

Lab session (22nd Dec)

Easy:

1. For $i \leftarrow 0$, to 19, do the following, while incrementing i by 1 each time:

$arr[i] \leftarrow 3 * i * i * i + 2 * i * i + 42.$

2. Trivial. Just use the scanf and IF condition syntax correctly.

3. Pseudocode:

- Let A be an array of positive integers of length n .
- Let $count_even$ and $count_odd$ be integer variables.
- Initialize $count_even$ and $count_odd$ to 0.
- For $i \leftarrow 0$ to $n - 1$, while incrementing i at each step, do the following:
- if 2 divides $A[i]$ with remainder 0, then increment $count_even$.
- Else increment $count_odd$.
- Print $count_even$ and $count_odd$.

4. Pseudocode:

- Let str be a char array with value "Hello World\n".
- Let len be an integer that denotes the length of str . Initialize len to 12.
- For $i \leftarrow (len - 1)$ to 0, do the following while decrementing i at each step:
 - print $str[i]$

Part 2:

1. Pseudocode:

- Let n be the integer that was taken as input.
- For loop with init $i \leftarrow 0$, as long as $(i * i) < n$, do the following while incrementing i at each step:
 - print the value of $i * i$.

2. Pseudocode:

- Let n be the integer that was taken as input.
- For $i \leftarrow 4$, as long as $i < n$, do the following while incrementing i at each step:

We check if i is composite as follows:

- For $j \leftarrow 2$, as long as $(j$ does not divide $i)$ **and** $(j < i/2)$, iterate while incrementing j .
- If j divides i , then print i .

Remark 2: Loop starts at 4 because 4 is the smallest composite number. The loop that checks if i is composite has an empty body! The if condition that follows is *outside* the loop.

3. Let n_1 and n_2 be the input numbers. Pseudocode is exactly like the solution to 2.2 from Lab 2 exercises. Replace the following line:

Print the value of `next` followed by space

with:

If $(next > n_1 \text{ and } next < n_2) \text{ or } (next > n_2 \text{ and } next < n_1)$ then print the value of $next$.

Remark: Alternatively, we could first check if $n_1 < n_2$. If this is not true, then we swap the values of n_1 and n_2 so that $n_1 < n_2$ after swap. In mathematics, we typically skip all these trivialities by saying: "Without loss of generality, assume that $n_1 < n_2$ ".

4. Trivial. Use the correct syntax, and index bounds when handling the array.