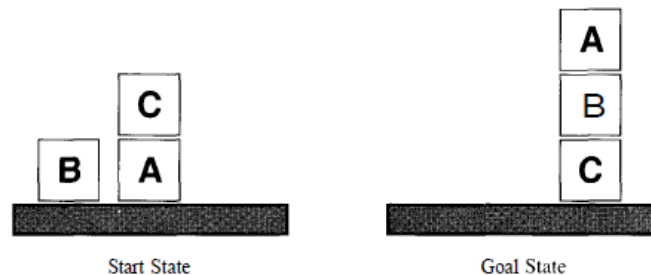


Lab #3. Planning Agent in the blocks world

The figure shows a blocks-world planning problem known as the **Sussman anomaly**. The problem was considered anomalous because the noninterleaved planners could not solve it. Encode the problem in Java using STRIPS operators, and use Partial Order Planning (POP) to solve it.



Hints: STRIPS (STanford Research Institute Problem Solver) language, as described in the textbook, is commonly used in planning, and deals with operators that consist of prerequisites, add lists, and delete lists. Planning ultimately is a kind of searching for operator sequences that lead to a goal situation (a collection of desired assertions).

The initial situation of three blocks is:

$\text{On}(\text{B}, \text{Table}) \wedge \text{On}(\text{C}, \text{A}) \wedge \text{On}(\text{A}, \text{Table}) \wedge \text{Clear}(\text{B}) \wedge \text{Clear}(\text{C})$

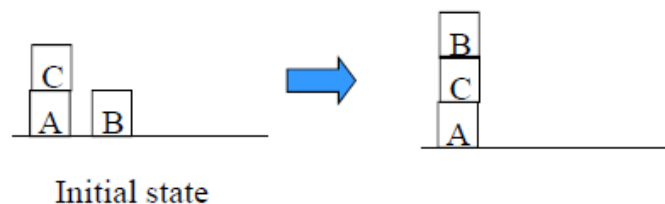
And the goal situation is: $\text{On}(\text{A}, \text{B}) \wedge \text{On}(\text{B}, \text{C})$

First we'll explain why it is an anomaly for a noninterleaved planner. There are two subgoals; suppose we decide to work on $\text{On}(\text{A}, \text{B})$ first.

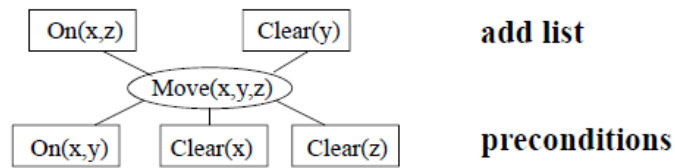


We can clear C off A and then move A on to B. But then there is no way to achieve $\text{On}(\text{B}, \text{C})$ without undoing the work we have done.

Similarly, if we work on the subgoal $\text{On}(\text{B}, \text{C})$ first we can immediately achieve it in one step, but then we have to undo it to get A on B.



We'll show next how things work out with an interleaved planner such as POP also called nonlinear planner. Since $\text{On}(\text{A}, \text{B})$ isn't true in the initial state, there is only one way to achieve it: $\text{Move}(\text{A}, x, \text{B})$, for some x.



Similarly, we also need **Move(B, x', C)** step for some x' . Now let's look at the **Move(A, x, B)** step. We need to achieve its precondition **Clear(A)**. We could do that either with **Move(b, A, y)** or with **MoveToTable(b, A)**. Let's assume we choose the latter. Now if we bind b to C , then all of the preconditions for the step **MoveToTable(C, A)** are true in the initial state, and we can add causal links to them. We then notice that there is a threat: the **Move(B, x', C)** step threatens the **Clear(C)** condition that is required by the **MoveToTable** step. We can resolve the threat by ordering **Move(B, x', C)** after the **MoveToTable** step. Finally, notice that all the preconditions for **Move(B, x', C)** are true in the initial state. Thus, we have a complete plan with all the preconditions satisfied. It turns out there is a well-ordering of the three steps:

MoveToTable(C, A)
Move(B, Table, C)
Move(A, Table, B)

