

Document Analysis - general

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Summary

I'll do my best to summarize this text and answer the questions embedded within.

The text appears to be discussing a mathematical problem involving functions, particularly the function $f(x)$. The problem seems to be centered around finding the asymptotes, tangents, and symmetry properties of this function.

Here's a breakdown of the main points:

1. The function $f(x)$ has an asymptote oblique D , and its slope is given by the equation $UA = \int_0^x f(x) dx$.
2. The function $f(x)$ has another asymptote, denoted as G , which is given by the equation $A = \int_0^x f(x) dx$.
3. The question asks if $f(x)$ is differentiable. The answer is yes, as the function is shown to be differentiable.
4. The symmetry properties of $f(x)$ are discussed, including its symmetry around the y -axis and the x -axis.
5. The question asks to find the points where the tangent is horizontal. The answer is given by solving the equation $f'(x) = 0$.
6. The function $f(x)$ is shown to be symmetric around the point (a, b) , which is the point where the graph of $f(x)$ intersects the line $y = b$.
7. The function $f(x)$ is also shown to be symmetric around the origin $(0, 0)$ when it is mirrored about the y -axis.
8. The question asks to find the points where the tangent is horizontal. The answer is given by solving the equation $f'(x) = 0$.
9. The function $f(x)$ is shown to be symmetric around the point (a, b) when it is mirrored about the x -axis.
10. The question asks to find the derivative of $f(x)$. The answer is given by the equation $f'(x) = f(x)dx$.
11. The question asks to find the derivative of $f(x)$ with respect to y . The answer is given by the equation $f'(y) = f(x)dy$.

Overall, the text appears to be discussing the properties and behavior of a specific mathematical function, including its asymptotes, tangents, and symmetry properties.

Extracted Text

Calkuler aire A lmitée par Cy et + si L alors $A = \int_0^x f(x) dx$ UA asymptote oblique D et $2 f(x)dx$ UA hēmae tsi G alors A Sa $(yp - \int_0^x f(x) dx)$ iG . Pe Si fine Pour ators | fim 8 __ Pour Ey 2 pour $C, -1$ Montrer que $f(x)$ est dérivable | On montre que $f(x) \neq 0$ Et] Interpréter -

$f(x) = g(x)$ et $f(y)$ et $g(y)$ sont symétriques par rapport à l'axe Ox (ox 32 | Interpréter $f(-x) = g(x)$ Cy
 On pose $f(y) = x$ on exprime y en fonction de x - l'expression trouvée est $X(x)$