

CS201- Midterm Review

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Midterm Overview

- In-class Midterm
- Closed book. Bring a cheap calculator
- 70 Minutes, 4 Questions
- Covers Lectures 1 to 6 and Homeworks 1 and 2
- Show all your work



4 Broad Topics

- Hex/Binary/Decimal Arithmetic
 - Conversion, Two's Complement, Addition, Subtraction, Multiplication, Logic Operations
- Compilation and Linking
 - Object Files, Linking Process, Endianness
- C Language
 - Dynamic Memory, Arrays, Pointers, Strings
- IEEE Floating Point
 - IEEE Representation, Fractional Binary

C Strings

- Implemented as static arrays of characters
`char mystr [length];`
- Strings are not a type in C. They are an array!
- Last character must be NULL (zero) also written `'\0'`.
 - So if you need to store words of 5 letters you need an array of characters of length 6.

```
char one[6] = "Hello";  
char two[6] = {'H','e','l','l','o','\0'};
```

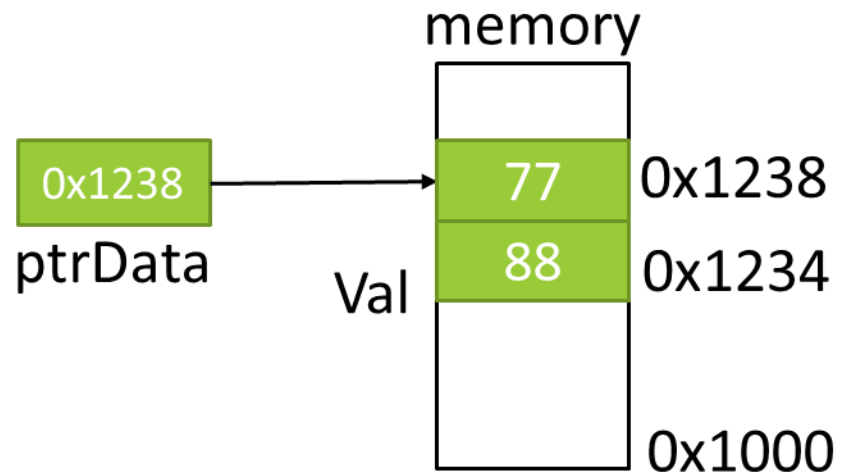
H	e	l	l	o	\0
72	101	108	108	111	0

Memory (ASCII)

Pointers

- A variable that stores the address of a region in memory
- Use arithmetic operators to manipulate pointers
- Dereference operator `*` to access what the pointer “points to”
- Address-of operator `&` to get the address of a variable

```
int *ptrData;  
int Val[2] = {55, 66};  
  
ptrData=&Val;  
*ptrData=88;  
ptrData++;  
*ptrData=77;
```



Pointers to Functions

- C also allows to create pointers to functions
 - Change the execution of a program at runtime
 - Create plugins and extensions

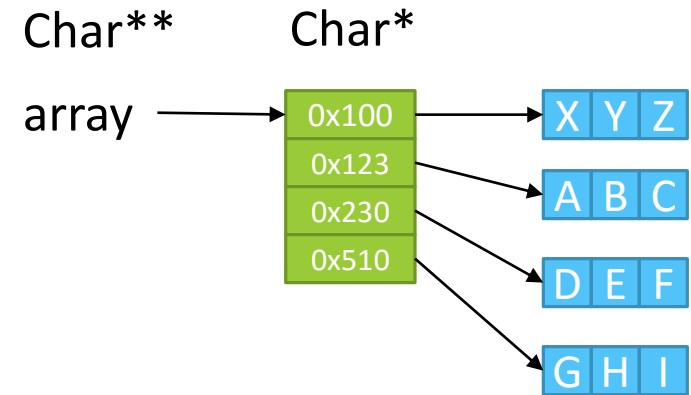
```
void print_even(int i) {printf("Even: %d\n", i);}
void print_odd(int i) {printf("Odd: %d\n", i);}

int main(int argc, char *argv[])
{
    void (*fp)(int);

    fp=(argc%2) ? print_even : print_odd;
    fp(argc);
    return 0;
}
```

Multidimensional Dynamically Allocated Arrays

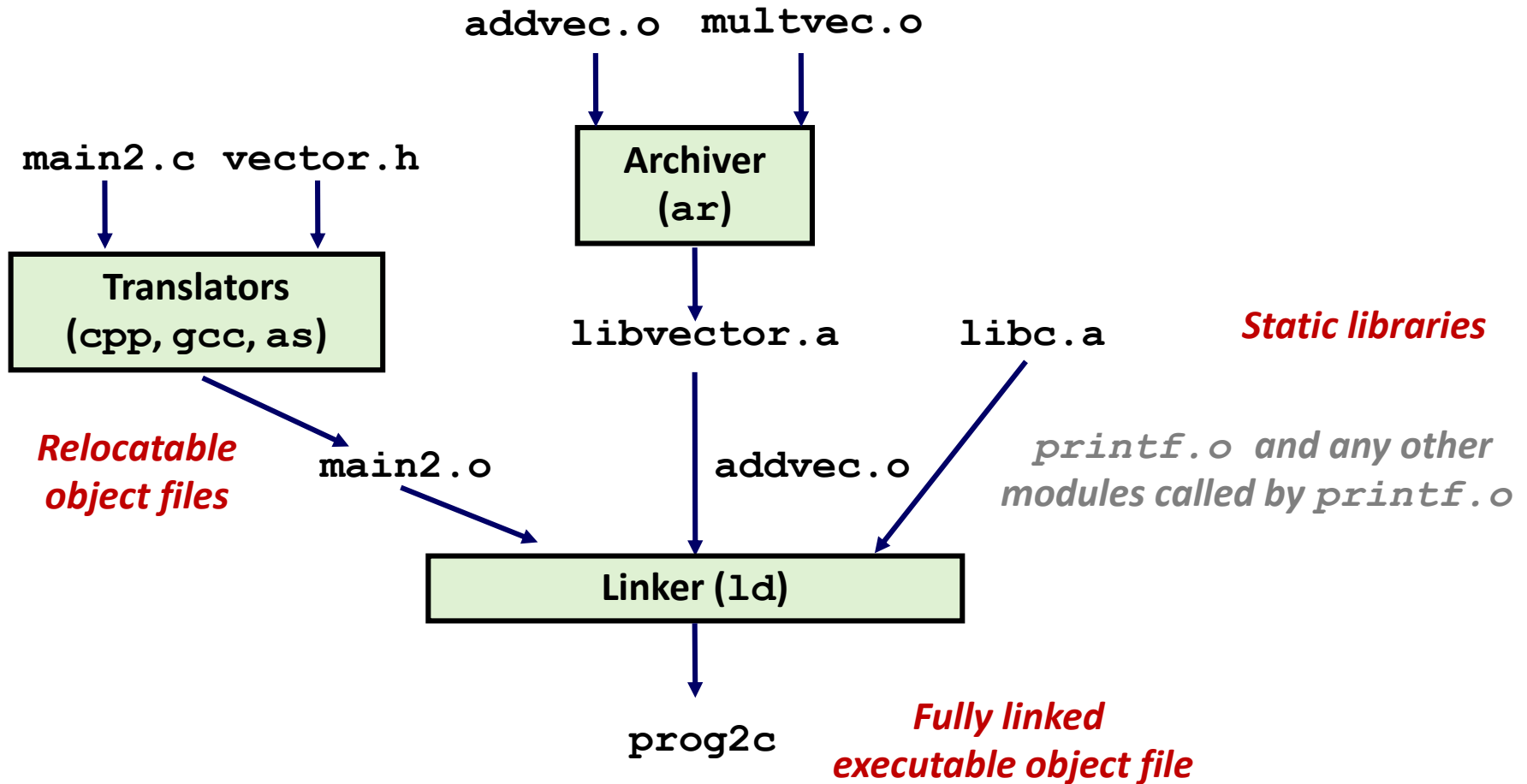
```
char** array;  
int i;  
  
array = (char**)malloc(sizeof(char*)*4);  
  
for(i=0; i < 4; i++){  
    array[i] = (char*)malloc(sizeof(char)*3);  
}  
  
array[2][0]='D';  
  
for(i=0; i < 4; i++) {  
    free (array[i]);  
}  
  
free(array);
```



Object Files

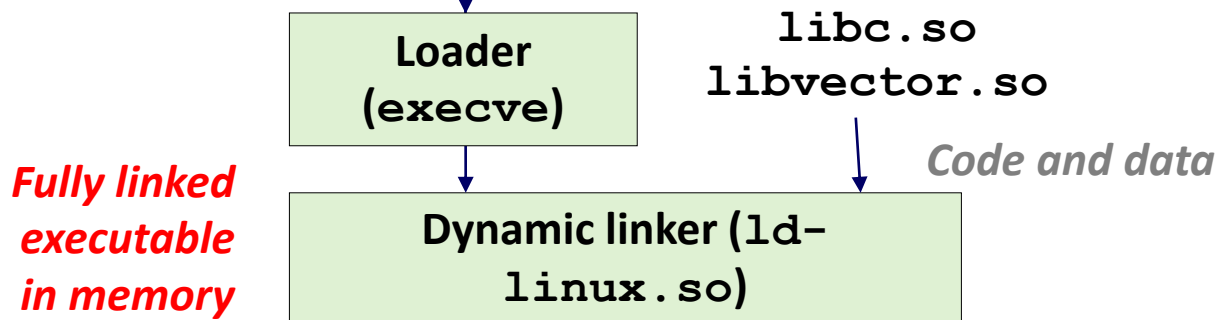
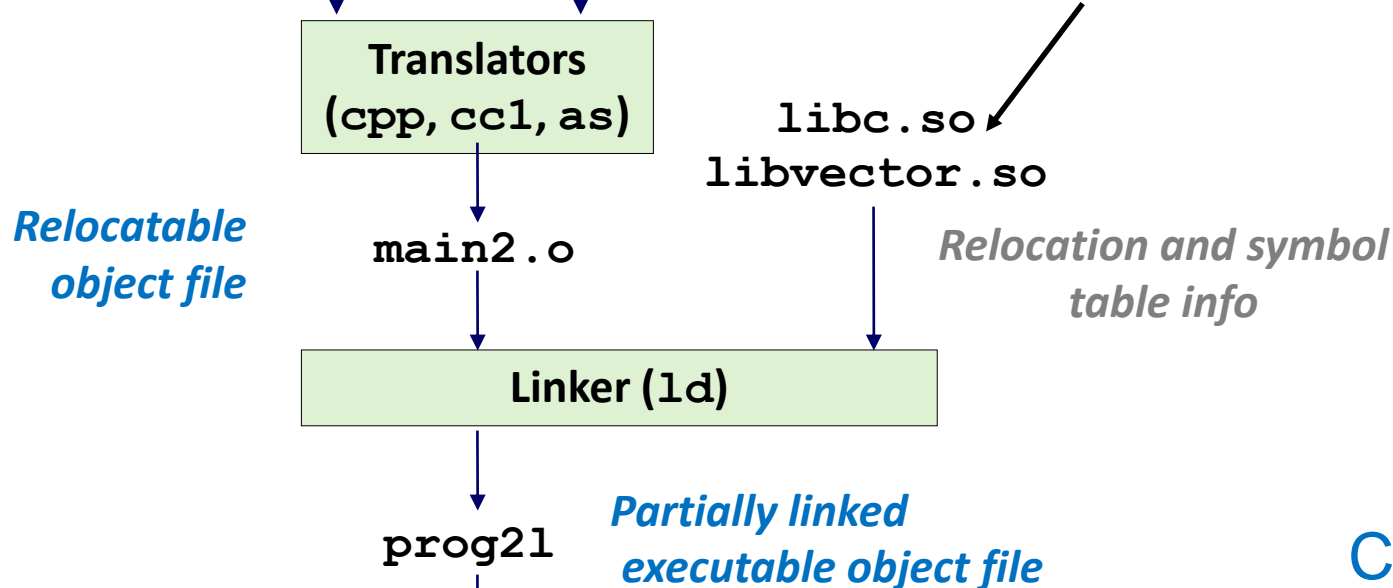
- Relocatable object file (`.o` file)
 - Contains code and data in a form that can be combined with other relocatable object files to form executable object file.
 - Each `.o` file is produced from exactly one source (`.c`) file
- Executable object file (a `.out` file)
 - Contains code and data in a form that can be copied directly into memory and then executed.
 - These are `*.EXE` and `*.COM` files in Windows
 - **Non Relocatable!**
- Shared object file (`.so` file)
 - Special type of relocatable object file that can be loaded into memory and linked dynamically, at either load time or run-time.
 - Called *Dynamic Link Libraries* (DLLs) by Windows

Linking Static Libraries



Dynamic Linking at Load-time

```
main2.c vector.h  unix> gcc -shared -o libvector.so \
                   addvec.c multivec.c
```

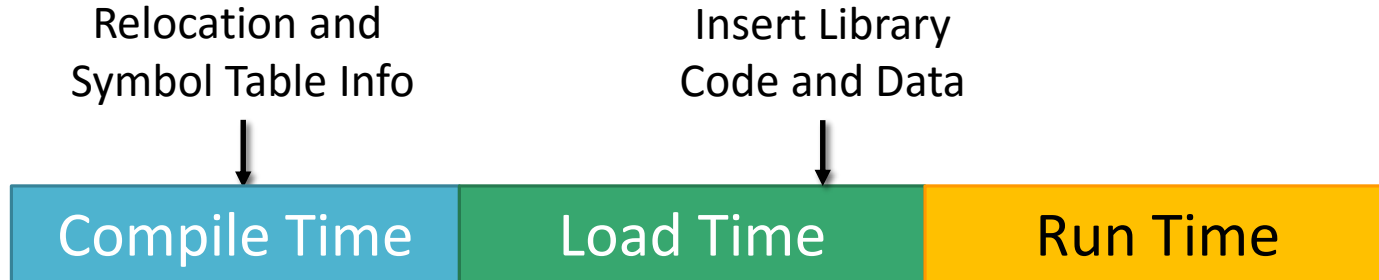


Library Linking Timeline

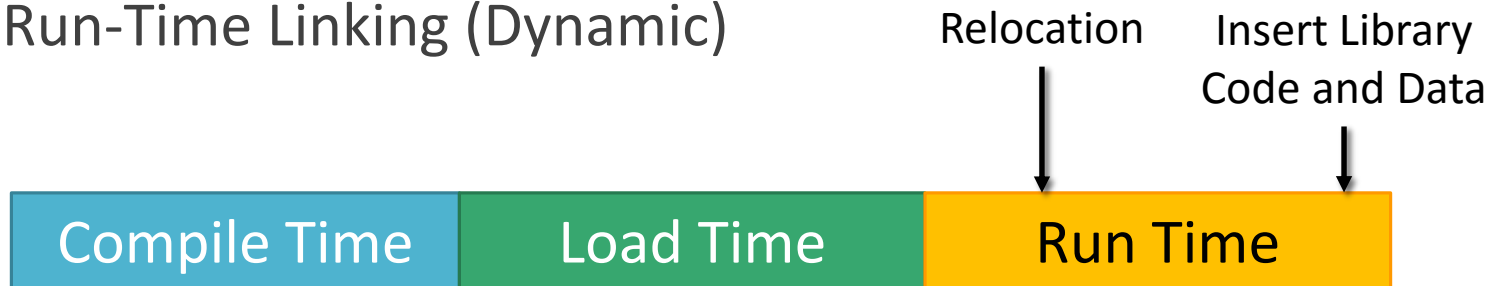
- Compile-Time Linking (Static)



- Load-Time Linking (Dynamic)



- Run-Time Linking (Dynamic)



Binary Numbers

- Base 2 Number Representation
 - Represent 15213_{10} in Binary
 - To convert we use a sequence of divisions by powers of 2:
 - $15213 - 8192 = 7021$
 - $7021 - 4096 = 2925$
 - $2925 - 2048 = 877$
 - $877 - 512 = 365$
 - $365 - 256 = 109$
 - $109 - 64 = 45$
 - $45 - 32 = 13$
 - $13 - 8 = 5$
 - $5 - 4 = 1$
 - $1 - 1 = 0$
 - 11101101101101_2

1	2^0
2	2^1
4	2^2
8	2^3
16	2^4
32	2^5
64	2^6
128	2^7
256	2^8
512	2^9
1024	2^{10}
2048	2^{11}
4096	2^{12}
8192	2^{13}
16384	2^{14}

Basic Binary Arithmetic - Addition

- Binary addition by hand is similar to its base-10 addition (“grade-school algorithm”)

$$\begin{array}{r} 1 1 \\ 01101001 \\ + 01010101 \\ \hline 10111110 \end{array}$$

$$\begin{array}{r} 1 1111 \\ 11011111 \\ + 10000110 \\ \hline 101100101 \end{array}$$

Basic Binary Arithmetic - Multiplication

- Binary multiplication by hand is similar to its base-10 multiplication (“grade-school algorithm”)

$$\begin{array}{r} 1101001 \\ \times \quad 101 \\ \hline 1101001 \\ + 0000000 \\ 1101001 \\ \hline 1000001101 \end{array}$$

$$\begin{array}{r} 11011111 \\ \times \quad 10000 \\ \hline 110111110000 \end{array}$$

The same trick of
shifting left
applies 😊

Two's Complement Representation

- Signed Integer representation in modern computers
 - Suggested by Von Neumann in 1945
- Positive Integers are represented by themselves
- Negative Integers are represented by its Two's complement
- The two's complement $TC(n)$ of an N -bit number n is defined as the complement with respect to 2^N :

$$TC(n) = 2^N - n$$


- For a 16-bit Integer:
 - $15213 = 00111011\ 01101101_2$
 - $-15213 = TC(15213) = 2^{17} - 15213 = 1100010010010011_2$

```
short int x = 15213;  
short int y = -15213;
```

	Decimal	Hex	Binary
x	15213	3B 6D	00111011 01101101
y	-15213	C4 93	11000100 10010011

Integer Binary Subtraction

- Binary subtraction is done as an addition of the minuend plus the two's complement of the subtrahend
 - Ignore the carry over at the end! (Modular arithmetic)

$\begin{array}{r} 01101001 \\ - 01010101 \\ \hline \end{array}$	Two's Complement	$\begin{array}{r} 111 \ 1 \ 11 \\ 01101001 \\ + 10101011 \\ \hline 100010100 \end{array}$
		

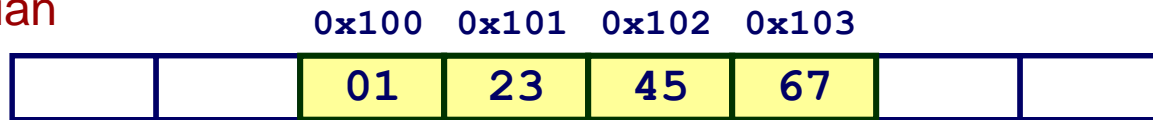
$$105 - 85 = 276 \bmod 256 = 20$$

$$s = \text{USub}_w(u, v) = u + (\sim v + 1) \bmod 2^w$$

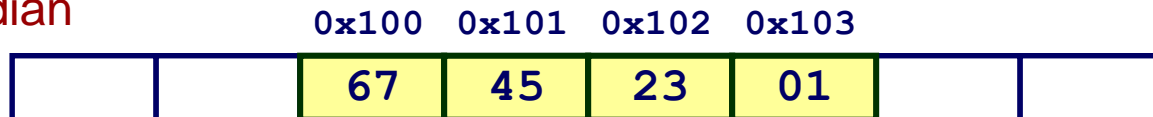
Byte Ordering Example

- Example
 - Variable x has 4-byte value of 0x01234567
 - Address given by &x is 0x100

Big Endian



Little Endian



This is important when writing files or connecting to the network

Fractional Binary Numbers

■ Value Representation

$5 \frac{3}{4}$	101.11_2
$2 \frac{7}{8}$	10.111_2
$1 \frac{7}{16}$	1.0111_2

■ Observations

- Divide by 2 by shifting right (unsigned)
- Multiply by 2 by shifting left
- Numbers of form $0.111111..._2$ are just below 1.0
 - $1/2 + 1/4 + 1/8 + ... + 1/2^i + ... \rightarrow 1.0$
 - Use notation $1.0 - \epsilon$

Normalized Encoding

$$v = (-1)^s M 2^E$$
$$\text{Exp} = E + \text{Bias}$$

- Value: float $F = 15213.0$;
 - $15213_{10} = 11101101101101_2$
 $= 1.1101101101101_2 \times 2^{13}$

NORMALIZE

- Significand

$$M = 1.\underline{1101101101101}_2$$
$$\text{frac} = \underline{1101101101101}0000000000_2$$

- Exponent

$$E = 13$$
$$\text{Bias} = 127 \quad (\text{because we are encoding a single precision number})$$
$$\text{Exp} = 140 = 10001100_2$$

- Result:

