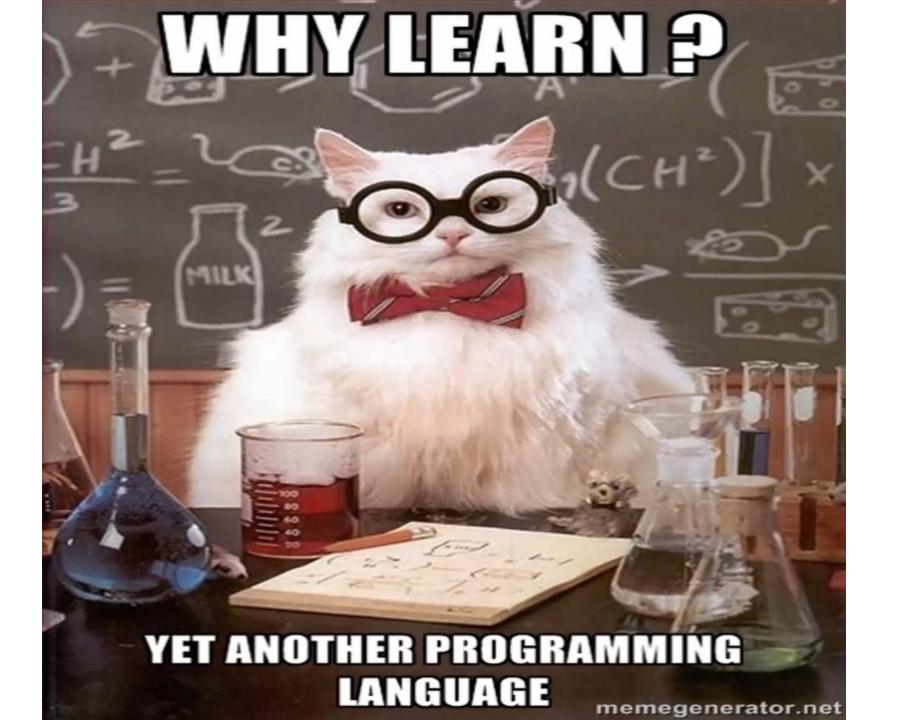


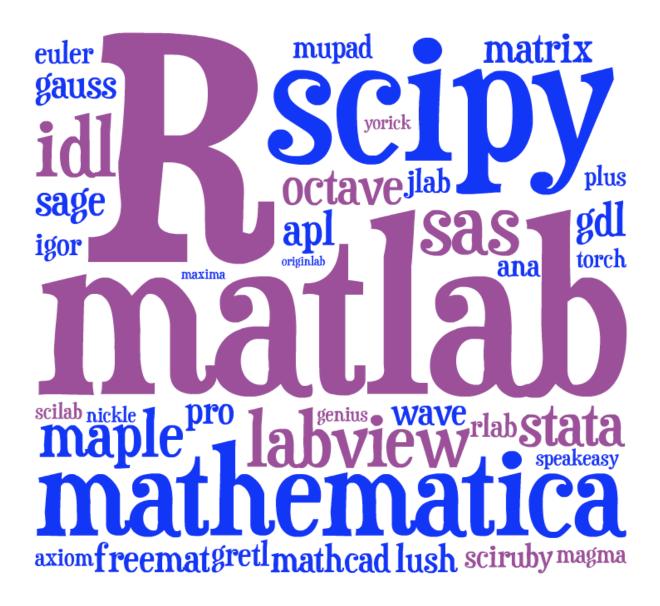
# Julia: A New Language for Technical Computing

Presented by

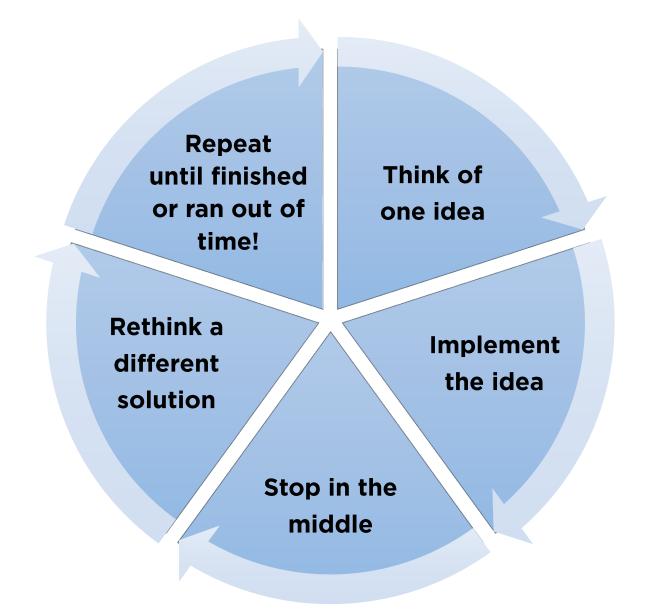
Dr. Seif Shebl Electrical Engineering Department



## Why do we need one more?



# Typical scenario for researchers/scientists



# **Design Tradeoffs**

C

**MATLAB** 

Execution speed





Code development time





# The two-language problem

Non-application based development is typically interactive nowadays

MATLAB has shown us how a dynamically typed, interpreted language can be easily used to solve our problems

Rapid prototyping and low barrier to entry are important language characteristics

But what happens when you need to scale things up?

# The research question?

Why is a language fast?

Better question:

What causes slowness?

#### The answer!

Slowness is usually attributed to

# Uncertainty!

# The creators of Julia (why we created Julia?)

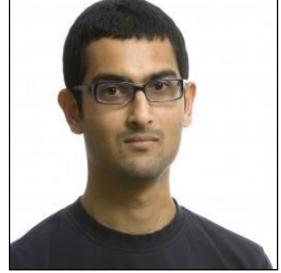
Jeff Bezanson



Stephen Karpinski



**Viral Shah** 



Alan Edelman



#### What is Julia?

- A high-level, high-performance, dynamic programming language.
- Easy syntax similar to other technical computing environments.
- Provides a smart compiler, distributed parallel execution, numerical accuracy, and extensive mathematical library.
- Julia's Base library is largely written in Julia itself
- Integrates mature, best-of-breed open source C and Fortran libraries for linear algebra, random number generation, signal processing, and string processing

# Solving the two-language problem

**Julia fills this role:** it is a flexible dynamic language, suitable for scientific and numerical computing, with performance comparable to traditional statically-typed languages.

```
for animal in ["dog", "cat", "mouse"]
x = [1,2,3]
                                                 println("$animal is a mammal")
y = [1 \ 2 \ 3]
A = [1 \ 2 \ 3 \ 4;5 \ 6 \ 7 \ 8;9 \ 10 \ 11 \ 12]
                                            end
A[2, 1] = 0
u,v = (15.03, 1.2e-27)
                                            map(x \rightarrow x^2+2x-1, [1, 2, 3])
f(x) = 3x
map(x \rightarrow 3x, A)
                                             [add 10(i) for I in [1, 2, 3]]
x[2:12]
x[2:end]
A[5,1:3]
                                             ... and keyword arguments too
A[5,:]
```

## Syntax that is familiar to MATLAB users

```
Keyword arguments
function randmatstat(t; n=10)
    v = zeros(t)
    w = zeros(t)
    for i = 1:t
                                       Familiar array syntax
          = randn(n,n)
          = randn(n,n)
          = randn(n,n)
        d = randn(n,n)
        P = [abcd]
        Q = [a b; c d]
        v[i] \neq trace((P'*P)^4)
                                       Common matrix operations
        w[i] = trace((Q'*Q)^4)
    end
                                       Common statistics
    std(v)/mean(v), std(w)/mean(w)
                                       Last expression is return value
end
```

# Some noteworthy features

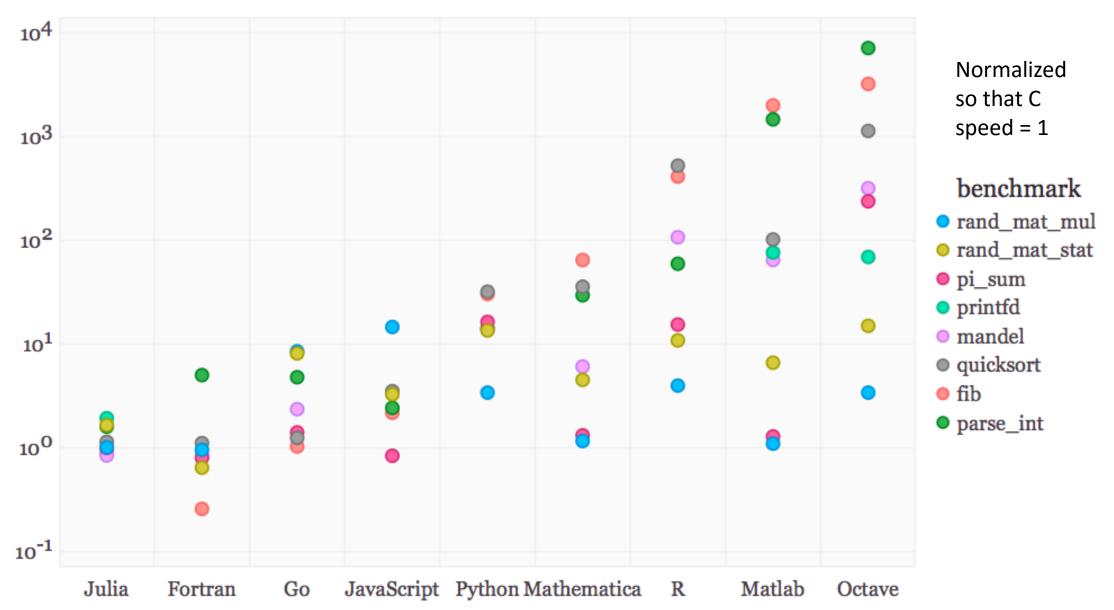
- Open source with an MIT licensed core
- Easy installation Just download a precompiled binary and run
- Dynamically typed with fast user-defined types
- Multiple dispatch with a sophisticated parametric type system
- JIT compiler no need to vectorize for performance
- Distributed memory parallelism
- Effortlessly call C, Fortran, Python, and MATLAB
- Unicode support

# JIT advantages

JIT: Just-in-time compilation in Julia proved faster than native code on certain scenarios since JIT can do additional optimizations based on runtime values which a static compiler doesn't know about.

Similarly, garbage collection can be more performant than explicit memory cleanup on certain cases.

# Performance on synthetic benchmarks

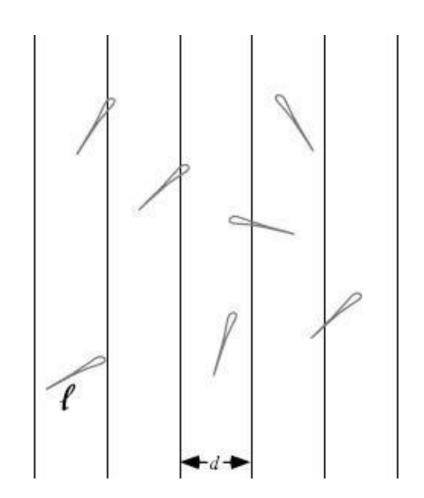


# Let's compute $\pi$ : Buffon needle problem

```
function buffon(m)
 hit = 0
  for l = 1:m
   mp = rand()
   phi = (rand()*pi) - pi/2
   xrechts = mp + cos(phi)/2
   xlinks = mp - cos(phi)/2
    if xrechts >= 1 || xlinks <= 0
        hit += 1
    end
    end
   miss = m - hit
 piapprox = m / hit * 2
end
```

# Let's compute $\pi$ in parallel

```
function buffon_par(m)
  hit = @parallel (+) for l = 1:m
    mp = rand()
    phi = (rand() * pi) - pi / 2
    xrechts = mp + cos(phi)/2
    xlinks = mp - cos(phi)/2
    (xrechts>=1 || xlinks<=0)? 1:0
  end
  miss = m - hit
  piapprox = m / hit * 2
end</pre>
```



#### How to run?

- 1. From the command window
- 2. From the REPL (Read-Eval-Print Loop)
- 3. Inside an IDE: Juno, Sublime Text, etc.
- 4. In the cloud: JuliaBox

# Demo

# **Questions?**

# Thank you