

# VISVESVARAYA TECHNOLOGICAL UNIVERSITY

“JnanaSangama”, Belgaum -590014, Karnataka.



## LAB REPORT on **Artificial Intelligence (23CS5PCAIN)**

*Submitted by*

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*in partial fulfillment for the award of the degree of*  
**BACHELOR OF ENGINEERING**  
*in*  
**COMPUTER SCIENCE AND ENGINEERING**



**B.M.S. COLLEGE OF ENGINEERING**  
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**Bull Temple Road, Bangalore 560019**  
(Affiliated To Visvesvaraya Technological University, Belgaum)  
**Department of Computer Science and Engineering**



**CERTIFICATE**

This is to certify that the Lab work entitled “Artificial Intelligence (23CS5PCAIN)” carried out by **Abhinav Sanjay (1BM23CS009)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Artificial Intelligence (23CS5PCAIN) work prescribed for the said degree.

|   |  |
|---|--|
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|---|--|

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Github Link:

<https://github.com/AbhinavSanjay24/AI-LAB>

## Program 1

Implement Tic - Tac - Toe Game

Implement vacuum cleaner agent

### **Algorithm:**

10/8/25

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LAB - 1 - Tic Tac Toe

Pseudocode

Player - X, System - O

- 1) Create a  $3 \times 3$  board with positions 1-9
- 2) Make a function `displayboard()`
- 3) If any row has or column has symbol X or O  $\Rightarrow$  return
- 4) Function `CheckWin()` - Checks if a row, column or a diagonal has same 3 consecutive symbols.
- 5) The  $3 \times 3$  grid is represented as follows:  
$$\begin{matrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{matrix}$$
- 6) The player is asked to input the number and symbol.
- 7) If position is invalid  $\Rightarrow$  return  $\Rightarrow$  After a series of moves  $\Rightarrow$  `CheckWin()` to see which player won.
- 8) `isFull()`  $\Rightarrow$  return if draw case
- 9) `player()` - Ask position and place X at position
- 10) `Computermove()` - Randomly choose position & place O

Pseudocode Tic Tac Toe

```
win = [1 47, 258, 369, 123, 456,
       789, 159, 753]
```

```
human = 'x', ai = 'o'
```

```
empty = ""
```

```
func checkWin(board)
```

```
for w in win
```

```
if board[w[0]] == empty & &
```

```
board[w[0]] == board[w[1]] == board[w[2]]
```

```
return board[w[0]]
```

```
return null
```

```
-def minimax
```

```
def minimax(b, ai=turn)
```

```
win = checkWin(b)
```

```
if win == human => return 1
```

```
if win == ai => return -1
```

```
if empty not in b => return 0
```

```
if ai == turn, best = -∞
```

```
for i in range (0, 10):
```

```
if b[i] == empty
```

```
b[i] = ai
```

```
best = max(best, minimax(b, False))
```

```
b[i] = empty
```

```
return best
```

```
else
```

```
best = ∞
```

```
for i in range (0, 10):
```

```
if b[i] == empty
```

```

b[i] = human
best = min(best, minimax(b, false))
b[i] = empty
return best

def ai_move(b)
    score = -∞
    move = -1
    for i in range(10)
        if b[i] = empty
            b[i] = a
            best = minimax(b, false)
            if best > score
                score = best
                move = i
    return move
  
```

### Output

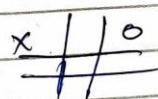
Player = 4



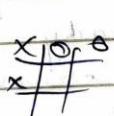
Player = 1



Ai = 3



Ai = 2



Player 7



Player wins

20/01/25

CLASSMATE

Date \_\_\_\_\_  
Page \_\_\_\_\_

### Vacuum cleaner Algorithm

```
count = 0
pos = 1
while (count < 4)
    if (room [pos] == 0) {
        clear room
        print ("Room [pos] cleaned")
    }
    else {
        print ("Room already cleaned")
    }
    count ++
    move to next pos
}
print ("All rooms cleaned")
```

```
func clean (n) {
    c[n] = 1
}
```

1      2  
C<sub>1</sub> = 0    C<sub>2</sub> = 1  
C<sub>4</sub> = 0    C<sub>3</sub> = 1  
4      3

Room 0,0 was dirty, now cleaned

Room 0,1 already clean

Room 1,1 is cleaned

Room 1,0 already cleaned

All rooms cleaned

## Code:

Tic Tac Toe:

```
# 3x3 Tic Tac Toe Board
```

```
board = [['1', '2', '3'],
          ['4', '5', '6'],
          ['7', '8', '9']]
```

```
# Function to display the board
```

```
def displayBoard():
```

```
    print()
```

```
    for i in range(3):
```

```
        for j in range(3):
```

```
            print(f" {board[i][j]} ", end="")
```

```
            if j < 2:
```

```
                print("| ", end="")
```

```
    print()
```

```
    if i < 2:
```

```
        print(" ---+---+---")
```

```
    print()
```

```
# Function to check if a player has won
```

```
def checkWin():
```

```
    # Check rows and columns
```

```
    for i in range(3):
```

```

if board[i][0] == board[i][1] == board[i][2]:
    return True

if board[0][i] == board[1][i] == board[2][i]:
    return True

# Check diagonals

if board[0][0] == board[1][1] == board[2][2]:
    return True

if board[0][2] == board[1][1] == board[2][0]:
    return True

return False

# Function to check if board is full (draw)

def isFull():

    for i in range(3):
        for j in range(3):
            if board[i][j] not in ['X', 'O']:
                return False

    return True

# Main game loop

player = 1

```

```

while True:

    displayBoard()

    mark = 'X' if player == 1 else 'O'

    try:

        choice = int(input(f"Player {player} ({mark}), enter position (1-9):"))

    except ValueError:

        print("Invalid input, enter a number.")

        continue

    if choice < 1 or choice > 9:

        print("Invalid move, try again.")

        continue

    row = (choice - 1) // 3

    col = (choice - 1) % 3

    if board[row][col] in ['X', 'O']:

        print("Position already taken, try again.")

        continue

    board[row][col] = mark

    if checkWin():

        displayBoard()

        print(f"Player {player} wins!")

```

```

break

if isFull():

    displayBoard()

    print("It's a draw!")

    break

player = 2 if player == 1 else 1

```

**Output:**

|  |   |
|--|---|
| <pre> 1   2   3 ---+---+--- 4   5   6 ---+---+--- 7   8   9  Player 1 (X), enter position (1-9): 1  X   2   3 ---+---+--- 4   5   6 ---+---+--- 7   8   9  Player 2 (O), enter position (1-9): 5  X   2   3 ---+---+--- 4   0   6 ---+---+--- 7   8   9 </pre> | <pre> Player 1 (X), enter position (1-9): 2  X   X   3 ---+---+--- 4   0   6 ---+---+--- 7   8   9  Player 2 (O), enter position (1-9): 4  X   X   3 ---+---+--- 0   O   6 ---+---+--- 7   8   9  Player 1 (X), enter position (1-9): 3  X   X   X ---+---+--- 0   O   6 ---+---+--- 7   8   9  Player 1 wins! </pre> |
|--|---|

### **Code for Vacuum Cleaner:**

```
def vacuum_cleaner(room_array):  
  
    for room in room_array:  
  
        label, status = room[0], room[1].lower()  
  
        print(f"Currently in Room {label}")  
  
        if status == "dirty":  
  
            print(f"Room {label} is cleaned")  
  
        else:  
  
            print(f"Room {label} is already clean")  
  
        print("Moving to next room...\n")  
  
# Example input: list of rooms with their status  
  
rooms = [('A', 'dirty'), ('B', 'clean'), ('A', 'clean'), ('B', 'dirty')]  
  
vacuum_cleaner(rooms)
```

### **Output:**

```
Currently in Room A  
Room A is cleaned  
Moving to next room...  
  
Currently in Room B  
Room B is already clean  
Moving to next room...  
  
Currently in Room A  
Room A is already clean  
Moving to next room...  
  
Currently in Room B  
Room B is cleaned  
Moving to next room...
```

## Program 2

Implement 8 puzzle problems using Depth First Search (DFS)

Implement Iterative deepening search algorithm

**Algorithm:**

9/3/25

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LAB 2 - 8 Puzzle using misplaced tiles and Manhattan Distance

Algorithm

- 1) Set goal = [1, 2, 3, 4, 5, 6, 7, 8]
- 2) Choose heuristic:  
Manhattan - Total tile distance to goal  
Misplaced tiles - count of incorrect tile
- 3) Start with initial board, moves = 0
- 4) Use a priority queue to store states by:  
priority = moves + heuristics
- 5) Track visited boards in a set  
while queue not empty:  
Remove state with lowest priority  
If it is the goal, return the path  
Add state to visited  
Add all valid neighbour states to queue (if not visited).
- 6) If no solution, return "No solution."

def manhattan\_distance(self):  
 dis = 0  
 for idx, val in enumerate(self.board):  
 if val == 0:  
 continue  
 goal\_x, goal\_y = divmod(val - 1, 3)  
 cur\_x, cur\_y = divmod(idx, 3)  
 distance += abs(goal\_x - cur\_x) + abs(goal\_y - cur\_y)  
 return distance

```

def
function get_misplaced_tiles (self):
    return sum (1 for i, val in enumerate (self._board)
                if val != 0 and val != i + 1)

def heuristic_cost (self):
    if self.heuristic == 'manhattan':
        return self.manhattan_distance ()
    elif self.heuristic == 'misplaced':
        return self.misplaced_tiles ()
    else:
        return 0

def solve_puzzle (start_board, heuristics = 'manhattan'):
    start_state = PuzzleState (start_board, heuristic = heuristics)
    frontier = []
    heapq.heappush (frontier, start_state)
    explored = set ()
    while frontier:
        state = heapq.heappop (frontier)
        if state.is_goal () == True:
            path = []
            while state:
                path.append (state.board)
                state = state.previous
            return path [:-1]
        explored.add (tuple (state.board))
        for neighbor in state.neighbors ():
            if tuple (neighbor.board) not in explored:
                heapq.heappush (frontier, neighbor)
    return None

```

Output

$$(1, 2, 3) \quad g(n) = 0$$

$$(4, 5, 6) \quad h(n) = 2$$

$$(0, 7, 8) \quad f = g + h = 2$$

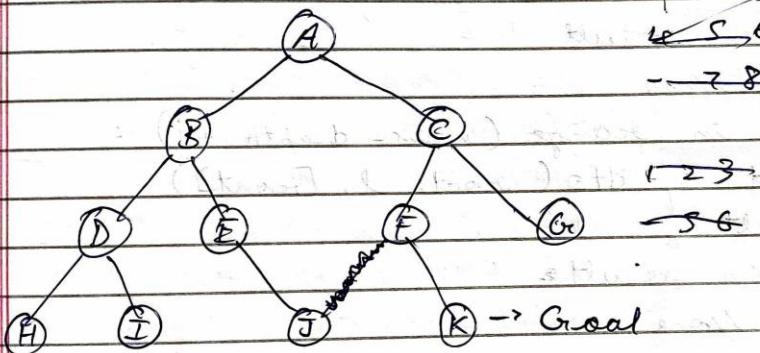
$$(1, 2, 3) \quad g(n) = 2$$

$$(4, 5, 6) \quad h(n) = 0$$

$$(7, 8, 0) \quad f = 2$$

$g(n) = 1$   
 $h(n) = 1$

IDDFS     $f = g + h = 2$



|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 4 | 5 | 6 |
| - | 7 | 8 |

-A

A B C

A B D E C F G

A B D H I J C F G K

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| - | 5 | 6 |
| 4 | 7 | 8 |

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 4 | 5 | 6 |
| 7 | - | 8 |

A → B → F → K

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 4 | - | 6 |
| 2 | 5 | 8 |

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 4 | 5 | C |
| 7 | 8 | - |

## IDDFS Pseudocode

```
def IDDFS(root, goal, graph, max_depth):  
    def dfs(node, depth, path):  
        if node == goal:  
            return path  
        if depth == 0:  
            return None  
        for child in graph.get(node, []):  
            result = dfs(child, depth - 1, path + [child])  
            if result:  
                return result  
        return None  
    for l in range(max_depth + 1):  
        result = dfs(root, l, [root])  
        if result:  
            return result  
    return None
```

**Code:**

8 Puzzle using DFS:

```
# ----- 8 Puzzle DFS Solver (Corrected Version) -----
# Goal configuration (0 = blank)
goal = "123456780"

# Valid swap positions for each tile index
neighbors = {
    0:[1,3], 1:[0,2,4], 2:[1,5],
    3:[0,4,6], 4:[1,3,5,7], 5:[2,4,8],
    6:[3,7], 7:[4,6,8], 8:[5,7]
}

# Print board in puzzle format (3x3)
def printPuzzle(state):
    for i in range(0, 9, 3):
        row = state[i:i+3].replace("0", " ")
        print(" ".join(row))
    print()

# DFS Search
def dfs(start):
    stack = [(start, [start])] # store full path
    visited = set()

    while stack:
        state, path = stack.pop()
        if state == goal:
            return path
        visited.add(state)

        zero_pos = state.index("0")

        for n in neighbors[zero_pos]:
            lst = list(state)
            lst[zero_pos], lst[n] = lst[n], lst[zero_pos]
            new_state = "".join(lst)
            if new_state not in visited:
```

```

        stack.append((new_state, path + [new_state]))

    return None

# ----- CHANGE START STATE HERE -----
start = "283164705"

# ----

solution = dfs(start)

if solution:
    print("☑ Solution found in", len(solution)-1, "moves!\n")

    for i, step in enumerate(solution):
        print("Step", i)
        printPuzzle(step)

else:
    print("☒ No solution found.")

```

**Output:**

|               |
|---------------|
| <b>Step 0</b> |
| 1 2 3         |
| 4 6           |
| 7 5 8         |
| <br>          |
| <b>Step 1</b> |
| 1 2 3         |
| 4   6         |
| 7 5 8         |
| <br>          |
| <b>Step 2</b> |
| 1 2 3         |
| 4 5 6         |
| 7   8         |
| <br>          |
| <b>Step 3</b> |
| 1 2 3         |
| 4 5 6         |
| 7 8           |

### Code for IDDFS:

```
import time
from collections import deque
import heapq

GOAL_STATE = (1, 2, 3, 4, 5, 6, 7, 8, 0)

def manhattan_distance(state):
    distance = 0
    for i in range(9):
        if state[i] != 0:
            goal_x, goal_y = (state[i] - 1) // 3, (state[i] - 1) % 3
            current_x, current_y = i // 3, i % 3
            distance += abs(goal_x - current_x) + abs(goal_y - current_y)
    return distance

def is_goal(state):
    return state == GOAL_STATE

def get_neighbors(state):
    neighbors = []
    zero_pos = state.index(0)
    x, y = zero_pos // 3, zero_pos % 3
    directions = [(-1, 0), (1, 0), (0, -1), (0, 1)]

    for dx, dy in directions:
        new_x, new_y = x + dx, y + dy
        if 0 <= new_x < 3 and 0 <= new_y < 3:
            new_pos = new_x * 3 + new_y
            new_state = list(state)
            new_state[zero_pos], new_state[new_pos] = new_state[new_pos], new_state[zero_pos]
            neighbors.append(tuple(new_state))

    return neighbors

def dfs(start_state):
    stack = [(start_state, [])]
    visited = set()
    visited.add(start_state)
```

```

while stack:
    current_state, path = stack.pop()

    if is_goal(current_state):
        return path + [current_state]

    for neighbor in get_neighbors(current_state):
        if neighbor not in visited:
            visited.add(neighbor)
            stack.append((neighbor, path + [current_state]))
return None

def best_first_search(start_state):
    open_list = []
    heapq.heappush(open_list, (manhattan_distance(start_state), start_state, []))
    visited = set()
    visited.add(start_state)

    while open_list:
        _, current_state, path = heapq.heappop(open_list)
        if is_goal(current_state):
            return path + [current_state]

        for neighbor in get_neighbors(current_state):
            if neighbor not in visited:
                visited.add(neighbor)
                heapq.heappush(open_list, (manhattan_distance(neighbor), neighbor, path +
[current_state]))
    return None

def iddfs(start_state):
    def dfs_with_depth_limit(state, depth, path):
        if depth == 0:
            return None
        if is_goal(state):
            return path + [state]
        for neighbor in get_neighbors(state):
            result = dfs_with_depth_limit(neighbor, depth - 1, path + [state])
            if result:
                return result

```

```

    return None

depth = 0
while True:
    result = dfs_with_depth_limit(start_state, depth, [])
    if result:
        return result
    depth += 1

start_state = (5, 6, 3, 1, 2, 0, 4, 7, 8)

print("DFS Solution:")
start_time = time.time()
dfs_solution = dfs(start_state)
end_time = time.time()

if dfs_solution:
    for step in dfs_solution:
        print(step)
else:
    print("No solution found using DFS.")
print(f"Time taken for DFS: {end_time - start_time:.6f} seconds")

print("\nBest-First Search Solution:")
start_time = time.time()
best_first_solution = best_first_search(start_state)
end_time = time.time()
if best_first_solution:
    for step in best_first_solution:
        print(step)
else:
    print("No solution found using Best-First Search.")
print(f"Time taken for Best-First Search: {end_time - start_time:.6f} seconds")

print("\nIDDFS Solution:")
start_time = time.time()
iddfs_solution = iddfs(start_state)
end_time = time.time()
if iddfs_solution:
    for step in iddfs_solution:

```

```

    print(step)
else:
    print("No solution found using IDDFS.")
print(f"Time taken for IDDFS: {end_time - start_time:.6f} seconds")

```

### **Output:**

DFS Solution:

```

(5, 6, 3, 1, 2, 0, 4, 7, 8)
(5, 6, 3, 1, 0, 2, 4, 7, 8)
(5, 0, 3, 1, 6, 2, 4, 7, 8)
(0, 5, 3, 1, 6, 2, 4, 7, 8)
(1, 5, 3, 0, 6, 2, 4, 7, 8)

```

...

```
(1, 2, 3, 4, 5, 6, 7, 8, 0)
```

Time taken for DFS: 0.154329 seconds

Best-First Search Solution:

```

(5, 6, 3, 1, 2, 0, 4, 7, 8)
(5, 6, 3, 1, 2, 8, 4, 7, 0)
(5, 6, 3, 1, 2, 8, 4, 0, 7)
(5, 6, 3, 1, 0, 8, 4, 2, 7)

```

...

```
(1, 2, 3, 4, 5, 6, 7, 8, 0)
```

Time taken for Best-First Search: 0.003812 seconds

IDDFS Solution:

Depth limit = 0

Depth limit = 1

Depth limit = 2

Depth limit = 3

Depth limit = 4

...

```
(5, 6, 3, 1, 2, 0, 4, 7, 8)
```

```
(5, 6, 3, 1, 0, 2, 4, 7, 8)
```

```
(5, 0, 3, 1, 6, 2, 4, 7, 8)
```

...

```
(1, 2, 3, 4, 5, 6, 7, 8, 0)
```

Time taken for IDDFS: 2.918440 seconds

## Program 3

Implement A\* search algorithm

**Algorithm:**

10/9/25

CLASSEmate  
Date \_\_\_\_\_  
Page \_\_\_\_\_

LAB 3 - 8 Puzzle using A\*

$A^*(start, goal) :$

- open = priority queue with start
- parent[start] = null
- $g[start] = 0$
- $f[start] = g[start] + h(start)$

while open not empty =

- current = node in open with smallest  $f$
- if current == goal
  - return path from parent
  - remove current from open for each neighbor of current:
    - $temp.g = g[current] + 1$
    - parent[neighbor] = temp[g]
    - $f[neighbor] = g[neighbor] + h[neighbor]$
    - Add neighbor to open with priority neighbors
  - return "No solution".
- if neighbor not visited OR
  - $temp.g < g[neighbor]$ :

Output

~~Goal Start~~

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 0 | 4 | 6 |
| 7 | 5 | 8 |

$$h(n) = 0 + 1 + 1 = 3$$

$$g(n) = 0$$

$$f(n) = g(n) + h(n)$$

~~Goal~~

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 4 | 5 | 6 |
| 7 | 8 | 0 |

$$= 0 + 3$$

$$= 3$$

$$f \leftarrow h+g$$

$$f \leftarrow g-f \rightarrow 2$$

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 4 | 0 | 6 |
| 7 | 5 | 8 |

$$g(n) = 0 + 1$$

$$h(n) = 1 + 1 = 2$$

$$f(n) = g(n) + h(n)$$

$$= 1 + 2 = 3$$

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 4 | 5 | 6 |
| 7 | 0 | 8 |

$$g(n) = 0 + 1 + 1 = 2$$

$$h(n) = 1 + 0 = 1$$

$$f(n) = g + h = 2 + 1 = 3$$

|   |   |   |
|---|---|---|
| 1 | 2 | 3 |
| 4 | 5 | 6 |
| 7 | 8 | 0 |

$$g(n) = 0 + 1 + 1 + 1 = 3$$

$$h(n) = 0$$

$$f(n) = g + h = 3 + 0 = 3$$

Time Complexity

$A^* < IDDFS < BFS < DFS$

0.015

0.075s

0.083

0.2100

8

**Code:**

```
import heapq

GOAL = (1, 2, 3,
        4, 5, 6,
        7, 8, 0) # Goal state (0 = blank)

# Manhattan Distance Heuristic
def manhattan(state):
    dist = 0
    for i, val in enumerate(state):
        if val == 0:
            continue
        goal_idx = val - 1
        r, c = divmod(i, 3)
        gr, gc = divmod(goal_idx, 3)
        dist += abs(r - gr) + abs(c - gc)
    return dist

# Generate neighbors
def neighbors(state):
    res = []
    i = state.index(0)
    r, c = divmod(i, 3)
    moves = []
    if r > 0: moves.append((-3, "Up"))
    if r < 2: moves.append((3, "Down"))
    if c > 0: moves.append((-1, "Left"))
    if c < 2: moves.append((1, "Right"))
    for d, move in moves:
        new = list(state)
        new[i], new[i+d] = new[i+d], new[i]
        res.append((tuple(new), move))
    return res

# A* Search Algorithm
def astar(start):
    open_list = []
    heapq.heappush(open_list, (manhattan(start), 0, start, []))
    visited = set()
```

```

while open_list:
    f, g, state, path = heapq.heappop(open_list)
    if state in visited:
        continue
    visited.add(state)

    if state == GOAL:
        return path

    for neigh, move in neighbors(state):
        if neigh not in visited:
            heapq.heappush(open_list,
                           (g+1+manhattan(neigh), g+1, neigh, path+[move]))
return None

# Pretty print the board
def print_state(state):
    for i in range(0, 9, 3):
        row = state[i:i+3]
        print(" ".join(str(x) if x != 0 else " " for x in row))
    print()

# ----- MAIN -----
if __name__ == "__main__":
    #  Start state exactly 3 moves away
    initial = (1, 2, 3,
               4, 5, 6,
               7, 0, 8)

    print("Initial State:")
    print_state(initial)

    solution = astar(initial)

    if solution:
        print("Solution found in", len(solution), "moves.\n")

    # Print steps as puzzle boards
    state = initial
    print("Step 0:")
    print_state(state)

```

```

for i, move in enumerate(solution, 1):
    idx = state.index(0)
    for neigh, mv in neighbors(state):
        if mv == move:
            state = neigh
            break
    print("Step", i, "-", move)
    print_state(state)

print("Moves:", " -> ".join(solution))
else:
    print("No solution exists.")

```

**Output:**

```

Initial State:
1 2 3
4 5 6
7   8

Solution found in 1 moves.

Step 0:
1 2 3
4 5 6
7   8

Step 1 - Right
1 2 3
4 5 6
7 8

```

## Program 4

Implement hill climb search algorithm to solve N Queens problem

**Algorithm:**

8/10/25

LA.B - 4

Hill Climbing

~~HillClimb → return state as local maxima~~

~~for i in state~~

~~if A[i] not visited~~

~~A[i] = visit~~

HillClimb → returns local maxima state  
current & make-node (prob-initial state)  
loop do  
neighbor - a highest valued successor  
of current  
if neighbor ∈ a highest valued  
successor of current  
if neighbor.value > current.value  
then return current.state  
current ← neighbor

Output:

Final state (col > row) = [2 0 3 1]

Cost = 0

Board

|   |   |   |   |
|---|---|---|---|
| . | Q | . | . |
| . | . | . | Q |
| Q | . | . | . |
| . | . | Q | . |

**Code:**

```
import random

# Generate a random board (one queen per row)
def random_board(n):
    return [random.randint(0, n-1) for _ in range(n)]

# Count number of attacking queen pairs
def heuristic(board):
    h = 0
    n = len(board)
    for i in range(n):
        for j in range(i+1, n):
            if board[i] == board[j] or abs(board[i]-board[j]) == abs(i-j):
                h += 1
    return h

# Get best neighbor state
def best_neighbor(board):
    n = len(board)
    best = board[:]
    best_h = heuristic(board)

    for row in range(n):
        for col in range(n):
            if board[row] != col:
                new_board = board[:]
                new_board[row] = col
                h = heuristic(new_board)
                if h < best_h:
                    best = new_board
                    best_h = h
    return best, best_h

# Hill climbing with random restarts
def hill_climbing(n):
    current = random_board(n)
    current_h = heuristic(current)

    while current_h != 0:
        neighbor, neighbor_h = best_neighbor(current)
```

```

if neighbor_h >= current_h: # local maxima / plateau
    current = random_board(n) # restart
    current_h = heuristic(current)
else:
    current = neighbor
    current_h = neighbor_h

return current

# Print board nicely
def print_board(board):
    n = len(board)
    for row in range(n):
        line = ""
        for col in range(n):
            if board[row] == col:
                line += " Q "
            else:
                line += "."
        print(line)
    print()

# ----- MAIN -----
if __name__ == "__main__":
    N = 8 # change this for any N
    solution = hill_climbing(N)

print(f"Solved {N}-Queens using Hill Climbing:\n")
print_board(solution)

```

### Output:

```

Solved 8-Queens using Hill Climbing:

. . Q . . . .
Q . . . . . .
. . . . . . Q .
. . . . Q . . .
. . . . . . . Q
. Q . . . . . .
. . . Q . . . .
. . . . . Q . .

```

## Program 5

Simulated Annealing to Solve 8-Queens problem

Algorithm:

### Simulated Annealing - LAB 5

- 1) Initialise a random state with one queen per column
- 2) Set initial temperature  $T$  and cooling rate  $\alpha$
- 3) Repeat until solution found or temp is low
  - a) Generate a neighbor by moving one queen to a different row
  - b) Calculate cost difference  $\Delta$  between neighbor and current state
  - c) If  $\Delta < 0$ , accept neighbor  
Else accept with prob  $e^{-\Delta/T}$
  - d) Cool down  $T \leftarrow T \times \alpha$
- 4) Return final state

~~810~~

### Output

Final state (col  $\rightarrow$  row) = [0, 4, 1, 4, 2, 3]  
Cost: 2

### Board

Q . . . .  
. . Q . . .  
. . . . . Q  
. Q . Q . .  
. . . . .

q10 ~~810~~

~~810~~

**Code:**

```
import random
import math

# Number of queens
N = 4

def cost(state):
    """Compute number of attacking queen pairs."""
    conflicts = 0
    for i in range(N):
        for j in range(i+1, N):
            if state[i] == state[j] or abs(state[i] - state[j]) == abs(i - j):
                conflicts += 1
    return conflicts

def random_neighbor(state):
    """Generate a neighbor by moving one queen to another row."""
    neighbor = state.copy()
    col = random.randrange(N)
    new_row = random.randrange(N-1)
    if new_row >= neighbor[col]:
        new_row += 1
    neighbor[col] = new_row
    return neighbor

def simulated_annealing(
    T0=5.0, alpha=0.995, Tmin=1e-6, max_iters=50000
):
    # Start with a random placement of queens
    state = [random.randrange(N) for _ in range(N)]
    current_cost = cost(state)
    T = T0
    it = 0

    while T > Tmin and it < max_iters and current_cost != 0:
        neighbor = random_neighbor(state)
        neighbor_cost = cost(neighbor)
        delta = neighbor_cost - current_cost

        if delta <= 0 or random.random() < math.exp(-delta / T):
```

```

state, current_cost = neighbor, neighbor_cost

T *= alpha
it += 1

return state, current_cost

def print_board(state):
    """Pretty-print the board."""
    for r in range(N):
        row = ""
        for c in range(N):
            row += "Q " if state[c] == r else ". "
        print(row)
    print()

# Run SA for 4-queens
solution, c = simulated_annealing()

print("Final state (col -> row):", solution)
print("Cost:", c)
print("\nBoard:")
print_board(solution)

```

### Output:

```

Final state (col -> row): [1, 3, 0, 2]
Cost: 0

Board:
. . Q .
Q . . .
. . . Q
. Q . .

```

## Program 6

Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

### **Algorithm:**

classmate  
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|  |  |     |   |
|--|--|-----|---|
| Task #5  |  |     |   |
| Generate a knowledge base using propositional logic and show that the given query entails the knowledge base or not. |  |     |   |
| <u>genFOL</u>  |  |     |   |
| Knowledge base   |  |     |   |
| $P \rightarrow Q$  |  |     |   |
| $Q \rightarrow R$  |  |     |   |
| Query : $R$  |  |     |   |
| If it is raining $P \rightarrow Q$   |  |     |   |
| If ground is wet, grass slippery $Q \rightarrow R$   |  |     |   |
| Check KB F $\alpha$  |  |     |   |
| and  |  |     |   |
| P Q R $R \rightarrow P$ Q V R      KB  |  |     |   |
| T T T  |  | F T | T |
| T T F  |  | F F | F |
| T F T  |  | T T | T |
| T F F  |  | F F | F |
| F T T  |  | F T | F |
| F T F  |  | T T | F |
| F F T  |  | F T | T |
| F F F  |  | T T | F |

Truth Table

| $P$ | $Q$ | $R$ | $Q \rightarrow R \wedge P$ | $P \rightarrow \neg Q$ | $Q \vee R$ | $KB \models$ |
|-----|-----|-----|----------------------------|------------------------|------------|--------------|
| T   | T   | T   | T                          | F                      | T          |              |
| T   | T   | F   | T                          | F                      | T          |              |
| T   | F   | T   | T                          | T                      | T          |              |
| T   | F   | F   | T                          | T                      | F          |              |
| F   | T   | T   | F                          | T                      | T          |              |
| F   | T   | F   | F                          | T                      | T          |              |
| F   | F   | T   | T                          | T                      | T          |              |
| F   | F   | F   | T                          | T                      | F          |              |

### Propositional Logic

and

or

| $P$ | $Q$ | $\neg P$ | $P \wedge Q$ | $P \vee Q$ | $P \Leftrightarrow Q$ | $P \models$ |
|-----|-----|----------|--------------|------------|-----------------------|-------------|
| F   | F   | T        | F            | F          | T                     | T           |
| F   | T   | T        | F            | T          | F                     | T           |
| T   | F   | F        | F            | T          | F                     | F           |
| T   | T   | F        | F            | T          | T                     | T           |

Algorithm

Algorithm

def entails (KB, query) :

    symbols = extract\_symbols [KB + [query]]

    return tcheck\_all (KB, query, symbols, {})

```

def tt-check-all (KB, query, symbols, model)
if not symbols:
    if all (eval-formula(s, model) for s in KB)
        return eval-formula(query, model)
    else:
        return true
else:
    p = symbols[0]
    rest = symbols[1:]
    return (tt-check-all(KB, query, rest, {model, P=True}) and
            tt-check-all(KB, query, rest, {**model, P=False}))

```

~~(i)  $KB \models R$~~       ~~(ii)  $KB \not\models (R \rightarrow P)$~~       ~~(iii)  $KB \models (Q \rightarrow R)$~~ 
  
 (i)  $KB \models R$       }      (ii) if  $KB \models T$ ,  $R \models T \Rightarrow \text{entails}$   
~~(ii)  $KB \not\models (R \rightarrow P)$~~       }  $\neg R \models P$       (iii)  $KB \models Q \rightarrow R$   
~~(iii)  $KB \models (Q \rightarrow R)$~~       }

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(ii)  $KB$  does not entail  $R \rightarrow P$   
 because for  $KB \models T$ ,  
 $R \rightarrow P$  is false F

(iii)  $KB$  entails  $Q \rightarrow R$  because  
 for every true of  $KB$ ,  $Q \rightarrow R$   
 is true

### Output

The knowledge base entails the query  
 $(A \vee C) \wedge (\neg B \vee \neg C) \vdash A \vee B$

Symbols are ('A', 'B', 'C')

Knowledge base (KB) =  $(A \vee C) \wedge (\neg B \vee \neg C)$

Query (Q) =  $A \vee B$

| A | B | C | $A \vee C$ | $\neg B \vee \neg C$ | KB | Q |
|---|---|---|------------|----------------------|----|---|
| F | F | F | F          | T                    | F  | F |
| F | F | T | T          | F                    | F  | F |
| F | T | F | T          | F                    | F  | T |
| F | T | T | T          | T                    | T  | T |
| T | F | F | T          | T                    | T  | T |
| T | F | T | T          | F                    | F  | T |
| T | T | F | T          | T                    | T  | T |
| T | T | T | T          | T                    | T  | T |

### Conclusion:

Entails the given condition

15/10

**Code:**

```
import re
from itertools import product

def pl_true(sentence, model):
    try:
        return eval(sentence, model)
    except NameError:
        return False

def tt_entails(kb, alpha):
    kb = kb.replace('¬', 'not ').replace('∧', ' and ').replace('∨', ' or ')
    alpha = alpha.replace('¬', 'not ').replace('∧', ' and ').replace('∨', ' or ')
    symbols = sorted(list(set(re.findall(r'[A-Z]', kb + alpha))))
    print(f"Symbols found: {symbols}")
    for values in product([True, False], repeat=len(symbols)):
        model = dict(zip(symbols, values))
        if pl_true(kb, model):
            if not pl_true(alpha, model):
                print(f"Counterexample found: {model}")
                return False
    return True

if __name__ == "__main__":
    kb_formula = "(A ∨ C) ∧ (B ∨ ¬C)"
    alpha_formula = "A ∨ B"
    print(f"Knowledge Base (KB): {kb_formula}")
    print(f"Query (α): {alpha_formula}\n")
    result = tt_entails(kb_formula, alpha_formula)
    print("\n----- RESULT -----")
    if result:
        print(f"The Knowledge Base entails the Query.")
        print(f" '{kb_formula}' |= '{alpha_formula}'")
    else:
        print(f"The Knowledge Base does NOT entail the Query.")
        print(f" '{kb_formula}' |≠ '{alpha_formula}'")
```

**Output:**

Knowledge Base (KB):  $(A \vee C) \wedge (B \vee \neg C)$   
Query ( $\alpha$ ):  $A \vee B$

Symbols found: ['A', 'B', 'C']

----- RESULT -----

The Knowledge Base entails the Query.

$'(A \vee C) \wedge (B \vee \neg C)' \models 'A \vee B'$

## Program 7

Implement unification in first order logic

**Algorithm:**

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classmate  
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LAB - 8

Unification

①  $P(f(x), g(y), y)$   
 $P(f(g(z)), g(f(a)), f(a))$   
Find  $\Theta(MGU)$   
MGU - Most General Unifier

②  $Q(x, f(x))$   
 $Q(f(y), y)$

③  $H(x, g(x))$   
 $H(g(y), g(g(z)))$

Ans)  $P(f(a)) \rightarrow g(f(a))$

$\Theta = \{x = g(z), y = f(a)\}$

$P\{f(a)/y\} \{g(f(a))/g(y)\}, \{g(z)/x\}$

Replace  $f(a)$  by  $y$

$y = f(a)$   
 $x = g(z)$

$\Theta = \{x = g(z), y = f(a)\}$

Unification succeeds

$P\{x/f(y)\} \{f(x)/y\}$

3)  $x \rightarrow g(y)$        $x = g(y)$   
 $g(x) \rightarrow g(g(z))$

$g(x) \rightarrow g(g(y))$

$g(g(y)) \rightarrow g(g(z))$

$g(y) \rightarrow g(z) \rightarrow y = z$

$\theta = \{x = g(y), y = z\}$  Unification succeeds

②  $Q(x, f(x))$

$Q(f(y), y)$

$x \rightarrow f(y) - ①$

$f(x) \rightarrow y$   
Substitute ①

$f(f(y)) \rightarrow y$

$y \rightarrow f(f(y)) \Rightarrow y$  is cyclic. Appears in its own replacement

$f(x) \rightarrow y, y = f(x) - ①$   
 $x \rightarrow f(y)$

$x = f(f(x))$

Unification fails

## Unification Algorithm

Unify  $P(x, y, a)$  and  $P(b, z, a)$

First argument -  $x$  and  $b$ ,  $x$  is variable,  
 $b$  is constant.

Substitute  $\{x/b\}$ . Apply it to  $P(b, y, a)$  and  
 $P(b, z, a)$

Second argument -  $y$  and  $z$ . Both are variables

Substitute  $\{y/z\}$

Apply it to  $P(b, z, a)$  and  $P(b, z, a)$

Third argument -  $a$  and  $a$ . Both are identical constants

unification succeeds

$\{x/b, y/z\}$

Formulas

~~07~~ ~~Output~~

Output

Unification Succeeds

**Code:**

```
# ----- UNIFICATION IN FIRST ORDER LOGIC -----  
  
# Check if a symbol is a variable  
def is_variable(x):  
    return isinstance(x, str) and x.startswith("?)  
  
# Check if term is compound (e.g., ("f", "a", "?x"))  
def is_compound(x):  
    return isinstance(x, tuple) and len(x) > 1  
  
# Occur check (prevents infinite recursive substitutions)  
def occur_check(var, term, subst):  
    if var == term:  
        return True  
    if is_variable(term) and term in subst:  
        return occur_check(var, subst[term], subst)  
    if is_compound(term):  
        return any(occur_check(var, arg, subst) for arg in term[1:])  
    return False  
  
# Apply substitution to a term  
def substitute(term, subst):  
    if is_variable(term):  
        while is_variable(term) and term in subst:  
            term = subst[term]  
        return term  
    if is_compound(term):  
        return (term[0],) + tuple(substitute(a, subst) for a in term[1:])  
    return term  
  
# Unification algorithm  
def unify(x, y, subst=None):  
    if subst is None:  
        subst = {}  
  
    x = substitute(x, subst)  
    y = substitute(y, subst)
```

```

if x == y:
    return subst
if is_variable(x):
    if occur_check(x, y, subst):
        return None
    subst[x] = y
    return subst
if is_variable(y):
    if occur_check(y, x, subst):
        return None
    subst[y] = x
    return subst
if is_compound(x) and is_compound(y) and x[0] == y[0] and len(x) == len(y):
    for a, b in zip(x[1:], y[1:]):
        subst = unify(a, b, subst)
    if subst is None:
        return None
    return subst
return None

```

```

# ----- SAMPLE TEST CASES -----
tests = [
    ("P", "?x"), ("P", "a"),
    ("P", "?x", "b"), ("P", "a", "?y"),
    ("f", "?x", ("g", "?x")), ("f", "a", "?y"),
    ("f", "?x"), ("f", ("g", "?x")))
]

```

```

print("\n==== SAMPLE UNIFICATION OUTPUT ====\n")
for t1, t2 in tests:
    result = unify(t1, t2, {})
    print(f"\n{t1} \leftrightarrow {t2} => Substitution: {result}\n")

```

### Output:

```

(P, ?x) \leftrightarrow (P, 'a') => Substitution: {'?x': 'a'}
(P, ?x, 'b') \leftrightarrow (P, 'a', '?y') => Substitution: {'?x': 'a', '?y': 'b'}
(f, ?x, (g, ?x)) \leftrightarrow (f, 'a', ?y) => Substitution: {'?x': 'a', '?y': ('g', 'a')}
(f, ?x) \leftrightarrow (f, (g, ?x)) => Substitution: None

```

## Program 8

Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

### **Algorithm:**

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Page

LAB - 8

Forward Reasoning Algorithm

function FOL-FC-Ast (KB,  $\alpha$ ) returns a substitution or false

inputs: KB, set of first order definite clauses  
 $\alpha$ , query, atomic sentence

local variables - new, new sentences inferred on each iteration

repeat until new is empty  
new  $\leftarrow \{\}$

for each rule in KB do

$(P_1 \wedge \dots \wedge P_n \Rightarrow q) \leftarrow \text{Standardise-variables}(\text{rule})$

for each  $\sigma$  such that subst( $\sigma \cdot P_1 \wedge \dots \wedge P_n$ )  
 $= \text{subst}(\sigma, P_1 \wedge \dots \wedge P_n)$

for some  $P'_1 \dots P'_n$  in KB

$q' \in \text{subst}(\sigma, q)$

if  $q'$  does not unify with some sentence already in KB or new then

add  $q'$  to new

$\phi \in \text{unify}(q', \alpha)$

if  $\phi$  is not fail then return  $\phi$

add new to KB

return false

NP

Output

KB = ["P(a)", "P(x)  $\rightarrow$  "Q(x)"]

query  $\alpha = [Q(a)]$

Output: KB does not entail query

**Code:**

```
# ----- FORWARD REASONING / FORWARD CHAINING -----  
  
# Knowledge Base: facts and rules  
facts = [  
    ("Human", "Socrates"),  
    ("Human", "Plato"),  
    ("Man", "Socrates")  
]  
  
# Rules represented as: (premises, conclusion)  
rules = [  
    ([("Human", "?x")], ("Mortal", "?x")),      # If Human(x) then Mortal(x)  
    ([("Man", "?x")], ("Human", "?x")),          # If Man(x) then Human(x)  
]  
  
# Check if predicate matches with substitution  
def match(pattern, fact):  
    if pattern[0] != fact[0]:  
        return None  
    subst = {}  
    for p_arg, f_arg in zip(pattern[1:], fact[1:]):  
        if p_arg.startswith("?"):  
            subst[p_arg] = f_arg  
        elif p_arg != f_arg:  
            return None  
    return subst  
  
# Apply substitution to a predicate  
def substitute(pred, subst):  
    return tuple(subst.get(arg, arg) for arg in pred)  
  
# Forward chaining reasoning  
def forward_reasoning(query):  
    inferred = set(facts)  
    added = True  
    steps = []  
  
    while added:
```

```

added = False

for premises, conclusion in rules:
    for fact in list(inferred):
        subst = match(premises[0], fact)
        if subst is not None:
            new_fact = substitute(conclusion, subst)

            if new_fact not in inferred:
                inferred.add(new_fact)
                steps.append((premises[0], new_fact))
                if new_fact == query:
                    return True, steps

return False, steps

# ----- MAIN TEST -----

# Query to prove
query = ("Mortal", "Socrates")

proven, steps = forward_reasoning(query)

print("Knowledge Base Facts:")
for f in facts:
    print(" ", f)

print("\nReasoning Steps:")
for p, c in steps:
    print(f'From {p} infer {c}')

print("\nQuery:", query)

if proven:
    print("☑ RESULT: Query is proven using forward reasoning!")
else:
    print("☒ RESULT: Query cannot be proven.")

```

## **Output:**

nowledge Base Facts:

('Human', 'Socrates')

('Human', 'Plato')

('Man', 'Socrates')

Reasoning Steps:

From ('Human', '?x') infer ('Mortal', 'Plato')

From ('Human', '?x') infer ('Mortal', 'Socrates')

Query: ('Mortal', 'Socrates')

RESULT: Query is proven using forward reasoning!

## Program 9

Create a knowledge base consisting of first order logic statements and prove the given query using Resolution.

### **Algorithm:**

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LAB #0 - Resolution

function Resolution( $S$ ):  
    new-clauses = {}  
    loop:  
        for each pair of clauses  $(C_1, C_2)$  in  $S$ :  
            resolvents = Resolve( $C_1, C_2$ )  
            if  $\emptyset$  in resolvents:  
                return "Unsatisfiable"  
            new-clauses = new-clauses  $\cup$  resolvents  
        if new-clause  $\subseteq S$ :  
            return "Satisfiable"  
     $S = S \cup$  new-clauses

Output:  
 $(P \vee Q), (\neg P \vee R), (\neg Q) \neg R$

Result = Unsatisfiable

function Resolve( $C_1, C_2$ ):  
    resolvents = {}  
    for each literal  $L$  in  $C_1$ :  
        if  $(\neg L)$  in  $C_2$ :  
            new-clauses =  $(C_1 \cup C_2) - \{L, \neg L\}$   
            resolvents = resolvents  $\cup$  {new-clauses}  
    return resolvents

**Code:**

```
# ----- UNIFICATION + RESOLUTION IN FOL -----  
  
# Check if a variable  
def is_var(x):  
    return isinstance(x, str) and x.startswith("?)")  
  
# Unify two literals  
def unify(x, y, subst=None):  
    if subst is None:  
        subst = {}  
    if x == y:  
        return subst  
    if is_var(x):  
        subst[x] = y  
        return subst  
    if is_var(y):  
        subst[y] = x  
        return subst  
    if isinstance(x, tuple) and isinstance(y, tuple) and x[0] == y[0]:  
        for a, b in zip(x[1:], y[1:]):  
            subst = unify(a, b, subst)  
        if subst is None:  
            return None  
        return subst  
    return None  
  
# Apply substitution  
def substitute(literal, subst):  
    if not subst:  
        return literal  
    pred = literal[0]  
    args = []  
    for a in literal[1:]:  
        args.append(subst.get(a, a))  
    return (pred,) + tuple(args)  
  
# Resolution step  
def resolve(c1, c2):
```

```

resolvents = []
for l1 in c1:
    for l2 in c2:
        # Check complementary literals
        if l1[0] == "~" + l2[0] or l2[0] == "~" + l1[0]:
            subst = unify(l1[1:], l2[1:])
            if subst is not None:
                new_clause = set(
                    substitute(l, subst) for l in (c1 | c2)
                    if l != l1 and l != l2
                )
                resolvents.append(frozenset(new_clause))
return resolvents

```

# ----- KNOWLEDGE BASE -----

```

# CNF clauses represented as sets of literals
# Predicates stored as tuples: ("P", "a"), ("~P", "a")

```

```

KB = [
    frozenset({("¬Human", "Socrates"), ("Mortal", "Socrates")}),
    frozenset({("¬Man", "Socrates"), ("Human", "Socrates")}),
    frozenset({("Man", "Socrates")})
]

```

```

# Query
query = ("Mortal", "Socrates")

```

```

# Add negated query
KB.append(frozenset({("¬Mortal", "Socrates")}))

```

# ----- RESOLUTION PROCEDURE -----

```

def resolution(KB):
    new = set()

    while True:
        pairs = [(KB[i], KB[j]) for i in range(len(KB)) for j in range(i+1, len(KB))]
        for (c1, c2) in pairs:

```

```

resolvents = resolve(c1, c2)
if frozenset() in resolvents:
    return True
new.update(resolvents)

if new.issubset(KB):
    return False

for clause in new:
    if clause not in KB:
        KB.append(clause)

# ----- MAIN -----

print("\nKnowledge Base Clauses:")
for c in KB:
    print(" ", c)

result = resolution(KB)

print("\nQuery:", query)

if result:
    print("  RESULT: Query is proven by Resolution (empty clause derived)!")
else:
    print("  RESULT: Query cannot be proven.")

```

### **Output:**

Knowledge Base Clauses:

```

frozenset({('¬Human', 'Socrates'), ('Mortal', 'Socrates')})
frozenset({('Human', 'Socrates'), ('¬Man', 'Socrates')})
frozenset({('Man', 'Socrates')})
frozenset({('¬Mortal', 'Socrates')})

```

Query: ('Mortal', 'Socrates')  
RESULT: Query is proven by Resolution (empty clause derived)!

## Program 10

Implement Alpha Beta Pruning

**Algorithm:**

12/11/25

classmate  
Date \_\_\_\_\_  
Page \_\_\_\_\_

LAB 9 - Alpha Beta Pruning

Algorithm

function ~~AlphaBeta~~ ~~Scoring~~ Search (state) returns an action  
 $v \leftarrow \text{Max Value} (\text{state}, -\infty, +\infty)$   
return the action in Actions (state) with value v

function Max Value (state,  $\alpha$ ,  $\beta$ ) returns utility value  
if Terminal - Test (state) then return utility (state)  
 $v \leftarrow -\infty$   
for each  $a$  in actions (state) do  
 $v \leftarrow \text{Max} (v, \text{Min - Value} (\text{Result} (s, a), \alpha, \beta))$   
if  $v \geq \beta$  then return  $v$   
 $\alpha \leftarrow \text{Max} (\alpha, v)$   
return  $v$

function Min Value (state,  $\alpha$ ,  $\beta$ ) returns a utility value  
if Terminal Test (state) then return utility (state)  
 $v \leftarrow +\infty$   
for each  $a$  in Actions (state) do  
 $v \leftarrow \text{Min} (v, \text{MAX-Value} (\text{Result} (s, a), \alpha, \beta))$   
if  $v \leq \alpha$  then return  $v$   
 $\beta \leftarrow \text{min} (\beta, v)$   
return  $v$

NP

Output

Initial state = [1, 2, 3  
4, 6, 0  
7, 5, 8]

Step 1 : [1, 2, 3  
4, 0, 6  
7, 5, 8]

Step 2 : [1, 2, 3  
4, 5, 6  
7, 0, 8]

Step 3 : [1, 2, 3  
4, 5, 6  
7, 8, 0]

~~8, 12~~ //

**Code:**

```
import math
GOAL = (1,2,3,4,5,6,7,8,0)

# Manhattan distance heuristic
def manhattan(state):
    dist = 0
    for i,val in enumerate(state):
        if val == 0: continue
        goal = GOAL.index(val)
        r1,c1 = divmod(i,3)
        r2,c2 = divmod(goal,3)
        dist += abs(r1-r2) + abs(c1-c2)
    return dist

# Generate legal moves
def get_neighbors(state):
    moves = []
    zero = state.index(0)
    r,c = divmod(zero,3)
    dirs = []
    if r>0: dirs.append(-3)
    if r<2: dirs.append(3)
    if c>0: dirs.append(-1)
    if c<2: dirs.append(1)
    for d in dirs:
        new = list(state)
        new[zero], new[zero+d] = new[zero+d], new[zero]
        moves.append(tuple(new))
    return moves

# Pretty print puzzle board
def print_puzzle(state):
    for i in range(0,9,3):
        row = state[i:i+3]
        print(" ".join(str(x) if x!=0 else " " for x in row))
    print()
```

```

# Alpha Beta Minimax Search
def alphabeta(state, depth, alpha, beta, maximizing):
    print("State:")
    print_puzzle(state)
    print(f"Depth={depth}, α={alpha}, β={beta}")

    if depth == 0 or state == GOAL:
        score = -manhattan(state)
        print(f"Evaluation score: {score}\n")
        return score

    if maximizing:
        value = -math.inf
        for child in get_neighbors(state):
            value = max(value, alphabeta(child, depth-1, alpha, beta, False))
            alpha = max(alpha, value)
            if alpha >= beta:
                print("Pruned (MAX branch)\n")
                break
        return value

    else:
        value = math.inf
        for child in get_neighbors(state):
            value = min(value, alphabeta(child, depth-1, alpha, beta, True))
            beta = min(beta, value)
            if beta <= alpha:
                print("Pruned (MIN branch)\n")
                break
        return value

```

```
# ----- MAIN TEST -----
```

```

initial = (1,2,3,
           4,5,6,
           0,7,8)

print("\nStarting Alpha Beta Search on 8-Puzzle...\n")

best_value = alphabeta(initial, depth=3,
                       alpha=-math.inf,

```

```
        beta=math.inf,  
        maximizing=True)  
  
print("Final best evaluation:", best_value)
```

**Output:**

```
Starting Alpha Beta Search on 8-Puzzle...  
  
State:  
1 2 3  
4 5 6  
7 8  
Depth=3, α=-inf, β=inf  
  
State:  
1 2 3  
4 5 6  
7 8  
Depth=2, α=-inf, β=inf  
  
State:  
1 2 3  
4 5 6  
7 8  
Depth=1, α=-inf, β=inf  
Evaluation score: 0
```