

Addition of Two Polynomials [Application of Linked List]

$$P_1(x) = a_n x^n + a_{n-1} x_{n-1} + \dots + a_1 x_1 + a_0$$

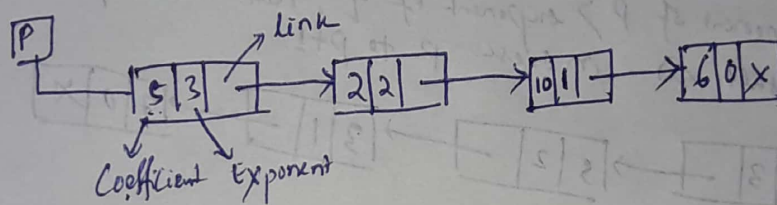
$$P_2(x) = b_n x^n + b_{n-1} x_{n-1} + \dots + b_1 x_1 + b_0$$

$$P_1(x) + P_2(x) = \text{Linked List}$$

Node :-

- Coefficient field
- Exponent field
- Link field

$$P(x) = 5x^3 + 2x^2 + 10x + 6$$



Struct Poly

```

{
    int Coeff;
    int expo;
    struct poly * ptr;
};
    
```

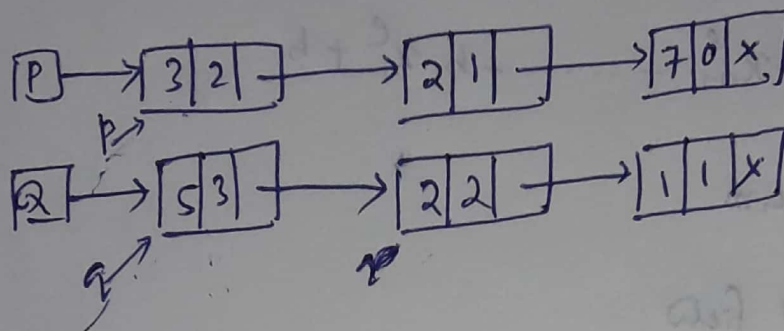
Algo -

- i) Read no. of terms in first polynomial 'P'.
- ii) Read Coefficient and exponent of first polynomial 'P'.
- iii) Read no. of terms in 2nd polynomial 'Q'.
- iv) Read Coefficient and exponent of 2nd polynomial 'Q'.
- v) Set temp pointers 'p' & 'q' to traverse to polynomial respectively.
- vi) Compare the exponents of two polynomials starting from 1st node.

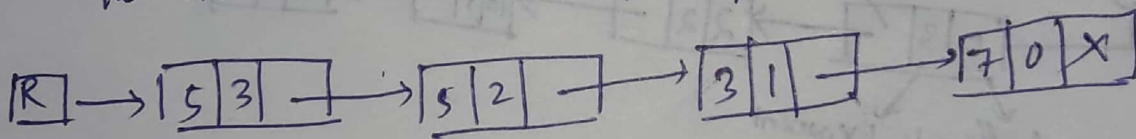
Ex

$$P = 3x^2 + 2x + 7$$

$$Q = 5x^3 + 2x^2 + x$$



- vii) If both exponents are equal then add coefficients and store ~~the~~ in result link list
- viii) If exponent of P < exponent of Q, then add term of Q in result and move Q to point next node.
- ix) If exponent of P > exponent of Q, then add 'P' term in result and increase P to P+1



$$R = 5x^3 + 5x^2 + 3x + 7$$

Program

```
#include <stdio.h>
#include <conio.h>
#include <stdlib.h>
```

struct node

```
{
    int num;
    int coeff;
    struct node *next;
};
```

Insertion of Element into BST

→ Ist we need to create 14 node

Struct Node

3

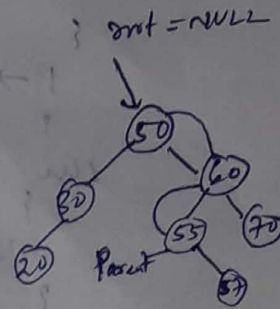
int data

Struct Node * left;

Street node * Light:

 $\}$

```
struct Node * root = NULL
```



void insert (int d)

 $\{$

```
struct Node * t, *p
```

$t = (\text{struct Node}^*) \text{ malloc}(\text{sizeof}(\text{struct Node}))$

$$t \rightarrow \text{data} = d$$

$t \rightarrow \text{left} = \text{NULL};$

$t \rightarrow \text{Right} = \text{NULL}$

$\rho = 1000$;

if (root == NULL)

3

$$\text{out} = t;$$

3

else {

struct Node * curr;

$C_{\text{max}} = 200$;

white (cross)

3

$P = \text{class}$;

if $(t \rightarrow data > low \rightarrow data)$

1

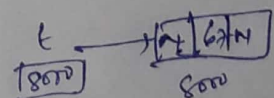
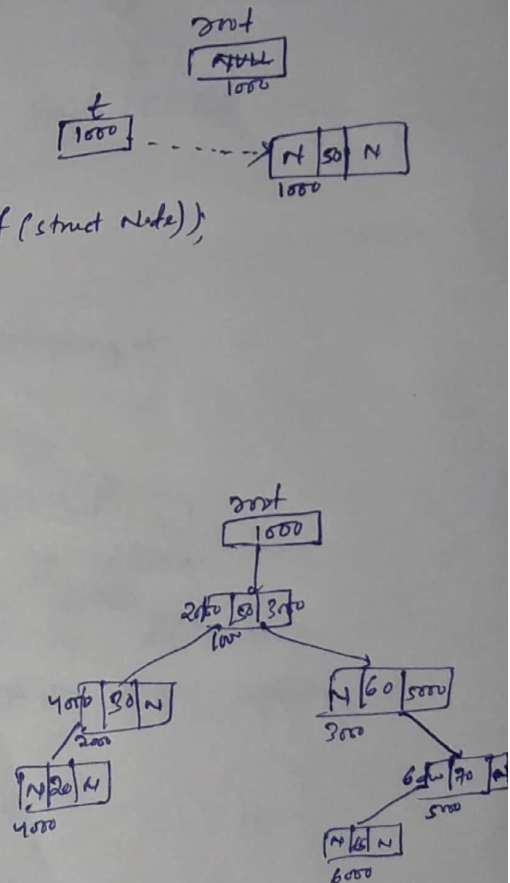
curr = curr \rightarrow right)

3

else

cur = cur → left;

9



Parent

1800

Cur

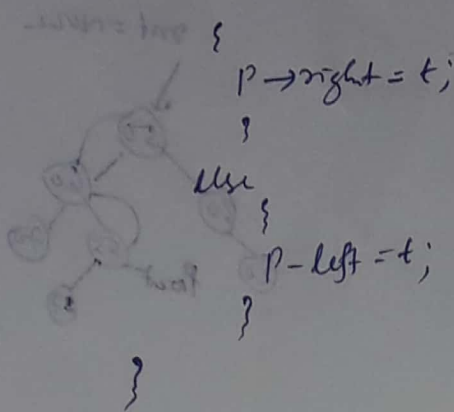
7-52

374

5200

nu

If ($t \rightarrow \text{data} > p \rightarrow \text{data}$)



$p \rightarrow \text{right} = t;$

;

{

use

{

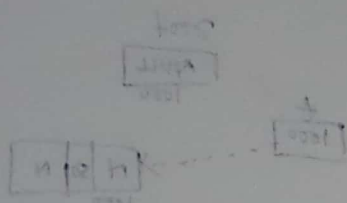
$p \rightarrow \text{left} = t;$

;

}

}

$\text{root} = \text{root} * \text{stack} \text{ head2}$

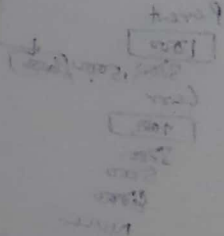
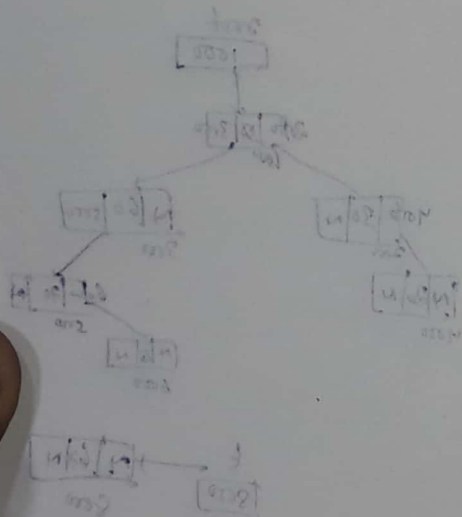


$(\text{stack} \text{ head2}) \rightarrow \text{data} = (\text{stack} \text{ head2}) \rightarrow \text{data} + 1$

$t = \text{data} - 1$
 $\text{root} = \text{root} + 1$
 $\text{root} = \text{root} + 1$

$(\text{root} = \text{root} + 1)$

$\text{root} = t$

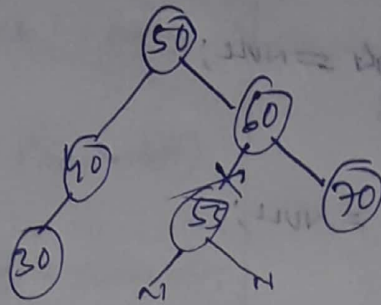


$(\text{stack} \text{ head2}) \rightarrow \text{data} = (\text{stack} \text{ head2}) \rightarrow \text{data} + 1$

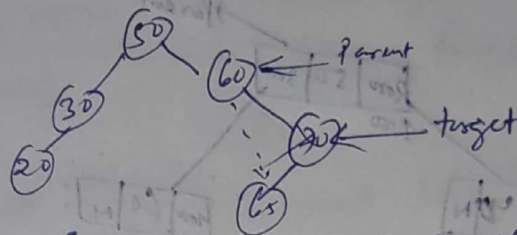
$\text{root} = \text{root} + 1$

$\text{root} = \text{root} + 1$

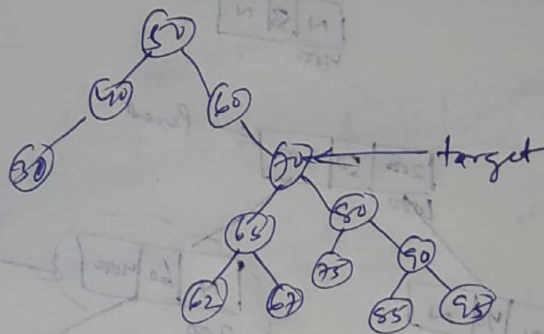
Deletion operation on BST.



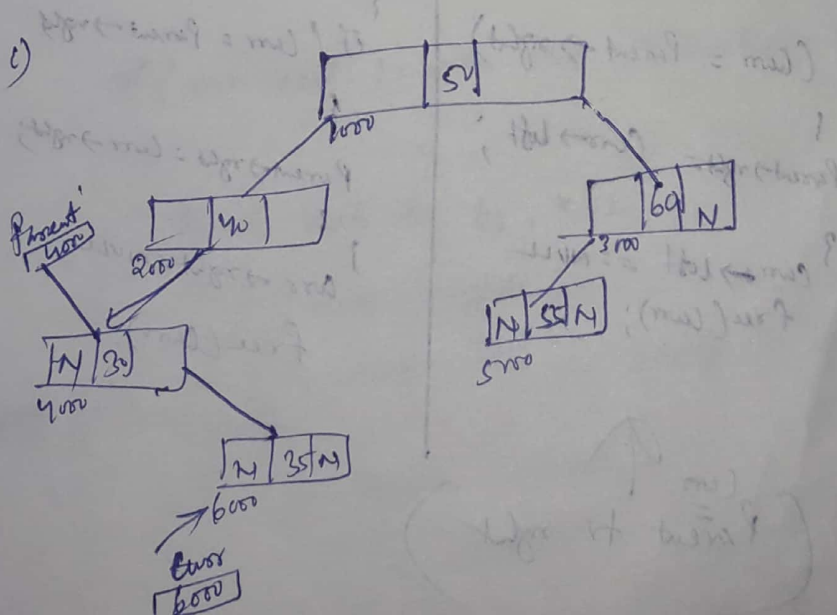
i) Delete a leaf node having no children



ii) Deletion of node having single child



iii) Deleting a node having 2 children
 Deleted node replaced with either
 → Highest value of its left subtree
 → Least value of its right subtree

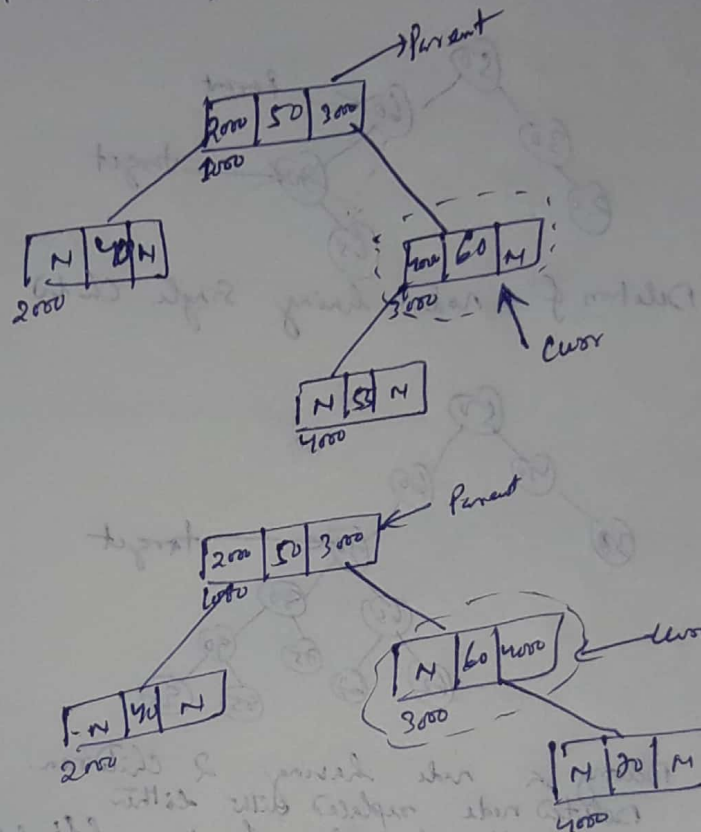


```

1) if (curr == Parent → right)
{
    Parent → Right = NULL;
}
else
{
    Parent → Left = NULL;
}
free(curr);

```

11)



```

if (curr → left != NULL)
{
    if (curr == Parent → right)
    {
        Parent → right = curr → left;
    }
    curr → left == NULL
    free(curr);
}

```

```

if (curr → Right != NULL)
{
    if (curr == Parent → right)
    {
        Parent → right = curr → right;
    }
    curr → right = NULL
    free(curr);
}

```

(curr == Parent → right)

```
if (curr->right != NULL)
```

```
{
  if (curr = Parent->left)
```

```
{
  Parent->left = curr->right;
```

```
}
```

```
curr->right = NULL;
```

```
free(curr);
```

```
if (curr->left != NULL
```

```
{
  if (curr = Parent->right)
```

```
{
  Parent->right = curr->left;
```

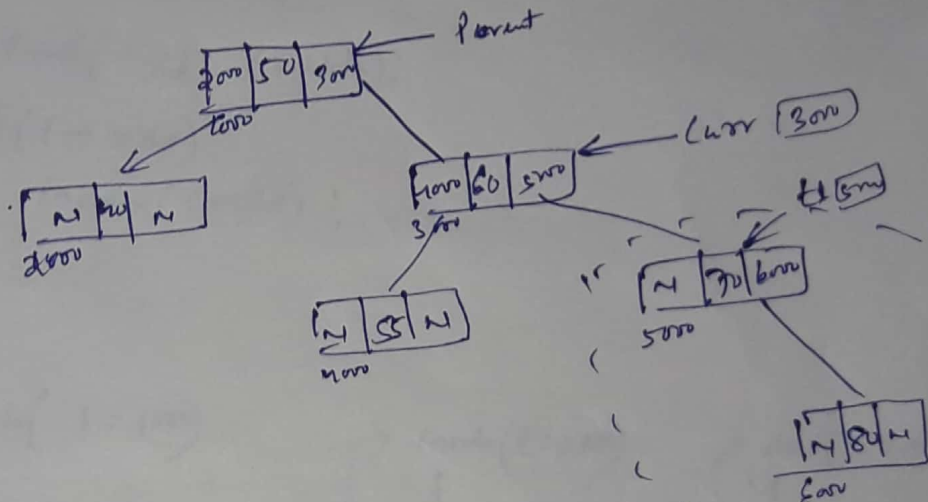
```
}
```

```
curr->left = NULL;
```

```
free(curr);
```

```
if (curr = Parent left)
```

III)



→ least element in the right subtree

```
if (curr->left != NULL && curr->right != NULL)
```

```
{
```

```
struct node * t1, * t2
```

```
t2 = curr->right;
```

```
if (t1->left == NULL && t1->right == NULL)
```

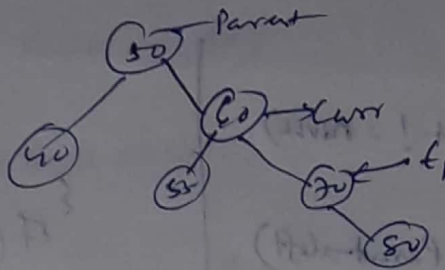
```
{
  curr->data = t1->data;
```

```
curr->right = NULL
```

```
free(t1);
```

```
}
```

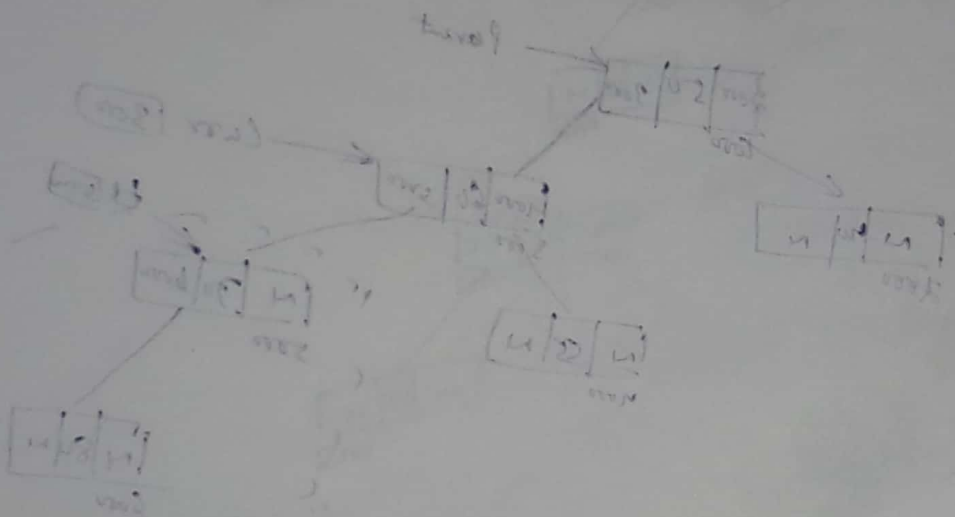
approach-1 →



Approach ②

```

if (t1->right != NULL && t1->left == NULL)
{
    curr->data = t1->data;
    curr->right = t1->right;
    t1->right = NULL;
    free(t1);
}
  
```



```

if (curr->left != NULL && curr->right != NULL)
{
    // ...
}
  
```

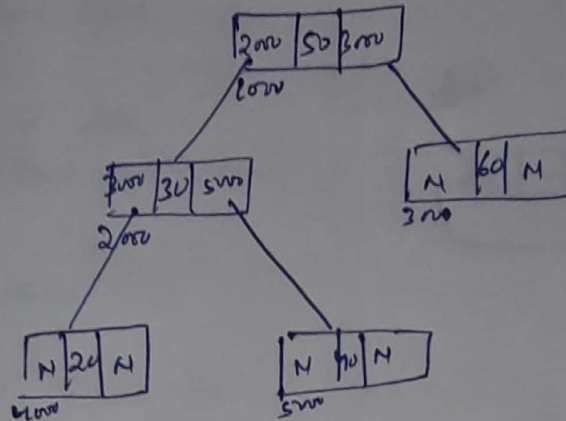
```

t1 = curr->right;
curr->right = t1->right;
  
```

```

if (t1->left == NULL && t1->right == NULL)
{
    free(t1);
}
  
```

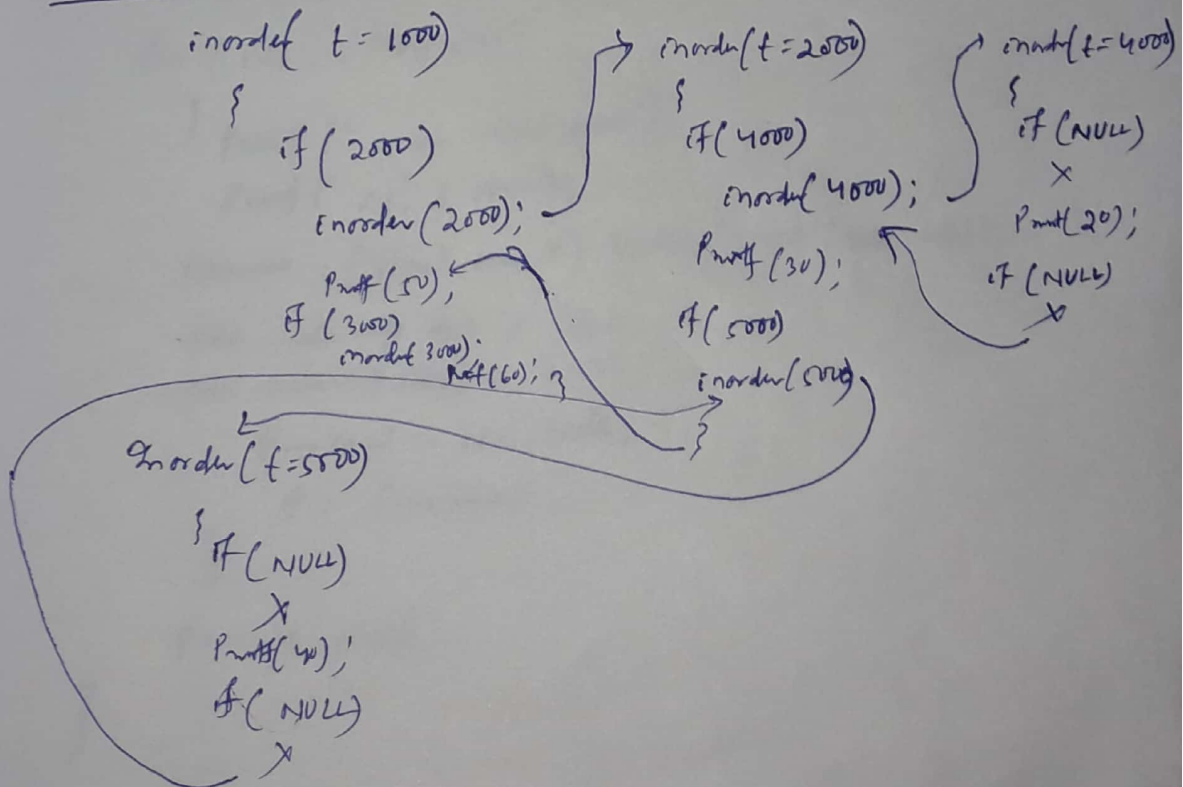

Inorder Traversal in BST



```

inorder( start Node *t )
{
    if (t->left)
        inorder(t->left);
    printf("%d", t->data);
    if (t->right)
        inorder(t->right);
}
  
```

Execution -



Circular Linked List Creation

struct node

```
{  
    int data;  
    struct node *next;  
};
```

```
int main()  
{
```

```
    int i, n, item;
```

```
    struct node *new_node, *p;
```

```
    printf("enter no. of nodes");
```

```
    scanf("%d", &n);
```

```
    printf("enter 1st node");
```

```
    scanf("%d", &item);
```

```
    new_node = (struct node *) malloc(sizeof(new_node));
```

```
    new_node->data = item;
```

```
    new_node->next = NULL;
```

```
    head = new_node;
```

```
    p = new_node;
```

```
    for (i=1; i<n; i++)
```

```
    { printf("enter next node");
```

```
      scanf("%d", &item);
```

```
      new_node = (struct node *) malloc(sizeof(new_node));
```

```
      new_node->data = item;
```

```
      new_node->next = NULL;
```

```
      p->next = new_node;
```

```
      p = p->next;
```

```
    }
```

```
    p->next = head;
```

```
}
```

