# EXP No:10 Develop vector auto regression model for multivariate time series data forecasting.

#### Aim:

To analyze and forecast electric production using a Vector AutoRegression (VAR) model by transforming the univariate time series data into a multivariate format through lagged variables.

## **Objectives:**

- Load and preprocess electric production data.
- Perform EDA and check for stationarity.
- Create lagged features for VAR modeling.
- Train and test the VAR model with optimal lag selection.
- Forecast future values and evaluate model performance using MAE and RMSE.
- Visualize actual vs. forecasted production

## **Background:**

Forecasting electric production is essential for energy planning and management. This project uses time series analysis with a VAR model, applying lagged values to capture trends and dependencies. After ensuring stationarity, the model is trained and evaluated to provide accurate future predictions.

#### Code:

import pandas as pd

import numpy as np

import matplotlib.pyplot as plt

from statsmodels.tsa.api import VAR

from statsmodels.tsa.stattools import adfuller

from sklearn.metrics import mean absolute error, mean squared error

# Step 1: Load and Preprocess Data

# Load the dataset

data = pd.read\_csv(r"D:\Downloads\Electric\_Production.csv")

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# Convert DATE to datetime and set as index
data['DATE'] = pd.to_datetime(data['DATE'])
data.set_index('DATE', inplace=True)
# Rename column for clarity
data.rename(columns={'IPG2211A2N': 'Electric_Production'}, inplace=True)
# Step 2: Exploratory Data Analysis (EDA)
# Plot the time series
plt.figure(figsize=(10, 6))
plt.plot(data['Electric_Production'], label='Electric Production')
plt.title('Electric Production Over Time')
plt.xlabel('Date')
plt.ylabel('Electric Production')
plt.legend()
plt.show()
# Check for missing values
print("Missing Values:\n", data.isnull().sum())
# Summary statistics
print("Summary Statistics:\n", data.describe())
```

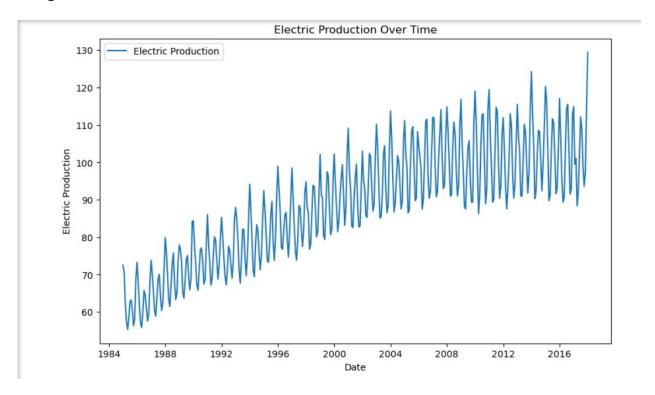
```
# Step 3: Check Stationarity
def adf_test(series, title="):
  result = adfuller(series.dropna())
  print(f'ADF Test for {title}:')
  print(f'ADF Statistic: {result[0]}')
  print(f'p-value: {result[1]}')
  print('Stationary' if result[1] < 0.05 else 'Non-Stationary')
  print()
adf_test(data['Electric_Production'], 'Electric Production')
# Apply differencing if non-stationary
data_diff = data.diff().dropna()
# Re-check stationarity after differencing
adf_test(data_diff['Electric_Production'], 'Differenced Electric Production')
# Step 4: Prepare Data for VAR
# Create lagged variables to simulate multivariate data
var_data = pd.DataFrame({
  'Electric_Production': data_diff['Electric_Production'],
  'Lag1': data_diff['Electric_Production'].shift(1),
```

```
'Lag2': data_diff['Electric_Production'].shift(2)
}).dropna()
# Step 5: Split Data into Training and Testing Sets
# Split data into train and test sets (80% train, 20% test)
train_size = int(len(var_data) * 0.8)
train_data = var_data.iloc[:train_size]
test_data = var_data.iloc[train_size:]
print("Train Data Shape:", train_data.shape)
print("Test Data Shape:", test_data.shape)
# Step 6: Fit the VAR Model
# Fit VAR model
model = VAR(train\_data)
model_fitted = model.fit(maxlags=12, ic='aic') # Select lag based on AIC
# Summary of the model
print("\nVAR Model Summary:\n")
print(model_fitted.summary())
# Step 7: Forecasting
# Forecast for the test period
```

```
forecast\_steps = len(test\_data)
forecast = model_fitted.forecast(train_data.values[-model_fitted.k_ar:], steps=forecast_steps)
# Convert forecast to DataFrame (only take the first column for Electric_Production)
forecast_index = test_data.index
forecast_df = pd.DataFrame(forecast[:, 0], index=forecast_index, columns=['Forecast'])
# Reverse differencing to get original scale
last_observed = data['Electric_Production'].iloc[len(data) - len(test_data) - 1]
forecast_df['Forecast'] = last_observed + forecast_df['Forecast'].cumsum()
# Plot actual vs forecast
plt.figure(figsize=(10, 6))
plt.plot(data['Electric_Production'], label='Actual')
plt.plot(forecast_df['Forecast'], label='Forecast', linestyle='--')
plt.title('Actual vs Forecasted Electric Production')
plt.xlabel('Date')
plt.ylabel('Electric Production')
plt.legend()
plt.show()
# Step 8: Evaluate Model Performance
# Calculate evaluation metrics
```

```
actual = data['Electric_Production'].iloc[-len(test_data):]
mae = mean_absolute_error(actual, forecast_df['Forecast'])
rmse = np.sqrt(mean_squared_error(actual, forecast_df['Forecast']))
print(f'\nMean Absolute Error (MAE): {mae:.2f}')
print(f'Root Mean Squared Error (RMSE): {rmse:.2f}')
```

# **Output:**



Missing Values:

Electric\_Production 0

dtype: int64

**Summary Statistics:** 

Electric\_Production

count 397.000000

mean 88.847218

std 15.387834

min 55.315100

25% 77.105200

50% 89.779500

75% 100.524400

max 129.404800

ADF Test for Electric Production:

ADF Statistic: -2.256990350047245

p-value: 0.1862146911658677

Non-Stationary

ADF Test for Differenced Electric Production:

ADF Statistic: -7.104890882267318

p-value: 4.0777865655392766e-10

Stationary

Train Data Shape: (315, 3)

Test Data Shape: (79, 3)

VAR Model Summary:

| Summary of Regression    | n Results           |             |       |
|--------------------------|---------------------|-------------|-------|
|                          | /AR                 |             |       |
| Method:                  | OLS                 |             |       |
| Date: Tue, 15, Ap        | or, 2025            |             |       |
| Time: 12:4               | 1:56                |             |       |
|                          |                     |             |       |
| No. of Equations:        | 3.00000 BIC:        | -130.073    |       |
| Nobs: 314.               | 000 HQIC:           | -130.159    |       |
| Log likelihood: 1        | 9119.3 FPE:         | 2.80387e-57 |       |
| AIC: -130.2              | 216 Det(Omega_mle): | 2.69939e-57 |       |
| Results for equation Ele | ctric_Production    |             |       |
| coeffic                  | eient std. error    | t-stat prob |       |
| const 0.                 | 190322 0.235740     | 0.807 0.    | 419   |
| L1.Electric_Production   | 0.241504 0.04       | 5.154       | 0.000 |
| L1.Lag1 -                | 0.317688 0.045401   | -6.997      | 0.000 |
| L1.Lag2 -                | 0.569448 0.046921   | -12.136     | 0.000 |
|                          |                     |             |       |

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|   | ation Lag1      |   |               |                    |       |
|---|-----------------|---|---------------|--------------------|-------|
|   | coefficient sto | =<br>l. error                           | t-stat pro    | ob                 |       |
| const   | 0.000000        | 0.000000                                | 0.483         | 0.629              |       |
| L1.Electric_Pr  | oduction 1.000  | 0.00000                                 | 00 3173874022 | 0841600.000        | 0.000 |
| L1.Lag1   | -0.000000       | 0.000000                                | -1.818        | 0.069              |       |
| L1.Lag2   | 0.000000        | 0.000000                                | 7.037         | 0.000              |       |
| =======================================                 |                 | :====================================== |               |                    |       |
| <br>  |                 |   |               |                    |       |
|   |                 |   | t-stat pro    | ob                 |       |
| Results for equ   |                 | 1. error 0.000000                       | t-stat pro    | ob<br>             |       |
| Results for equ   | coefficient sto | 0.000000                                | 0.198         |                    | )     |
| Results for equestronger const  L1.Electric_Pr  L1.Lag1 | coefficient sto | 0.000000<br>0.000000                    | 0.198         | 0.843<br>996 0.319 | 0.000 |

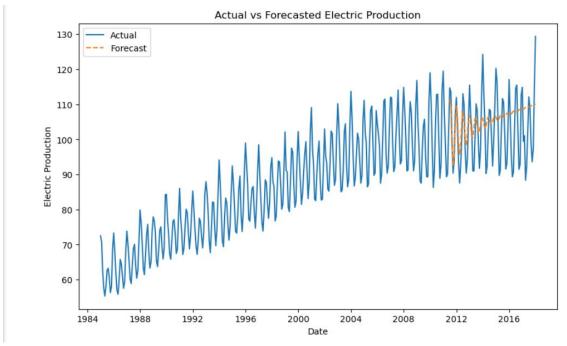
Correlation matrix of residuals

Electric\_Production Lag1 Lag2

Electric\_Production 1.000000 -0.012320 0.004321

Lag1 -0.012320 1.000000 0.451933

Lag2 0.004321 0.451933 1.000000



Mean Absolute Error (MAE): 7.65

Root Mean Squared Error (RMSE): 9.34

## **Result:**

Thus the program implement program for decomposing time series data into trend and seasonality.