Population Growth Problem.

```
In[284]:=
       t0 = 0.0; (*initial time time*)
       dt = 0.001; (*time step*)
       tf = 10.0; (*final time*)
       n0 = 1000.0; (*initial value for n = number of Population*)
       a = 10.0; (*characteristic time*)
       b = 0;
       tl = Range[t0, tf, dt]; (*time list*)
       lt = Length[t1];
       nl = 0 * tl; (*intialize the list of numbers of Population*)
       nl[[1]] = n0; (* initialization of the first *)
       Do [nl[i+1] = nl[i] * (1 + (a * dt) - (b * dt * nl[i])), {i, 1, lt - 1}];
       nt[t_, a_, n0_] = n0 Exp[a * t]; (*Exact solution*)
       fig1 = Plot[nt[t, a, n0], {t, t0, tf}, PlotRange → All, PlotStyle → Red];
       (*graph of exact solution*)
       tn = Table[{tl[i], nl[i]}, {i, lt}];
       fig2 = ListPlot[tn , PlotRange → All];(*graph of numerical solution*)
       Show[\{fig1, fig2\}, Frame \rightarrow True, FrameLabel \rightarrow {"t", "n(t)"}, LabelStyle \rightarrow 13]
       Clear[b]
       b = 0.001;
       Do [nl[i+1] = nl[i] * (1 + (a * dt) - (b * dt * nl[i])), {i, 1, lt - 1}];
       nt[t, a, n0] = a/(b+(a/n0-b)*Exp[-a*t]); (*Exact solution*)
       fig1 = Plot[nt[t, a, n0], {t, t0, tf}, PlotRange → All, PlotStyle → Red];
       (*graph of exact solution*)
       tn = Table[{tl[i], nl[i]}, {i, lt}];
       fig2 = ListPlot[tn , PlotRange → All];(*graph of numerical solution*)
       Show[\{fig1, fig2\}, Frame \rightarrow True, FrameLabel \rightarrow {"t", "n(t)"}, LabelStyle \rightarrow 13]
Out[299]=
          2.5 \times 10^{46}
          2.0 \times 10^{46}
       € 1.5×10<sup>46</sup>
           1.0 \times 10^{46}
          5.0 \times 10^{45}
                                              6
                                                              10
```

t

