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DISCRETE MATHEMATICS (GATE 2023) - REPORTS

OVERALL ANALYSIS COMPARISON REPORT **SOLUTION REPORT**

ALL(33) CORRECT(26) INCORRECT(4) SKIPPED(3)

Q. 31

Have any Doubt ?



In a survey on the gelato preferences of college students, the following data was obtained:

- 78 like mixed berry.
- 32 like Irish ice cream.
- 57 like tiramisu.
- 18 like both Irish cream and tiramisu.
- 16 like both tiramisu and mixed berry.
- 5 like all three flavours above.
- 14 like none of them.

How many students were surveyed?

136

Your answer is Correct 136

Solution :

136

Let the set of students who liked mixed berry M , those who like tiramisu be T and those who like Irish cream be I . Then by the inclusion-exclusion principle, the number of student who like atleast and of its flavours is

$$\begin{aligned} |M \cup T \cup I| &= |M| + |T| + |I| - |M \cap T| - |T \cap I| - |M \cap I| + |M \cap T \cap I| \\ &= 78 + 32 + 57 - 16 - 21 - 13 + 5 = 122 \end{aligned}$$

Now there are additional 14 who didn't like any flavour.

Thus, $122 + 14 = 136$

QUESTION ANALYTICS



Q. 32

Have any Doubt ?



The less-than relation, $<$, on a set of real numbers is

A Not a partial ordering because it is not asymmetric and irreflexive equals antisymmetric.

Correct Option

Solution :

(a)

Relation less than a set of real numbers is not antisymmetric and reflexive. Relation is not POSET because it is irreflexive. Again, $aRb \neq bRa$ unless $a = b$ and so it is antisymmetric. A relation may be not asymmetric and not reflexive but still antisymmetric, as $\{(1, 1) (1, 2)\}$. So, the relation is not a partial ordering because it is not asymmetric and irreflexive equals antisymmetric.

B A partial ordering since it is asymmetric and reflexive.

C A partial ordering since it is antisymmetric and reflexive.

D Not a partial ordering because it is not antisymmetric and reflexive.

Your answer is IN-CORRECT

QUESTION ANALYTICS



Q. 33

Have any Doubt ?



Let X be a set with exactly 5 elements and Y be a set with exactly 7 elements. If α is the number of one-one functions from X to Y and β is the number of onto functions from Y to X , then the value of $\frac{1}{5!}(\beta - \alpha)$ is

119

Your answer is Correct 119

Solution :

119

$$\alpha = {}^7C_5 \times 5!$$

$$\beta = ({}^7C_3 + 3 \cdot {}^7C_3) 5!$$

$$\text{or } 4 \times {}^7C_3 \times 5!$$

$$\begin{aligned} \frac{(\beta - \alpha)}{5!} &\Rightarrow \left(\frac{4 \times {}^7C_3 - {}^7C_5}{5!} \right) 5! \\ &= 119 \end{aligned}$$



QUESTION ANALYTICS

