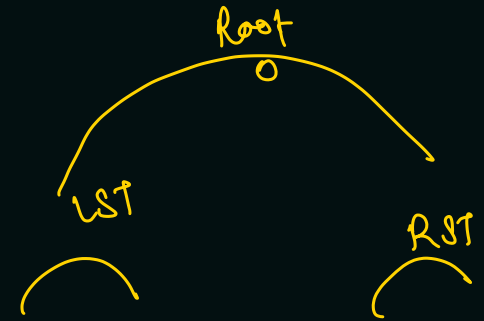
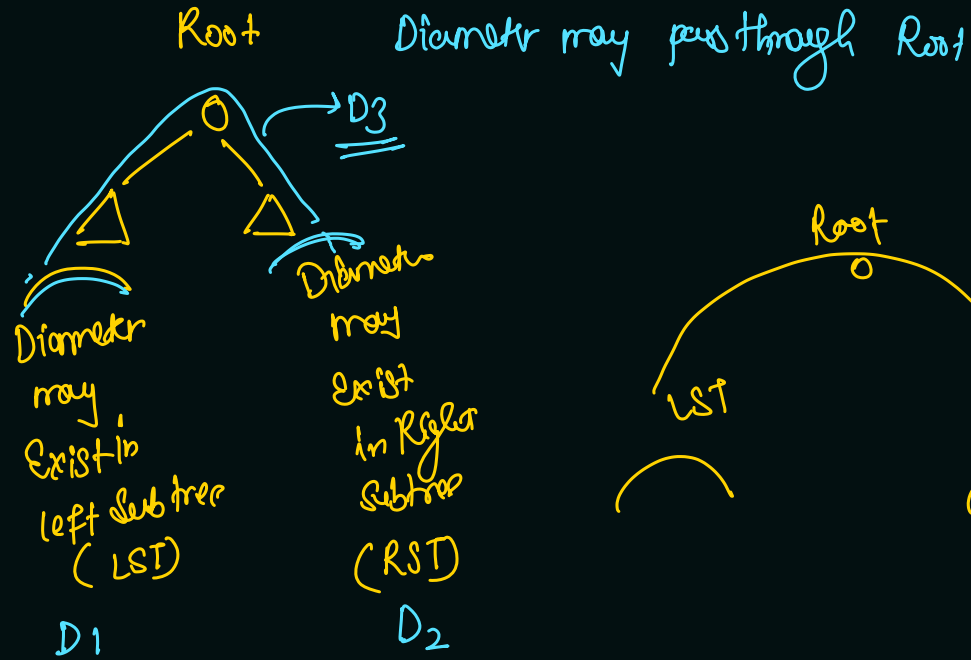
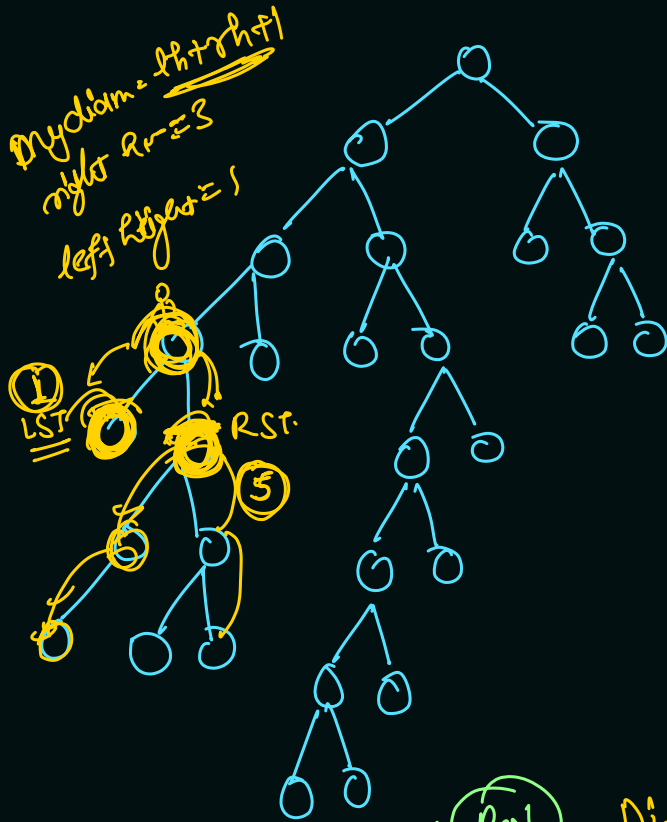


1

Diameter \rightarrow Distance between two farthest node is known as diameter of a tree.



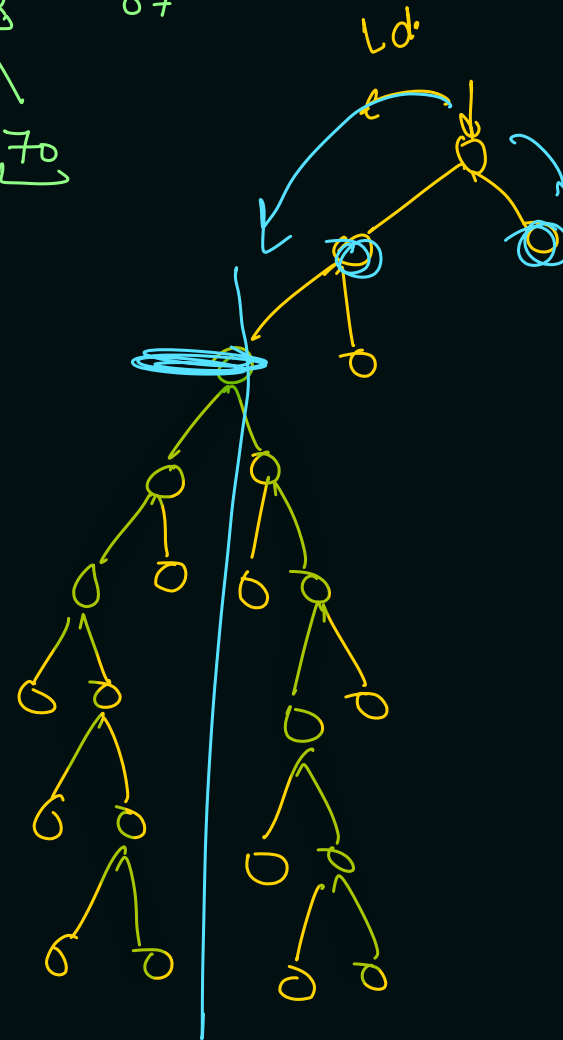
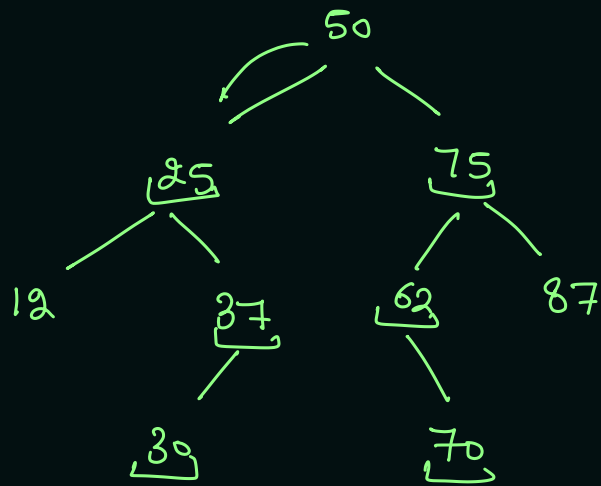
Diameter Result =

{ Left Diameter $\xrightarrow{v_{s-}}$
 Right Diameter $\xrightarrow{v_{s-}}$

Diameter through Root =

$lh + rh + 1$

left height right height



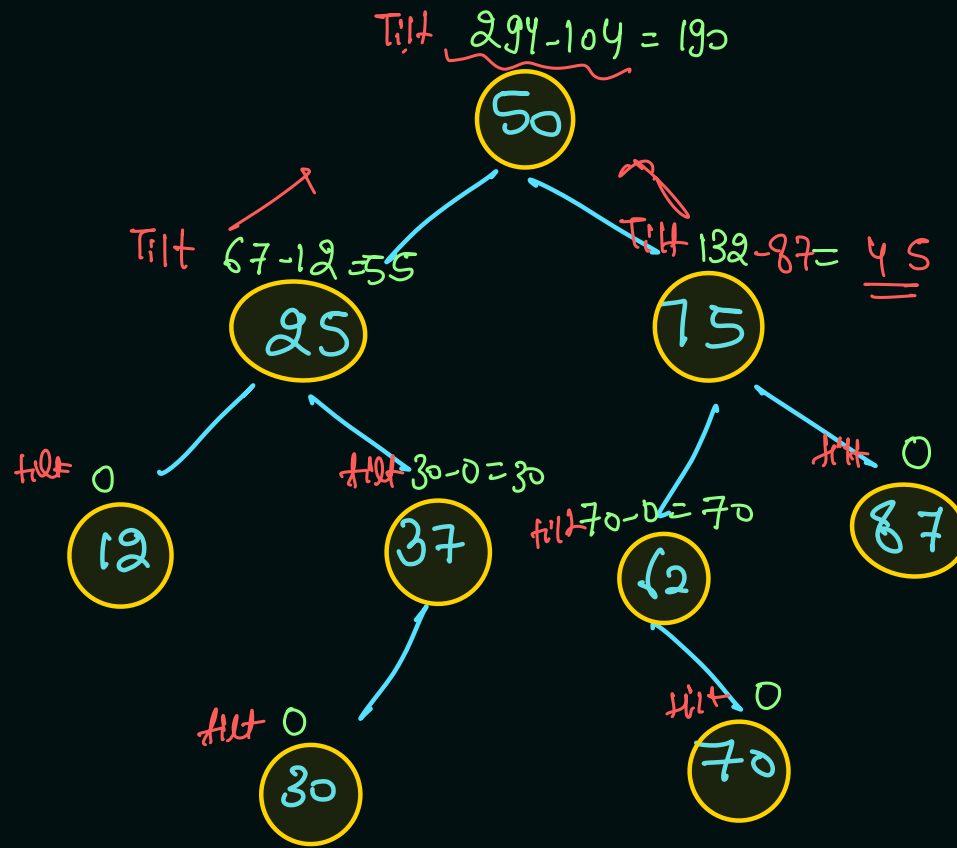
```

public static int diameter1(Node node) {
    if(node == null) return 0;
    int ld = diameter1(node.left);
    int rd = diameter1(node.right);
    int lh = height(node.left);
    int rh = height(node.right);
    int md = lh + rh + 1;

    return Math.max(md, Math.max(ld, rd));
}
  
```

Time Complexity $\rightarrow O(n^2)$

Tilt of a binary Tree :



$$\text{tilt of tree} = 190 + 55 + 45 + 0 + 30 + 70 + 0$$

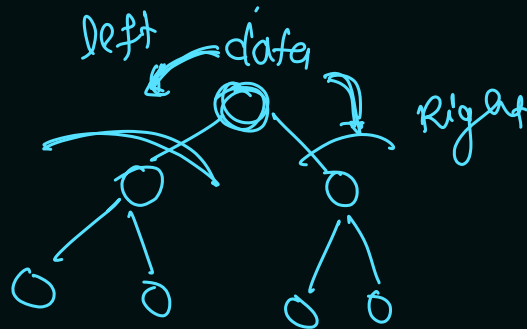
$$= 390$$

Sum of tree

Is a Binary Search Tree:



this is
valid
for all
Node



max < data < min

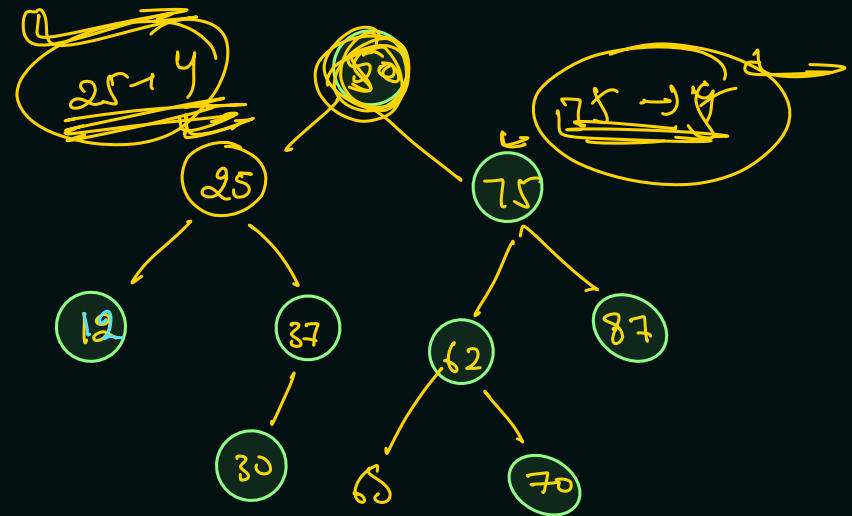
Single traversal
Multisolver

$\left\{ \begin{array}{l} \rightarrow \text{max} \rightarrow \text{ht} \\ \rightarrow \text{min} \rightarrow \text{is BST} \\ \rightarrow \text{Size} \rightarrow \text{diameter} \\ \rightarrow \text{Sum} \end{array} \right\}$

Binary Search

- Data sorted
- mid, compare -
 $\text{data} < \text{mid}$
↳ left
- $\text{data} > \text{mid}$
↳ right

Multisolver



```
public static boolean isBST(Node node) {  
    if (node == null) return true; // false  
  
    boolean lres = isBST(node.left);  
    boolean rres = isBST(node.right);  
  
    boolean res = true;  
    if (node.left != null && node.right != null)  
        res = (node.left.data < node.data && node.data < node.right.data);  
  
    return lres && rres && res;  
}
```

37
3

10:00 BST