



# ML4Sci: Quantum Contrastive Learning

**Project:** Learning quantum representations of classical high energy physics data with contrastive learning

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### **Self Supervised Learning: Contrastive Learning**



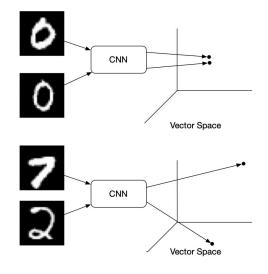
**Contrastive Learning:** They seek to quantify the similarity or dissimilarity between data elements.

**Contrastive Pair Loss**: This loss function aims to minimize the distance between similar pairs and maximize the distance between dissimilar pairs.

$$L = \frac{1}{2N} \sum_{i=1}^{N} \left[ y_i d_i^2 + (1 - y_i) \max(0, m - d_i)^2 \right]$$

Breaking down the loss function further:

- For **positive pairs y\_i = 1**, the loss encourages the distance **d\_i** to be small
- For **negative pairs y\_i = 0**, the loss encourages the distance **d\_i** to be larger than the margin



#### **Siamese Network**



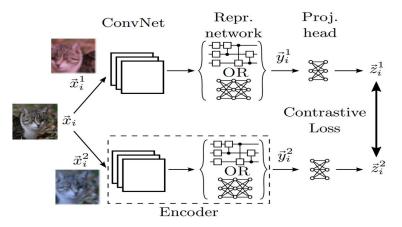




#### Siamese Network:

Siamese networks are neural architectures used for similarity learning. They are particularly useful for our case of image similarity estimation, where we want to determine the similarity or dissimilarity between two input samples.

They consist of **two identical subnetworks (twins or branches)** that share the same weights. Each subnetwork takes an input sample (e.g., an image) and produces an embedding vector (a compact representation) for that input.





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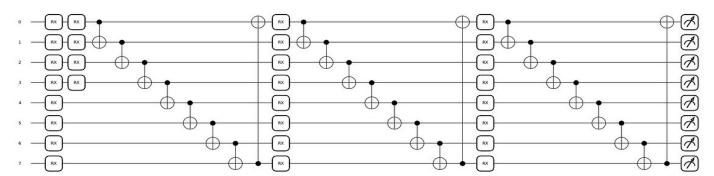
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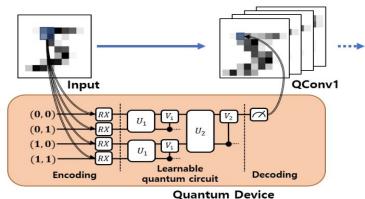


### **Quantum Circuit and Hybrid Model**

[3]: (<Figure size 3100x900 with 1 Axes>, <Axes: >)



n\_qubits = 8, n\_layers = 3



```
Quantum Hybrid Model
base quantum hybrid model.pv
   2 class QuantumCNN:
           def init (self, input shape, quantum layer, n qubits=4):
               self.input shape = input shape
               self.n_qubits - n_qubits
           def create model(self, return embeddings=False):
               model = models.Sequential()
               model.add(layers.Input(shape=input_shape))
               model.add(layers.Conv2D(32, (3, 3), activation='relu')) # Conv layer 1
               model.add(layers.MaxPooling2D((2, 2)))
               model.add(layers.Conv2D(64, (3, 3), activation='relu')) # Conv layer 2
               model.add(layers.Flatten())
               model.add(layers.Dense(64, activation='relu'))
               model.add(layers.Dense(n_qubits))
               model.add(quantum_layer)
               model.add(layers.Dense(n qubits, activation='relu'))
               if return embeddings:
                  return model
               return model
```

#### **Datasets**

10 15 20 25

10

10 -

15 -

20 -

25 -

30 -

35 -

10 -

15 -

20 -

25

30 -

35

Quark

Quark

25

15 20

**Quark Gluon: channel 1** 

10

15

20

25

30

35

5 -

10 -

15

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25

30

35

channel 3

10 15 20

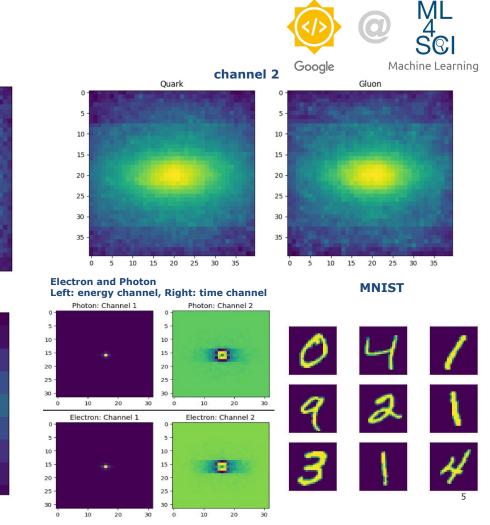
Gluon

15 20

25 30

Gluon

30





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Learning History



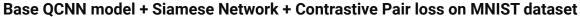


for Science

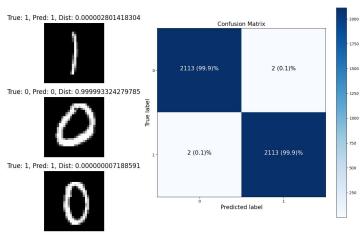
- loss

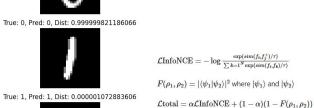
val loss

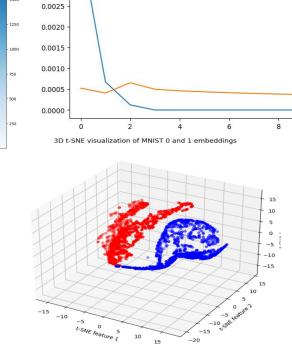
#### Results on MNIST pair 0 and 1











0.0040

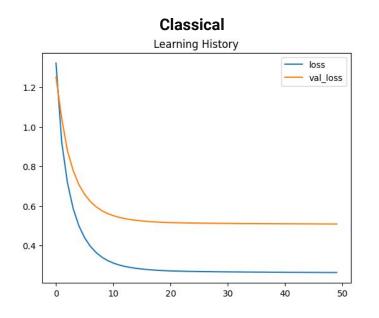
0.0035 0.0030

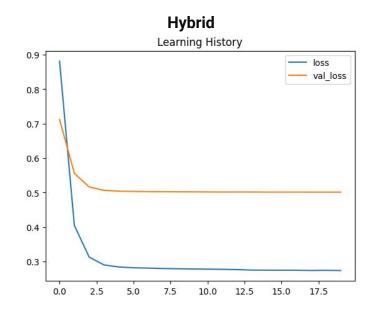






#### Implemented Classical and Hybrid Base models on electron photon dataset

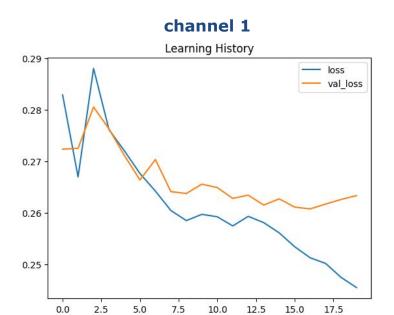


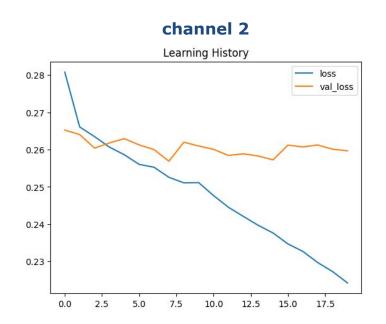












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#### **Next Steps**

 Experimenting with other contrastive loss functions like triplet, SimCLR, SwaV combined with fidelity of the states

• **Quantum Graph Contrastive Learning** as graphs work better on sparse datasets which is the case in LHC-HEP datasets. Try out Vision Transformers (**QVIT**)

• Continued iterations of experimentation on the 3 datasets

## Thankyou!