# **Problem F. Plus Minus**

**OS** Linux

Given an array of integers, calculate the ratios of its elements that are *positive*, *negative*, and *zero*. Print the decimal value of each fraction on a new line with **6** places after the decimal.

**Note:** This challenge introduces precision problems. The test cases are scaled to six decimal places, though answers with absolute error of up to  $10^{-4}$  are acceptable.

## Example

$$arr = [1, 1, 0, -1, -1]$$

There are n=5 elements, two positive, two negative and one zero. Their ratios are  $\frac{2}{5}=0.400000$ ,  $\frac{2}{5}=0.400000$  and  $\frac{1}{5}=0.200000$ . Results are printed as:

1 | 0.400000 2 | 0.400000 3 | 0.200000

## **Function Description**

Complete the *plusMinus* function in the editor below.

plusMinus has the following parameter(s):

• int arr[n]: an array of integers

#### **Print**

Print the ratios of positive, negative and zero values in the array. Each value should be printed on a separate line with 6 digits after the decimal. The function should not return a value.

#### **Input Format**

The first line contains an integer, n, the size of the array. The second line contains n space-separated integers that describe arr[n].

#### **Constraints**

$$0 < n \le 100$$
$$-100 \le arr[i] \le 100$$

## **Output Format**

 $\bf Print$  the following  $\bf 3$  lines, each to  $\bf 6$  decimals:

- 1. proportion of positive values
- 2. proportion of negative values
- 3. proportion of zeros

|               | Input                      | Output               |
|---------------|----------------------------|----------------------|
| STDIN         | Function                   | 0.500000<br>0.333333 |
| 6             | arr[] size n = 6           | 0.166667             |
| -4 3 -9 0 4 1 | arr = [-4, 3, -9, 0, 4, 1] |                      |

# **Explanation**

There are 3 positive numbers, 2 negative numbers, and 1 zero in the array. The proportions of occurrence are positive:  $\frac{3}{6}=0.500000$ , negative:  $\frac{2}{6}=0.333333$  and zeros:  $\frac{1}{6}=0.166667$ .