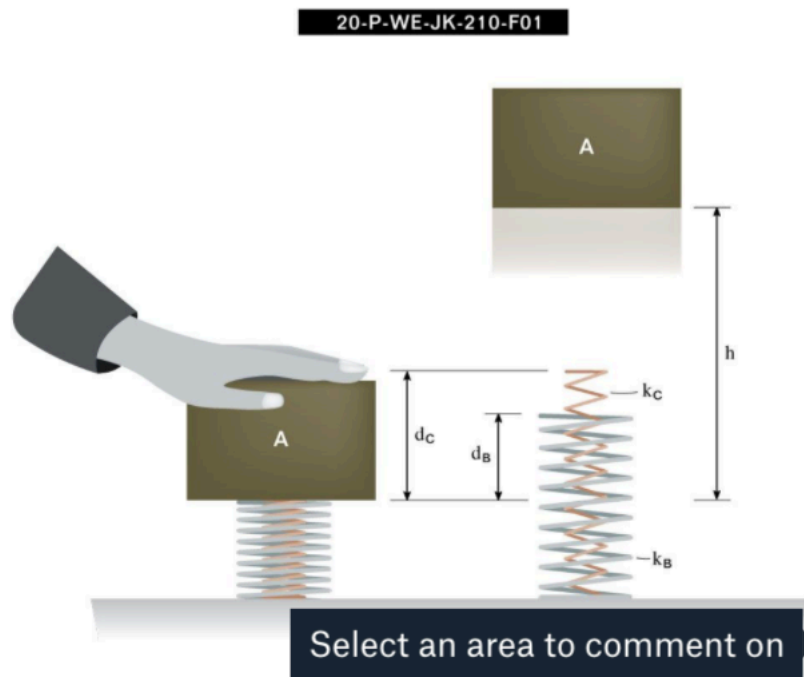


20-P-WE-JK-223-P14-67

Problem 14-67 from Hibbeler 14th edition

Block A is placed on top of two nested springs B and C and then pushed down as shown. It is then released. Determine “h” the maximum height to which it will rise.



Weight A = 30 pound

$k_B = 200 \text{ lb/in}$

outside spring, depressed

$h_B = x_B = 4 \text{ inches}$

$k_C = 100 \text{ lb/in}$

inside spring, depressed

$h_C = x_C = 6 \text{ inches}$

Remember from free fall motion that the maximum height means that the velocity is zero

Doing this in imperial pounds-inches made my head hurt.

$$\frac{1}{2} k_B (x_B^2) + \frac{1}{2} k_C (x_C^2) = m g h$$

$$(\frac{1}{2}) (200) (4^2) + (\frac{1}{2}) (100) (6^2) = (30 \text{ lb}) (h) \text{ so } h = 113 \text{ inches}$$

$$h = \frac{k_B (x_B^2) + k_C (x_C^2)}{2 m g}$$

Feel free to convert to metric SI

1 pound = 4.44822 N = 0.435492 kg

1 inch is exactly 2.54 cm = 0.0254 m

30 pounds = 13.61 kg

$k_B = 200 \text{ lb/inches} = 35025 \text{ N/m}$

$k_C = 100 \text{ lb/inches} = 17512 \text{ N/m}$

6 inches = 0.1524 m

4 inches = 0.1016 m

Answer: 113 inches

spring potential energy = 180.8 J + 203.3 J = 384.1 J $h = 2.88 \text{ m} = 113 \text{ inches}$

(answer in the back of the book is wrong. It says 133 inches. Typo. The instructor solution manual = 113 inches.)