Ch.4: User input and error handling

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Programs until now hardcode input data

```
y = v_0t - 0.5gt^2
v0 = 5
g = 9.81
t = 0.6
y = v0*t - 0.5*g*t**2
print y
```

Note

- Input data are explicitly set ("hardcoded")
- To change input data, we need to edit the program
- This is considered bad programming ¡linebreak¿ (because editing programs may easily introduce errors!)
- Rule: read input from user do not edit a correct program

How do professional programs get their input?

- Consider a web browser: how do you specify a web address?
 How do you change the font?
- You don't need to go into the program and edit it...

How can we specify input data in programs?

- Until now: hardcoded initialization of variables
- From now on: ask the user questions and read answers
- More convenient: read command-line arguments

```
Terminal> python myprog.py arg1 arg2 arg3 ...
Terminal> rm -i -r temp projects univ
```

Unix programs (rm, 1s, cp, ...) make heavy use of command-line arguments, (see e.g. man 1s). We shall do the same.

Getting input from questions and anwsers

```
Consider

C = 21
F = (9.0/5)*C + 32
print F

Idea: let the program ask the user a question "C=?", read the user's answer, assign that answer to the variable C.

C = raw_input('C=?')  # C becomes a string
C = float(C)  # convert to float so we can compute F = (9./5)*C + 32
print F

Testing:

Terminal> python c2f_qa.py
C=? 21
69.8
```

Another example: print the n first even numbers

```
n = int(raw_input('n=?'))
for i in range(2, 2*n+1, 2):
    print i
# or:
print range(2, 2*n+1, 2)
# or:
for i in range(1, n+1):
    print 2*i
```

Reading from the command line C = 21; F = (9.0/5)*C + 32; print F The user wants to specify C as a command-line argument after the name of the program when we run the program: Terminal> python c2f_cml_v1.py 21 69.8 Command-line arguments are the "words" after the program name, and they are stored in the list sys.argv: import sys print 'program name', sys.argv[0] print 'lst command-line argument:', sys.argv[1] # string print '2nd command-line argument:', sys.argv[2] # string print '3rd command-line argument:', sys.argv[3] # string etc. This is how we use 'sys.argv': import sys C = float(sys.argv[1]) # read 1st command-line argument F = 9.0*C/5 + 32 print F

Command-line arguments separated? Command-line arguments are separated by blanks - use quotes to override this rule! Test program: import sys; print sys.argv[1:] Demonstrations: Terminal> python print_cml.py 21 string with blanks 1.3 ['21', 'string', 'with', 'blanks', '1.3'] Terminal> python print_cml.py 21 "string with blanks" 1.3 ['21', 'string with blanks', '1.3'] Note that all list elements are surrounded by quotes, demonstrating that command-line arguments are strings.


```
eval(s) evaluates a string object s as if the string had been
written directly into the program

>>> s = '1+2'
>>> r = eval(s)
>>> r

3
>>> type(r)
<type 'int'>
>>> r = eval('[1, 6, 7.5] + [1, 2]')
>>> r
[1, 6, 7.5, 1, 2]
>>> type(r)
<type 'list'>
```

```
We want r = 'math programming'. Writing just

r = eval('math programming')

is the same as writing

r = math programming

which is an invalid expression and illegal syntax.

Remedy: must put the string inside quotes:

s = "'math programming'"

r = eval(s) # r becomes 'math programming'

# r becomes 'math programming'
```

```
With eval, a little program can do much...

i1 = eval(raw_input('Give input: '))
i2 = eval(raw_input('Give input: '))
r = i1 + i2
print '%s + %s becomes %s\nwith value %s' % \
('type(i1), type(i2), type(r), r)

We can add integer and float:

Terminal> python add_input.py
operand 1: 1
operand 2: 3.0
<type 'int'> + <type 'float'> becomes <type 'float'>
with value 4

or two lists:

Terminal> python add_input.py
operand 1: [1,2]
operand 2: [-1,0,1]
<type 'list'> + <type 'list'> becomes <type 'list'>
with value [1, 2, -1, 0, 1]
```

This great flexibility also quickly breaks programs... Terminal> python add_input.py operand 1: (1,2) operand 2: [3,4] Traceback (most recent call last): File "add_input.py", line 3, in <module> r = i1 + i2 TypeError: can only concatenate tuple (not "list") to tuple Terminal> python add_input.py operand 1: one Traceback (most recent call last): File "add_input.py", line 1, in <module> i1 = eval(raw_input('operand 1: ')) File "dd_input.py", line 1, in <module> NameError: name 'one' is not defined Terminal> python add_input.py operand 1: 4 operand 2: 'Hello, World!' Traceback (most recent call last): File "add_input.py", line 3, in <module> r = i1 + i2 TypeError: unsupported operand type(s) for +: 'int' and 'str'

```
NameError: name 'one' is not defined

Terminal> python add_input.py
operand 1: 4
operand 2: 'Hello, World!'
Traceback (most recent call last):
    File "add_input.py", line 3, in <module>
        r = i1 + i2
        TypeError: unsupported operand type(s) for +: 'int' and 'str'

What can exec be used for?

StringFunction: string formulas → functions

• Build code at run-time, e.g., a function:

• It is common for programs to read formulas and turn into functions so we have made a special tool for this code = """
def f(x):
        return /s
        """ // formula = raw_input('Write a formula involving x: ')
        code = """
code = ""
code = """
code =
```

• Build code at run-time, e.g., a function: formula = raw_input('Write a formula involving x: ') code = """ def f(x): return /s """ // formula exec(code) x = 0 while x is not None: x = eval(raw_input('Give x (None to quit): ')) if x is not None: y = f(x) print 'f(%g)=%g' // (x, y) • While the program is running, the user types a formula, which becomes a function, the user gives x values until the answer is None, and the program evaluates the function f(x) • Note: the programmer knows nothing about f(x)!

```
Many programs, especially on Unix systems, take a set of command-line arguments of the form --option value

Terminal> python location.py --v0 1 --t 3 --s0 1 --a 0.5
Terminal> python location.py --t 3

The latter run relies on default values for v0, s0, and a: we provide only the values we want to change.
Such option-value pairs make it easier to understand what the input is (cf. keyword arguments).
```

```
• It is common for programs to read formulas and turn them
into functions so we have made a special tool for this purpose:

>>> from scitools.StringFunction import StringFunction
>>> formula = 'exp(x)*sin(x)'
>>> f(0)
0.0
>>> f(pi)
2.833823922952166e-15

• The function can have parameters: g(t) = Ae<sup>-at</sup> sin(\omega x)
independent_variable='t', A=1, a=0.1, omega=pi, x=5)
print g(1.2)
g.set_parameters(A=2, x=10)
print g(1.2)
```

A similar magic function: exec

exec(statement)

print r will print 2

• eval(s) evaluates an expression s

• eval('r = 1+1') is illegal because this is a statement, not

only an expression (assignment statement: variable =

statement = 'r = 1+1' # store statement in a string

• ...but we can use exec for complete statements:

```
import argparse
parser = argparse.ArgumentParser()

# Define command-line arguments
parser.add_argument('--v0', '--initial_velocity', type=float,
default=0.0, help='initial velocity')

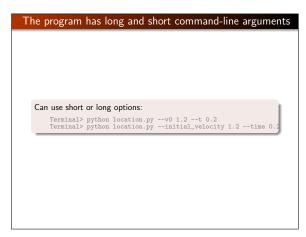
parser.add_argument('--s0', '--initial_position', type=float,
default=0.0, help='initial position')

parser.add_argument('--a', '--acceleration', type=float,
default=1.0, help='acceleration')

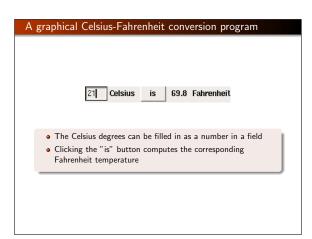
parser.add_argument('--t', '--time', type=float,
default=1.0, help='time')

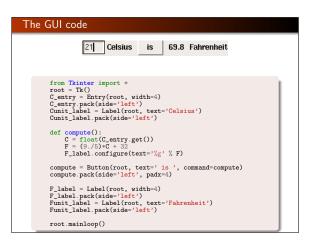
# Read the command line and interpret the arguments
args = parser.parse_args()

# Extract values
s = args.s0 + args.v0*t + 0.5*args.a*args.t**2
# or
s0 = args.s0; v0 = args.v0; a = args.a; t = args.t
s = s0 + v0*t + 0.5*a*t**2
```



■ Most programs today fetch input data from graphical user interfaces (GUI), consisting of windows and graphical elements on the screen: buttons, menus, text fields, etc. ■ Why don't we learn to make such type of programs? ■ GUI demands much extra complicated programming ■ GUI is an advantage for novice users ■ Experienced users often prefer command-line input ¡linebreak½ (it's much quicker and can be automated) ■ The authors of a program are very experienced users... ■ Programs with command-line or file input can easily be combined with each other, this is difficult with GUI-based programs ■ Assertion: command-line input will probably fill all your needs in university courses ■ But let's have a look at GUI programming!





```
A user can easily use our program in a wrong way, e.g.,

Terminal> python c2f_cml_v1.py
Traceback (most recent call last):
File "c2f_cml_v1.py", line 2, in?
C = float(eys.argv[1])
IndexBrror: list index out of range

(the user forgot to provide a command-line argument...)
How can we take control, explain what was wrong with the input, and stop the program without strange Python error messages?

if len(eys.argv) < 2:
    print 'You failed to provide a command-line arg.!'
sys.exit(1) # abort
F = 9.0*c/5 + 32
print 'Ygc is M.iff' % (C, F)
Terminal> python c2f_cml_v2.py
You failed to provide a command-line arg.!
```

Try to read C from the command-line, if it fails, tell the user, and abort execution: import sys try: C = float(sys.argv[1]) except: print 'You failed to provide a command-line arg.!' sys.exit(1) # abort F = 9.0*0/5 + 32 print 'MgC is %.ifF' % (C, F) Execution: Terminal> python c2f_cml_v3.py You failed to provide a command-line arg.! Terminal> python c2f_cml_v4.py 21C You failed to provide a command-line arg.!

We can test for different except blocks import sys try: C = float(sys.argv[1]) except IndexError: print 'No command-line argument for C!' sys.exit(1) # abort execution except ValueMerror: print 'C must be a pure number, not "%s"' % sys.argv[1] sys.exit(1) F = 9.0*C/5 + 32 print '%gC is %.1fF' % (C, F) Executions: Terminal> python c2f_cml_v3.py No command-line argument for C! Terminal> python c2f_cml_v3.py 21C Celsius degrees must be a pure number, not "21C"

```
def read_C():
    try:
        C = float(cys.argv[i])
    except IndexError:
    # re-raise, but with specific explanation:
    raise IndexError(
        'Celsius degrees must be supplied on the command line')
    except ValueError:
    # re-raise, but with specific explanation:
    raise ValueError(
        'Degrees must be number, not "%s"' % sys.argv[i])

# C is read correctly as a number, but can have wrong value:
    if C < -273.15:
        raise ValueError('C=%g is a non-physical value!' % C)
    return C
```

```
try:
    C = read_C()
except (IndexError, ValueError), e:
    # print exception message and stop the program
    print e
        sys.exit(1)

Executions:

Terminal> c2f_cml.py
    Celsius degrees must be supplied on the command line

Terminal> c2f_cml.py 21C
    Celsius degrees must be a pure number, not "21C"

Terminal> c2f_cml.py -500
    C=-500 is a non-physical value!

Terminal> c2f_cml.py 21
    21C is 69.8F
```

Calling the previous function and running the program

Scientific data are often available in files. We want to read the data into objects in a program to compute with the data. Example on a data file. 21.8 18.1 19 23 26 17.8 One number on each line. How can we read these numbers

```
Basic file reading:

infile = open('data.txt', 'r')  # open file
for line in infile:
  # do something with line
infile close()  # close file

Compute the mean values of the numbers in the file:

infile = open('data.txt', 'r')  # open file
mean = 0
for number in infile:
  mean = mean + float(number)  # number is string!
mean = mean/len(lines)
```

```
Data about rainfall:

Average rainfall (in mm) in Rome: 1188 months between 1782 and 1970
Jan 81.2
Feb 63.2
Mar 70.3
Apr 55.7
May 53.0
Jun 36.4
Jul 17.5
Aug 27.5
Sep 60.9
Oct 117.7
Nov 111.0
Dec 97.9
Year 792.9
How do we read such a file?
```

```
Reading a mixture of text and numbers

The key idea to process each line is to split the line into words:

months = []
values = []
for line in infile:
    words = line.split() # split into words
    if words[0] != 'Vear':
    months.append(words[0])
    values.append(float(words[1]))

Can split with respect to any string s: line.split(s)

>>> line = 'Values: 1.2, 1.4, 2.7'
>>> line.split()
['Values:', '1.2, '1.4,', '2.7']
>>> values.split()[',']
['Values', '1.2, 1.4, 2.7']
>>> text, values = line.split()[':']
>>> values.split(',')
[' 1.2', '1.4', '2.7']
>>> values = float(v) for v in values.split(',')]
>>> values
[1.2, 1.4, 2.7]
```

```
def extract_data(filename):
    infile = open(filename, 'r')
    infile.readline() # skip the first line
    months = []
    for line in infile:
        words = line.split()
        # words[0]: month, words[1]: rainfall
        months append(words[0])
        rainfall.append(float(words[1]))
    infile.close()
    months = nonths[:-1] # Drop the "Year" entry
    annual_awg = rainfall[-1] # Store the annual average
    rainfall = rainfall[:-1] # Redefine to contain monthly deta
    return months, rainfall, annual_awg

months, values, awg = extract_data('rainfall.dat')
    print 'The average rainfall for the months:'
    for month, value in zip(months, values):
        print month, value
    print "The average rainfall for the year:', awg
```

Basic pattern: outfile = open(filename, 'w') # 'w' for writing for data in somelist: outfile.write(sometext + '\n') outfile.close() Can append text to a file with open(filename, 'a').

Making your own modules

We have frequently used modules:

```
from math import log r = \log(6) \quad \# \ call \ log \ function \ in \ math \ module import sys x = eval(sys.argv[1]) \quad \# \ access \ list \ argv \ in \ sys \ module
```

Characteristics of modules:

- Collection of useful data and functions ¡linebreak¿ (later also classes)
- Functions in a module can be reused in many different programs
- If you have some general functions that can be handy in more than one program, make a module with these functions
- It's easy: just collect the functions you want in a file, and that's a module!

Case on making our own module

Here are formulas for computing with interest rates:

$$A_0 = A \left(1 + \frac{p}{360 \cdot 100} \right)^{-n},\tag{1}$$

$$n = \frac{\ln \frac{A}{A_0}}{\ln \left(1 + \frac{P}{360 \cdot 100}\right)},\tag{2}$$

$$p = 360 \cdot 100 \left(\left(\frac{A}{A_0} \right)^{1/n} - 1 \right). \tag{3}$$

A₀: initial amount, p: percentage, n: days, A: final amount

We want to make a module with these four functions.

First we make Python functions for the formuluas

```
from math import log as ln

def present_amount(AO, p, n):
    return AO*(1 + p/(360.0*100))**n

def initial_amount(AO, p, n):
    return A*(1 + p/(360.0*100))**(-n)

def days(AO, A, p):
    return ln(A/AO)/ln(1 + p/(360.0*100))

def annual_rate(AO, A, n):
    return 360*100*((A/AO)**(1.0/n) - 1)
```

Then we can make the module file

- Collect the 4 functions in a file interest.py
- Now interest.py is actually a module interest (!)

Example on use:

```
# How long does it take to double an amount of money?

from interest import days
A0 = 1; A = 2; p = 5
n = days(A0, 2, p)
years = n/365.0
print 'Money has doubled after %.1f years' % years
```

Adding a test block in a module file • Module files can have an if test at the end containing a test block for testing or demonstrating the module • The test block is not executed when the file is imported as a module in another program • The test block is executed only when the file is run as a program if __name__ == '__main__': # this test defineds the test block <a href="https://linearchy.com/scales.com/sca

```
Test blocks are often collected in functions

Let's make a real test function:

def test_all_functions():

# Define compatible values

A = 2.213983053266699; A0 = 2.0; p = 5; n = 730

# Given three of these, compute the remaining one

# and compare with the correct value (in parenthesis)

A_computed = present_amount(A0, p, n)

AO_computed = days(A0, A, p)

p_computed = annual_rate(A0, A, n)

def float_eq(a, b, tolerance=1E-4):

"""Return True if a == b within the tolerance."""

return abs(a - b) < tolerance

success = float_eq(A_computed, A0) and \
float_eq(D_computed, A0) and \
float_eq(D_computed, p) and \
float_eq(n_computed, p)

assert success # could add message here if desired

if __name__ == '_main_':
    test_all_functions()
```

If the module is in the same folder as the main program, everything is simple and ok Home-made modules are normally collected in a common folder, say /Users/hpl/lib/python/mymods In that case Python must be notified that our module is in that folder Technique 1: add folder to PYTHONPATH in .bashrc: export PYTHONPATH=\$PYTHONPATH:/Users/hpl/lib/python/mymods Technique 2: add folder to sys.path in the program: sys.path.insert(0, '/Users/hpl/lib/python/mymods') Technique 3: move the module file in a directory that Python

already searches for libraries.

```
Question and answer input:

var = raw_input('Give value: ')  # var is string!

# if var needs to be a number:
var = float(var)
# or in general:
var = eval(var)

Command-line input:

import sys
parameter1 = eval(sys.argv[1])
parameter3 = sys.argv[3]  # string is ok
parameter2 = eval(sys.argv[2])

Recall: sys.argv[0] is the program name
```

```
Evaluating string expressions with eval:

>>> x = 20
>>> r = eval('x + 1.1')
>>> r
21.1
>>> type(r)
<type 'float'>

Executing strings with Python code, using exec:

exec("""
def f(x):
    return %s
    """ % sys.argv[1])
```



```
infile = open(filename, 'r')  # read
outfile = open(filename, 'w')  # write
outfile = open(filename, 'w')  # write
outfile = open(filename, 'a')  # append

# Reading
line = infile.readline()  # read the next line
filestr = infile.readlines()  # read rest of file into string
lines = infile.readlines()  # read rest of file into list
for line in infile:  # read rest of file line by line
# Writing
outfile.write(s)  # add \n if you need it

# Closing
infile.close()
outfile.close()
```

```
A Summarizing example: solving f(x) = 0

Nonlinear algebraic equations like

x = 1 + \sin x
\tan x + \cos x = \sin 8x
x^5 - 3x^3 = 10
are usually impossible to solve by pen and paper, but can be solved by numerical methods. To this end, rewrite any equation
f(x) = 0
For the above we have (put everything on the left-hand side)
f(x) = x - 1 - \sin x
f(x) = \tan x + \cos x - \sin 8x
f(x) = x^5 - 3x^3 - 10
```

```
We shall learn about a method for solving f(x) = 0

A solution x of f(x) = 0 is called a root of f(x)

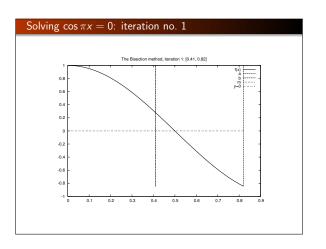
Outline of the the next slides:

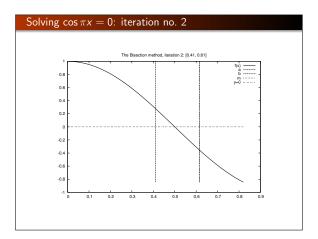
• Formulate a method for finding a root
• Translate the method to a precise algorithm
• Implement the algorithm in Python
• Test the implementation
```

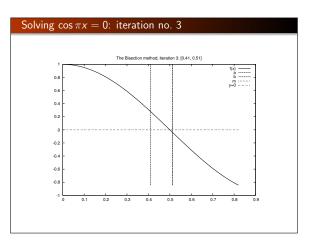
```
Start with an interval [a, b] in which f(x) changes sign
Then there must be (at least) one root in [a, b]
Halve the interval:

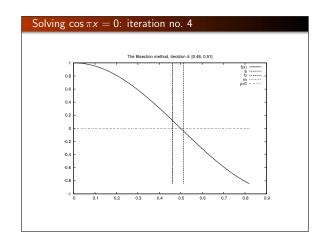
m = (a + b)/2; does f change sign in left half [a, m]?
Yes: continue with left interval [a, m] (set b = m)
No: continue with right interval [m, b] (set a = m)

Repeat the procedure
After halving the initial interval [p, q] n times, we know that f(x) must have a root inside a (small) interval 2<sup>-n</sup>(q − p)
The method is slow, but very safe
Other methods (like Newton's method) can be faster, but may also fail to locate a root - bisection does not fail
```









We need to translate the mathematical description of the Bisection method to a Python program An important intermediate step is to formulate a precise algorithm Algorithm = detailed, code-like formulation of the method for i = 0,1,2, ..., n: m = (a + b)/2 if f(a) *f(m) <= 0: b = m # root is in left half else: a = m # root is in right half # f(x) has a root in [a, b]

```
• f(a) is recomputed in each if test
• This is not necessary if a has not changed since last pass in the loop
• On modern computers and simple formulas for f(x) these extra computations do not matter
• However, in science and engineering one meets f functions that take hours or days to evaluate at a point, and saving some f(a) evaluations matters!
• Rule of thumb: remove redundant computations ¡linebreak¿ (unless the code becomes much more complicated, and harder to verify)
```

How to choose n? That is, when to stop the iteration

- ullet We want the error in the root to be ϵ or smaller
- After n iterations, the initial interval [a, b] is halved n times and the current interval has length $2^{-n}(b-a)$. This is sufficiently small if $2^{-n}(b-a) = \epsilon$ \Rightarrow $n = -\frac{\ln \epsilon - \ln(b-a)}{\ln 2}$
- A simpler alternative: just repeat halving until the length of the current interval is $\leq \epsilon$
- This is easiest done with a while loop: ¡linebreak¿ while b-a <= epsilon:
- We also add a test to check if f really changes sign in the initial inverval [a, b]

Final version of the Bisection algorithm

```
f_a=f(a)
if f_a*f(b) > 0:

# error: f does not change sign in [a,b]
while b-a > epsilon:
   i = i + 1

m = (a + b)/2
    f_m = f(m)

if f_a*f_m <= 0:
    b = m # root is in left half
         a = m # root is in right half
         f_a = f_m
# if x is the real root, |x-m| < epsilon
```

Python implementation of the Bisection algorithm

```
def f(x):
   return 2*x - 3 # one root x=1.5
a. b = 0.10
if fa*f(b) > 0:
    print 'f(x) does not change sign in [%g, %g].' % (a, b)
    sys.exit(1)
i = 0 # iteration counter
while b-a > eps:
   i += 1

m = (a + b)/2.0
    fm = f(m)
   if fa*fm <= 0:
        b = m # root is in left half of [a,b]
        a = m # root is in right half of [a,b]
        fa = fm
# this is the approximate root
```

Implementation as a function (more reusable!)

```
def bisection(f, a, b, eps):
   fa = f(a)
if fa*f(b) > 0:
       return None, 0
    i = 0 # iteration counter
    while b-a < eps:
      i += 1

m = (a + b)/2.0
       fm = f(m)
       if fa*fm <= 0:
       b = m # root is in left half of [a,b]
else:
           a = m # root is in right half of [a,b]
          fa = fm
   return m. i
```

Make a module of this function

- If we put the bisection function in a file bisection.py, we automatically have a module, and the bisection function can easily be imported in other programs to solve f(x) = 0
- We should make a test function too

```
def test_bisection():
          return 2*x - 3 # only one root x=1.5
     x, iter = bisection(f, a=0, b=10, eps=1E-5)
     success = abs(x - 1.5) < 1E-5 # test within eps tolerance assert success, 'found x=\%g != 1.5' \% x
if __name__ == '__main__':
    test_bisection()
```

To the point of this lecture: get input!

We want to provide an f(x) formula at the command line along with a and b (3 command-line args)

Terminal> python bisection.py 'sin(pi*x**3)-x**2' -1 3.5

Reading input:

```
"""Get f, a, b, eps from the command line."""
from scitools.std import StringFunction
        f = StringFunction(sys.argv[1])
       a = float(sys.argv[2])
b = float(sys.argv[3])
eps = float(sys.argv[4])
        return f, a, b, eps
f, a, b, eps = get_input()
x, iter = bisection(f, a, b, eps)
print 'Found root x=\( ''\)g in \( ''\)d iterations' \( ''\) (x, iter)
```

def get_input(): """Get f, a, b, eps from the command line.""" from scitools.std import StringFunction try: a = float(sys.argy[2]) b = float(sys.argy[3]) eps = float(sys.argy[4]) except IndexError: print 'Usage %s: f a b eps' % sys.argv[0] sys.exit(1) return f, a, b, eps

Applications of the Bisection method

```
Two examples: \tanh x = x and \tanh x^5 = x^5:

Terminal> python bisection_plot.py "x-tanh(x)" -1 1

Terminal> python bisection_plot.py "x**5-tanh(x**5)" -1 1
```

The first equation is easy to treat, but the second leads to much less accurate results. Why??