

Closures and Generators

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THIS WORKS

```
x = 4
def f():
    return x

f()    # returns 4
```

CLOSURES

“closures (also lexical closures or function closures) are a technique for implementing lexically scoped name binding in languages with first-class functions.” (Wikipedia)

Basically, they are a way of taking the previous example and exploiting first class functions to do something useful.

CONSTANT FUNCTION GENERATOR

```
def constant_builder(cval):  
    def f():  
        return cval  
    return f
```

```
four = constant_builder(4)
```

Kind of interesting, but not that useful...

A COUNTER

```
def counter_builder(start):  
    count = [start]  
    def f():  
        val = count[0]  
        count[0] += 1  
        return val  
    return f  
  
counter = counter_builder(1)
```

MEMOISATION

```
def factorial(n):  
    if n == 0:  
        return 1  
    else  
        return n * factorial(n-1)
```

Suppose we use this to compute $50!$, and then we later compute $51!$. Wouldn't it be nice if we could have saved the earlier result?

MEMOISATION

```
def fact_builder():  
    memo = [1, 1]  
    def f(n):  
        try:  
            return memo[n]  
        except IndexError:  
            result = n * f(n-1)  
            memo[n] = result  
            return result  
    return f  
  
factorial = fact_builder()
```

GENERATOR FUNCTIONS

Often we need an arbitrarily long sequence of values, like the counter function we saw earlier. We saw that we can produce these with closures, but it's a common enough situation so that Python provides *generator functions* to handle this.

GENERATOR EXAMPLE

```
def counter(n):  
    count = 0  
    while count < n:  
        yield count  
        count += 1
```

EXERCISES

1. Write a function that computes the *nth Fibonacci number*.
2. Use a closure to write a memoised version of your Fibonacci function. Use the `timeit` module to compare the speeds of your functions.
3. Take the function below and reimplement it as a generator function.

```
from math import sqrt
def primes(n):
    if n == 0:
        return []
    elif n == 1:
        return [1]
    else:
        p = primes(int(sqrt(n)))
        no_p = {j for i in p for j in range(i*2, n, i)}
        p = {x for x in range(2, n) if x not in no_p}
        return p
```