b>				
1	<p>a) state and explain kirchhoff's current law</p> <p><b>Kirchhoff's current law (KCL)</b> The algebraic sum of current at given <b>node</b> is equals to zero.</p>  <p>As from the above figure</p> $i = i_1 + i_2 + i_3$ $i - i_1 - i_2 - i_3 = 0$	1M	L2	C114.1
	<p>b) state and explain kirchhoff's voltage law</p> <p>The algebraic sum of voltages in a <b>closed circuit</b> is equals to zero.</p>  <p>As from the above figure,</p> $V_x - V_1 - V_2 - V_3 - V_y = 0$	1M	L2	C114.1

c)

Explain source transformation technique.

**Source transformation technique**

A current source in parallel with source resistance can be replaced with a voltage source in series with the same source resistance, and vice-versa.



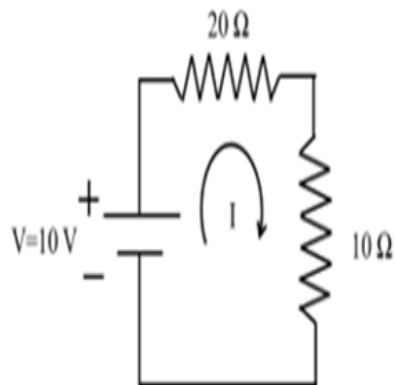
1M

L2

C114.1

d)

Find the current,  $I$  in the given network.



1M



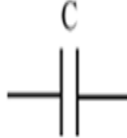


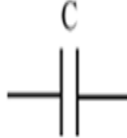


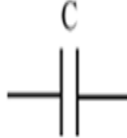
L3

C114.1

$$10 - 20i - 10i = 0$$

$$30i = 10$$

$$i = 0.33A$$

	<div>e) Define Power</div> <div>Power, P</div> <div>Work done per unit time is called as power.</div> <div><math display="block">P = \frac{dw}{dt}</math><math display="block">P = \frac{dw}{dt} \times \frac{dQ}{dQ}</math><math display="block">P = \frac{dw}{dQ} \times \frac{dQ}{dt} = VI</math><div><math display="block">P = VI</math><math display="block">P = (IR)I = I^2R</math><math display="block">P = VI = V \frac{V}{R} = \frac{V^2}{R}</math></div><div>Units: Watt</div></div>	1M	L1	C114.1												
2	<div>a) Define resistance inductance and capacitance</div> <table><tr><td>Resistance, R</td><td><div>R</div></td><td>It is the ratio of voltage to the current.<div><math display="block">R = \frac{V}{I}</math></div></td><td>Ohm</td></tr><tr><td>Inductance, L</td><td><div>L</div></td><td>Flux linkages per ampere current.<div><math display="block">L = \frac{N\Phi}{I}</math></div></td><td>Henry</td></tr><tr><td>Capacitance, C</td><td><div>C</div></td><td>Charge per unit potential.<div><math display="block">C = \frac{Q}{V}</math></div></td><td>Farad</td></tr></table>	Resistance, R	<div>R</div> 	It is the ratio of voltage to the current. <div><math display="block">R = \frac{V}{I}</math></div>	Ohm	Inductance, L	<div>L</div> 	Flux linkages per ampere current. <div><math display="block">L = \frac{N\Phi}{I}</math></div>	Henry	Capacitance, C	<div>C</div> 	Charge per unit potential. <div><math display="block">C = \frac{Q}{V}</math></div>	Farad	3M	L1	C114.1
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	<div>b)</div>	3M	L1	C114.1												

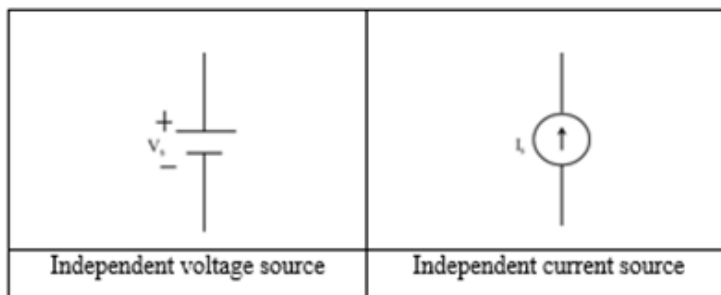
	<p>State and explain ohm's law. And write down its limitations.</p> <hr/> <p><b>Ohm's law</b></p> <p>The current flowing through the given conductor is directly proportional to the applied voltage and inversely proportional to resistance of the conductor.</p> $I = \frac{V}{R}$ <p><b>Limitations of Ohm's law</b></p> <ol style="list-style-type: none"> <li>1. It is <b>applicable to only linear elements</b> only.</li> <li>2. It is applicable at normal temperature and pressure (<b>NTP</b>) <b>conditions only</b>.</li> </ol>			
	<p><b>c) Classify various network elements</b></p> <hr/> <p>Network elements are classified into four types</p> <p><b>i. Active and Passive elements</b></p> <p>Active elements are the elements which <b>supplies</b> the energy.</p> <p>Examples: Battery, DC generator, AC generator etc.</p> <p>Passive elements are the elements which <b>consume</b> energy.</p> <p>Examples: R, L and C</p> <p><b>ii. Linear and nonlinear elements</b></p> <p>For a given element if the <b>output is directly proportional to the input</b>, then the element is called linear element, otherwise it is a nonlinear element. <del>Examples of linear elements are R, L and C and non-linear elements are diode, transistor.</del></p> <p><b>iii. Unilateral and bilateral element</b></p> <p>If the element allows current in <b>only one direction</b> it is called unilateral element. Examples are diode and transistor.</p> <p>If the element allows current in <b>both direction</b> is called bilateral element. Examples: <u>R, L, C</u></p> <p><b>iv. Lumped and distributed elements</b></p> <p>The elements which are <b>physically separable</b> are called lumped elements. Examples are R, L and C.</p> <p>The elements which are <b>not physically separable</b> is called distributed elements. Examples: Transmission line parameters</p>	3M	L2	C114.1

## d) Explain various types of sources

Energy sources are classified into two types.

i. Independent energy sources

The energy delivered by the source is doesn't depend upon the other elements in the network.

ii. Dependent energy sources

The energy delivered by the source is controlled by the voltage across or current flowing through the other elements in the network. They are four types:

- I. Voltage controlled voltage source (VCVS)
- II. Current controlled voltage source (CCVS)
- III. Voltage controlled current source (VCCS)
- IV. Current controlled current source (CCCS)

3M

L1

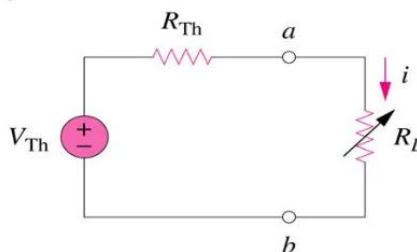
C114.1

## e) State and Explain Maximum Power Transfer Theorem

**Maximum Power Transfer Theorem:**

**Statement:** Maximum Power Transfer Theorem states that “maximum power is transferred from the source to the load when the load resistance is equal to the Thevenin's equivalent resistance”.

i.e,  $R_L = R_{Th}$



3M

L2

C114.1

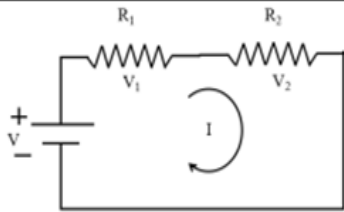
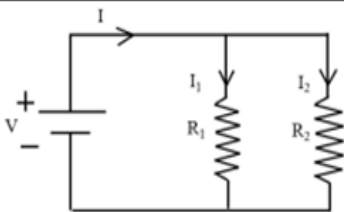
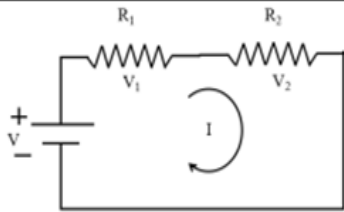
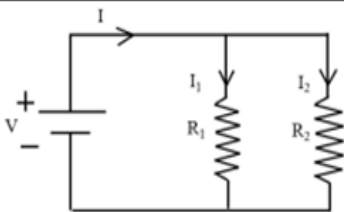
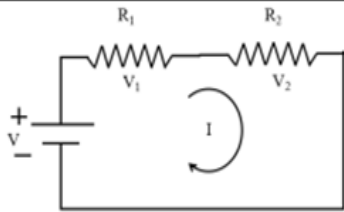
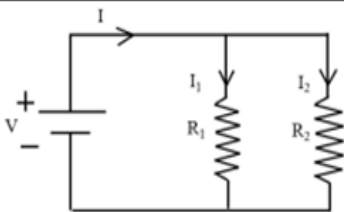
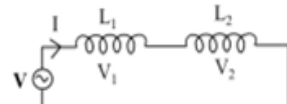
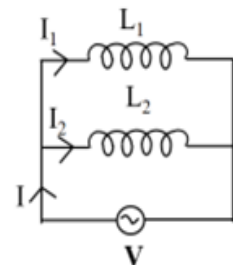
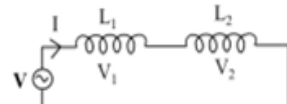
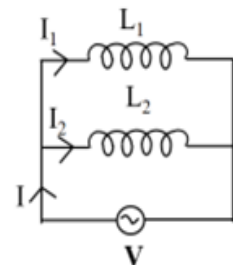
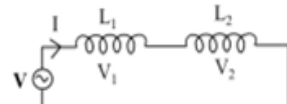
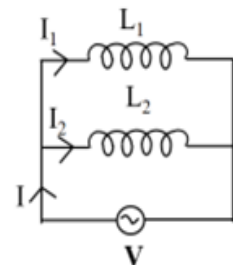
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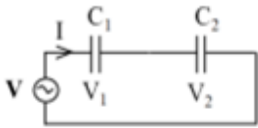
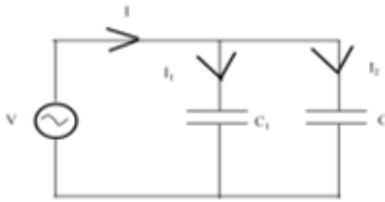
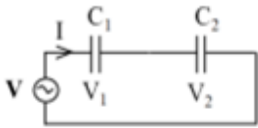
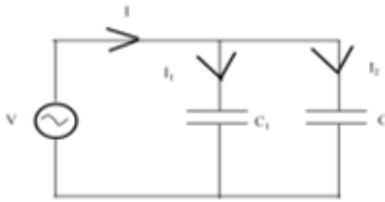
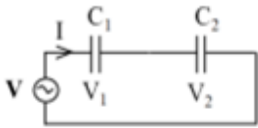
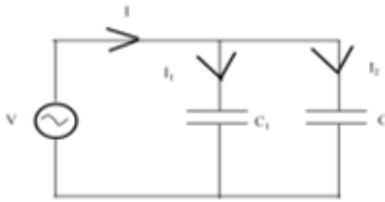
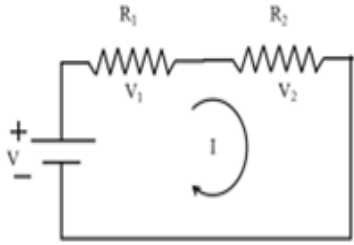
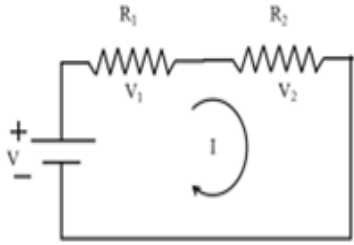
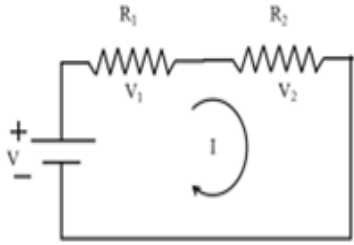
a) Derive Equivalent Resistance when two resistors are

5M

L4

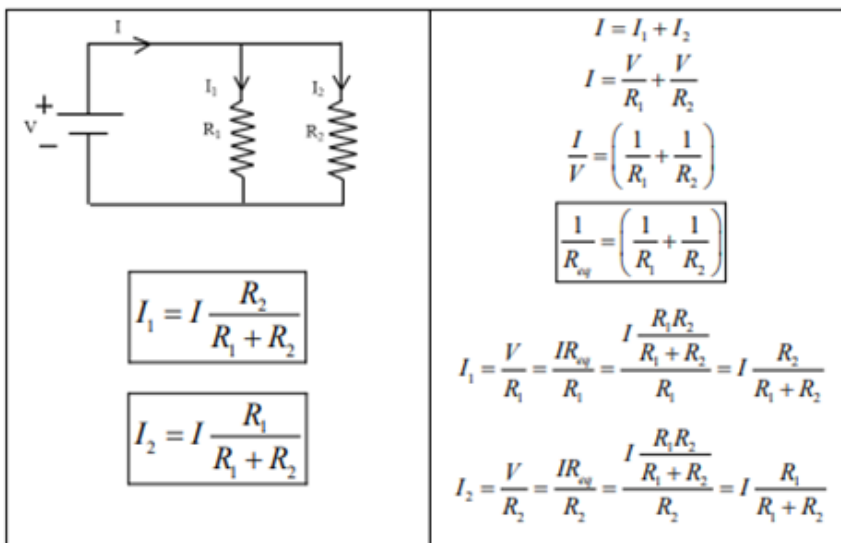
C114.1

	<div>connected in series and parallel</div> <table><tr><th>Resistors in series</th><th>Resistors in Parallel</th></tr><tr><td></td><td></td></tr><tr><td><math display="block">V = V_1 + V_2</math><math display="block">V = IR_1 + IR_2</math><math display="block">V = I(R_1 + R_2)</math><math display="block">\frac{V}{I} = (R_1 + R_2)</math><math display="block">R_{eq} = (R_1 + R_2)</math></td><td><math display="block">I = I_1 + I_2</math><math display="block">I = \frac{V}{R_1} + \frac{V}{R_2}</math><math display="block">\frac{I}{V} = \left( \frac{1}{R_1} + \frac{1}{R_2} \right)</math><math display="block">\frac{1}{R_{eq}} = \left( \frac{1}{R_1} + \frac{1}{R_2} \right)</math><math display="block">R_{eq} = \frac{R_1 R_2}{R_1 + R_2}</math></td></tr></table>	Resistors in series	Resistors in Parallel			$V = V_1 + V_2$ $V = IR_1 + IR_2$ $V = I(R_1 + R_2)$ $\frac{V}{I} = (R_1 + R_2)$ $R_{eq} = (R_1 + R_2)$	$I = I_1 + I_2$ $I = \frac{V}{R_1} + \frac{V}{R_2}$ $\frac{I}{V} = \left( \frac{1}{R_1} + \frac{1}{R_2} \right)$ $\frac{1}{R_{eq}} = \left( \frac{1}{R_1} + \frac{1}{R_2} \right)$ $R_{eq} = \frac{R_1 R_2}{R_1 + R_2}$			
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	<div>b) Derive Equivalent Inductance when two inductors are connected in series and parallel</div> <table><tr><th>Inductors in Series</th><th>Inductors in Parallel</th></tr><tr><td></td><td></td></tr><tr><td><math display="block">V = V_1 + V_2</math><math display="block">V = L \frac{dI}{dt}</math><math display="block">V_1 = L_1 \frac{dI}{dt}</math><math display="block">V_2 = L_2 \frac{dI}{dt}</math><math display="block">L \frac{dI}{dt} = L_1 \frac{dI}{dt} + L_2 \frac{dI}{dt}</math><math display="block">L \frac{dI}{dt} = (L_1 + L_2) \frac{dI}{dt}</math><math display="block">L_{eq} = (L_1 + L_2)</math></td><td><math display="block">I = I_1 + I_2</math><math display="block">I = \frac{1}{L} \int V \, dt</math><math display="block">I_1 = \frac{1}{L_1} \int V \, dt</math><math display="block">I_2 = \frac{1}{L_2} \int V \, dt</math><math display="block">\frac{1}{L} \int V \, dt = \left( \frac{1}{L_1} \int V \, dt \right) + \left( \frac{1}{L_2} \int V \, dt \right)</math><math display="block">\frac{1}{L} \int V \, dt = \left( \frac{1}{L_1} + \frac{1}{L_2} \right) \int V \, dt</math><math display="block">\frac{1}{L_{eq}} = \left( \frac{1}{L_1} + \frac{1}{L_2} \right)</math><math display="block">L_{eq} = \frac{L_1 L_2}{L_1 + L_2}</math></td></tr></table>	Inductors in Series	Inductors in Parallel			$V = V_1 + V_2$ $V = L \frac{dI}{dt}$ $V_1 = L_1 \frac{dI}{dt}$ $V_2 = L_2 \frac{dI}{dt}$ $L \frac{dI}{dt} = L_1 \frac{dI}{dt} + L_2 \frac{dI}{dt}$ $L \frac{dI}{dt} = (L_1 + L_2) \frac{dI}{dt}$ $L_{eq} = (L_1 + L_2)$	$I = I_1 + I_2$ $I = \frac{1}{L} \int V \, dt$ $I_1 = \frac{1}{L_1} \int V \, dt$ $I_2 = \frac{1}{L_2} \int V \, dt$ $\frac{1}{L} \int V \, dt = \left( \frac{1}{L_1} \int V \, dt \right) + \left( \frac{1}{L_2} \int V \, dt \right)$ $\frac{1}{L} \int V \, dt = \left( \frac{1}{L_1} + \frac{1}{L_2} \right) \int V \, dt$ $\frac{1}{L_{eq}} = \left( \frac{1}{L_1} + \frac{1}{L_2} \right)$ $L_{eq} = \frac{L_1 L_2}{L_1 + L_2}$	5M	L4	C114.1
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	<div>c) Derive Equivalent Capacitance when two capacitors are</div>									

	<div>connected in series and parallel</div> <table><tr><th>Capacitors in Series</th><th>Capacitors in Parallel</th></tr><tr><td></td><td></td></tr><tr><td><math display="block">V = V_1 + V_2</math><math display="block">V = \frac{1}{C} \int I \, dt</math><math display="block">V_1 = \frac{1}{C_1} \int I \, dt</math><math display="block">V_2 = \frac{1}{C_2} \int I \, dt</math><math display="block">\frac{1}{C} \int I \, dt = \left( \frac{1}{C_1} \int I \, dt \right) + \left( \frac{1}{C_2} \int I \, dt \right)</math><math display="block">\frac{1}{C} \int I \, dt = \left( \frac{1}{C_1} + \frac{1}{C_2} \right) \int I \, dt</math><math display="block">\frac{1}{C_{eq}} = \left( \frac{1}{C_1} + \frac{1}{C_2} \right)</math><div><math display="block">C_{eq} = \frac{C_1 C_2}{C_1 + C_2}</math></div></td><td><math display="block">I = I_1 + I_2</math><math display="block">I = C \frac{dV}{dt}</math><math display="block">I_1 = C_1 \frac{dV}{dt}</math><math display="block">I_2 = C_2 \frac{dV}{dt}</math><math display="block">C \frac{dV}{dt} = C_1 \frac{dV}{dt} + C_2 \frac{dV}{dt}</math><math display="block">C \frac{dV}{dt} = (C_1 + C_2) \frac{dV}{dt}</math><div><math display="block">C_{eq} = (C_1 + C_2)</math></div></td></tr></table>	Capacitors in Series	Capacitors in Parallel			$V = V_1 + V_2$ $V = \frac{1}{C} \int I \, dt$ $V_1 = \frac{1}{C_1} \int I \, dt$ $V_2 = \frac{1}{C_2} \int I \, dt$ $\frac{1}{C} \int I \, dt = \left( \frac{1}{C_1} \int I \, dt \right) + \left( \frac{1}{C_2} \int I \, dt \right)$ $\frac{1}{C} \int I \, dt = \left( \frac{1}{C_1} + \frac{1}{C_2} \right) \int I \, dt$ $\frac{1}{C_{eq}} = \left( \frac{1}{C_1} + \frac{1}{C_2} \right)$ <div><math display="block">C_{eq} = \frac{C_1 C_2}{C_1 + C_2}</math></div>	$I = I_1 + I_2$ $I = C \frac{dV}{dt}$ $I_1 = C_1 \frac{dV}{dt}$ $I_2 = C_2 \frac{dV}{dt}$ $C \frac{dV}{dt} = C_1 \frac{dV}{dt} + C_2 \frac{dV}{dt}$ $C \frac{dV}{dt} = (C_1 + C_2) \frac{dV}{dt}$ <div><math display="block">C_{eq} = (C_1 + C_2)</math></div>	5M	L4	C114.1
Capacitors in Series	Capacitors in Parallel									
										
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	<div>d) Derive The Formula for Voltage Division Rule When two Resistors are Connected in Series</div> <div>Resistors in Series</div> <table><tr><td></td><td><math display="block">V = V_1 + V_2</math><math display="block">V = IR_1 + IR_2</math><math display="block">V = I(R_1 + R_2)</math><math display="block">\frac{V}{I} = (R_1 + R_2)</math><div><math display="block">R_{eq} = (R_1 + R_2)</math></div><math display="block">V_1 = IR_1 = \left( \frac{V}{R_1 + R_2} \right) R_1 = V \frac{R_1}{R_1 + R_2}</math><math display="block">V_2 = IR_2 = \left( \frac{V}{R_1 + R_2} \right) R_2 = V \frac{R_2}{R_1 + R_2}</math></td></tr></table>		$V = V_1 + V_2$ $V = IR_1 + IR_2$ $V = I(R_1 + R_2)$ $\frac{V}{I} = (R_1 + R_2)$ <div><math display="block">R_{eq} = (R_1 + R_2)</math></div> $V_1 = IR_1 = \left( \frac{V}{R_1 + R_2} \right) R_1 = V \frac{R_1}{R_1 + R_2}$ $V_2 = IR_2 = \left( \frac{V}{R_1 + R_2} \right) R_2 = V \frac{R_2}{R_1 + R_2}$	5M	L4	C114.1				
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e) Derive The Formula for current Division Rule When two Resistors are Connected in Parallel

Resistors connected in parallel



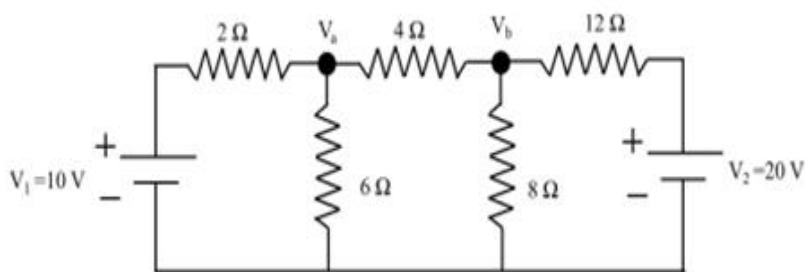
5M

L4

C114.1

a)

Find the node voltages,  $V_a$  and  $V_b$  in the given network using nodal analysis.



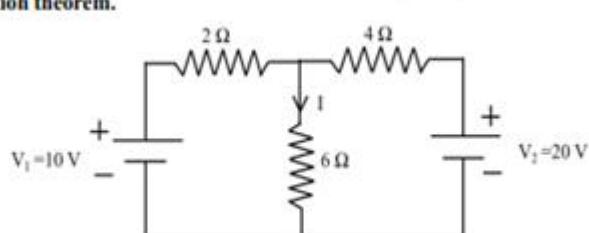
4

10M

L5

C114.1



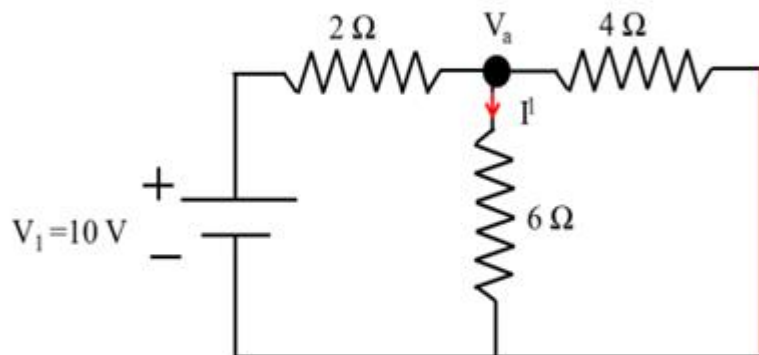
	<p>Apply KCL at Node 1</p> $\frac{V_a - 10}{2} + \frac{V_a}{6} + \frac{V_a - V_b}{4} = 0$ $V_a \left( \frac{1}{2} + \frac{1}{6} + \frac{1}{4} \right) - \frac{V_b}{4} = 5$ $V_a \left( \frac{6+2+3}{12} \right) - \frac{V_b}{4} = 5$ $0.91V_a - 0.25V_b = 5 \quad (1)$ <p>Apply KCL at Node 2</p> $\frac{V_b - 20}{12} + \frac{V_b}{8} + \frac{V_b - V_a}{4} = 0$ $-0.25V_a + 0.458V_b = 1.66 \quad (2)$ <p>By solving Equations (1) and (2), one can get</p> $V_a = 7.63 \text{ V}$ $V_b = 7.79 \text{ V}$			
b)	<p>State Super position theorem. Find the current flowing through 6 ohm resistor using Super position theorem.</p> 	10M	L5	C114.1

### Statement of Super Position Theorem

*"In a linear bilateral active circuit, the response at any branch when all sources acting simultaneously is equals to the algebraic sum of responses when individual sources alone."*

**Step 1:** To find the current flowing through the 6 ohm resistor with

$V_1 = 10 \text{ V}$  and  $V_2 = 0$  i.e.  $I^1$



Apply KCL at node a

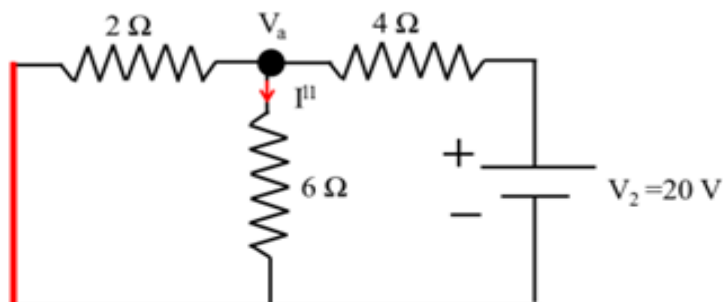
$$\frac{V_a - 10}{2} + \frac{V_a}{6} + \frac{V_a}{4} = 0$$

$$\Rightarrow V_a = 5.45 \text{ V}$$

$$\therefore I_{6\Omega} = I^1 = \frac{V_a}{6} = 0.9 \text{ A}$$

$$I^1 = 0.9 \text{ A}$$

**Step 2:** To find the current flowing through the 6 ohm resistor with  $V_1 = 0 \text{ V}$  and  $V_2 = 20 \text{ V}$  i.e.  $I^{11}$



Apply KCL at node a

$$\frac{V_a}{2} + \frac{V_a}{6} + \frac{V_a - 20}{4} = 0$$

$$\Rightarrow V_a = 5.45 \text{ V}$$

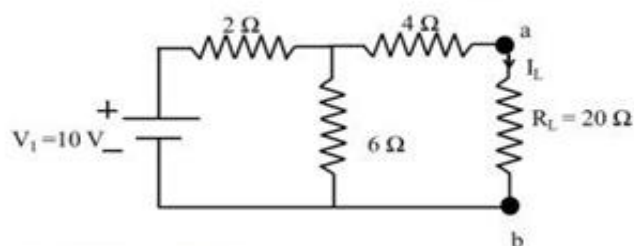
$$\therefore I_{6\Omega} = I^{11} = \frac{V_a}{6} = 0.9 \text{ A}$$

$$I^{11} = 0.9 \text{ A}$$

**Step 3:** To find the total current flowing through the 6 ohm resistor when two voltages sources acting simultaneously

$$I = I^1 + I^{11} = 0.9 + 0.9 = 1.8 \text{ A}$$

State Thevenin's theorem. Find the load current  $I_L$  using Thevenin's theorem



c)

10M

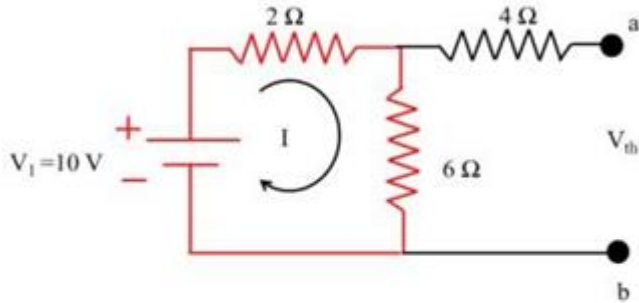
L5

C114.1

**Statement of Thevenin's Theorem**

*"A linear bilateral active circuit consisting of several voltage and or current sources and resistances across the load terminal (a and b) can be replaced with a single voltage source in series with a resistance"*

**Step 1:** To find open circuit voltage across load terminals i.e.  $V_{th}$



Apply KVL to the loop 1

$$10 - 2I - 6I = 0$$

$$8I = 10 \Rightarrow I = \frac{10}{8} = 1.25 \text{ A}$$

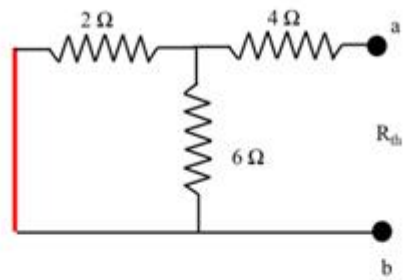
□ The 4 Ω resistor open, so current in the 4 Ω is zero and voltage drop across 4 Ω is also equals to zero.

$\therefore V_{th} = \text{Voltage drop across } 6 \Omega \text{ resistor}$

$$\therefore V_{th} = 6I = 6 \times 1.25 = 7.5 \text{ V}$$

$$\boxed{V_{th} = 7.5 \text{ V}}$$

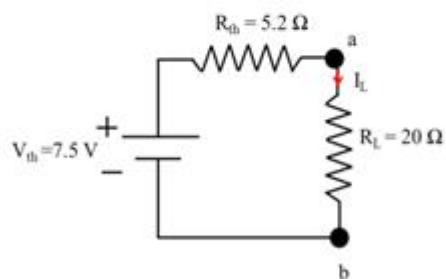
Step 2: To find equivalent resistance across load terminals i.e.  $R_{th}$



$$R_{th} = \frac{2 \times 6}{2 + 6} + 4 = 5.5\ \Omega$$

$$R_{th} = 5.5\ \Omega$$

Step 3: To find load current  $I_L$



$$I_L = \frac{V_{th}}{R_{th} + R_L} = \frac{7.5}{5.5 + 20} = 0.29\text{ A}$$

$$I_L = 0.29\text{ A}$$

