

Continuous Assessment Test - I

Programme Name & Branch: B. Tech CSE

Course Name & Code: CSE2002 Theory of Computation and Compilers

Slot: A2 + TA2+TAA2

Exam Duration: 90 min

Maximum Marks: 50

S.No.	Question	
	Consider the grammar G with $I = \{a \mid and P = \{S \rightarrow ECaF \mid a \mid E, ECaF \mid a \mid E, AP = BP \mid BP = BP = BP = BP = BP = BP = B$	
	Ca -aaC, ED - EC, CF - DF K, aD - Da, aK - Ka,	
	EK + E	. 7
	a) Find the type of the grammar.	10000
	b) Find the language of the grammar, Justify your appropriate	(50)
	[5]	- 000
	a) Show the translation for an assumment as	
	a) Show the translation for an assignment statement: a:= b + e * 70, where a, b, and c are real numbers. Clearly indicate the output of each phase of the compiler.	0.10
	[4]	0
	111	(000
	b) Construct DFA for the regular expression (a/b)*a (a/b) using direct method or by subset	(10
	construction method.	
	[0]	
	Construct an equivalent DFA for the following NFA. Also find the regular expression for the	
	language accepted by this automaton. [3+4]	
	1 0	
		1
65	A 0,1 (D) 0,1	
	$A \rightarrow (B) \rightarrow (C)$	
		3/6
		3/1
		100
	0,1	
	0,1	
	0,1	o* (oti) (
	0,1	o* (oti) (
	0,1	o* (o+1)*(
	0 0,1	ot (oti)
	a) If f is regular then show that $f_{ij} = f(w^{ij})$ with f_{ij}	o* (oti) (
1	0 0,1	o* (oti) (
1	 a) If L is regular then show that L₁ = { w⁸ w ∈ L} is also regular. b) The star height of a regular expression r over Σ, denoted by sh(r), is defined as follows: 	o* (o+i)*(
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	a) If L is regular then show that $L_1 = \{ w^3 \mid w = L \}$ is also regular. (4) b) The star height of a regular expression r over Σ , denoted by $sh(r)$, is defined as follows: i) $sh(\phi) = 0$ ii) $sh(\varepsilon) = 0$ iii) $sh(\varepsilon) = 0$ iii) $sh(\alpha) = 0$, for every $\alpha \in \Sigma$ iv) $sh((rs)) = sh((r+s)) = max(sh(r), sh(s))$ y) $sh((r^*)) = sh(r) + 1$ Find the star height of the following regular expression [5]	ot (oti)
	 a) If L is regular then show that L₁ = { w⁸ w = L} is also regular. b) The star height of a regular expression τ over Σ, denoted by sh(r), is defined as follows: i) sh(φ) = 0 ii) sh(ε) = 0 iii) sh(α) = 0, for every a = Σ iv) sh((rs)) = sh((r+s)) = max (sh(r), sh(s)) v) sh((r*)) = sh(r) + 1 Find the star height of the following regular expression (as (a + a*aa) + asaa)* (as (a + a*aa) + asaaa)* 	o* (oti) (
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