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Roll: 2019380141

Ans No: 1

1) ~~(A)~~ (D)

2) (B)

3) (D)

4) (C)

5) (B)

6) (C)

7) (A)

8) (C)

9) (C)

10) (B)

$\{\{1, 3\}, \{2, 4, 5\}\}$

Ans. No: 2

(1) not

(2) 0

(3) ~~mn~~ mn

(4) Reflexivity, Symmetry, Transitivity

(5)

(6) $\{(1,1), (2,1), (3,1), (4,2)\}$

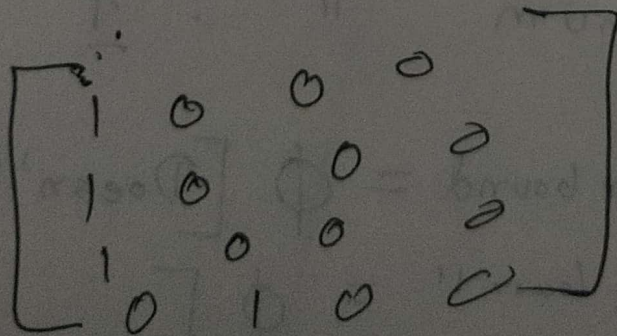
(7) $120 \quad 10 \subset 2$

(8) ~~15~~ 1840 $\binom{17+4-1}{17}$

(9) isomorphic

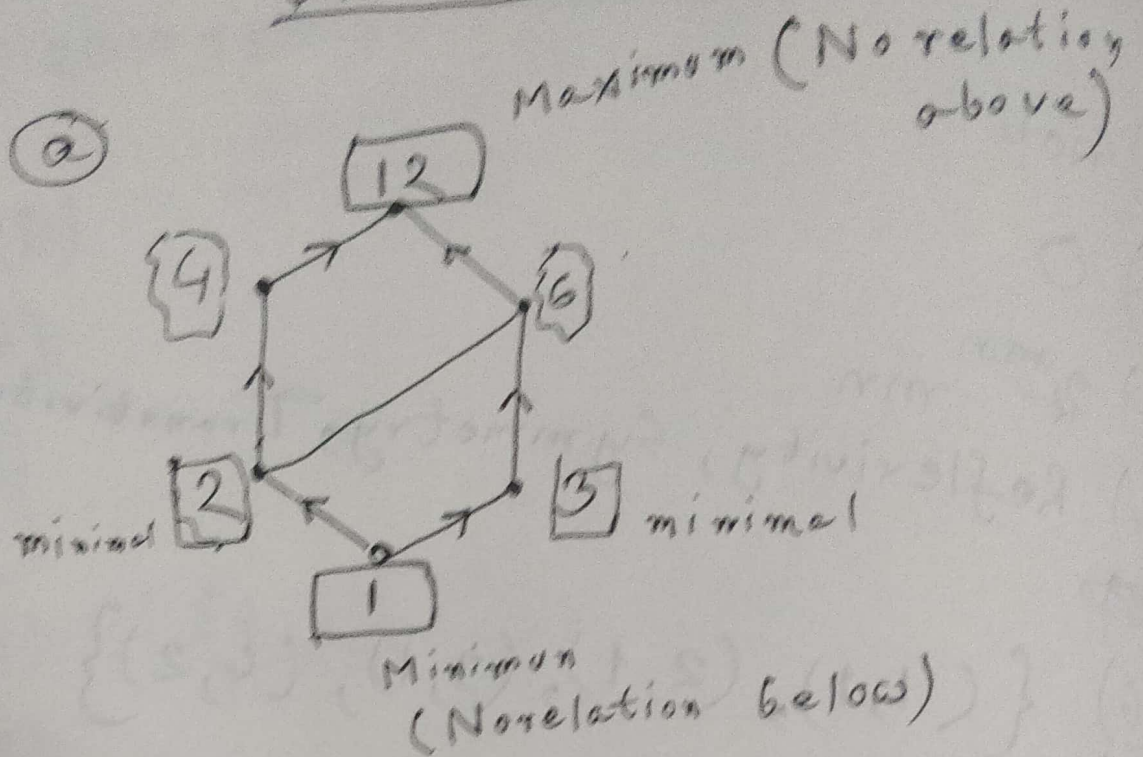
(10) $h \subset s$

(5)



Ans No. 3(2)

(a)



(6)

The minimal element : 2, 3

The maximal " : 4, 6

The maximum " : 12

The minimum " : 1

The least upper bound = ϕ [Doesn't exist]

The greatest lower " = ϕ ["]

Ans No: 3(1)

① $S \rightarrow \neg t$

Premise

② t ~~#~~

Premise

③ $\neg S$

1 & 2

④ $\neg S \rightarrow r$

Premise

⑤ r

Hypothetical syllogism ③ & ④

⑥ $p \rightarrow \neg r$

Premise

⑦ $\neg p$

5 & 6

⑧ $p \vee q$

Premise

q q

$\neg 7 \& 8 \text{ I}$

Ans No: ³/₈ (3)

Ques

Homogenous recurrence, $a_n = -5a_{n-1} - 6a_{n-2}$

Characteristic

$$x^2 = -5x - 6$$

$$\Rightarrow x^2 + 5x + 6 = 0$$

$$\Rightarrow x^2 + 3x + 2x + 6 = 0$$

$$\text{Let } x_1 = (-3) \text{ \& } x_2 = -2$$

$$a_n = C_1(-3)^n + C_2(-2)^n$$

$$\text{We get } a_1 = 56, \quad a_2 = 278$$

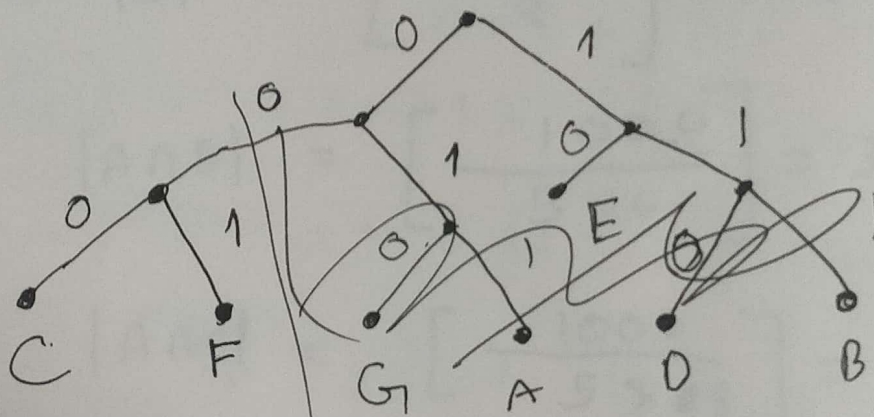
$$a_n^{(h)} = \cancel{56}^n a_1(-3)^n + a_2(-2)^n$$

a_1 & a_2 are constants,

Ans No: 3(6)

A: 0.10, B: 0.25, C: 0.05, D: 0.15
E: 0.30, F: 0.07, G: 0.08

(a)



A: ~~001~~ 011, B: 111, C: 000, D: 110,

E: 10, F: 001, G: 010

(b)

Weight: Number of bits

A: 3, B: 3, C: 3, D: 3, E: 2
F: 3, G: 3

Ans No: 83(5)

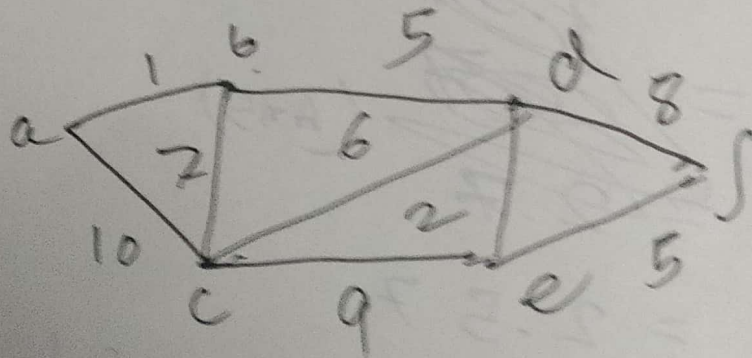
a to b: $a \rightarrow b$, $d = 1$

a to c: $a \rightarrow b \rightarrow c$, $d = 8$

a to d: $a \rightarrow b \rightarrow d$, $d = 6$

a to e: $a \rightarrow b \rightarrow d \rightarrow e$, $d = 8$

a to f: $a \rightarrow b \rightarrow d \rightarrow e \rightarrow f$, $d = 13$



Path: a b d e

Ans No: 83(5)

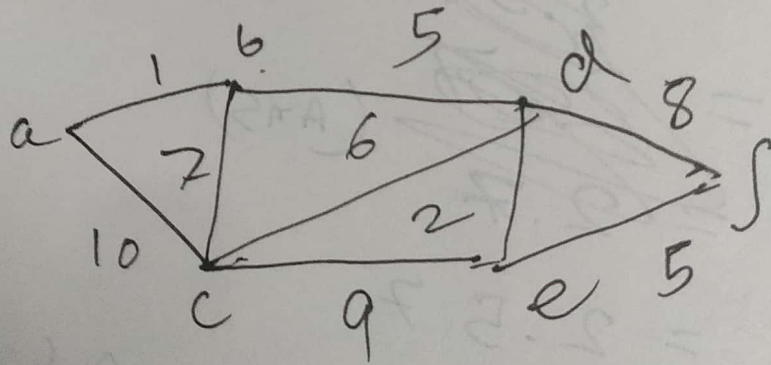
a to b : $a \rightarrow b$, $d = 1$

a to c : $a \rightarrow b \rightarrow c$, $d = 8$

a to d : $a \rightarrow b \rightarrow d$, $d = 6$

a to e : $a \rightarrow b \rightarrow d \rightarrow e$, $d = 8$

a to f : $a \rightarrow b \rightarrow d \rightarrow e \rightarrow f$, $d = 13$



Path: a b d e f