

Homework Week 02

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```
getwd()

## [1] "/Users/abir/Desktop/FA"

Machine <- c("Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1","Machine 1")
dat <- c(16.03,16.04,16.05,16.05,16.02,16.01,15.96,15.98,16.02,15.99,16.02,15.97,15.96,16.01,15.99,16.03,16.02,16.01,16.04,16.03)
length(Machine)

## [1] 20

length(dat)

## [1] 20

str(Machine)

## chr [1:20] "Machine 1" "Machine 1" "Machine 1" "Machine 1" "Machine 1" ...

Machine <- as.factor(Machine)
str(Machine)

## Factor w/ 2 levels "Machine 1","Machine 2": 1 1 1 1 1 1 1 1 1 1 1 ...

str(dat)

## num [1:20] 16 16 16.1 16.1 16 ...

dat1 <- data.frame(Machine,dat)
dat1

##      Machine    dat
## 1 Machine 1 16.03
## 2 Machine 1 16.04
## 3 Machine 1 16.05
## 4 Machine 1 16.05
## 5 Machine 1 16.02
## 6 Machine 1 16.01
## 7 Machine 1 15.96
## 8 Machine 1 15.98
## 9 Machine 1 16.02
## 10 Machine 1 15.99
## 11 Machine 2 16.02
## 12 Machine 2 15.97
## 13 Machine 2 15.96
## 14 Machine 2 16.01
## 15 Machine 2 15.99
## 16 Machine 2 16.03
```

```
# Answer to the problem No: 2.24.(a)
# Hypotheses Statement:
# H0:  $\mu_1 = \mu_2$  or  $\mu_1 - \mu_2 = 0$ 
# Ha:  $\mu_1 \neq \mu_2$  or  $\mu_1 - \mu_2 \neq 0$ 

# Answer to the problem No: 2.24.(b)
library(dplyr)
```

```
##  
## Two Sample t-test  
##  
## data: dat2 and dat3  
## t = 0.79894, df = 18, p-value = 0.4347  
## alternative hypothesis: true difference in means is not equal to 0  
## 95 percent confidence interval:  
## -0.01629652 0.03629652  
## sample estimates:  
## mean of x mean of y  
## 16.015 16.005
```

```
# Answer to the problem No: 2.24.(c)
# P-value for this test is 0.4347

# Answer to the problem No: 2.24.(d)
# 95 percent confidence interval on the difference in the mean fill volume for
# the two machines are
# -0.01629652<= u1-u2 <=0.03629652
```

2

```

## chr [1:20] "Type1" "Type1" "Type1" "Type1" "Type1" "Type1" "Type1" "Type1" ...
Type <- as.factor(Type)
str(Type)

## Factor w/ 2 levels "Type1","Type2": 1 1 1 1 1 1 1 1 1 1 ...
str(dat4)

## num [1:20] 65 81 57 66 82 82 67 59 75 70 ...
dat5 <- data.frame(Type,dat4)
dat5

##      Type dat4
## 1 Type1    65
## 2 Type1    81
## 3 Type1    57
## 4 Type1    66
## 5 Type1    82
## 6 Type1    82
## 7 Type1    67
## 8 Type1    59
## 9 Type1    75
## 10 Type1   70
## 11 Type2    64
## 12 Type2    71
## 13 Type2    83
## 14 Type2    59
## 15 Type2    65
## 16 Type2    56
## 17 Type2    69
## 18 Type2    74
## 19 Type2    82
## 20 Type2    79

# Answer to the problem No: 2.26.(a)
library(lawstat)
levene.test(dat5$dat4,dat5$Type,location="mean")

##
## Classical Levene's test based on the absolute deviations from the mean
## ( none not applied because the location is not set to median )
##
## data: dat5$dat4
## Test Statistic = 0.0014598, p-value = 0.9699

# Hence, P value > 0.05, so we fail to reject H0 and therefore the variance's are equal
# at alpha = 0.05 level of significance.

# Answer to the problem No: 2.26.(b)
# From the results of (a), we see that variance's are equal. Hence we can use
# Two Sample t test with pooled variance to test the hypotheses.
# Hypotheses Statement:
# H0:  $\mu_1 = \mu_2$  or  $\mu_1 - \mu_2 = 0$ 
# Ha:  $\mu_1 \neq \mu_2$  or  $\mu_1 - \mu_2 \neq 0$ 
library(dplyr)
dat6 <- dat5 %>% filter(Type=="Type1") %>% select(dat4)

```

```

dat7 <- dat5 %>% filter(Type=="Type2") %>% select(dat4)
t.test(dat6,dat7,var.equal = TRUE)

##
## Two Sample t-test
##
## data: dat6 and dat7
## t = 0.048008, df = 18, p-value = 0.9622
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -8.552441 8.952441
## sample estimates:
## mean of x mean of y
## 70.4 70.2

# Hence, P value > 0.05, so we fail to reject H0 and therefore the mean burning times
# are equal at alpha = 0.05 level of significance.
# P-value for this test is 0.9622.

# Answer to the problem No: 2.29
Temp95 <- c(11.176,7.089,8.097,11.739,11.291,10.759,6.467,8.315)
Temp100 <- c(5.263,6.748,7.461,7.015,8.133,7.418,3.772,8.963)
dat8 <- data.frame(Temp100,Temp95)
dat8

## Temp100 Temp95
## 1 5.263 11.176
## 2 6.748 7.089
## 3 7.461 8.097
## 4 7.015 11.739
## 5 8.133 11.291
## 6 7.418 10.759
## 7 3.772 6.467
## 8 8.963 8.315

# Answer to the problem No: 2.29.(a)
# Hypotheses Statement:
# H0:  $\mu_1$  (mean of Temp 100) =  $\mu_2$  (mean of Temp 95) or  $\mu_1 - \mu_2 = 0$ 
# Ha:  $\mu_1$  (mean of Temp 100) <  $\mu_2$  (mean of Temp 95)
# Two sample t test is as follows:
t.test(Temp100,Temp95,var.equal = TRUE,alternative = "less")

##
## Two Sample t-test
##
## data: Temp100 and Temp95
## t = -2.6751, df = 14, p-value = 0.009059
## alternative hypothesis: true difference in means is less than 0
## 95 percent confidence interval:
## -Inf -0.8608158
## sample estimates:
## mean of x mean of y
## 6.846625 9.366625

# Since P-value < 0.05 at a alpha = 0.05 level of significance so we reject H0
# Thus, there is evidence to support the claim that higher the baking temperature

```

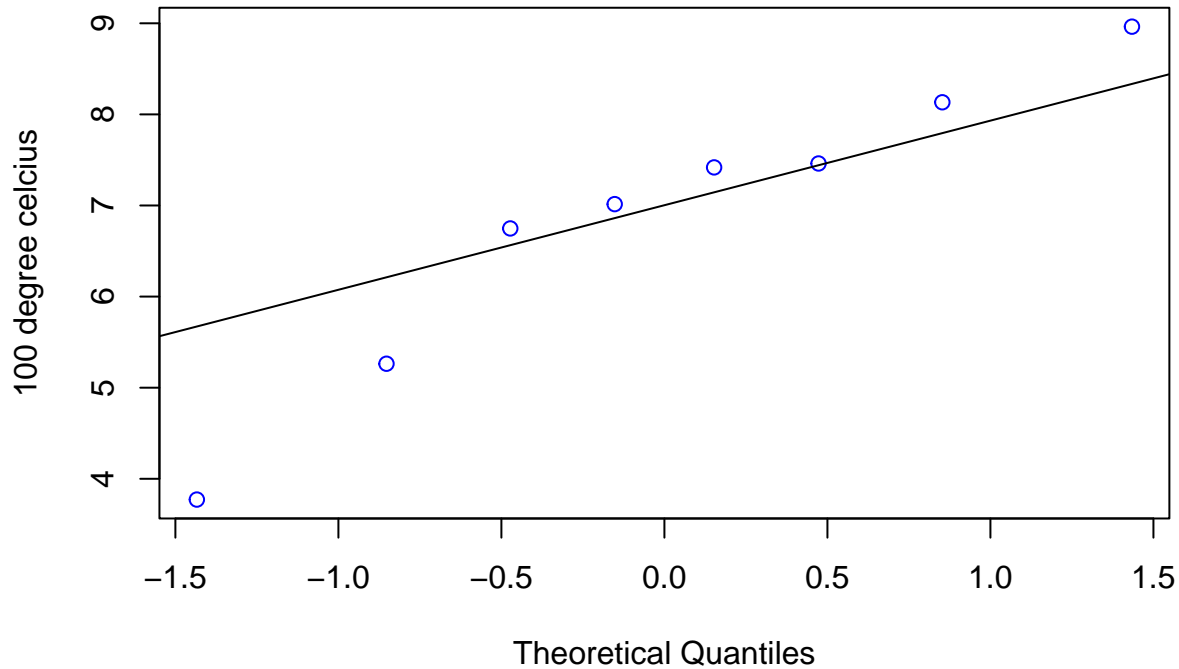
```
# results with a lower mean photo resist thickness.

# Answer to the problem No: 2.29.(b)
# P-value for the test conducted in part (a) is 0.009059.

# Answer to the problem No: 2.29.(c)
# 95% confidence interval on the difference in mean is
#  $-\infty \leq u_1 - u_2 \leq -0.8608158$ 
# This confidence interval does not include 0 in it. So, there is a difference
# in the two temperatures on the thickness of the photo resist.

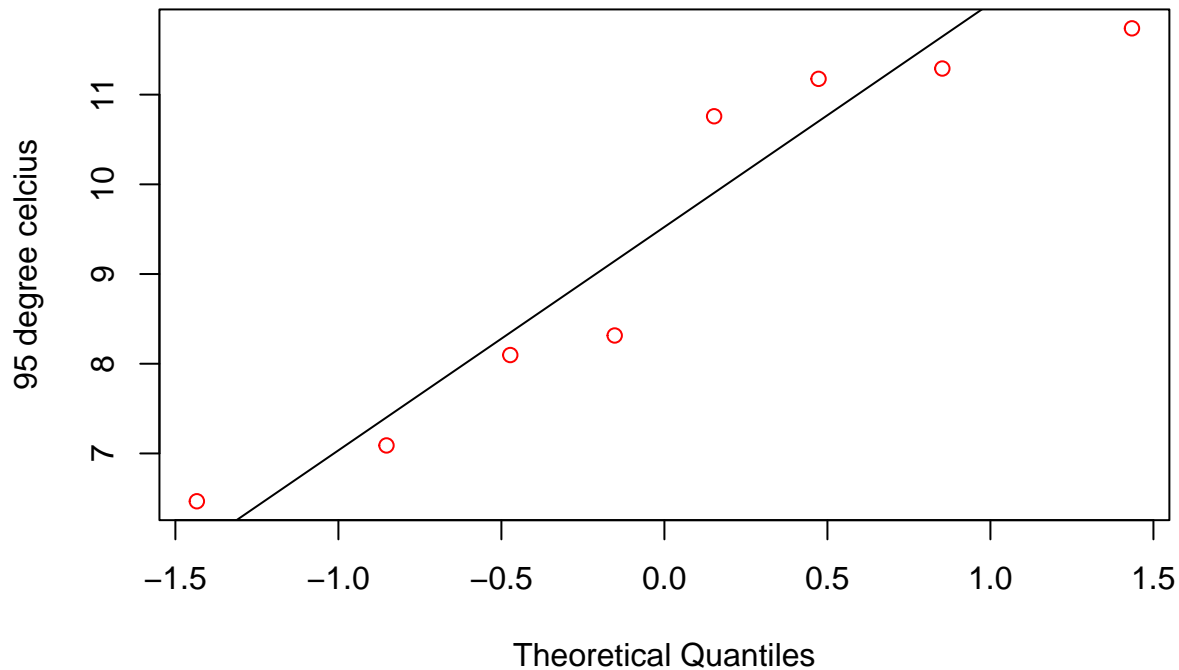
# Answer to the problem No: 2.29.(e)
# Normality assumptions check
qqnorm(dat8$Temp100,main="Normal Probability Plot Temp100",col="blue",ylab="100 degree celcius")
qqline(dat8$Temp100)
```

Normal Probability Plot Temp100



```
qqnorm(dat8$Temp95,main="Normal Probability Plot Temp95",col="red",ylab="95 degree celcius")
qqline(dat8$Temp95)
```

Normal Probability Plot Temp95



No significant deviations been observed from both (Temp 100 and Temp 95) of the
the normality assumptions.

Source Code

[illegible]

```

library(dplyr)
dat6 <- dat5 %>% filter(Type=="Type1") %>% select(dat4)
dat7 <- dat5 %>% filter(Type=="Type2") %>% select(dat4)
t.test(dat6,dat7,var.equal = TRUE)
Temp95 <- c(11.176,7.089,8.097,11.739,11.291,10.759,6.467,8.315)
Temp100 <- c(5.263,6.748,7.461,7.015,8.133,7.418,3.772,8.963)
dat8 <- data.frame(Temp100,Temp95)
dat8
t.test(Temp100,Temp95,var.equal = TRUE,alternative = "less")
qqnorm(dat8$Temp100,main="Normal Probability Plot Temp100",col="blue",ylab="100 degree celcius")
qqline(dat8$Temp100)
qqnorm(dat8$Temp95,main="Normal Probability Plot Temp95",col="red",ylab="95 degree celcius")
qqline(dat8$Temp95)

```