

2019380141

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Exercise-9.6

1)

(a) ~~reflexive~~, anti-symmetric, transitive
partial ordering

(e) reflexive, anti-symmetric, transitive,
partial ordering

(e) ~~reflexive~~, not anti-symmetric,
not transitive, not partial ordering

9) reflexive, anti-symmetric, not transitive
not partial ordering.

15)

(a) $(P(\{0,1,2\}), \subseteq)$

$$S = P(\{0,1,2\})$$

$$R = \{(a,b) \mid a \subseteq b\}$$

two incomparable elements)

$\{0,1\} \in P(\{0,1,2\})$ & $\{1,2\} \in P(\{0,1,2\})$, while

$$\{0,1\} \not\subseteq \{1,2\}$$

$$\{1,2\} \subseteq \{0,1\}$$

Thus, $\{0, 3\}$ & $\{1, 2\}$ are incomparable elements
(neither set is a subset of the other)

(b) $(\{1, 2, 4, 6, 8\}, 1)$

$$S = \{1, 2, 4, 6, 8\}$$

$$R = \{(a, b) \mid a \text{ divides } b\}$$

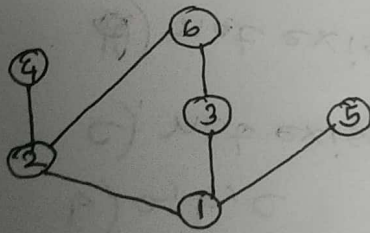
example

$1 \in \{1, 2, 4, 6, 8\}$ and $3 \in \{1, 2, 4, 6, 8\}$ while 1

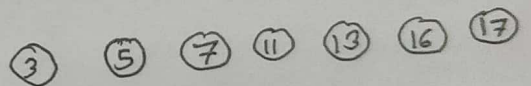
doesn't divide 3, 3 doesn't divide 1

thus are elements.

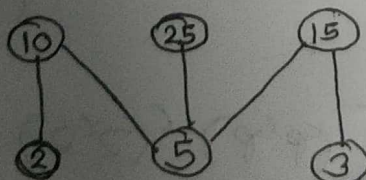
22)
a)



b)

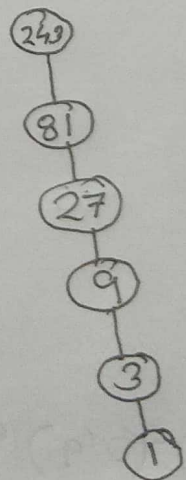


c)



11

d)



25)

$R: \{(a,a), (a,b), (a,c), (a,d), (b,b), (b,c), (b,d), (c,c), (d,d)\}$

32)

a) l, n

b) a, b, c

c) not exist

d) not exist

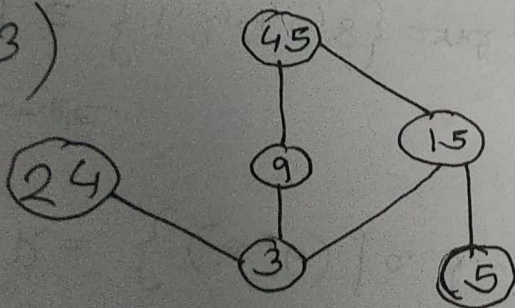
e) k, l, m

f) k

g) do not exist

h) not exist

33)



a) 24, 45

b) 3, 5

c) not exist

d) not exist

e) 15, 45

f) 15

g) 15