



# COMPUTER SYSTEMS FUNDAMENTALS ( 4COSC004W )

Week 1. Part 2 of 2



# Contact details

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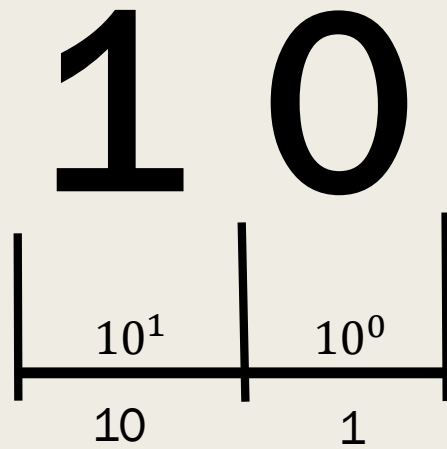
# BINARY – BASE 2

Positive Integers

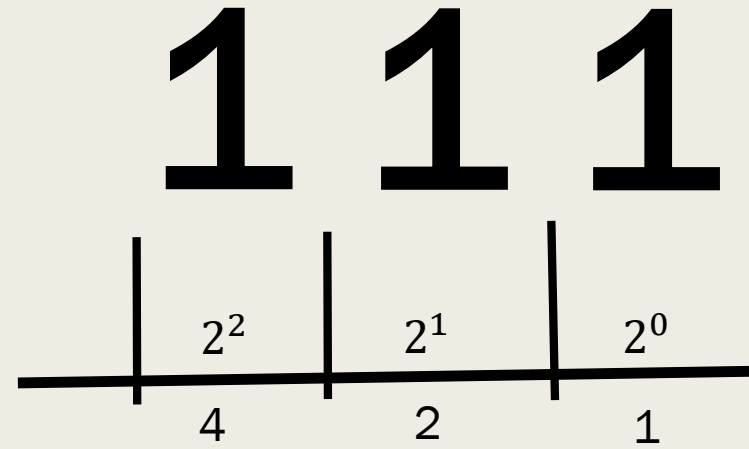
# By the end of this video, you will:

- Be able to convert Binary Positive Integers to their Denary values
- Be able to convert Denary Positive Integers to their Binary values
  - *Division by 2 & observation techniques*
- Quick parity check
- The Bit
- The Nibble

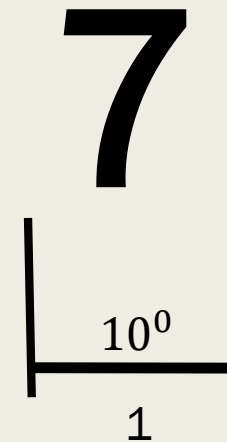
# Decimal / Denary – Base 10



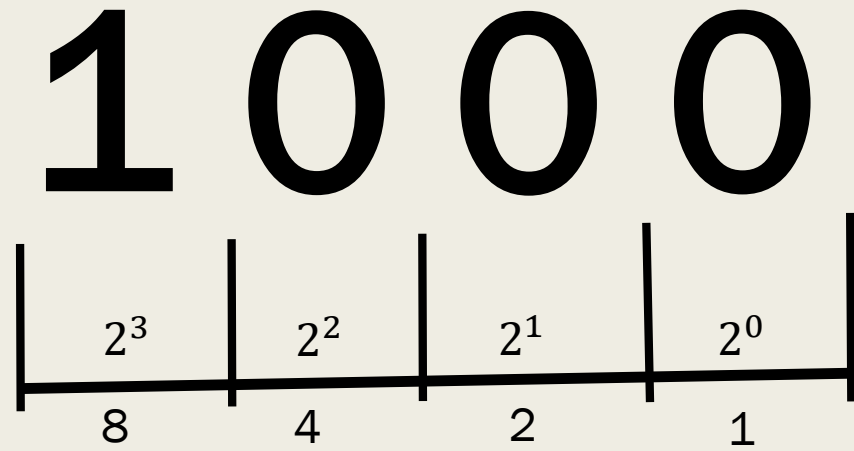
Base 2  
Binary



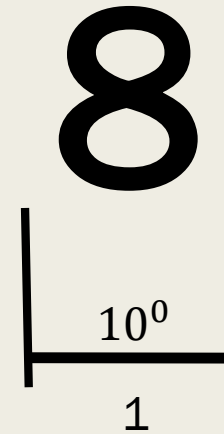
Base 10  
Denary



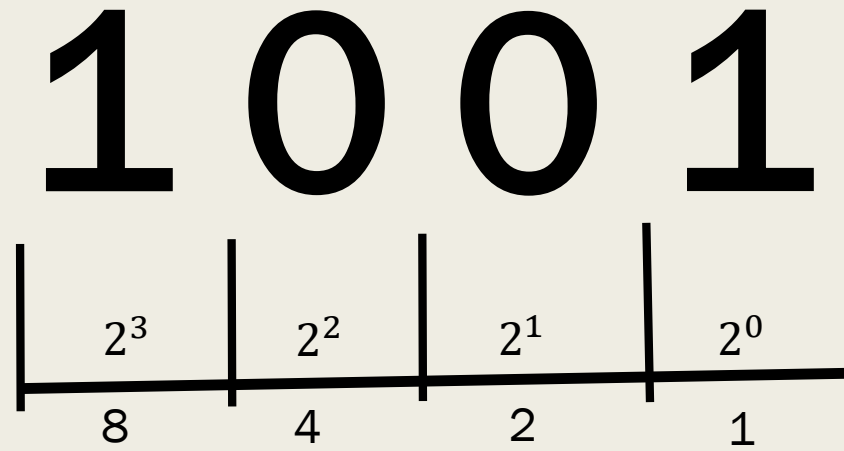
Base 2  
Binary



Base 10  
Denary



Base 2  
Binary

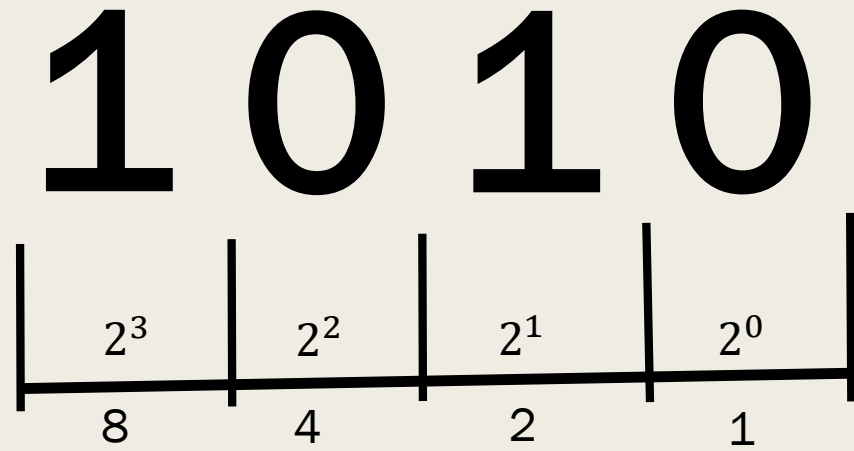


Base 10  
Denary

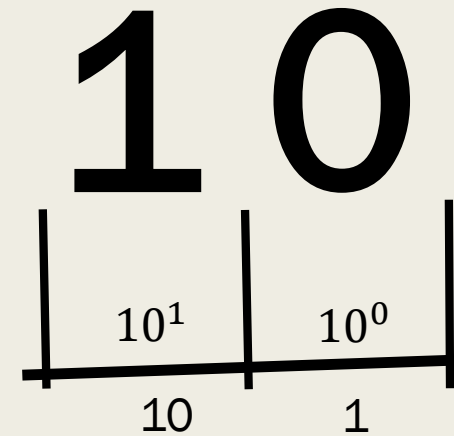




Base 2  
Binary

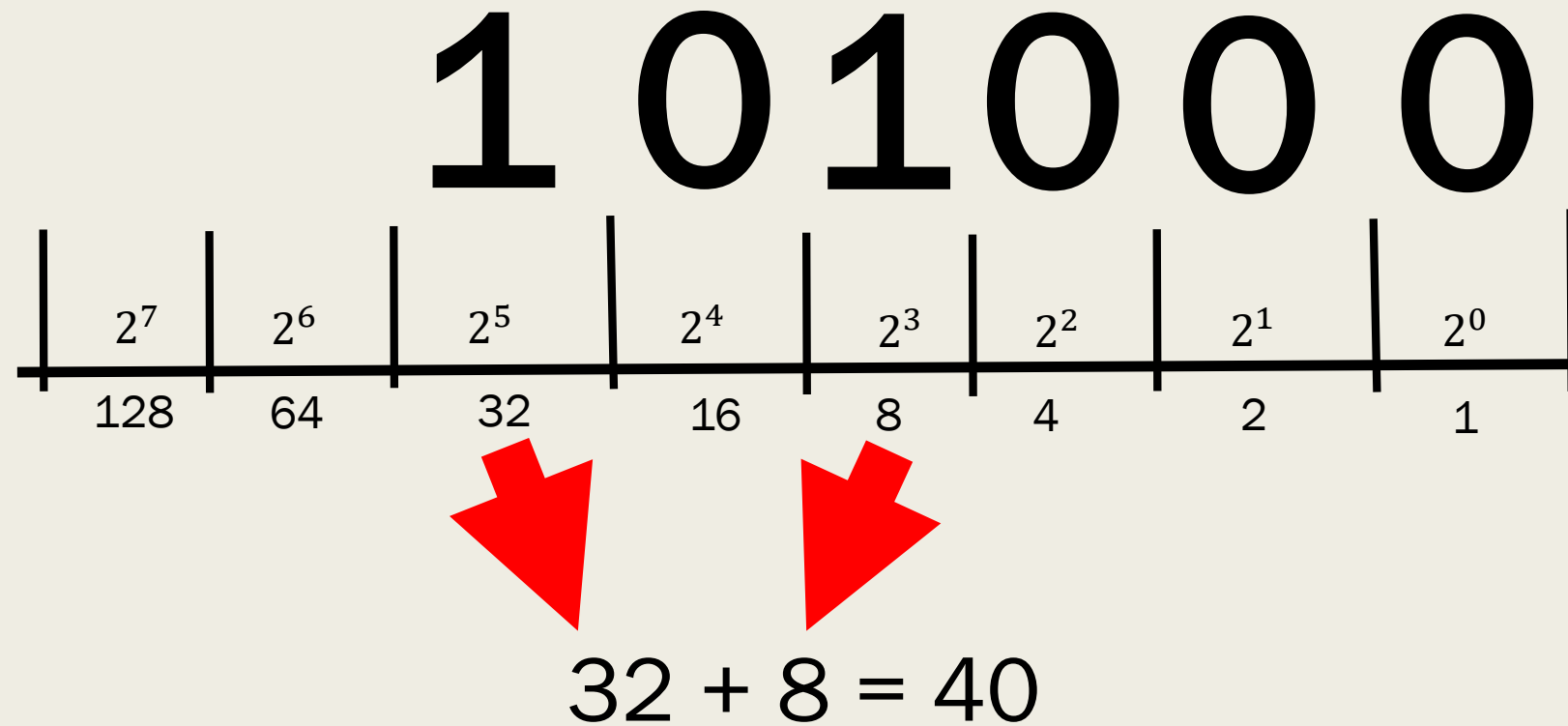


Base 10  
Denary



Denary	Binary				Hexadecimal
0	0	0	0	0	0
1	0	0	0	1	1
2	0	0	1	0	2
3	0	0	1	1	3
4	0	1	0	0	4
5	0	1	0	1	5
6	0	1	1	0	6
7	0	1	1	1	7
8	1	0	0	0	8
9	1	0	0	1	9
10	1	0	1	0	A
11	1	0	1	1	B
12	1	1	0	0	C
13	1	1	0	1	D
14	1	1	1	0	E
15	1	1	1	1	F

# Converting Binary to Denary



# Converting Binary to Denary

1	1	0	1	1	1	1	1
$2^7$	$2^6$	$2^5$	$2^4$	$2^3$	$2^2$	$2^1$	$2^0$
128	64	32	16	8	4	2	1

$$128 + 64 + 16 + 8 + 4 + 2 + 1 = 223$$

# Converting Denary to Binary

40 / 2 = 20 remainder 0  
20 / 2 = 10 remainder 0  
10 / 2 = 5 remainder 0  
5 / 2 = 2 remainder 1  
2 / 2 = 1 remainder 0  
1 / 2 = 0 remainder 1



1 0 1 0 0 0

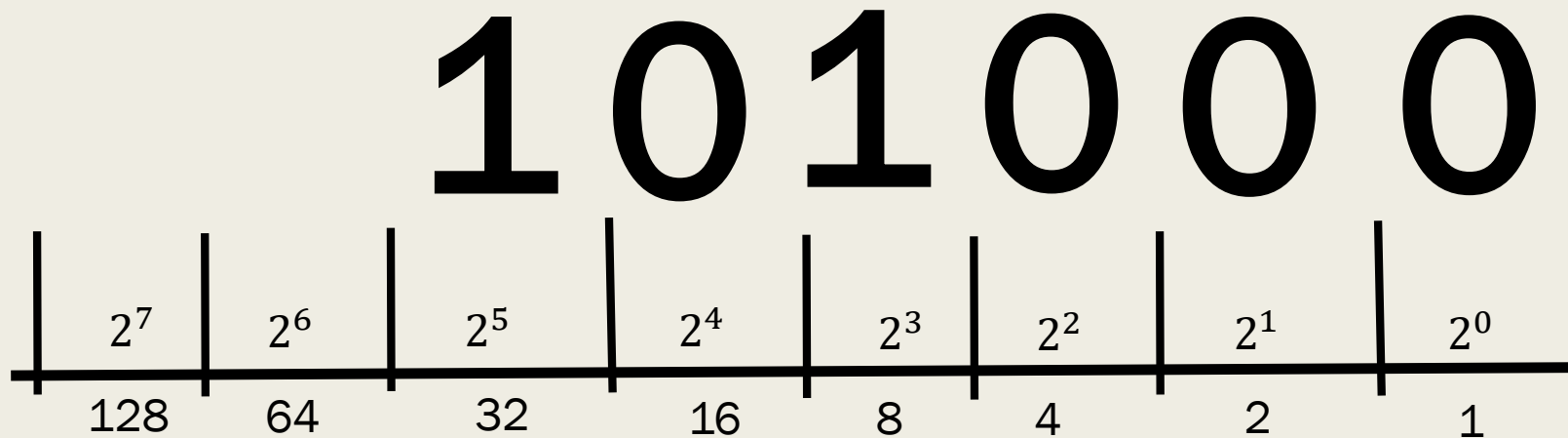
# Converting Denary to Binary

Denary 40:

Which is the largest power of 2 which fits in 40?

Now subtract the 32 from the original 40

Which is the largest power of 2 which fits in 8?



# Converting Denary to Binary

43 / 2 = 21 remainder 1

21 / 2 = 10 remainder 1

10 / 2 = 5 remainder 0

5 / 2 = 2 remainder 1

2 / 2 = 1 remainder 0

1 / 2 = 0 remainder 1



1 0 1 0 1 1

# Converting Denary to Binary

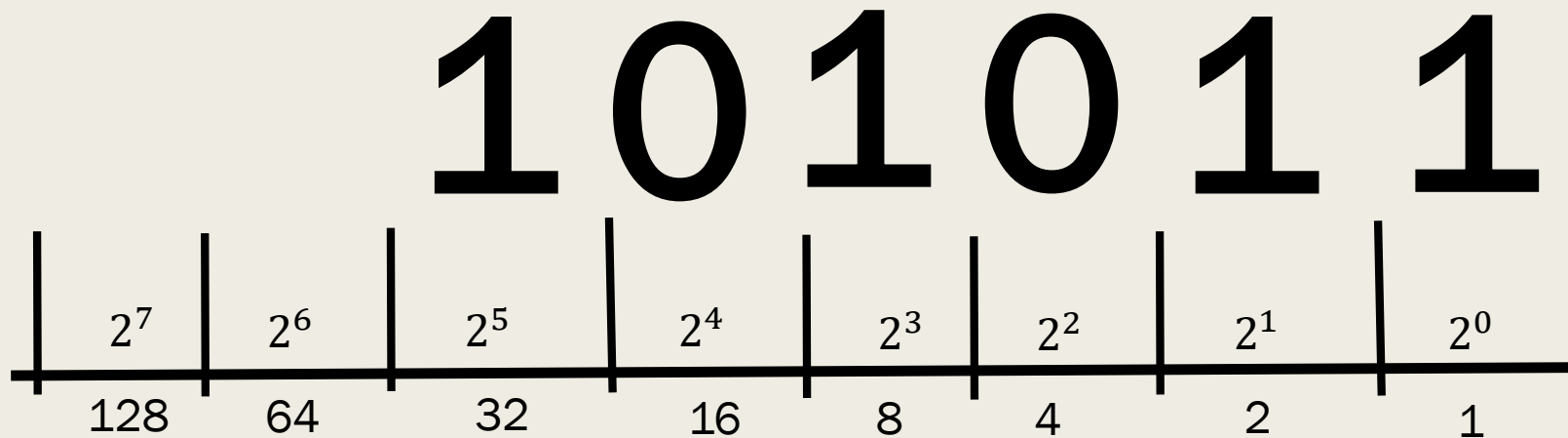
Denary 43:

Which is the largest power of 2 which fits in 43?

Now subtract the 32 from the original 43

Which is the largest power of 2 which fits in 11?

Now subtract the 8 from the 11





# The Byte, The Nibble & The Bit

- Byte:
  - *An 8-Bit Binary Value*
    - 256 possible values
      - $2^8$
- Nibble:
  - *A 4-Bit Binary Value*
    - 16 possible values (  $2^4$  )
- Bit:
  - *Single Binary Bit*
    - 0 or 1
    - $2^1$

# Parity check

- If the Denary value is **odd**
  - The *Least Significant Binary Bit* will be **1**
- If the Denary value is **even**
  - The *Least Significant Binary Bit* will be **0**

# Try it out for yourself part 1

- Write down an 8-Bit binary value
- Try to convert it into Denary
  - *Start with the Least Significant Digit (on the right)*
  - *Work through all the Bits*
  - *Add up the Denary values of each Bit*
- Write down the Denary value of the Binary value you started with
  - *On another piece of paper*
- Try another

# Try it out for yourself part 2

- Try to convert each of the Denary values,
  - *back to their Binary representation*
  - *Try both methods*
  - *Make sure they both give you the same result*

# An exercise for you:

Convert the **Denary** number 123 into **Binary**:

# Converting Denary to Binary

123 / 2 = 61 remainder 1

61 / 2 = 30 remainder 1

30 / 2 = 15 remainder 0

15 / 2 = 7 remainder 1

7 / 2 = 3 remainder 1

3 / 2 = 1 remainder 1

1 / 2 = 0 remainder 1



1 1 1 1 0 1 1

# Converting Denary to Binary

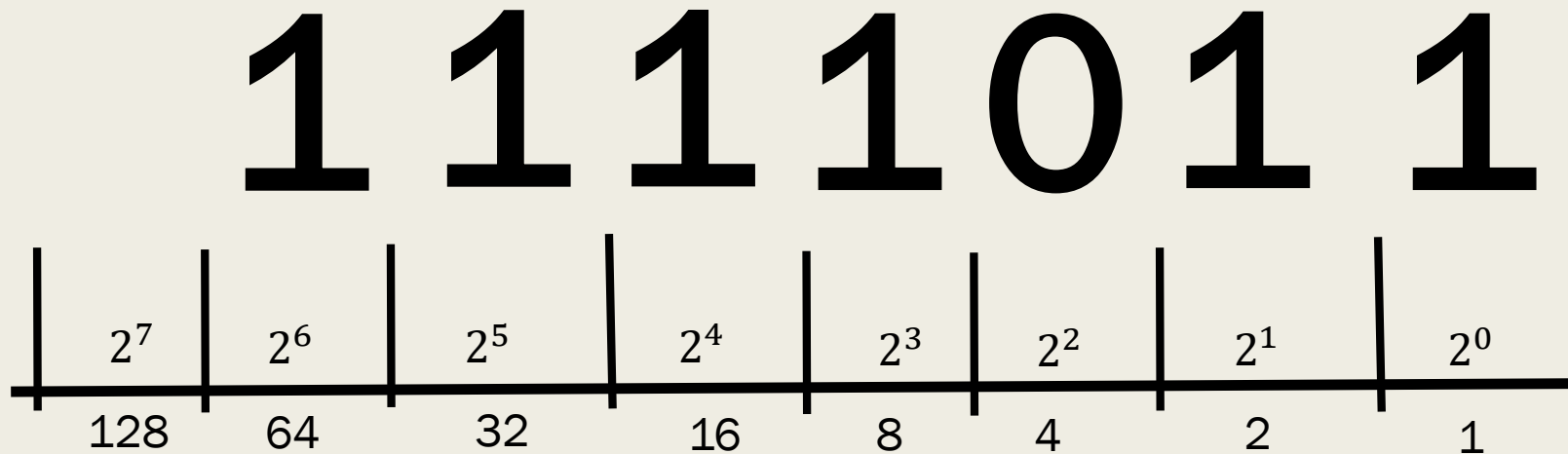
Denary 123:

Which is the largest power of 2 which fits in 123?

Now subtract the 64 from the original 123

Which is the largest power of 2 which fits in 59?

Now subtract the 32 from the 59

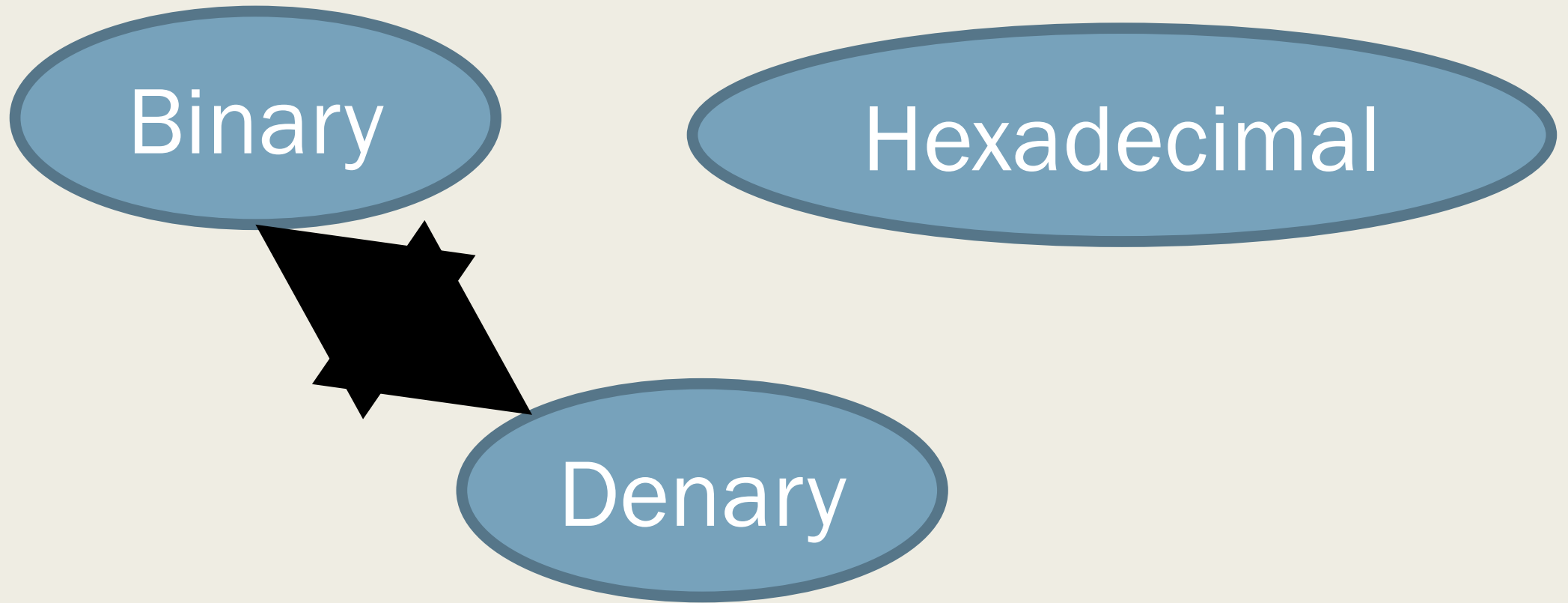


# In this video we have covered:

- Binary:
  - *Converting from Binary to Denary*
  - *Converting from Denary to Binary*
    - Division by 2 method
    - Observation method



# Number System Triangle



# Tutorial exercise:

- This will provide you with:
  - *Binary values to convert to Denary*
  - *Denary values to convert to Binary*

# In the next video we will cover:

- Hexadecimal:
  - *Theory*
  - *Denary – Binary – Hexadecimal triangle*
  - *Why use Hexadecimal*
  - *Quick Binary - Hexadecimal conversions*

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