hb

November 21, 2018

1 Data Analysis of Haberman

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```
In [1]: import numpy as np
        import pandas as pd
        import matplotlib.pyplot as plt
        import seaborn as sb
In [2]: hb=pd.read_csv('haberman.csv')
        hb.head()
Out[2]:
           30
               64
                     1 1.1
        0 30 62
                     3
                          1
        1 30 65
                     0
                          1
        2 31 59
                     2
                          1
        3 31 65
                     4
                          1
          33 58
                   10
                          1
   No of data points and features:-
In [3]: print(hb.shape)
(305, 4)
   This Data has 4 feature
   1)Age
   2)Operation Year
   3)Axil Nodes
   4)Survival Status
   From above 3 data we have to predict Survival status of patient
   Setting columns name Age,oper_year(operation year),axil_nodes,surv_status
In [4]: hb.columns=['Age','oper_year','axil_nodes','surv_status']
        hb.head()
Out[4]:
                oper_year
                            axil_nodes surv_status
           Age
        0
            30
                        62
                                      3
                                                    1
        1
            30
                        65
                                      0
                                                    1
        2
            31
                        59
                                      2
                                                    1
        3
            31
                        65
                                      4
                                                    1
```

1

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if Survival status (class attribute) 1 = the patient survived 5 years or longer else the patient died within 5 year

```
In [5]: hb['surv_status'].value_counts()
Out[5]: 1
             224
              81
        Name: surv_status, dtype: int64
```

Objective:-

Our Objective is to perform different operations on haberman dataset from which we could easily differentiate whether it belongs to survival status of type 1 or type 2

First we create two DataFrame h1 and h2 for survival status 1 and 2 respectively.

```
In [6]: h1=hb.loc[hb['surv_status']==1]
        h1.head()
        #first dataframe
Out[6]:
                oper_year axil_nodes surv_status
           Age
            30
                       62
        1
           30
                       65
                                    0
                                                  1
        2
          31
                       59
                                    2
                                                  1
        3
           31
                       65
                                    4
                                                  1
            33
                       58
                                   10
                                                  1
In [7]: h2=hb.loc[hb['surv_status']==2]
        h2.head()
```

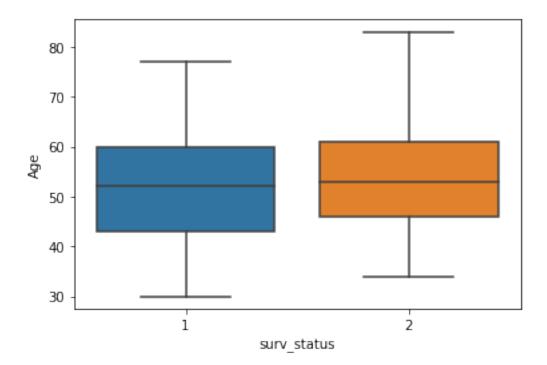
#second Dataframe

Uut[/]:		Age	oper_year	axil_nodes	surv_status
	6	34	59	0	2
	7	34	66	9	2
	23	38	69	21	2
	33	39	66	0	2
	42	41	60	23	2

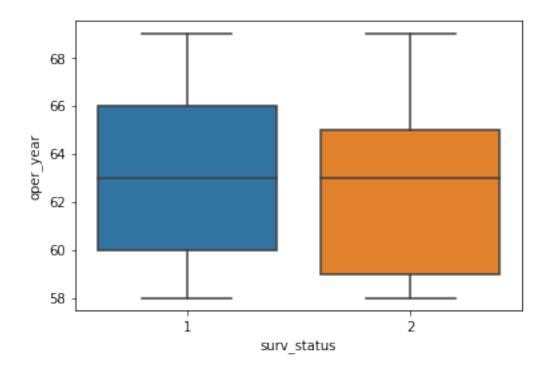
2.1 UNIVARIATE:-

2.1.1 1) Box Plot:-

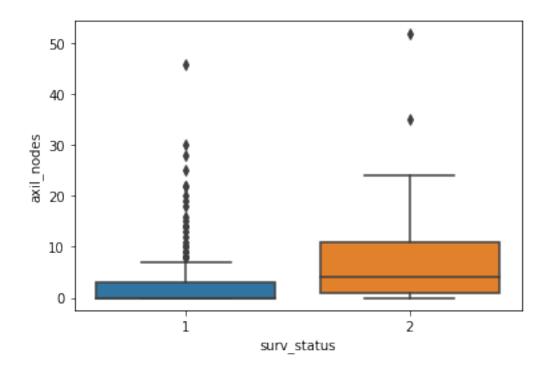
```
In [8]: #Box plot on the basis of Age
        sb.boxplot(x='surv_status',y='Age',data=hb)
        plt.show()
```



In [9]: #Box plot on the basis of operation year
 sb.boxplot(x='surv_status',y='oper_year',data=hb)
 plt.show()

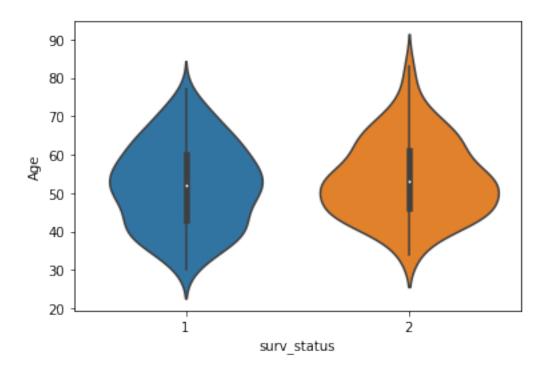


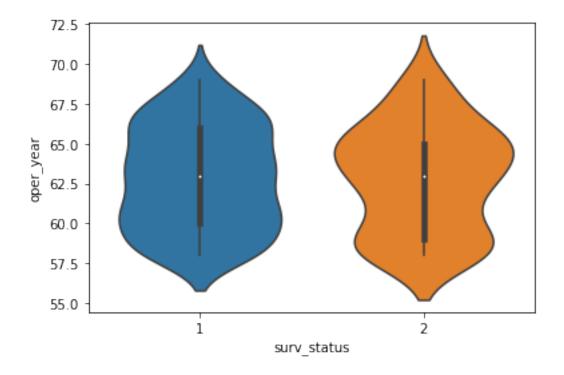
In [10]: #Box plot on the basis of axil_nodes
 sb.boxplot(x='surv_status',y='axil_nodes',data=hb)
 plt.show()

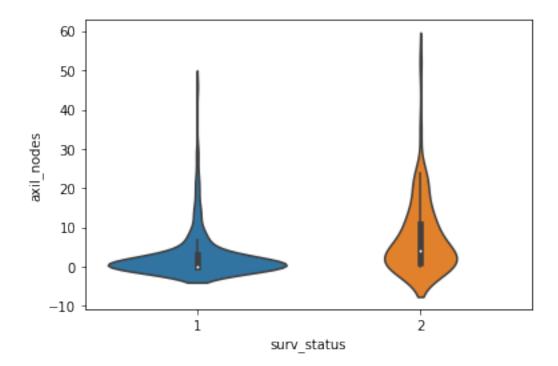


2.1.2 2) Violin Plot: -

/home/piyush/.local/lib/python3.6/site-packages/scipy/stats/stats.py:1713: FutureWarning: Using return np.add.reduce(sorted[indexer] * weights, axis=axis) / sumval







2.1.3 3) PDF and CDF:-

PDF: a function of a continuous random variable, whose integral across an interval gives the probability that the value of the variable lies within the same interval.

CDF:- cumulative distribution function (CDF) or cumulative frequency function, describes the probability that a variate takes on a value less than or equal to a number .

```
In [14]: #PDF and CDF on Age (First DataFrame)

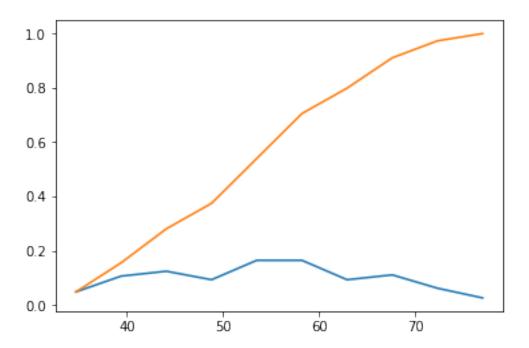
counts,bin_edges=np.histogram(h1['Age'],bins=10,density=True)

pdf=counts/sum(counts)

cdf=np.cumsum(pdf) #cummulative sum of pdf

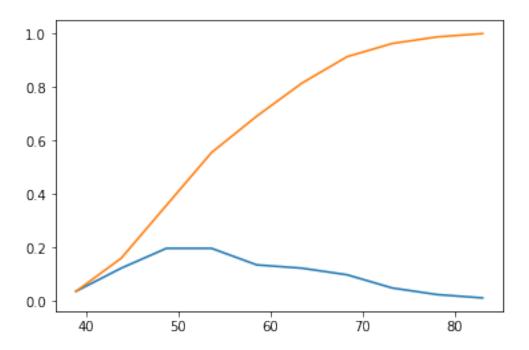
plt.plot(bin_edges[1:],pdf)

plt.plot(bin_edges[1:],cdf)
Out[14]: [<matplotlib.lines.Line2D at 0x7f1cc09fe748>]
```



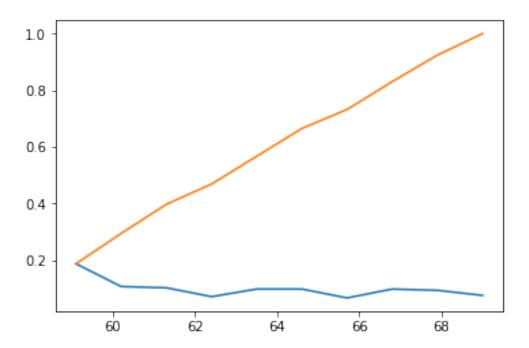
In [15]: #PDF and CDF on Age (Second DataFrame)

```
counts,bin_edges=np.histogram(h2['Age'],bins=10,density=True)
pdf=counts/sum(counts)
cdf=np.cumsum(pdf) #cummulative sum of pdf
plt.plot(bin_edges[1:],pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
```



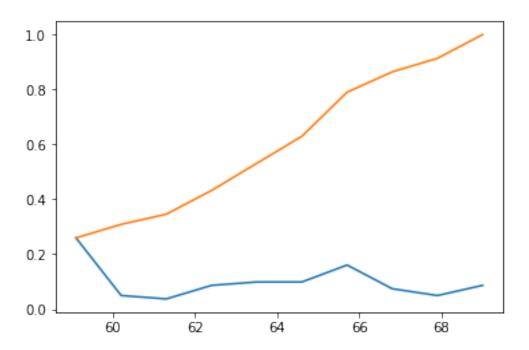
In [16]: #PDF and CDF on OperationYear (First DataFrame)

```
counts,bin_edges=np.histogram(h1['oper_year'],bins=10,density=True)
pdf=counts/sum(counts)
cdf=np.cumsum(pdf) #cummulative sum of pdf
plt.plot(bin_edges[1:],pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
```



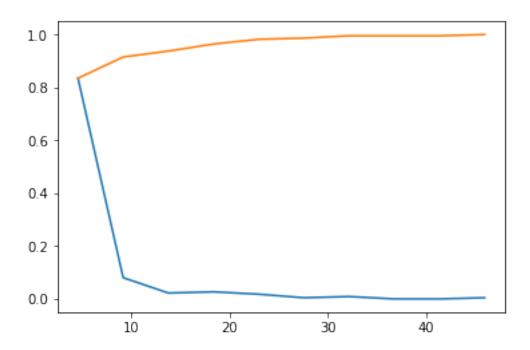
In [17]: #PDF and CDF on OperationYear (Second DataFrame)

```
counts,bin_edges=np.histogram(h2['oper_year'],bins=10,density=True)
pdf=counts/sum(counts)
cdf=np.cumsum(pdf) #cummulative sum of pdf
plt.plot(bin_edges[1:],pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
```



In [18]: #PDF and CDF on Axil Nodes (First DataFrame)

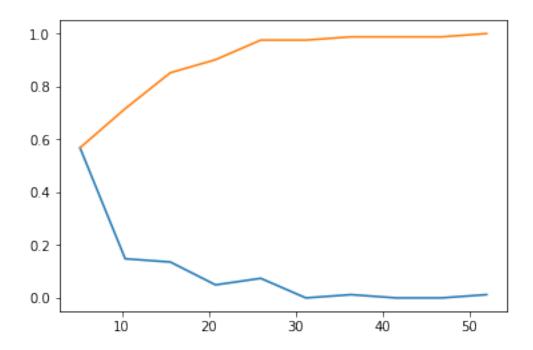
```
counts,bin_edges=np.histogram(h1['axil_nodes'],bins=10,density=True)
pdf=counts/sum(counts)
cdf=np.cumsum(pdf) #cummulative sum of pdf
plt.plot(bin_edges[1:],pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
```



counts,bin_edges=np.histogram(h2['axil_nodes'],bins=10,density=True)

In [19]: #PDF and CDF on Axil Nodes (second DataFrame)

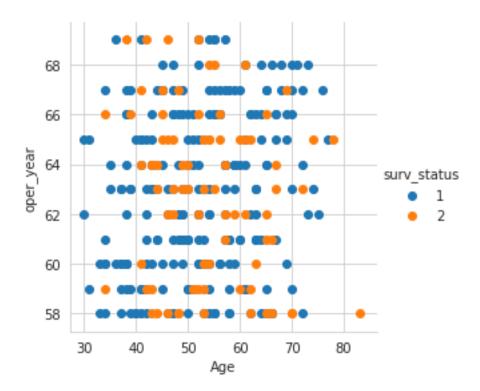
```
pdf=counts/sum(counts)
cdf=np.cumsum(pdf) #cummulative sum of pdf
plt.plot(bin_edges[1:],pdf)
plt.plot(bin_edges[1:],cdf)
plt.show()
```

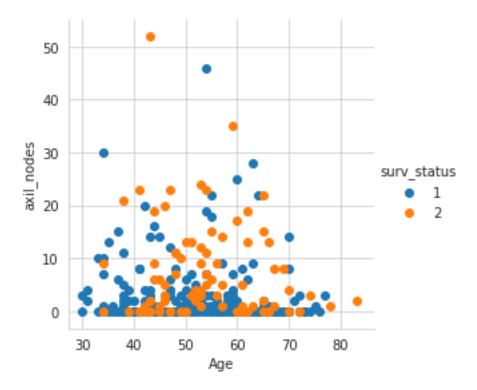


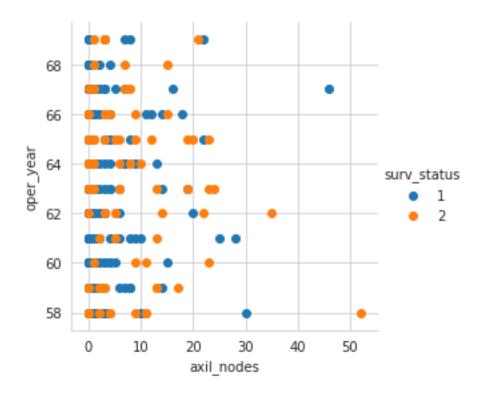
2.2 BIVARIATE:-

2.2.1 1) Scatter Plots:-

A graph in which the values of two variables are plotted along two axes, the pattern of the resulting points revealing any correlation present.

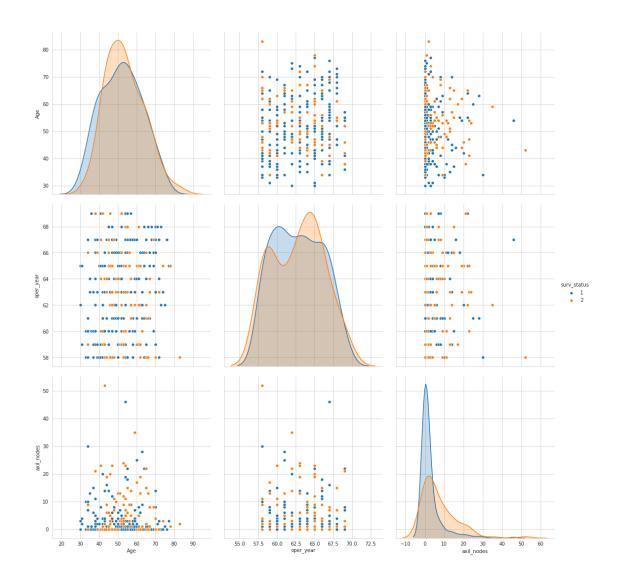






2.2.2 Pair Plots :-

seaborn.pairplot(data, hue=None, hue_order=None, palette=None, vars=None, x_vars=None, y_vars=None, kind='scatter', diag_kind='auto', markers=None, height=2.5, aspect=1, dropna=True, plot_kws=None, diag_kws=None, grid_kws=None, size=None) https://seaborn.pydata.org/generated/seaborn.pairplot.html



Conclusion :- Very difficult to differentiate due to overlapping

In []: