Other aspects of the relational model are presented in subsequent parts of the book. Chapter 9 relates the relational model data structures to the constructs of the ER and EER models (presented in Chapters 7 and 8), and presents algorithms for designing a relational database schema by mapping a conceptual schema in the ER or EER model into a relational representation. These mappings are incorporated into many database design and CASE¹ tools. Chapters 13 and 14 in Part 5 discuss the programming techniques used to access database systems and the notion of connecting to relational databases via ODBC and JDBC standard protocols. We also introduce the topic of Web database programming in Chapter 14. Chapters 15 and 16 in Part 6 present another aspect of the relational model, namely the formal constraints of functional and multivalued dependencies; these dependencies are used to develop a relational database design theory based on the concept known as normalization.

Data models that preceded the relational model include the hierarchical and network models. They were proposed in the 1960s and were implemented in early DBMSs during the late 1960s and early 1970s. Because of their historical importance and the existing user base for these DBMSs, we have included a summary of the highlights of these models in Appendices D and E, which are available on this book's Companion Website at http://www.aw.com/elmasri. These models and systems are now referred to as *legacy database systems*.

In this chapter, we concentrate on describing the basic principles of the relational model of data. We begin by defining the modeling concepts and notation of the relational model in Section 3.1. Section 3.2 is devoted to a discussion of relational constraints that are considered an important part of the relational model and are automatically enforced in most relational DBMSs. Section 3.3 defines the update operations of the relational model, discusses how violations of integrity constraints are handled, and introduces the concept of a transaction. Section 3.4 summarizes the chapter.

## 3.1 Relational Model Concepts

The relational model represents the database as a collection of *relations*. Informally, each relation resembles a table of values or, to some extent, a *flat* file of records. It is called a **flat** file because each record has a simple linear or *flat* structure. For example, the database of files that was shown in Figure 1.2 is similar to the basic relational model representation. However, there are important differences between relations and files, as we shall soon see.

When a relation is thought of as a **table** of values, each row in the table represents a collection of related data values. A row represents a fact that typically corresponds to a real-world entity or relationship. The table name and column names are used to help to interpret the meaning of the values in each row. For example, the first table of Figure 1.2 is called STUDENT because each row represents facts about a particular

<sup>&</sup>lt;sup>1</sup>CASE stands for computer-aided software engineering.

student entity. The column names—Name, Student\_number, Class, and Major—specify how to interpret the data values in each row, based on the column each value is in. All values in a column are of the same data type.

In the formal relational model terminology, a row is called a *tuple*, a column header is called an *attribute*, and the table is called a *relation*. The data type describing the types of values that can appear in each column is represented by a *domain* of possible values. We now define these terms—*domain*, *tuple*, *attribute*, and *relation*—formally.

## 3.1 Domains, Attributes, Tuples, and Relations

A **domain** *D* is a set of atomic values. By **atomic** we mean that each value in the domain is indivisible as far as the formal relational model is concerned. A common method of specifying a domain is to specify a data type from which the data values forming the domain are drawn. It is also useful to specify a name for the domain, to help in interpreting its values. Some examples of domains follow:

- Usa\_phone\_numbers. The set of ten-digit phone numbers valid in the United States.
- Local\_phone\_numbers. The set of seven-digit phone numbers valid within a particular area code in the United States. The use of local phone numbers is quickly becoming obsolete, being replaced by standard ten-digit numbers.
- Social\_security\_numbers. The set of valid nine-digit Social Security numbers.
   (This is a unique identifier assigned to each person in the United States for employment, tax, and benefits purposes.)
- Names: The set of character strings that represent names of persons.
- Grade\_point\_averages. Possible values of computed grade point averages; each must be a real (floating-point) number between 0 and 4.
- Employee\_ages. Possible ages of employees in a company; each must be an integer value between 15 and 80.
- Academic\_department\_names. The set of academic department names in a university, such as Computer Science, Economics, and Physics.
- Academic\_department\_codes. The set of academic department codes, such as 'CS', 'ECON', and 'PHYS'.

The preceding are called *logical* definitions of domains. A **data type** or **format** is also specified for each domain. For example, the data type for the domain Usa\_phone\_numbers can be declared as a character string of the form (ddd)ddd-dddd, where each d is a numeric (decimal) digit and the first three digits form a valid telephone area code. The data type for Employee\_ages is an integer number between 15 and 80. For Academic\_department\_names, the data type is the set of all character strings that represent valid department names. A domain is thus given a name, data type, and format. Additional information for interpreting the values of a domain can also be given; for example, a numeric domain such as Person\_weights should have the units of measurement, such as pounds or kilograms.

A **relation schema**<sup>2</sup> R, denoted by  $R(A_1, A^2, ..., A_n)$ , is made up of a relation name R and a list of attributes,  $A_1, A_2, ..., A_n$ . Each **attribute**  $A_i$  is the name of a role played by some domain D in the relation schema R. D is called the **domain** of  $A_i$  and is denoted by  $\mathbf{dom}(\mathbf{A}_i)$ . A relation schema is used to *describe* a relation; R is called the **name** of this relation. The **degree** (or **arity**) of a relation is the number of attributes n of its relation schema.

A relation of degree seven, which stores information about university students, would contain seven attributes describing each student. as follows:

STUDENT(Name, Ssn, Home\_phone, Address, Office\_phone, Age, Gpa)

Using the data type of each attribute, the definition is sometimes written as:

STUDENT(Name: string, Ssn: string, Home\_phone: string, Address: string, Office\_phone: string, Age: integer, Gpa: real)

For this relation schema, STUDENT is the name of the relation, which has seven attributes. In the preceding definition, we showed assignment of generic types such as string or integer to the attributes. More precisely, we can specify the following previously defined domains for some of the attributes of the STUDENT relation: dom(Name) = Names; dom(Ssn) = Social\_security\_numbers; dom(HomePhone) = USA\_phone\_numbers³, dom(Office\_phone) = USA\_phone\_numbers, and dom(Gpa) = Grade\_point\_averages. It is also possible to refer to attributes of a relation schema by their position within the relation; thus, the second attribute of the STUDENT relation is Ssn, whereas the fourth attribute is Address.

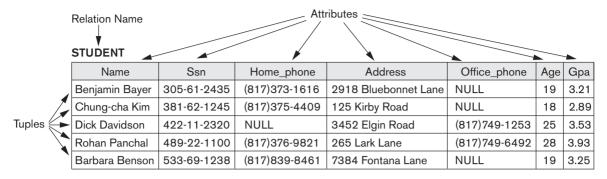
A **relation** (or **relation state**)<sup>4</sup> r of the relation schema  $R(A_1, A_2, ..., A_n)$ , also denoted by r(R), is a set of n-tuples  $r = \{t_1, t_2, ..., t_m\}$ . Each n-tuple t is an ordered list of n values  $t = \langle v_1, v_2, ..., v_n \rangle$ , where each value  $v_i$ ,  $1 \le i \le n$ , is an element of dom  $(A_i)$  or is a special NULL value. (NULL values are discussed further below and in Section 3.1.2.) The i<sup>th</sup> value in tuple t, which corresponds to the attribute  $A_i$ , is referred to as  $t[A_i]$  or t. $A_i$  (or t[i] if we use the positional notation). The terms **relation intension** for the schema R and **relation extension** for a relation state r(R) are also commonly used.

Figure 3.1 shows an example of a STUDENT relation, which corresponds to the STUDENT schema just specified. Each tuple in the relation represents a particular student entity (or object). We display the relation as a table, where each tuple is shown as a *row* and each attribute corresponds to a *column header* indicating a role or interpretation of the values in that column. *NULL values* represent attributes whose values are unknown or do not exist for some individual STUDENT tuple.

<sup>&</sup>lt;sup>2</sup>A relation schema is sometimes called a **relation scheme**.

<sup>&</sup>lt;sup>3</sup>With the large increase in phone numbers caused by the proliferation of mobile phones, most metropolitan areas in the U.S. now have multiple area codes, so seven-digit local dialing has been discontinued in most areas. We changed this domain to Usa\_phone\_numbers instead of Local\_phone\_numbers which would be a more general choice. This illustrates how database requirements can change over time.

<sup>&</sup>lt;sup>4</sup>This has also been called a **relation instance**. We will not use this term because *instance* is also used to refer to a single tuple or row.



**Figure 3.1**The attributes and tuples of a relation STUDENT.

The earlier definition of a relation can be *restated* more formally using set theory concepts as follows. A relation (or relation state) r(R) is a **mathematical relation** of degree n on the domains  $dom(A_1)$ ,  $dom(A_2)$ , ...,  $dom(A_n)$ , which is a **subset** of the **Cartesian product** (denoted by  $\times$ ) of the domains that define R:

$$r(R) \subseteq (\text{dom}(A_1) \times \text{dom}(A_2) \times ... \times \text{dom}(A_n))$$

The Cartesian product specifies all possible combinations of values from the underlying domains. Hence, if we denote the total number of values, or **cardinality,** in a domain D by |D| (assuming that all domains are finite), the total number of tuples in the Cartesian product is

$$|\operatorname{dom}(A_1)| \times |\operatorname{dom}(A_2)| \times ... \times |\operatorname{dom}(A_n)|$$

This product of cardinalities of all domains represents the total number of possible instances or tuples that can ever exist in any relation state r(R). Of all these possible combinations, a relation state at a given time—the **current relation state**—reflects only the valid tuples that represent a particular state of the real world. In general, as the state of the real world changes, so does the relation state, by being transformed into another relation state. However, the schema R is relatively static and changes *very* infrequently—for example, as a result of adding an attribute to represent new information that was not originally stored in the relation.

It is possible for several attributes to *have the same domain*. The attribute names indicate different **roles**, or interpretations, for the domain. For example, in the STUDENT relation, the same domain USA\_phone\_numbers plays the role of Home\_phone, referring to the *home phone of a student*, and the role of Office\_phone, referring to the *office phone of the student*. A third possible attribute (not shown) with the same domain could be Mobile\_phone.

#### 3.1.2 Characteristics of Relations

The earlier definition of relations implies certain characteristics that make a relation different from a file or a table. We now discuss some of these characteristics.

**Ordering of Tuples in a Relation.** A relation is defined as a *set* of tuples. Mathematically, elements of a set have *no order* among them; hence, tuples in a relation do not have any particular order. In other words, a relation is not sensitive to the ordering of tuples. However, in a file, records are physically stored on disk (or in memory), so there always is an order among the records. This ordering indicates first, second, *i*th, and last records in the file. Similarly, when we display a relation as a table, the rows are displayed in a certain order.

Tuple ordering is not part of a relation definition because a relation attempts to represent facts at a logical or abstract level. Many tuple orders can be specified on the same relation. For example, tuples in the STUDENT relation in Figure 3.1 could be ordered by values of Name, Ssn, Age, or some other attribute. The definition of a relation does not specify any order: There is *no preference* for one ordering over another. Hence, the relation displayed in Figure 3.2 is considered *identical* to the one shown in Figure 3.1. When a relation is implemented as a file or displayed as a table, a particular ordering may be specified on the records of the file or the rows of the table.

**Ordering of Values within a Tuple and an Alternative Definition of a Relation.** According to the preceding definition of a relation, an *n*-tuple is an *ordered list* of *n* values, so the ordering of values in a tuple—and hence of attributes in a relation schema—is important. However, at a more abstract level, the order of attributes and their values is *not* that important as long as the correspondence between attributes and values is maintained.

An **alternative definition** of a relation can be given, making the ordering of values in a tuple *unnecessary*. In this definition, a relation schema  $R = \{A_1, A_2, ..., A_n\}$  is a set of attributes (instead of a list), and a relation state r(R) is a finite set of mappings  $r = \{t_1, t_2, ..., t_m\}$ , where each tuple  $t_i$  is a **mapping** from R to D, and D is the **union** (denoted by  $\cup$ ) of the attribute domains; that is,  $D = \text{dom}(A_1) \cup \text{dom}(A_2) \cup ... \cup \text{dom}(A_n)$ . In this definition,  $t[A_i]$  must be in  $\text{dom}(A_i)$  for  $1 \le i \le n$  for each mapping t in t. Each mapping t is called a tuple.

According to this definition of tuple as a mapping, a **tuple** can be considered as a **set** of (<attribute>, <value>) pairs, where each pair gives the value of the mapping from an attribute  $A_i$  to a value  $v_i$  from  $dom(A_i)$ . The ordering of attributes is *not* 

Figure 3.2
The relation STUDENT from Figure 3.1 with a different order of tuples.

#### **STUDENT**

Name	Ssn	Home_phone	Address	Office_phone	Age	Gpa
Dick Davidson	422-11-2320	NULL	3452 Elgin Road	(817)749-1253	25	3.53
Barbara Benson	533-69-1238	(817)839-8461	7384 Fontana Lane	NULL	19	3.25
Rohan Panchal	489-22-1100	(817)376-9821	265 Lark Lane	(817)749-6492	28	3.93
Chung-cha Kim	381-62-1245	(817)375-4409	125 Kirby Road	NULL	18	2.89
Benjamin Bayer	305-61-2435	(817)373-1616	2918 Bluebonnet Lane	NULL	19	3.21

important, because the *attribute name* appears with its *value*. By this definition, the two tuples shown in Figure 3.3 are identical. This makes sense at an abstract level, since there really is no reason to prefer having one attribute value appear before another in a tuple.

When a relation is implemented as a file, the attributes are physically ordered as fields within a record. We will generally use the **first definition** of relation, where the attributes and the values within tuples *are ordered*, because it simplifies much of the notation. However, the alternative definition given here is more general.<sup>5</sup>

**Values and NULLs in the Tuples.** Each value in a tuple is an **atomic** value; that is, it is not divisible into components within the framework of the basic relational model. Hence, composite and multivalued attributes (see Chapter 7) are not allowed. This model is sometimes called the **flat relational model**. Much of the theory behind the relational model was developed with this assumption in mind, which is called the **first normal form** assumption.<sup>6</sup> Hence, multivalued attributes must be represented by separate relations, and composite attributes are represented only by their simple component attributes in the basic relational model.<sup>7</sup>

An important concept is that of NULL values, which are used to represent the values of attributes that may be unknown or may not apply to a tuple. A special value, called NULL, is used in these cases. For example, in Figure 3.1, some STUDENT tuples have NULL for their office phones because they do not have an office (that is, office phone *does not apply* to these students). Another student has a NULL for home phone, presumably because either he does not have a home phone or he has one but we do not know it (value is *unknown*). In general, we can have several meanings for NULL values, such as *value unknown*, *value* exists but is *not available*, or *attribute does not apply* to this tuple (also known as *value undefined*). An example of the last type of NULL will occur if we add an attribute Visa\_status to the STUDENT relation

#### Figure 3.3

Two identical tuples when the order of attributes and values is not part of relation definition.

t = < (Name, Dick Davidson),(Ssn, 422-11-2320),(Home\_phone, NULL),(Address, 3452 Elgin Road), (Office\_phone, (817)749-1253),(Age, 25),(Gpa, 3.53)>

t = < (Address, 3452 Elgin Road), (Name, Dick Davidson), (Ssn, 422-11-2320), (Age, 25), (Office phone, (817)749-1253), (Gpa, 3.53), (Home phone, NULL)>

<sup>&</sup>lt;sup>5</sup>As we shall see, the alternative definition of relation is useful when we discuss query processing and optimization in Chapter 19.

<sup>&</sup>lt;sup>6</sup>We discuss this assumption in more detail in Chapter 15.

<sup>&</sup>lt;sup>7</sup>Extensions of the relational model remove these restrictions. For example, object-relational systems (Chapter 11) allow complex-structured attributes, as do the **non-first normal form** or **nested** relational models.

that applies only to tuples representing foreign students. It is possible to devise different codes for different meanings of NULL values. Incorporating different types of NULL values into relational model operations (see Chapter 6) has proven difficult and is outside the scope of our presentation.

The exact meaning of a NULL value governs how it fares during arithmetic aggregations or comparisons with other values. For example, a comparison of two NULL values leads to ambiguities—if both Customer A and B have NULL addresses, it *does not mean* they have the same address. During database design, it is best to avoid NULL values as much as possible. We will discuss this further in Chapters 5 and 6 in the context of operations and queries, and in Chapter 15 in the context of database design and normalization.

**Interpretation (Meaning) of a Relation.** The relation schema can be interpreted as a declaration or a type of **assertion**. For example, the schema of the STUDENT relation of Figure 3.1 asserts that, in general, a student entity has a Name, Ssn, Home\_phone, Address, Office\_phone, Age, and Gpa. Each tuple in the relation can then be interpreted as a **fact** or a particular instance of the assertion. For example, the first tuple in Figure 3.1 asserts the fact that there is a STUDENT whose Name is Benjamin Bayer, Ssn is 305-61-2435, Age is 19, and so on.

Notice that some relations may represent facts about *entities*, whereas other relations may represent facts about *relationships*. For example, a relation schema MAJORS (Student\_ssn, Department\_code) asserts that students major in academic disciplines. A tuple in this relation relates a student to his or her major discipline. Hence, the relational model represents facts about both entities and relationships *uniformly* as relations. This sometimes compromises understandability because one has to guess whether a relation represents an entity type or a relationship type. We introduce the Entity-Relationship (ER) model in detail in Chapter 7 where the entity and relationship concepts will be described in detail. The mapping procedures in Chapter 9 show how different constructs of the ER and EER (Enhanced ER model covered in Chapter 8) conceptual data models (see Part 3) get converted to relations.

An alternative interpretation of a relation schema is as a **predicate**; in this case, the values in each tuple are interpreted as values that *satisfy* the predicate. For example, the predicate STUDENT (Name, Ssn, ...) is true for the five tuples in relation STUDENT of Figure 3.1. These tuples represent five different propositions or facts in the real world. This interpretation is quite useful in the context of logical programming languages, such as Prolog, because it allows the relational model to be used within these languages (see Section 26.5). An assumption called **the closed world assumption** states that the only true facts in the universe are those present within the extension (state) of the relation(s). Any other combination of values makes the predicate false.

#### 3.1.3 Relational Model Notation

We will use the following notation in our presentation:

• A relation schema R of degree n is denoted by  $R(A_1, A_2, ..., A_n)$ .

- The uppercase letters *Q*, *R*, *S* denote relation names.
- $\blacksquare$  The lowercase letters q, r, s denote relation states.
- $\blacksquare$  The letters *t*, *u*, *v* denote tuples.
- In general, the name of a relation schema such as STUDENT also indicates the current set of tuples in that relation—the *current relation state*—whereas STUDENT(Name, Ssn, ...) refers *only* to the relation schema.
- An attribute *A* can be qualified with the relation name *R* to which it belongs by using the dot notation *R*.*A*—for example, STUDENT.Name or STUDENT.Age. This is because the same name may be used for two attributes in different relations. However, all attribute names *in a particular relation* must be distinct.
- An *n*-tuple *t* in a relation r(R) is denoted by  $t = \langle v_1, v_2, ..., v_n \rangle$ , where  $v_i$  is the value corresponding to attribute  $A_i$ . The following notation refers to **component values** of tuples:
- Both  $t[A_i]$  and  $t.A_i$  (and sometimes t[i]) refer to the value  $v_i$  in t for attribute  $A_i$ .
- Both  $t[A_u, A_w, ..., A_z]$  and  $t.(A_u, A_w, ..., A_z)$ , where  $A_u, A_w, ..., A_z$  is a list of attributes from R, refer to the subtuple of values  $\langle v_u, v_w, ..., v_z \rangle$  from t corresponding to the attributes specified in the list.

As an example, consider the tuple t = `Barbara Benson', `533-69-1238', `(817)839-8461', `7384 Fontana Lane', NULL, 19, 3.25> from the STUDENT relation in Figure 3.1; we have <math>t[Name] = `Barbara Benson', and t[Ssn, Gpa, Age] = `533-69-1238', 3.25, 19>.

# 3.2 Relational Model Constraints and Relational Database Schemas

So far, we have discussed the characteristics of single relations. In a relational database, there will typically be many relations, and the tuples in those relations are usually related in various ways. The state of the whole database will correspond to the states of all its relations at a particular point in time. There are generally many restrictions or **constraints** on the actual values in a database state. These constraints are derived from the rules in the miniworld that the database represents, as we discussed in Section 1.6.8.

In this section, we discuss the various restrictions on data that can be specified on a relational database in the form of constraints. Constraints on databases can generally be divided into three main categories:

- 1. Constraints that are inherent in the data model. We call these **inherent** model-based constraints or implicit constraints.
- 2. Constraints that can be directly expressed in schemas of the data model, typically by specifying them in the DDL (data definition language, see Section 2.3.1). We call these schema-based constraints or explicit constraints.

3. Constraints that *cannot* be directly expressed in the schemas of the data model, and hence must be expressed and enforced by the application programs. We call these application-based or semantic constraints or business rules.

The characteristics of relations that we discussed in Section 3.1.2 are the inherent constraints of the relational model and belong to the first category. For example, the constraint that a relation cannot have duplicate tuples is an inherent constraint. The constraints we discuss in this section are of the second category, namely, constraints that can be expressed in the schema of the relational model via the DDL. Constraints in the third category are more general, relate to the meaning as well as behavior of attributes, and are difficult to express and enforce within the data model, so they are usually checked within the application programs that perform database updates.

Another important category of constraints is *data dependencies*, which include *functional dependencies* and *multivalued dependencies*. They are used mainly for testing the "goodness" of the design of a relational database and are utilized in a process called *normalization*, which is discussed in Chapters 15 and 16.

The schema-based constraints include domain constraints, key constraints, constraints on NULLs, entity integrity constraints, and referential integrity constraints.

#### 3.2.1 Domain Constraints

Domain constraints specify that within each tuple, the value of each attribute *A* must be an atomic value from the domain dom(*A*). We have already discussed the ways in which domains can be specified in Section 3.1.1. The data types associated with domains typically include standard numeric data types for integers (such as short integer, integer, and long integer) and real numbers (float and double-precision float). Characters, Booleans, fixed-length strings, and variable-length strings are also available, as are date, time, timestamp, and money, or other special data types. Other possible domains may be described by a subrange of values from a data type or as an enumerated data type in which all possible values are explicitly listed. Rather than describe these in detail here, we discuss the data types offered by the SQL relational standard in Section 4.1.

## 3.2.2 Key Constraints and Constraints on NULL Values

In the formal relational model, a *relation* is defined as a *set of tuples*. By definition, all elements of a set are distinct; hence, all tuples in a relation must also be distinct. This means that no two tuples can have the same combination of values for *all* their attributes. Usually, there are other **subsets of attributes** of a relation schema R with the property that no two tuples in any relation state r of R should have the same combination of values for these attributes. Suppose that we denote one such subset of attributes by SK; then for any two *distinct* tuples  $t_1$  and  $t_2$  in a relation state r of R, we have the constraint that:

$$t_1[SK] \neq t_2[SK]$$

Any such set of attributes SK is called a **superkey** of the relation schema R. A superkey SK specifies a *uniqueness constraint* that no two distinct tuples in any state r of R can have the same value for SK. Every relation has at least one default superkey—the set of all its attributes. A superkey can have redundant attributes, however, so a more useful concept is that of a key, which has no redundancy. A key K of a relation schema R is a superkey of R with the additional property that removing any attribute R from R leaves a set of attributes R that is not a superkey of R any more. Hence, a key satisfies two properties:

- 1. Two distinct tuples in any state of the relation cannot have identical values for (all) the attributes in the key. This first property also applies to a superkey.
- **2.** It is a *minimal superkey*—that is, a superkey from which we cannot remove any attributes and still have the uniqueness constraint in condition 1 hold. This property is not required by a superkey.

Whereas the first property applies to both keys and superkeys, the second property is required only for keys. Hence, a key is also a superkey but not vice versa. Consider the STUDENT relation of Figure 3.1. The attribute set {Ssn} is a key of STUDENT because no two student tuples can have the same value for Ssn.<sup>8</sup> Any set of attributes that includes Ssn—for example, {Ssn, Name, Age}—is a superkey. However, the superkey {Ssn, Name, Age} is not a key of STUDENT because removing Name or Age or both from the set still leaves us with a superkey. In general, any superkey formed from a single attribute is also a key. A key with multiple attributes must require *all* its attributes together to have the uniqueness property.

The value of a key attribute can be used to identify uniquely each tuple in the relation. For example, the Ssn value 305-61-2435 identifies uniquely the tuple corresponding to Benjamin Bayer in the STUDENT relation. Notice that a set of attributes constituting a key is a property of the relation schema; it is a constraint that should hold on *every* valid relation state of the schema. A key is determined from the meaning of the attributes, and the property is *time-invariant*: It must continue to hold when we insert new tuples in the relation. For example, we cannot and should not designate the Name attribute of the STUDENT relation in Figure 3.1 as a key because it is possible that two students with identical names will exist at some point in a valid state.<sup>9</sup>

In general, a relation schema may have more than one key. In this case, each of the keys is called a **candidate key**. For example, the CAR relation in Figure 3.4 has two candidate keys: License\_number and Engine\_serial\_number. It is common to designate one of the candidate keys as the **primary key** of the relation. This is the candidate key whose values are used to *identify* tuples in the relation. We use the convention that the attributes that form the primary key of a relation schema are underlined, as shown in Figure 3.4. Notice that when a relation schema has several candidate keys,

<sup>&</sup>lt;sup>8</sup>Note that Ssn is also a superkey.

<sup>&</sup>lt;sup>9</sup>Names are sometimes used as keys, but then some artifact—such as appending an ordinal number—must be used to distinguish between identical names.

#### CAR

License_number	Engine_serial_number	Make	Model	Year
Texas ABC-739	A69352	Ford	Mustang	02
Florida TVP-347	B43696	Oldsmobile	Cutlass	05
New York MPO-22	X83554	Oldsmobile	Delta	01
California 432-TFY	C43742	Mercedes	190-D	99
California RSK-629	Y82935	Toyota	Camry	04
Texas RSK-629	U028365	Jaguar	XJS	04

the choice of one to become the primary key is somewhat arbitrary; however, it is usually better to choose a primary key with a single attribute or a small number of attributes. The other candidate keys are designated as **unique keys**, and are not underlined.

Another constraint on attributes specifies whether NULL values are or are not permitted. For example, if every STUDENT tuple must have a valid, non-NULL value for the Name attribute, then Name of STUDENT is constrained to be NOT NULL.

# 3.2.3 Relational Databases and Relational Database Schemas

The definitions and constraints we have discussed so far apply to single relations and their attributes. A relational database usually contains many relations, with tuples in relations that are related in various ways. In this section we define a relational database and a relational database schema.

A **relational database schema** S is a set of relation schemas  $S = \{R_1, R_2, ..., R_m\}$  and a set of **integrity constraints** IC. A **relational database state**<sup>10</sup> DB of S is a set of relation states DB =  $\{r_1, r_2, ..., r_m\}$  such that each  $r_i$  is a state of  $R_i$  and such that the  $r_i$  relation states satisfy the integrity constraints specified in IC. Figure 3.5 shows a relational database schema that we call COMPANY = {EMPLOYEE, DEPARTMENT, DEPT\_LOCATIONS, PROJECT, WORKS\_ON, DEPENDENT}. The underlined attributes represent primary keys. Figure 3.6 shows a relational database state corresponding to the COMPANY schema. We will use this schema and database state in this chapter and in Chapters 4 through 6 for developing sample queries in different relational languages. (The data shown here is expanded and available for loading as a populated database from the Companion Website for the book, and can be used for the hands-on project exercises at the end of the chapters.)

When we refer to a relational database, we implicitly include both its schema and its current state. A database state that does not obey all the integrity constraints is

<sup>&</sup>lt;sup>10</sup>A relational database *state* is sometimes called a relational database *instance*. However, as we mentioned earlier, we will not use the term *instance* since it also applies to single tuples.

#### **EMPLOYEE** Fname Lname Ssn Bdate Minit Address Sex Salary Super ssn DEPARTMENT Dnumber Mgr ssn Dname Mgr\_start\_date **DEPT\_LOCATIONS** Dnumber Dlocation **PROJECT** Pname Pnumber Plocation Dnum

## WORKS\_ON Essn Pno

DEPENDENT

Essn | Dependent\_name | Sex | Bdate | Relationship

Hours

Figure 3.5
Schema diagram for the COMPANY relational database schema.

Dno

called an **invalid state**, and a state that satisfies all the constraints in the defined set of integrity constraints IC is called a **valid state**.

In Figure 3.5, the Dnumber attribute in both DEPARTMENT and DEPT\_LOCATIONS stands for the same real-world concept—the number given to a department. That same concept is called Dno in EMPLOYEE and Dnum in PROJECT. Attributes that represent the same real-world concept may or may not have identical names in different relations. Alternatively, attributes that represent different concepts may have the same name in different relations. For example, we could have used the attribute name Name for both Pname of PROJECT and Dname of DEPARTMENT; in this case, we would have two attributes that share the same name but represent different real-world concepts—project names and department names.

In some early versions of the relational model, an assumption was made that the same real-world concept, when represented by an attribute, would have *identical* attribute names in all relations. This creates problems when the same real-world concept is used in different roles (meanings) in the same relation. For example, the concept of Social Security number appears twice in the EMPLOYEE relation of Figure 3.5: once in the role of the employee's SSN, and once in the role of the supervisor's SSN. We are required to give them distinct attribute names—Ssn and Super\_ssn, respectively—because they appear in the same relation and in order to distinguish their meaning.

Each relational DBMS must have a data definition language (DDL) for defining a relational database schema. Current relational DBMSs are mostly using SQL for this purpose. We present the SQL DDL in Sections 4.1 and 4.2.

Figure 3.6

One possible database state for the COMPANY relational database schema.

#### **EMPLOYEE**

Fname	Minit	Lname	Ssn	Bdate	Address	Sex	Salary	Super_ssn	Dno
John	В	Smith	123456789	1965-01-09	731 Fondren, Houston, TX	М	30000	333445555	5
Franklin	Т	Wong	333445555	1955-12-08	638 Voss, Houston, TX	М	40000	888665555	5
Alicia	J	Zelaya	999887777	1968-01-19	3321 Castle, Spring, TX	F	25000	987654321	4
Jennifer	S	Wallace	987654321	1941-06-20	291 Berry, Bellaire, TX	F	43000	888665555	4
Ramesh	K	Narayan	666884444	1962-09-15	975 Fire Oak, Humble, TX	М	38000	333445555	5
Joyce	Α	English	453453453	1972-07-31	5631 Rice, Houston, TX	F	25000	333445555	5
Ahmad	V	Jabbar	987987987	1969-03-29	980 Dallas, Houston, TX	М	25000	987654321	4
James	Е	Borg	888665555	1937-11-10	450 Stone, Houston, TX	М	55000	NULL	1

#### DEPARTMENT

Dname	<u>Dnumber</u>	Mgr_ssn	Mgr_start_date
Research	5	333445555	1988-05-22
Administration	4	987654321	1995-01-01
Headquarters	1	888665555	1981-06-19

#### DEPT\_LOCATIONS

Dnumber	Dlocation
1	Houston
4	Stafford
5	Bellaire
5	Sugarland
5	Houston

#### WORKS\_ON

Essn	<u>Pno</u>	Hours
123456789	1	32.5
123456789	2	7.5
666884444	3	40.0
453453453	1	20.0
453453453	2	20.0
333445555	2	10.0
333445555	3	10.0
333445555	10	10.0
333445555	20	10.0
999887777	30	30.0
999887777	10	10.0
987987987	10	35.0
987987987	30	5.0
987654321	30	20.0
987654321	20	15.0
888665555	20	NULL

#### PROJECT

Pname	Pnumber	Plocation	Dnum
ProductX	1	Bellaire	5
ProductY	2	Sugarland	5
ProductZ	3	Houston	5
Computerization	10	Stafford	4
Reorganization	20	Houston	1
Newbenefits	30	Stafford	4

#### DEPENDENT

Essn	Dependent_name	Sex	Bdate	Relationship
333445555	Alice	F	1986-04-05	Daughter
333445555	Theodore	М	1983-10-25	Son
333445555	Joy	F	1958-05-03	Spouse
987654321	Abner	М	1942-02-28	Spouse
123456789	Michael	М	1988-01-04	Son
123456789	Alice	F	1988-12-30	Daughter
123456789	Elizabeth	F	1967-05-05	Spouse

Integrity constraints are specified on a database schema and are expected to hold on every valid database state of that schema. In addition to domain, key, and NOT NULL constraints, two other types of constraints are considered part of the relational model: entity integrity and referential integrity.

# 3.2.4 Integrity, Referential Integrity, and Foreign Keys

The **entity integrity constraint** states that no primary key value can be NULL. This is because the primary key value is used to identify individual tuples in a relation. Having NULL values for the primary key implies that we cannot identify some tuples. For example, if two or more tuples had NULL for their primary keys, we may not be able to distinguish them if we try to reference them from other relations.

Key constraints and entity integrity constraints are specified on individual relations. The **referential integrity constraint** is specified between two relations and is used to maintain the consistency among tuples in the two relations. Informally, the referential integrity constraint states that a tuple in one relation that refers to another relation must refer to an *existing tuple* in that relation. For example, in Figure 3.6, the attribute Dno of EMPLOYEE gives the department number for which each employee works; hence, its value in every EMPLOYEE tuple must match the Dnumber value of some tuple in the DEPARTMENT relation.

To define referential integrity more formally, first we define the concept of a *foreign key*. The conditions for a foreign key, given below, specify a referential integrity constraint between the two relation schemas  $R_1$  and  $R_2$ . A set of attributes FK in relation schema  $R_1$  is a **foreign key** of  $R_1$  that **references** relation  $R_2$  if it satisfies the following rules:

- **1.** The attributes in FK have the same domain(s) as the primary key attributes PK of  $R_2$ ; the attributes FK are said to **reference** or **refer to** the relation  $R_2$ .
- **2.** A value of FK in a tuple  $t_1$  of the current state  $r_1(R_1)$  either occurs as a value of PK for some tuple  $t_2$  in the current state  $r_2(R_2)$  or is NULL. In the former case, we have  $t_1[FK] = t_2[PK]$ , and we say that the tuple  $t_1$  references or refers to the tuple  $t_2$ .

In this definition,  $R_1$  is called the **referencing relation** and  $R_2$  is the **referenced relation**. If these two conditions hold, a **referential integrity constraint** from  $R_1$  to  $R_2$  is said to hold. In a database of many relations, there are usually many referential integrity constraints.

To specify these constraints, first we must have a clear understanding of the meaning or role that each attribute or set of attributes plays in the various relation schemas of the database. Referential integrity constraints typically arise from the relationships among the entities represented by the relation schemas. For example, consider the database shown in Figure 3.6. In the EMPLOYEE relation, the attribute Dno refers to the department for which an employee works; hence, we designate Dno to be a foreign key of EMPLOYEE referencing the DEPARTMENT relation. This means that a value of Dno in any tuple  $t_1$  of the EMPLOYEE relation must match a value of

the primary key of DEPARTMENT—the Dnumber attribute—in some tuple  $t_2$  of the DEPARTMENT relation, or the value of Dno *can be NULL* if the employee does not belong to a department or will be assigned to a department later. For example, in Figure 3.6 the tuple for employee 'John Smith' references the tuple for the 'Research' department, indicating that 'John Smith' works for this department.

Notice that a foreign key can *refer to its own relation*. For example, the attribute Super\_ssn in EMPLOYEE refers to the supervisor of an employee; this is another employee, represented by a tuple in the EMPLOYEE relation. Hence, Super\_ssn is a foreign key that references the EMPLOYEE relation itself. In Figure 3.6 the tuple for employee 'John Smith' references the tuple for employee 'Franklin Wong,' indicating that 'Franklin Wong' is the supervisor of 'John Smith.'

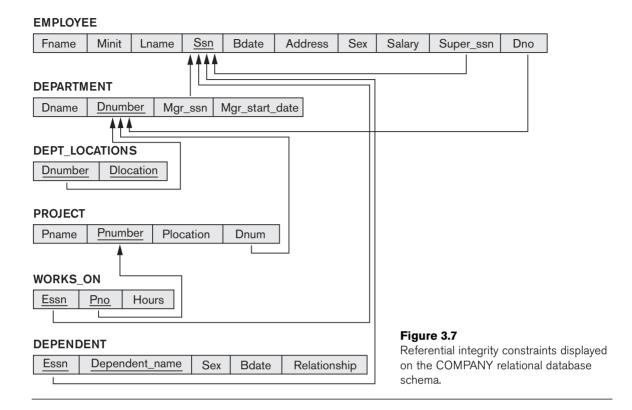
We can *diagrammatically display referential integrity constraints* by drawing a directed arc from each foreign key to the relation it references. For clarity, the arrowhead may point to the primary key of the referenced relation. Figure 3.7 shows the schema in Figure 3.5 with the referential integrity constraints displayed in this manner.

All integrity constraints should be specified on the relational database schema (i.e., defined as part of its definition) if we want to enforce these constraints on the database states. Hence, the DDL includes provisions for specifying the various types of constraints so that the DBMS can automatically enforce them. Most relational DBMSs support key, entity integrity, and referential integrity constraints. These constraints are specified as a part of data definition in the DDL.

## 3.2.5 Other Types of Constraints

The preceding integrity constraints are included in the data definition language because they occur in most database applications. However, they do not include a large class of general constraints, sometimes called *semantic integrity constraints*, which may have to be specified and enforced on a relational database. Examples of such constraints are the salary of an employee should not exceed the salary of the employee's supervisor and the maximum number of hours an employee can work on all projects per week is 56. Such constraints can be specified and enforced within the application programs that update the database, or by using a general-purpose constraint specification language. Mechanisms called triggers and assertions can be used. In SQL, CREATE ASSERTION and CREATE TRIGGER statements can be used for this purpose (see Chapter 5). It is more common to check for these types of constraints within the application programs than to use constraint specification languages because the latter are sometimes difficult and complex to use, as we discuss in Section 26.1.

Another type of constraint is the *functional dependency* constraint, which establishes a functional relationship among two sets of attributes X and Y. This constraint specifies that the value of X determines a unique value of Y in all states of a relation; it is denoted as a functional dependency  $X \rightarrow Y$ . We use functional dependencies and other types of dependencies in Chapters 15 and 16 as tools to analyze the quality of relational designs and to "normalize" relations to improve their quality.



The types of constraints we discussed so far may be called **state constraints** because they define the constraints that a *valid state* of the database must satisfy. Another type of constraint, called **transition constraints**, can be defined to deal with state changes in the database.<sup>11</sup> An example of a transition constraint is: "the salary of an employee can only increase." Such constraints are typically enforced by the application programs or specified using active rules and triggers, as we discuss in Section 26.1.

# 3.3 Update Operations, Transactions, and Dealing with Constraint Violations

The operations of the relational model can be categorized into *retrievals* and *updates*. The relational algebra operations, which can be used to specify **retrievals**, are discussed in detail in Chapter 6. A relational algebra expression forms a new relation after applying a number of algebraic operators to an existing set of relations; its main use is for querying a database to retrieve information. The user formulates a query that specifies the data of interest, and a new relation is formed by applying relational operators to retrieve this data. That **result relation** becomes the

<sup>&</sup>lt;sup>11</sup>State constraints are sometimes called *static constraints*, and transition constraints are sometimes called *dynamic constraints*.

answer to (or result of) the user's query. Chapter 6 also introduces the language called relational calculus, which is used to define the new relation declaratively without giving a specific order of operations.

In this section, we concentrate on the database **modification** or **update** operations. There are three basic operations that can change the states of relations in the database: Insert, Delete, and Update (or Modify). They insert new data, delete old data, or modify existing data records. **Insert** is used to insert one or more new tuples in a relation, **Delete** is used to delete tuples, and **Update** (or **Modify**) is used to change the values of some attributes in existing tuples. Whenever these operations are applied, the integrity constraints specified on the relational database schema should not be violated. In this section we discuss the types of constraints that may be violated by each of these operations and the types of actions that may be taken if an operation causes a violation. We use the database shown in Figure 3.6 for examples and discuss only key constraints, entity integrity constraints, and the referential integrity constraints shown in Figure 3.7. For each type of operation, we give some examples and discuss any constraints that each operation may violate.

## 3.3.1 The Insert Operation

The **Insert** operation provides a list of attribute values for a new tuple t that is to be inserted into a relation R. Insert can violate any of the four types of constraints discussed in the previous section. Domain constraints can be violated if an attribute value is given that does not appear in the corresponding domain or is not of the appropriate data type. Key constraints can be violated if a key value in the new tuple t already exists in another tuple in the relation r(R). Entity integrity can be violated if any part of the primary key of the new tuple t is NULL. Referential integrity can be violated if the value of any foreign key in t refers to a tuple that does not exist in the referenced relation. Here are some examples to illustrate this discussion.

### Operation:

Insert <'Cecilia', 'F', 'Kolonsky', NULL, '1960-04-05', '6357 Windy Lane, Katy, TX', F, 28000, NULL, 4> into EMPLOYEE.

*Result*: This insertion violates the entity integrity constraint (NULL for the primary key Ssn), so it is rejected.

#### ■ *Operation*:

Insert <'Alicia', 'J', 'Zelaya', '999887777', '1960-04-05', '6357 Windy Lane, Katy, TX', F, 28000, '987654321', 4> into EMPLOYEE.

Result: This insertion violates the key constraint because another tuple with the same Ssn value already exists in the EMPLOYEE relation, and so it is rejected.

#### Operation:

Insert <'Cecilia', 'F', 'Kolonsky', '677678989', '1960-04-05', '6357 Windswept, Katy, TX', F, 28000, '987654321', 7> into EMPLOYEE.

*Result*: This insertion violates the referential integrity constraint specified on Dno in EMPLOYEE because no corresponding referenced tuple exists in DEPARTMENT with Dnumber = 7.

#### Operation:

Insert <'Cecilia', 'F', 'Kolonsky', '677678989', '1960-04-05', '6357 Windy Lane, Katy, TX', F, 28000, NULL, 4> into EMPLOYEE.

Result: This insertion satisfies all constraints, so it is acceptable.

If an insertion violates one or more constraints, the default option is to *reject the insertion*. In this case, it would be useful if the DBMS could provide a reason to the user as to why the insertion was rejected. Another option is to attempt to *correct the reason for rejecting the insertion*, but this is typically not used for violations caused by Insert; rather, it is used more often in correcting violations for Delete and Update. In the first operation, the DBMS could ask the user to provide a value for Ssn, and could then accept the insertion if a valid Ssn value is provided. In operation 3, the DBMS could either ask the user to change the value of Dno to some valid value (or set it to NULL), or it could ask the user to insert a DEPARTMENT tuple with Dnumber = 7 and could accept the original insertion only after such an operation was accepted. Notice that in the latter case the insertion violation can **cascade** back to the EMPLOYEE relation if the user attempts to insert a tuple for department 7 with a value for Mgr\_ssn that does not exist in the EMPLOYEE relation.

## 3.3.2 The Delete Operation

The **Delete** operation can violate only referential integrity. This occurs if the tuple being deleted is referenced by foreign keys from other tuples in the database. To specify deletion, a condition on the attributes of the relation selects the tuple (or tuples) to be deleted. Here are some examples.

#### Operation:

Delete the WORKS\_ON tuple with Essn = '999887777' and Pno = 10. *Result*: This deletion is acceptable and deletes exactly one tuple.

#### ■ Operation:

Delete the EMPLOYEE tuple with Ssn = '999887777'.

Result: This deletion is not acceptable, because there are tuples in WORKS\_ON that refer to this tuple. Hence, if the tuple in EMPLOYEE is deleted, referential integrity violations will result.

#### Operation:

Delete the EMPLOYEE tuple with Ssn = 333445555.

*Result*: This deletion will result in even worse referential integrity violations, because the tuple involved is referenced by tuples from the EMPLOYEE, DEPARTMENT, WORKS\_ON, and DEPENDENT relations.

Several options are available if a deletion operation causes a violation. The first option, called **restrict**, is to *reject the deletion*. The second option, called **cascade**, is to *attempt to cascade* (*or propagate*) *the deletion* by deleting tuples that reference the tuple that is being deleted. For example, in operation 2, the DBMS could automatically delete the offending tuples from WORKS\_ON with Essn = '999887777'. A third option, called **set null** or **set default**, is to *modify the referencing attribute values* that cause the violation; each such value is either set to NULL or changed to reference

another default valid tuple. Notice that if a referencing attribute that causes a violation is *part of the primary key*, it *cannot* be set to NULL; otherwise, it would violate entity integrity.

Combinations of these three options are also possible. For example, to avoid having operation 3 cause a violation, the DBMS may automatically delete all tuples from WORKS\_ON and DEPENDENT with Essn = '333445555'. Tuples in EMPLOYEE with Super\_ssn = '333445555' and the tuple in DEPARTMENT with Mgr\_ssn = '333445555' can have their Super\_ssn and Mgr\_ssn values changed to other valid values or to NULL. Although it may make sense to delete automatically the WORKS\_ON and DEPENDENT tuples that refer to an EMPLOYEE tuple, it may not make sense to delete other EMPLOYEE tuples or a DEPARTMENT tuple.

In general, when a referential integrity constraint is specified in the DDL, the DBMS will allow the database designer to *specify which of the options* applies in case of a violation of the constraint. We discuss how to specify these options in the SQL DDL in Chapter 4.

## 3.3.3 The Update Operation

The **Update** (or **Modify**) operation is used to change the values of one or more attributes in a tuple (or tuples) of some relation *R*. It is necessary to specify a condition on the attributes of the relation to select the tuple (or tuples) to be modified. Here are some examples.

- *Operation*:
  - Update the salary of the EMPLOYEE tuple with Ssn = '999887777' to 28000. *Result*: Acceptable.
- Operation:
  - Update the Dno of the EMPLOYEE tuple with Ssn = '999887777' to 1. *Result*: Acceptable.
- Operation:
  - Update the Dno of the EMPLOYEE tuple with Ssn = '999887777' to 7. *Result*: Unacceptable, because it violates referential integrity.
- **Operation:** 
  - Update the Ssn of the EMPLOYEE tuple with Ssn = '999887777' to '987654321'.
  - *Result*: Unacceptable, because it violates primary key constraint by repeating a value that already exists as a primary key in another tuple; it violates referential integrity constraints because there are other relations that refer to the existing value of Ssn.

Updating an attribute that is *neither part of a primary key nor of a foreign key* usually causes no problems; the DBMS need only check to confirm that the new value is of the correct data type and domain. Modifying a primary key value is similar to deleting one tuple and inserting another in its place because we use the primary key to identify tuples. Hence, the issues discussed earlier in both Sections 3.3.1 (Insert) and 3.3.2 (Delete) come into play. If a foreign key attribute is modified, the DBMS must

make sure that the new value refers to an existing tuple in the referenced relation (or is set to NULL). Similar options exist to deal with referential integrity violations caused by Update as those options discussed for the Delete operation. In fact, when a referential integrity constraint is specified in the DDL, the DBMS will allow the user to choose separate options to deal with a violation caused by Delete and a violation caused by Update (see Section 4.2).

## 3.3.4 The Transaction Concept

A database application program running against a relational database typically executes one or more *transactions*. A **transaction** is an executing program that includes some database operations, such as reading from the database, or applying insertions, deletions, or updates to the database. At the end of the transaction, it must leave the database in a valid or consistent state that satisfies all the constraints specified on the database schema. A single transaction may involve any number of retrieval operations (to be discussed as part of relational algebra and calculus in Chapter 6, and as a part of the language SQL in Chapters 4 and 5), and any number of update operations. These retrievals and updates will together form an atomic unit of work against the database. For example, a transaction to apply a bank withdrawal will typically read the user account record, check if there is a sufficient balance, and then update the record by the withdrawal amount.

A large number of commercial applications running against relational databases in **online transaction processing (OLTP)** systems are executing transactions at rates that reach several hundred per second. Transaction processing concepts, concurrent execution of transactions, and recovery from failures will be discussed in Chapters 21 to 23.

## 3.4 Summary

In this chapter we presented the modeling concepts, data structures, and constraints provided by the relational model of data. We started by introducing the concepts of domains, attributes, and tuples. Then, we defined a relation schema as a list of attributes that describe the structure of a relation. A relation, or relation state, is a set of tuples that conforms to the schema.

Several characteristics differentiate relations from ordinary tables or files. The first is that a relation is not sensitive to the ordering of tuples. The second involves the ordering of attributes in a relation schema and the corresponding ordering of values within a tuple. We gave an alternative definition of relation that does not require these two orderings, but we continued to use the first definition, which requires attributes and tuple values to be ordered, for convenience. Then, we discussed values in tuples and introduced NULL values to represent missing or unknown information. We emphasized that NULL values should be avoided as much as possible.

We classified database constraints into inherent model-based constraints, explicit schema-based constraints, and application-based constraints, otherwise known as semantic constraints or business rules. Then, we discussed the schema constraints pertaining to the relational model, starting with domain constraints, then key constraints, including the concepts of superkey, candidate key, and primary key, and the NOT NULL constraint on attributes. We defined relational databases and relational database schemas. Additional relational constraints include the entity integrity constraint, which prohibits primary key attributes from being NULL. We described the interrelation referential integrity constraint, which is used to maintain consistency of references among tuples from different relations.

The modification operations on the relational model are Insert, Delete, and Update. Each operation may violate certain types of constraints (refer to Section 3.3). Whenever an operation is applied, the database state after the operation is executed must be checked to ensure that no constraints have been violated. Finally, we introduced the concept of a transaction, which is important in relational DBMSs because it allows the grouping of several database operations into a single atomic action on the database.

## Review Questions

- **3.1.** Define the following terms as they apply to the relational model of data: domain, attribute, n-tuple, relation schema, relation state, degree of a relation, relational database schema, and relational database state.
- **3.2.** Why are tuples in a relation not ordered?
- **3.3.** Why are duplicate tuples not allowed in a relation?
- **3.4.** What is the difference between a key and a superkey?
- **3.5.** Why do we designate one of the candidate keys of a relation to be the primary key?
- **3.6.** Discuss the characteristics of relations that make them different from ordinary tables and files.
- 3.7. Discuss the various reasons that lead to the occurrence of NULL values in relations.
- **3.8.** Discuss the entity integrity and referential integrity constraints. Why is each considered important?
- **3.9.** Define *foreign key*. What is this concept used for?
- **3.10.** What is a transaction? How does it differ from an Update operation?

## **Exercises**

**3.11.** Suppose that each of the following Update operations is applied directly to the database state shown in Figure 3.6. Discuss *all* integrity constraints violated by each operation, if any, and the different ways of enforcing these constraints.

- a. Insert <'Robert', 'F', 'Scott', '943775543', '1972-06-21', '2365 Newcastle Rd, Bellaire, TX', M, 58000, '888665555', 1> into EMPLOYEE.
- b. Insert <'ProductA', 4, 'Bellaire', 2> into PROJECT.
- c. Insert <'Production', 4, '943775543', '2007-10-01'> into DEPARTMENT.
- d. Insert <'677678989', NULL, '40.0'> into WORKS\_ON.
- e. Insert <'453453453', 'John', 'M', '1990-12-12', 'spouse'> into DEPENDENT.
- f. Delete the WORKS\_ON tuples with Essn = '333445555'.
- g. Delete the EMPLOYEE tuple with Ssn = '987654321'.
- h. Delete the PROJECT tuple with Pname = 'ProductX'.
- i. Modify the Mgr\_ssn and Mgr\_start\_date of the DEPARTMENT tuple with Dnumber = 5 to '123456789' and '2007-10-01', respectively.
- j. Modify the Super\_ssn attribute of the EMPLOYEE tuple with Ssn = '999887777' to '943775543'.
- k. Modify the Hours attribute of the WORKS\_ON tuple with Essn = '999887777' and Pno = 10 to '5.0'.
- 3.12. Consider the AIRLINE relational database schema shown in Figure 3.8, which describes a database for airline flight information. Each FLIGHT is identified by a Flight\_number, and consists of one or more FLIGHT\_LEGs with Leg\_numbers 1, 2, 3, and so on. Each FLIGHT\_LEG has scheduled arrival and departure times, airports, and one or more LEG\_INSTANCEs—one for each Date on which the flight travels. FAREs are kept for each FLIGHT. For each FLIGHT\_LEG instance, SEAT\_RESERVATIONs are kept, as are the AIRPLANE used on the leg and the actual arrival and departure times and airports. An AIRPLANE is identified by an Airplane\_id and is of a particular AIRPLANE\_TYPE. CAN\_LAND relates AIRPLANE\_TYPEs to the AIRPORTs at which they can land. An AIRPORT is identified by an Airport\_code. Consider an update for the AIRLINE database to enter a reservation on a particular flight or flight leg on a given date.
  - a. Give the operations for this update.
  - b. What types of constraints would you expect to check?
  - c. Which of these constraints are key, entity integrity, and referential integrity constraints, and which are not?
  - d. Specify all the referential integrity constraints that hold on the schema shown in Figure 3.8.
- **3.13.** Consider the relation CLASS(Course#, Univ\_Section#, Instructor\_name, Semester, Building\_code, Room#, Time\_period, Weekdays, Credit\_hours). This represents classes taught in a university, with unique Univ\_section#s. Identify what you think should be various candidate keys, and write in your own words the conditions or assumptions under which each candidate key would be valid.

#### **AIRPORT**

Airport_code	Name	City	State
--------------	------	------	-------

#### **FLIGHT**

ı	EP 15		
ı	Flight_number	Airline	Weekdays

### FLIGHT\_LEG

Flight_number	Leg_number	Departure_airport_code		Scheduled_departure_time
			Arrival_airport_code	Scheduled_arrival_time

#### LEG\_INSTANCE

Flight_number	Leg_number	Date	Number_of_	available_seats	Ai	rplane_id
Departure_airport_code		Dep	parture_time	Arrival_airport_co	ode	Arrival_time

#### **FARE**

Flight_number	Fare_code	Amount	Restrictions	

#### AIRPLANE\_TYPE

Airplane_type_name	Max_seats	Company
--------------------	-----------	---------

### CAN\_LAND

Airplane_type_name	Airport_code

#### **AIRPLANE**

<u>Airplane_id</u> Total_number_of_seats	Airplane_type
--	---------------

#### SEAT\_RESERVATION

#### Figure 3.8

The AIRLINE relational database schema.

**3.14.** Consider the following six relations for an order-processing database application in a company:

CUSTOMER(<u>Cust#</u>, Cname, City)
ORDER(<u>Order#</u>, Odate, Cust#, Ord\_amt)
ORDER\_ITEM(<u>Order#</u>, <u>Item#</u>, Qty)

```
ITEM(<u>Item#</u>, Unit_price)
SHIPMENT(<u>Order#</u>, <u>Warehouse#</u>, Ship_date)
WAREHOUSE(Warehouse#, City)
```

Here, Ord\_amt refers to total dollar amount of an order; Odate is the date the order was placed; and Ship\_date is the date an order (or part of an order) is shipped from the warehouse. Assume that an order can be shipped from several warehouses. Specify the foreign keys for this schema, stating any assumptions you make. What other constraints can you think of for this database?

**3.15.** Consider the following relations for a database that keeps track of business trips of salespersons in a sales office:

```
SALESPERSON(<u>Ssn</u>, Name, Start_year, Dept_no)
TRIP(Ssn, From_city, To_city, Departure_date, Return_date, <u>Trip_id</u>)
EXPENSE(<u>Trip_id</u>, <u>Account#</u>, Amount)
```

A trip can be charged to one or more accounts. Specify the foreign keys for this schema, stating any assumptions you make.

**3.16.** Consider the following relations for a database that keeps track of student enrollment in courses and the books adopted for each course:

```
STUDENT(<u>Ssn</u>, Name, Major, Bdate)
COURSE(<u>Course#</u>, Cname, Dept)
ENROLL(<u>Ssn</u>, <u>Course#</u>, <u>Quarter</u>, Grade)
BOOK_ADOPTION(<u>Course#</u>, <u>Quarter</u>, Book_isbn)
TEXT(<u>Book_isbn</u>, Book_title, Publisher, Author)
```

Specify the foreign keys for this schema, stating any assumptions you make.

**3.17.** Consider the following relations for a database that keeps track of automobile sales in a car dealership (OPTION refers to some optional equipment installed on an automobile):

```
CAR(<u>Serial no</u>, Model, Manufacturer, Price)
OPTION(<u>Serial no</u>, <u>Option name</u>, Price)
SALE(<u>Salesperson id</u>, <u>Serial no</u>, Date, Sale_price)
SALESPERSON(<u>Salesperson id</u>, Name, Phone)
```

First, specify the foreign keys for this schema, stating any assumptions you make. Next, populate the relations with a few sample tuples, and then give an example of an insertion in the SALE and SALESPERSON relations that *violates* the referential integrity constraints and of another insertion that does not.

**3.18.** Database design often involves decisions about the storage of attributes. For example, a Social Security number can be stored as one attribute or split into three attributes (one for each of the three hyphen-delineated groups of numbers in a Social Security number—XXX-XX-XXXX). However, Social Security numbers are usually represented as just one attribute. The decision