

# CSP 571 Data Preparation and Analysis

## Quiz - 3

### Question 1

The estimate of test error from leave-one-out cross-validation will have a lower bias than k-fold cross-validation, but will also have a higher variance due to all trained models being highly

- ☐ a. optimal.
- ☐ b. diversified.
- ☒ c. correlated.
- ☐ d. biased.

### Question 2

OLS is unlike to estimate coefficient values equal to 0, thus models containing many predictors is likely to have poor model interpretation due to many

- ☐ a. funny variables.
- ☐ b. volatile variables.
- ☒ c. irrelevant variables.
- ☐ d. unknown variables.

### Question 3

The use of partial residuals for estimation of a Generalized Additive Model (GAM) involves fitting a non-linear  $f_j$  to each  $X_j$  while holding other terms constant - and is referred to as

- ☐ a. partial least squares
- ☐ b. weighted least squares
- ☒ c. backfitting
- ☐ d. regularization

### Question 4

Best subset selection for a set of  $n$  observations with  $d$  dimensions leads to optimal model selection from a set of

- ☒ a.  $2^d$  models.
- ☐ b.  $d^2$  models.
- ☐ c.  $nd$  models.
- ☐ d.  $2^n$  models.

### Question 5

Given a polynomial regression with polynomial terms of degree  $d$ , the following number of coefficients would need to be estimated via least squares

- ☐ a.  $n - d - 1$
- ☐ b.  $d$
- ☐ c.  $d - 1$
- ☒ d.  $d + 1$

### Question 6

---

A smoothing spline function can be expressed as a combination of a loss function and a

- ☐ a. optimization term
- ☐ b. polynomial term
- ☒ c. penalty term
- ☐ d. integer term

### Question 7

---

What additional constraints are applied to cubic splines in order to obtain natural splines

- ☐ a. minimum-value constraints
- ☐ b. maximum-value constraints
- ☐ c. zero-value constraints
- ☒ d. boundary constraints

### Question 8

---

The use of a family of functions to transform predictor variables, with polynomial regression and piecewise regression being special cases of this approach, is accomplished via the following types of functions

- ☒ a. basis
- ☐ b. spline
- ☐ c. indicator
- ☐ d. error

### Question 9

---

Lasso not only performs shrinkage on coefficient values, by setting certain coefficients to 0 for a sparse result, it also performs:

- ☐ a. model validation.
- ☒ b. variable selection.
- ☐ c. bias reduction.
- ☐ d. density estimation.

### Question 10

---

A non-parametric approach to non-linear regression where regression is performed in a neighborhood of a given point  $x_0$  is referred to as

- ☐ a. cut-point regression
- ☐ b. truncated regression
- ☒ c. local regression
- ☐ d. polynomial regression

### Question 11

---

Unconstrained regression splines of degree  $d$  with  $k$  knots results in an estimation with the following number of degrees of freedom

- ☒ a.  $(k + 1)(d + 1)$
- ☐ b.  $kd$
- ☐ c.  $k + d$
- ☐ d.  $(k - 1)(d - 1)$

**Question 12**10 points 

When comparing models containing a different number of predictors in the estimation, we may obtain an estimate of test error using  $C_p$ ,  $AIC$ ,  $BIC$ , or  $Adjusted R^2$  which apply a penalty based on the number of used predictors  $d$ , to

- ☐ a. test error using  $MSE$ .
- ☐ b. sample error using  $\frac{n-1}{n}$ .
- ☒ c. training error using  $RSS$ .
- ☐ d. training error using  $\mu_{\hat{y}}$ .

**Question 13**

Which of the below is not one of the constraints applied to cubic splines

- ☐ a. continuity of first-derivative at knot point
- ☒ b. continuity of third-derivative at knot point
- ☐ c. continuity of second-derivative at knot point
- ☐ d. continuity at knot point

**Question 14**

Ridge regression applies a constraint to the RSS objective function via the

- ☐ a.  $L_\infty$  norm.
- ☐ b.  $L_0$  norm.
- ☒ c.  $L_2$  norm.
- ☐ d.  $L_1$  norm.

**Question 15**

When performing piecewise regression using step functions, the creation of  $K$  cut points divides the range of the predictor into regions of the following number of interval

- ☐ a.  $K - 1$
- ☐ b.  $K$
- ☐ c.  $K + 2$
- ☒ d.  $K + 1$