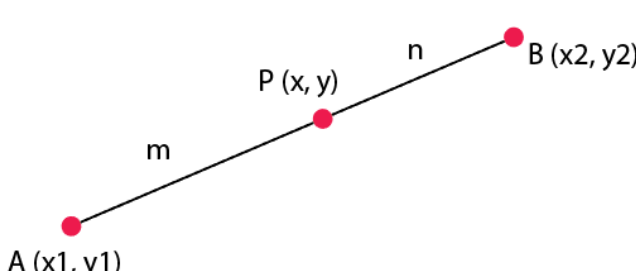


## Coordinates Geometry

<div><div><b><u>1 Distance/length formulae</u></b></div><div><div>- Distance between 2 2D points</div><div>- Distance between 2 3D points</div></div></div>	<div><math display="block">\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}</math><math display="block">\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2 + (z_2 - z_1)^2}</math></div>															
<div><div><b><u>2 Midpoint between 2 points</u></b></div></div>	<div><math display="block">\frac{(x_1 + x_2)}{2}, \frac{(y_1 + y_2)}{2}, \frac{(z_1 + z_2)}{2}</math></div>															
<div><div><b><u>3 Slope between 2 points</u></b></div></div>	<div><math display="block">m = \frac{(y_2 - y_1)}{(x_2 - x_1)}</math></div>															
<div><div><div><b><u>4 Line equation</u></b></div><div><div>- Need Slope value</div><div>- Need y-intercept</div></div></div></div>	<div><div><math display="block">(Equation) y = mx + c</math><math display="block">y - y_1 = m(x - x_1)</math></div></div>															
<div><div><div><b><u>5 Parallel Lines</u></b></div><div><div>- Are the points collinear?</div></div></div></div>	<div><div><math display="block">m_1 = m_2</math><p>Check if collinear: If both slope is same <math>if\ mAB = mBC = mAC</math> <math>if\ AB = BC,</math>     <math>B</math> is a common point <math>ABC</math> is collinear, meaning all 3 points lines on the same line</p></div></div>															
<div><div><b><u>6 Perpendicular Lines</u></b></div></div>	<div><div><math display="block">m_2 * m_1 = -1</math><math display="block">m_2 = -\frac{1}{m_1}</math></div></div>															
<div><div><div><b><u>7 Perpendicular Bisector of AB</u></b></div><div><div>- Get the perpendicular line of line AB</div></div></div></div>	<div><div><div>1. Get midpoint of AB <math>(x_2, y_2</math></div><div>2. Get slope of line AB : <math>m</math></div><div>3. Get perpendicular slope of AB = <math>-\frac{1}{m}</math></div><div>4. Bisector of line AB <math>\rightarrow y - y_2 = -\frac{1}{m}(x - x_2)</math></div></div></div>															
<div><div><b><u>8 Ratio Theorem</u></b></div></div>	<div><div><div><math display="block">x = \frac{m(x_2) + n(x_1)}{m + n}, \quad y = \frac{m(y_2) + n(y_1)}{m + n}</math></div></div></div>															
<div><div><b><u>9 Area of polygon</u></b></div></div>	<div><div><math display="block">\frac{1}{2} (x_1y_2 + x_2y_3 + x_3y_4 + x_4y_1 - x_2y_1 - x_3y_2 - x_4y_3 - x_1y_4)</math><div><div><math display="block">\frac{1}{2}</math><table><tr><td>  x1</td><td>x2</td><td>x3</td><td>x4</td><td>x1  </td></tr><tr><td><div><div></div><div></div></div></td><td><div><div></div><div></div></div></td><td><div><div></div><div></div></div></td><td><div><div></div><div></div></div></td><td></td></tr><tr><td>  y1</td><td>y2</td><td>y3</td><td>y4</td><td>y1  </td></tr></table></div></div></div></div>	x1	x2	x3	x4	x1	<div><div></div><div></div></div>	<div><div></div><div></div></div>	<div><div></div><div></div></div>	<div><div></div><div></div></div>		y1	y2	y3	y4	y1
x1	x2	x3	x4	x1												
<div><div></div><div></div></div>	<div><div></div><div></div></div>	<div><div></div><div></div></div>	<div><div></div><div></div></div>													
y1	y2	y3	y4	y1												

## 1. Exercise

1	<p> <math>P(4, -4), \quad Q(9, 6), \quad R(-2, 4), \quad S</math> are the vertices of a parallelogram         </p> <p>Find the midpoint of PR,</p> $\begin{aligned} \text{midpoint } x &= \frac{4 + (-2)}{2}, & \text{midpoint } y &= \frac{-4 + 4}{2} \\ \text{midpoint } x &= 1, & \text{midpoint } y &= 0 \end{aligned}$ <p>The coordinates of point S</p> <p>Let coordinates of S be <math>x, y</math></p> $\begin{aligned} 1 &= \frac{9 + x}{2}, & 0 &= \frac{6 + y}{2} \\ x &= -7, & y &= -6 \end{aligned}$ <p>Show that PQRS is a rhombus</p> <p>show that length of <math>PQ = RQ</math></p> $\begin{aligned}  PQ  &= \sqrt{(9 - 4)^2 - (6 + 4)^2} = \sqrt{125} \\  RQ  &= \sqrt{(9 + 2)^2 - (6 - 4)^2} = \sqrt{125} \end{aligned}$
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