

## OUTPUT

Enter size of array 1 : 2

Enter size of array 2 : 2

Enter elements of array 1 in sorted order : 3

4

Enter elements of array 2 in sorted order : 1

2

Elements in C : 1 2 3 4

(1) Merge two sorted arrays and store in a third array.

### Algorithm

1. Start
2. Read the size of two arrays into variables a and b
3. Read the elements in both arrays A and B in sorted order
4. Declare and set  $i=j=k=0$ , array C [ ]
5. Repeat steps 6 through 8 while  $k < a + b$
6. if  $i < a$  and  $j < b$   
then check
  - (i) if  $A[i] \leq B[j]$   
then set  $C[k] = A[i]$ ;  
set  $i = i + 1$
  - (ii) else  
set  $C[k] = B[j]$   
set  $j = j + 1$   
[end of inner if structure]
7. else if  $i = a$   
then repeat steps while  $j < b$   
set  $C[k] = B[j]$   
set  $j = j + 1$   
Set  $k = k + 1$   
[end of inner loop]
8. else  
Repeat steps while  $i < a$   
set  $C[k] = A[i]$   
set  $i = i + 1$   
Set  $k = k + 1$   
[end of inner loop]  
[end of step 6 if structure]  
[end of step 5 loop]
9. Prints elements in the resultant array C
10. Stop

## Output

Enter choice to perform:

- |           |            |
|-----------|------------|
| 1. Push   | 2. Pop     |
| 3. Search | 4. Display |
| 5. Exit   |            |

Choice : 2

UNDERFLOW...!

Enter choice to perform:

- |           |            |
|-----------|------------|
| 1. Push   | 2. Pop     |
| 3. Search | 4. Display |
| 5. Exit   |            |

Choice : 1

Enter data : 4

Enter choice to perform:

- |           |            |
|-----------|------------|
| 1. Push   | 2. Pop     |
| 3. Search | 4. Display |
| 5. Exit   |            |

Choice : 1

Enter data : 2

Enter choice to perform:

- |           |            |
|-----------|------------|
| 1. Push   | 2. Pop     |
| 3. Search | 4. Display |
| 5. Exit   |            |

Choice : 4

Stack from top to bottom:

2 → 4 →

Enter choice to perform:

- |           |            |
|-----------|------------|
| 1. Push   | 2. Pop     |
| 3. Search | 4. Display |
| 5. Exit   |            |

Choice : 2

2 Deleted ... !

(2) Singly linked stack - Push, pop, linear search

## Algorithm

1. Start
2. Create a structure 'node' with data members 'data' and 'next' where 'next' is a 'node' pointer
3. Declare a node pointer 'top' and initialize it with NULL
4. Read input 'choice' from user to perform stack operations
5. If choice == 1  
    then read data 'd' from user  
    call PUSH(d)
6. else if choice == 2  
    then call POP()
7. else if choice == 3  
    then read data 'd' from user  
    call SEARCH(d)
8. else if choice == 4  
    call DISPLAY()  
    [End of if structure]
9. Stop

## PUSH(d)

1. Create an instance of node 'newnode'
2. Set newnode → data = d
3. Set newnode → next = top
4. Set top = newnode
5. Return

## POP()

1. If top == NULL  
    print 'UNDERFLOW' and return  
    [End of if structure]

- Set top = top  $\rightarrow$  next
- Return

### SEARCH(d)

- Declare a variable c and set c = 1
- If top == NULL  
print 'Empty stack'  
and return  
[end of if structure]
- Declare a 'node' pointer temp and set temp = top
- Repeat steps 5 to 7 while True
- If temp  $\rightarrow$  data == d  
then print 'Item found at node : ' c  
and return  
[end of if structure]
- Set temp = temp  $\rightarrow$  next
- Set c = c + 1  
[end of step 4 loop]
- Print 'Item not found'
- Return

### DISPLAY()

- If top == NULL  
print 'Stack is empty' and return
- else  
set temp = top  
[end of if structure]
- Repeat steps 4 and 5 while temp  $\neq$  null
- Print temp  $\rightarrow$  data
- Set temp = temp  $\rightarrow$  next  
[end of step 5 loop]
- Return

OUTPUT

~~\*\*\*\*\*~~ Enter circular queue size: 3

Enter choice to perform:

- 1. Insert      2. Delete
- 3. Display    4. Search

Choice : 1

Enter data : 2

Enter choice to perform:

- 1. Insert      2. Delete
- 3. Display    4. Search

5. Exit

Choice : 1

Enter data : 2

Enter choice to perform :

- 1. Insert      2. Delete
- 3. Display    4. Search

5. Exit

Choice : 1

Enter data : 3

Enter choice to perform:

- 1. Insert      2. Delete
- 3. Display    4. Search

5. Exit

Choice : 1

~~\*\*\*\*\*~~

Enter search item : 2

2 found at location 2

Enter choice to perform:

- 1. Insert      2. Delete
- 3. Display    4. Search

5. Exit

Choice : 2

1 deleted

## (3) Circular Queue - Add, Delete, Search

Algorithm

1. Read queue size from user 'size'
2. Declare an array named 'cqueue []' with size as 'size'.  
Declare and initialize variables 'front' and 'queue' with -1
3. Read input 'choice' from user to perform operations
4. if choice == 1  
then read data 'd'  
call enqueue(d)
5. else if choice == 2  
call dequeue()
6. else if choice == 3  
call display()
7. else if choice == 4  
then read data 'd'  
call search(d)
8. Stop

## enqueue(d)

1. If front == -1  
then set front = rear = 0  
set cqueue [rear] = d
2. else if (rear == front - 1) or (front == 0 and rear == size - 1)  
then print 'Overflow' and return
3. else if rear == size - 1 and front != 0  
then set rear = 0  
set cqueue [rear] = d
4. else  
set rear = rear + 1  
set cqueue [rear] = d
5. Return

### deQueue()

1. If  $\text{front} == -1$   
then print 'underflow' and return
2. else if  $\text{rear} == \text{front}$   
then set  $\text{rear} = \text{front} = -1$
3. else if  $\text{front} == \text{size} - 1$   
then set  $\text{front} = 0$
4. else  
set  $\text{front} = \text{front} + 1$
5. Return

### display()

1. If  $\text{front} == -1$   
print 'queue is empty' and return
2. Create variables  $i$  and set  $i = \text{front}$
3. If  $i == \text{rear}$   
print  $\text{cqueue}[i]$  and return
4. Repeat steps 5 to 8 while true
5. print  $\text{cqueue}[i]$
6. If  $i == \text{rear}$   
then return
7. If  $i == \text{size} - 1$  and  $i \neq \text{rear}$   
set  $i = 0$
8. else  
set  $i = i + 1$
9. Return

### Search(d)

1. Declare a variable  $i$  and set  $i = \text{front}$
2. If  $\text{front} == -1$   
print 'queue is empty' and return
3. If  $i == \text{rear}$   
then :

check if  $d == \text{cqueue}[i]$

then point  $i+1$  'location' and return

else print 'Search failed' and return

4. Repeat steps 5 to 8 while True

5. if  $\text{data} == \text{cqueue}[i]$   
then point  $i+1$  'location'  
and return

6. if  $i == \text{rear}$   
then print 'Search failed' and return

7. If  $i == \text{size} - 1$  and  $i \neq \text{rear}$   
then set  $i = 0$

8. else set  $i = i + 1$

9. Return

7 & 8 : planned case } handles both failure

## OUTPUT

1. Insert at beginning
2. Insert at end
3. Insert at position i
4. Delete at i
5. Display from beginning
6. Search for element
7. Exit

Enter choice : 1

Enter value to node : 1

Enter choice : 1

Enter value to node : 2

Enter choice : 1

Enter value to node : 3

Enter choice : 2

Enter choice to node : 7

Enter choice : 5

Linked list elements from beginning : 3 2 1 7

## (4) Doubly linked list - Insertion, Deletion, Search

Step 1 : Start

Step 2 : Declare a structure and related variables

Step 3 : Declare functions to create a node, insert a node in the beginning, at the end and given position, display the list and search an element in the list.

Step 4 : Define function to create a node, declare the required variables.

Step 4.1 : Set memory allocated to the node = temp.  
then set temp → prev = null and temp → next = null

Step 4.2 : Read the value to be inserted to the node

Step 4.3 : Set temp → n = data and increment count by 1

Step 5 : Read the choice from the user to perform different operation on the list.

Step 6 : If the user chooses to perform insertion operation at the beginning, then call the function to perform the insertion.

Step 6.1 : Check if head == null then call the function to create a node, perform steps 4 to 4.3

Step 6.2 : Set head = temp and temp = head

Step 6.3 : Else call the function to create a node.  
Perform step 4 to 4.3 then set temp → next = head, set ~~head~~ → head → prev = temp and head = temp

Step 7 : If the user choice is to perform insertion at the end of the list, then call the function to perform the insertion at the end.

Step 7.1 : Check if head == null then call the function

create a newnode then set temp = head and then set  
head = temp1

Step 7.2 : Else call the function to create a newnode then set  
 $\text{temp1} \rightarrow \text{next} = \text{temp}$ ,  $\text{temp} \rightarrow \text{prev} = \text{temp 1}$  and  
 $\text{temp1} = \text{temp}$

Step 8 : If the user chooses to perform insertion in the list at  
any position then call the function to perform the  
insertion operation

Step 8.1 : Declare the necessary variable

Step 8.2 : Read the position where the node needs to be  
inserted, set temp2 = head

Step 8.3 : Check if  $\text{pos} < 1$  or  $\text{pos} \geq \text{count} + 1$  then print  
the position is out of range

Step 8.4 : Check if head == null and pos=1 then print  
"Empty list cannot insert other than 1st  
position"

Step 8.5 : Check if head == null and pos=1 then call the  
function to create newNode, then set  
temp = head and head = temp1

Step 8.6 : while  $i < \text{pos}$  then set temp2 = temp2  $\rightarrow$  next  
then increment i by 1

Step 8.7 : Call the function to create a new node and  
then set  $\text{temp} \rightarrow \text{prev} = \text{temp2}$ ,  $\text{temp} \rightarrow \text{next} = \text{temp2} \rightarrow \text{next} \rightarrow \text{prev} = \text{temp}$ ,  $\text{temp2} \rightarrow \text{next} = \text{temp}$

Step 9 : If the user chooses to perform deletion operation  
in the list then call the function to perform  
the deletion operation

Step 9.1 : Declare the necessary variables

Step 9.2 : Read the position where node needs to be  
deleted, set temp2 = head

Step 9.3 : Check if  $\text{pos} < 1$  or  $\text{pos} \geq \text{count} + 1$ , then

point position out of range

Step 9.4 : Check if head == null then print the list is empty

Step 9.5 : While  $i < pos$  then set temp2 = temp2  $\rightarrow$  next  
and increment i by 1

Step 9.6 : Check if  $i == 1$  then check if temp2  $\rightarrow$  next ==  
null then print node deleted Free (temp2)  
Set temp2 = head = null

Step 9.7 : Check if temp2  $\rightarrow$  next == null then temp2  $\rightarrow$   
prev  $\rightarrow$  next = ~~null~~ null then free (temp2) then  
print node deleted

Step 9.8 : temp2  $\rightarrow$  next  $\rightarrow$  prev = temp2  $\rightarrow$  next then print  
node deleted then free temp2 and decrement  
count by 1

Step 9.9 : Check if  $i == 1$  then head = temp2  $\rightarrow$  next then  
print node deleted then free temp2 and  
decrement count by 1.

Step 10 : If the user chooses to perform the display  
operation then call the function to display the list

Step 10.1 : Set temp2 = n

Step 10.2 : Check if ~~temp2~~ temp2 == null then print  
list is empty

Step 10.3 : While temp2  $\rightarrow$  next == null then print  
temp2  $\rightarrow$  n then temp2 = temp2  $\rightarrow$  next

Step 11 : If the user chooses to perform the search  
operation then call the function to perform  
search operations

Step 11.1 : Declare the necessary variables

Step 11.2 : Set temp2 = head

Step 11.3 : Check if temp2 == null then print the list  
is empty

Step 11.4 : Read the value to be searched

Step 11.5 : While temp2 != null then check if temp2 → n == data  
then print element found at position count + 1

Step 11.6 : Else set temp2 = temp2 → next and increment  
count by 1

Step 11.7 : Print element not found in the list

Step 12 : End

## OUTPUT

Input choice to perform:

1. Union
2. Intersection
3. Difference
4. Exit

Enter the cardinality of first set: 3

Enter the cardinality of second set: 3

Enter element to first set: (0/1) 1

0

1

Enter element of second set: (0/1) 0

1

0

Element of set1 union set2 : 1 1 1

(5)

(5.) Set data structure and set operations (Union, intersection and difference) using bit string

Step 1: Start

Step 2: Declare the necessary variables

Step 3: Read choice from the user to perform set operation

Step 4: If the user choose to perform union

Step 4.1: Read the cardinality of 2 sets

Step 4.2: check if  $m = n$  then print cannot perform union

Step 4.3: Else read the elements in both the sets

Step 4.4: Repeat the step 4.5 to 4.7 ~~until~~ until  $i < m$

Step 4.5:  $C[i] = A[i] \# B[i]$

Step 4.6: print  $C[i]$

Step 4.7: Increment  $i$  by 1

Step 5: Read the choice from the user to perform intersection

Step 5.1: Read the cardinality of 2 sets

Step 5.2: Check if  $m = n$  then print cannot perform intersection

Step 5.3: Else read the elements ~~in~~ is both the sets

Step 5.4: Repeat the step 5.5 to 5.7 until  $i < m$

Step 5.5:  $C[i] = A[i] \& B[i]$

Step 5.6: print  $C[i]$

Step 5.7: Increment  $i$  by 1

Step 6: If the user choose to perform set difference operation

Step 6.1: Read the cardinality of 2 sets

Step 6.2: Check if  $m = n$  then print cannot perform

## Set difference operations

Step 6.3 : Else read the elements in both sets

Step 6.4 : Repeat the step 6.5 to 6.8 until  $i < n$

Step 6.5 : Check if  $A[i] = 0$  then  $C[i] = 0$

Step 6.6 : Else if  $B[i] = 1$  then  $C[i] = 0$

Step 6.7 : Else  $C[i] = 1$

Step 6.8 : Increment  $i$  by 1

Step 7 : Repeat the step 7.1 and 7.2 until  $i < m$

Step 7.1 : Print  $C[i]$

Step 7.2 : Increment  $i$  by 1

## OUTPUT

1. Insert in Binary tree
2. Delete from Binary tree
3. Inorder traversal of Binary tree
4. Search
5. Exit

Enter choice : 1

Enter new element : 50

Root is 50

Inorder traversal of binary tree is : 50

1. Insert in Binary tree
2. ~~Delete~~ from Binary tree
3. Inorder traversal of Binary tree
4. Search

5. Exit

Enter choice : 1

Enter new element : 25

Root is 50

Inorder traversal of binary tree is : 25 50

## (b) Binary Search Trees - Insertion, deletion, search

Step 1 : Start

Step 2 : Declare a structure and structure pointers for insertion, deletion and search operations and also declare a function for inorder traversal

Step 3 : Declare a pointer as root and also the required variable

Step 4 : Read the choice from the user to perform insertion, deletion, searching and inorder traversal.

Step 5 : If the user chooses to perform insertion operation then read the value which is to be inserted to the tree from the user.

Step 5.1 : Pass the value to the insert pointer and also the root pointer.

Step 5.2 : Check if !root then allocate memory for the root

Step 5.3 : Set the value to the info part of the root and then set left and right part of the root to null and return root

Step 5.4 : Check if root → info > x then call the insert pointer to insert to left of the root

Step 5.5 : Check if root → info < x then call the insert pointer to insert to the right of the root

Step 5.6 : Return the root

Step 6 : If the user choose to perform deletion operation then read the element to be deleted from the tree pass the root pointer and the item

to the delete pointer

Step 6.1 : Check if not ptr then print node not found

Step 6.2 : Else if  $\text{ptr} \rightarrow \text{info} < x$  then call delete pointer by passing the right pointer and the item.

Step 6.3 : Else if  $\text{ptr} \rightarrow \text{info} > x$  then call delete pointer by passing the left pointer and the item

Step 6.4 : Check if  $\text{ptr} \rightarrow \text{info} == \text{item}$  then check if  $\text{ptr} \rightarrow \text{left} == \text{ptr} \rightarrow \text{right}$  then free ptr and return null

Step 6.5 : Else if  $\text{ptr} \rightarrow \text{left} == \text{null}$  then set  $P1 = \text{ptr} \rightarrow \text{right}$  and free ptr, return P1

Step 6.6 : Else if  $\text{ptr} \rightarrow \text{right} == \text{null}$  then set  $P1 = \text{ptr} \rightarrow \text{left}$  and free ptr, return P1

Step 6.7 : Else set  $P1 = \text{ptr} \rightarrow \text{right}$  and  $P2 = \text{ptr} \rightarrow \text{right}$

Step 6.8 : While  $P1 \rightarrow \text{left}$  not equal to null, set  $P1 = \text{ptr} \rightarrow \text{left}$   $\text{ptr} = \text{ptr} \rightarrow \text{left}$  and free ptr, return P2

Step 6.9 : Return ptr

Step 7 : If the user choose to perform search operation then call the pointer to perform search operation.

Step 7.1 : Declare the necessary pointers and variables

Step 7.2 : Read the element to be searched

Step 7.3 : While ptr check if item >  $\text{ptr} \rightarrow \text{info}$  then  $\text{ptr} = \text{ptr} \rightarrow \text{right}$

Step 7.4 : Else if item <  $\text{ptr} \rightarrow \text{info}$  then  $\text{ptr} = \text{ptr} \rightarrow \text{left}$

Step 7.5 : Else break

Step 7.6 : Check if ptr then print that the element is found

Step 7.7 : Else print element not found in tree and return root

Step 8 : If the user choose to perform traversal then call the traversal function and pass the root pointers.

Step 8.1 : If root not equals to null recursively call the functions by passing  $\text{root} \rightarrow \text{left}$

Step 8.2 : Print  $\text{root} \rightarrow \text{info}$

Step 8.3 : Call the traversal function recursively by passing  $\text{root} \rightarrow \text{right}$ .

## OUTPUT

How many element ? 4

Menu

1. Union

2. Find

3. Display

\* Enter choice:

1

Enter element to perform union

3

4

Do you want to continue (Y/N)

1

(7.) Disjoint sets and the associated operations (create, union, find)

Step 1 : Start

Step 2 : Declare the structure and related structure variable

Step 3 : Declare a function makeset()

Step 3.1 : Repeat step 3.2 to 3.4 until  $i < n$

Step 3.2 : dis.parent[i] is set to i

Step 3.3 : set dis.rank[i] is equal to 0

Step 3.4 : Increment i by 1

Step 4 : Declare a function display set

Step 4.1 : Repeat step 4.2 and 4.3 until  $i < n$

Step 4.2 : Print dis.parent[i]

Step 4.3 : Increment i by 1

Step 4.4 : Repeat steps 4.5 and 4.6 until  $i < n$

Step 4.5 : Print dis.rank[i]

Step 4.6 : Increment i by 1

Step 5 : Declare a function find and pass x to the function

Step 5.1 : Check if dis.parent[n] != x then set the return value to dis.parent[n]

Step 5.2 : Return dis.parent[n]

Step 6 : Declare a function union and pass two variables x and y

Step 6.1 : Set xset to find(x)

Step 6.2 : Set yset to find(y)

Step 6.3 : Check if xset == yset then return

Step 6.4 : Check if dis.rank[xset] < dis.rank[yset] then -

- Step 6.5 : Set  $yset = dis.parent[yset]$
- Step 6.6 : Set -1 to  $dis.rank[xset]$
- Step 6.7 : Else if check  $dis.rank[xset] > dis.rank[yset]$
- Step 6.8 : Set  $xset$  to  $dis.parent[yset]$
- Step 6.9 : Set -1 to  $dis.rank[yset]$
- Step 6.10 : Else  $dis.parent[yset] = xset$
- Step 6.11 : Set  $dis.rank[xset]+1$  to  $dis.rank[xset]$
- Step 6.12 : Set -1 to  $dis.rank[yset]$
- Step 7 : Read the number of elements
- Step 8 : Call the function make set
- Step 9 : Read the choice from user to perform union, find and display operation
- Step 10 : If the user chooses to perform union operation, read the element to perform union, then call the function to perform union operations
- Step 11 : If the user chooses to perform find operation, read the element to check if connected
- Step 11.1 : Check if  $find(x) == find(y)$  then print connected component
- Step 11.2 : Else print Not connected component
- Step 12 : If the user ~~choose~~ to perform display operation call the function display set..
- Step 13 : End