## Fixed Length code & Variable Length Code:

Then the number of Bits N required zon unique coding when n is a power of 2,

when n is not a power of d,

propries for N = (log, n) +1.

In generally; Ny Cog2 n.

eg. To encode the Cetters of the English alphabet, we use

(1) (0) N 3) (0) (0) (1)

N71 4.7

N=5 bib needed

equiprobable and honce each one enquies 5 bits bon representation.

common (x, q, z etc) and some one frequently used (s, t, e etc). Represent more frequently occurring letters by fewer rumber of bits and losser frequently occurring over by longer rumber of bits. This wethood is called variable length today. When some symbols are not equally probable, more efficient method is VLC.

somme sympol Code H. Code Gr code F **O O** 0 000 1 010 001 B <u>o</u> 0 011 010 C 0 100 0110 10 101 1 1 110 101 000 1110 110 tll 1111

Code the rentence: "A BAD CAB"

FLC: code F: '000 001000011 010000001' Total bits: 21

VLC: [ code G: '00 010 00 100 011 00 010' " :18

Code H: '0 1 0 01 00 01' " :2

Problem with code H: For decoding we are able to regeoup it using any manner is it is not uniquely decodable.

(O1) (00) (10) (00) (1)

08 (0)(1)(0)(0)(1)(0)(0)(0)(1)

ABAABAA AB.

## Kraft Inequality (Kraft - HcHillan Inequality):

 $\sum_{c=1}^{9} \sqrt{3} = \sqrt{3}$ 

r -> Number of different symbols used.

(p -> word length on benous digits of the code word corresponding to lith source symbol.

q -> number of source symbols.

for binary codes, we have r = 2, So traft inequality for binary code,

\frac{9}{2} 2 - 40 \leq 1.0