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Research Article

The Study of a Dual-Disk Type Piezoelectric Actuator

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This study presents an innovative piezoelectric actuator, capable of long travel distance and fast speed. Main components of the actuator include a rod and two piezoelectric buzzers of disk geometry. Being subject to the piezoelectric force and Coulomb friction, the piezoelectric actuator can move rapidly. Equations of motion are derived based on piezoelectric properties and Newton's law. Static and kinetic friction effects are incorporated. Stress and strain calculations and piezoelectric equations are included in derivation. Circular plate models with polar coordinates are used to account for piezoelectric properties of buzzers. Experimental results are compared with theoretical results. According to experimental results, the present actuator can move at the speed of 37.5 mm/sec and generate the force of 15.4 mN.

1. Introduction

With the development of science and technology in various technical fields, such as aerospace, optics, electronics, and medical engineering, high-precision actuators are required [1–6]. Based on the driving principles, types of precision actuators include electrostrictive, magnetostrictive, artificial muscle actuator, shape memory alloy, photostrictive, and mechanochemical actuators. In the electrostrictive category, piezoelectric actuators are small and possess nanoscale displacement resolution and large driving force [7].

The piezoelectric material used in a piezoelectric actuator comes in types of multilayer, unimorph, bimorph, cylindrical, ring, and disc forms [8–14]. By means of impact drive force, moving bodies can be driven by impulse force [15–17] or by alternate stick and slip method [18–24]. Piezoelectric actuators are employed in precision platforms, atomic force microscopes [25], mobile phones, and digital camera lens drives.

To achieve innovative and diverse actuator applications, this study focused on actuators capable of large displacement, for which two piezoelectric buzzers subject to both piezoelectric force and Coulomb friction are employed to undergo displacement. Unlike the literature, piezoelectric buzzers constitute the driving element in proposed actuators. With a proper driving voltage and duty ratio, the piezoelectric

buzzers generate force and velocity, enabling the actuator to move. This study derives theoretical models based on piezoelectric material properties, buzzer disk geometry, stress and strain relationships, and Coulomb friction. Actuator characteristics, including the velocity and force, are measured to validate theoretical models.

2. Actuator Design and Actuation Principle

As depicted in Figure 1, the proposed actuator consists of a moving body, a rod, a driving source, a fixed rod, and a base. The moving body comprises a load, upper part, lower part, four screws, and four rubbers. The driving source comprises two piezoelectric buzzers and a connective ring. Figure 2 shows an exploded view of the piezoelectric actuator. Table 1 shows material properties of the actuator. Screws between the moving body and the rod are adjusted in order to generate appropriate preloads and Coulomb friction so as to expedite movement.

Piezoelectric buzzers consist of a metal layer and a piezoelectric layer. Both layers are pasted together. Alternating currents result in both extension and shrink states such that both buzzers become either convex or concave geometry, as depicted in Figure 3. The actuation force in this study comes from both buzzers. To find out which driving type has faster

	Material	Mass (mg)	Dimensions (mm)
Piezoelectric buzzer	Piezoelectric element and metal	65	Piezoelectric element: $D9 \times t0.08$ Metal: $D12 \times t0.05$
Connective ring	Plastic	52	$D14 \times d11 \times t1$
Rod	Carbon fiber	67	$D1.1 \times L25$
Fixed rod	Carbon fiber	13	$D2 \times L6.5$
Moving body	_	466	_
Upper part	Metal	80	_
Lower part	Metal	80	_
Rubber	Rubber	10	_
Load	Aluminum alloy	186	_

TABLE 1: Material properties of piezoelectric actuator.

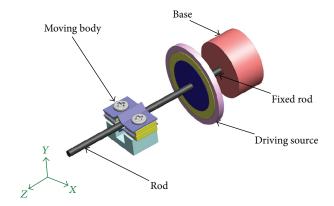


FIGURE 1: Piezoelectric actuator.

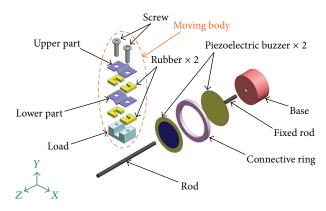


FIGURE 2: Exploded view of piezoelectric actuator.

velocity and larger force, this study designs and compares two kinds of piezoelectric actuators. As depicted in Figure 3(a), both buzzers in actuator A are subject to the same voltage as a parallel circuit. By contrast, both buzzers in actuator B are subject to opposite sign voltages as a series circuit. The deformation speed of the piezoelectric buzzer varies with the duty ratio. As depicted in Figure 3, being subject to alternating currents, actuator A deforms more severely than actuator B. Figure 4 depicts the principle of actuator translation motion. Figures 4(a) and 4(b) show the driving procedures of actuators A and B, respectively. The deformed

directions of the piezoelectric buzzer and piezoelectric force are in the same direction.

Concerning the driving procedure of actuator A: the moving body is initially stationary (Step 1). When the two piezoelectric buzzers slowly expand simultaneously, the summation of the piezoelectric and inertial forces is smaller than that of the static friction (Step 2); thus, the moving body and rod move together to the left. When both piezoelectric buzzers rapidly shrink, the piezoelectric force becomes greater than the kinetic friction (Step 3). This results in displacement of the moving body. At last, two piezoelectric buzzers slowly return to their undeformed state and the moving body moves to the left with the rod (Step 4). At this moment, the moving body has made a small displacement with respect to the original position in a fixed XYZ coordinate system. Repeating (Step 1) to (Step 4), the actuator keeps moving to the left direction. On the contrary, if two piezoelectric buzzers rapidly expand first before they slowly shrink, the actuator moves to the right direction.

The driving procedure of actuator B is as follows. The moving body is initially stationary (Step 1). When the right piezoelectric buzzer slowly shrinks and the left piezoelectric buzzer slowly expands at the same time, the summation of the piezoelectric and inertial forces is smaller than that of the static friction (Step 2); thus, the moving body and rod move together to the left. When the right piezoelectric buzzer rapidly expands while the left piezoelectric buzzer rapidly shrinks simultaneously, the piezoelectric force becomes greater than the kinetic friction. This leads to displacement of the moving body (Step 3). At last, two piezoelectric buzzers slowly return to their undeformed state and the moving body moves to the left with the rod (Step 4). At this moment, the moving body has made a small displacement with respect to the original position in the fixed XYZ coordinate system. Repeating (Step 1) to (Step 4), actuator B keeps moving to the left direction. On the contrary, if the right buzzer rapidly shrinks while the left buzzer rapidly expands, the actuator moves to the right direction.

3. Theoretical Derivation

This paper presents actuator of two types: actuator A and actuator B. Both are different in voltage polarity. It will be later

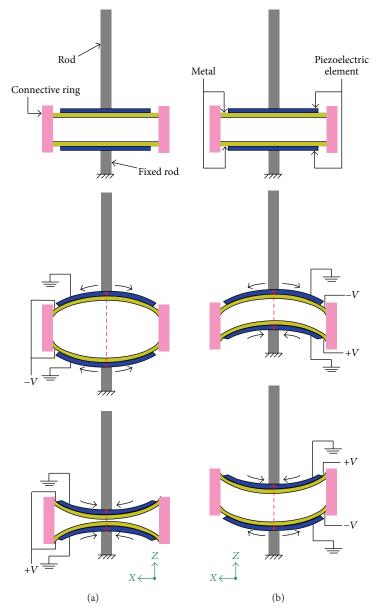


FIGURE 3: Driving voltage and deformation direction of (a) actuator A and (b) actuator B. The length change of double arrows in (a) is larger than that in (b), which means being subject to alternating currents buzzers in actuator A which deforms more severely than actuator B.

described in another section on experiments that actuator A moves faster than actuator B. Therefore, this study only derives the dynamic equations of actuator A. Based on the dynamic equation, this study calculates actuator force and velocity.

The mechanical model of proposed piezoelectric actuators is depicted in Figure 5. Assume that the rim of a piezoelectric buzzer is fixed but the center can vibrate freely. When the driving voltage is applied to the buzzer, the buzzer center deforms. As the voltage is applied to the actuator, both buzzers produce forces to the right, making the rod move to the right. When kinetic friction occurs between the rod and the moving body, the moving body moves to the right.

Being subject to two piezoelectric forces F_p generated by two buzzers and friction force F_f , the equation of motion is written as

$$\left(2m_{p}+m_{r}+m_{c}+m_{m}\right)\ddot{z}+2c_{p}\dot{z}+2k_{p}z=2F_{p}-F_{f},\quad (1)$$

where m_p is the buzzer mass, m_r is the rod mass, m_c is the connective ring mass, m_m is the mass of the moving body, c_p is the damping coefficient of the piezoelectric buzzer, k_p is the stiffness coefficient of the buzzer, F_p is the piezoelectric force generated by the buzzer, F_f is the friction force, \ddot{z} is the moving body acceleration, \dot{z} is the moving body velocity, and z is the moving body displacement.

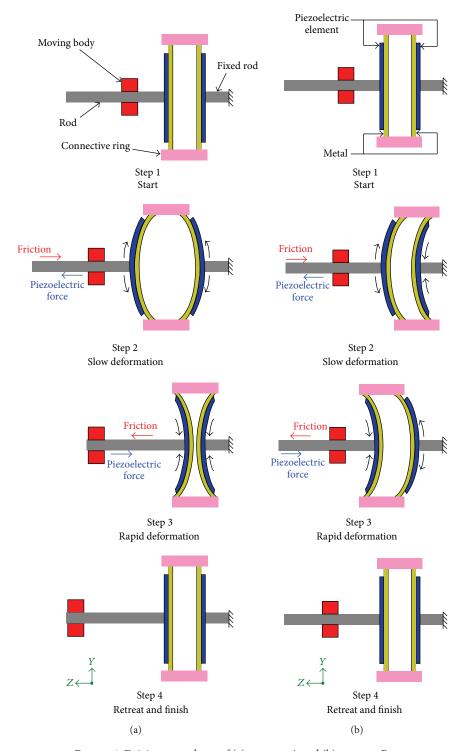


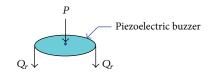
Figure 4: Driving procedures of (a) actuator A and (b) actuator B.

If a concentrated loading P is applied to the buzzer disk center, the shear force Q_r at the disk rim and the loading P are equal but in the opposite directions. Hence,

According to the theory of plates and shells [26], the shear force is expressed by

$$Q_r = -D\frac{d}{dr}\left(\nabla^2\omega\right) = -D\frac{d}{dr}\left(\frac{d^2\omega}{dr^2} + \frac{1}{r}\frac{d\omega}{dr} + \frac{1}{r^2}\frac{d^2\omega}{d\theta^2}\right),$$

$$2\pi r Q_r = -P. \tag{2}$$



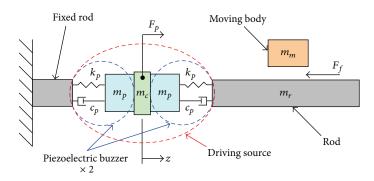


FIGURE 5: Mechanical model of the present piezoelectric actuator.

where ω denotes the buzzer deformation in the axial direction and D denotes the bending stiffness. Substituting (3) into (2) gives

$$\frac{d}{dr}\left(\nabla^2\omega\right) = \frac{d}{dr}\left(\frac{1}{r}\frac{d}{dr}r\frac{d\omega}{dr}\right) = -\frac{Q_r}{D} = \frac{P}{2\pi rD}.$$
 (4)

Integrating this equation three times gives

$$\omega = \frac{P}{8\pi D} \left(r^2 \log r + C_1 r^2 + C_2 \log r + C_3 \right), \tag{5}$$

where C_1 , C_2 , and C_3 are constants of integration. When the buzzer rim with radius a is fixed, the first boundary condition is written as

$$\frac{d\omega}{dr} = 0$$
, when $r = 0$ (6)

and two other boundary conditions are written as

$$\omega = \frac{d\omega}{dr} = 0$$
, when $r = a$. (7)

Substituting (5) into (6) yields unknown constants

$$C_1 = -\frac{1}{2} - \log a, \qquad C_2 = 0, \qquad C_3 = \frac{1}{2}a^2.$$
 (8)

Substituting (8) into (5) yields the buzzer deformation

$$\omega = \frac{P}{8\pi D} \left[\frac{1}{2} \left(a^2 - r^2 \right) + r^2 \log \frac{r}{a} \right]. \tag{9}$$

The radial moment M_r and the tangential moment M_θ are, respectively, written as [26]

$$M_{r} = -D\left(\frac{d^{2}\omega}{dr^{2}} + \frac{\nu}{r}\frac{d\omega}{dr}\right),$$

$$M_{\theta} = -D\left(\frac{1}{r}\frac{d\omega}{dr} + \nu\frac{d^{2}\omega}{dr^{2}}\right),$$
(10)

where ν is the Poisson's ratio. Substituting (9) into (10) gives the moments

$$M_r = \frac{P}{4\pi} \left[(1+\nu) \log \frac{a}{r} - 1 \right],$$

$$M_\theta = \frac{P}{4\pi} \left[(1+\nu) \log \frac{a}{r} - \nu \right].$$
(11)

The radial stress σ_r and the tangential stress σ_θ are, respectively, written as [26]

$$\sigma_r = -\frac{6M_r}{t^2},$$

$$\sigma_\theta = -\frac{6M_\theta}{t^2},$$
 (12)

where t is the thickness. Substituting (11) into (12) yields stresses

$$\sigma_r = \frac{-6P}{4\pi t^2} \left[(1+\nu) \log \frac{a}{r} - 1 \right],$$

$$\sigma_\theta = \frac{-6P}{4\pi t^2} \left[(1+\nu) \log \frac{a}{r} - \nu \right].$$
(13)

According to Hooke's law, the radial strain ε_r and the tangential strain ε_θ are, respectively, written as

$$\varepsilon_{r} = \frac{1}{E} \left(\sigma_{r} - \nu \sigma_{\theta} \right),$$

$$\varepsilon_{\theta} = \frac{1}{E} \left(\sigma_{\theta} - \nu \sigma_{r} \right).$$
(14)

Substituting (13) into (14) gives

$$\varepsilon_{r} = \frac{-6P}{4\pi E t^{2}} \left[(1+\nu)(1-\nu)\log\frac{a}{r} - (1-\nu^{2}) \right],$$

$$\varepsilon_{\theta} = \frac{-6P}{4\pi E t^{2}} \left[(1+\nu)(1-\nu)\log\frac{a}{r} \right].$$
(15)

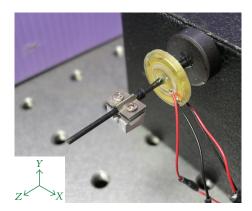


FIGURE 6: Photograph of piezoelectric actuator.

Dealing with circular plates, the piezoelectric equation can be written as [27]

$$\varepsilon_r = s_{11}^E \sigma_r + s_{12}^E \sigma_\theta + s_{13}^E \sigma_z + d_{31} E_z, \tag{16}$$

where s_{11}^E , s_{12}^E , and s_{13}^E denote elasticity constants of the buzzer, d_{31} denotes the charge constant of the buzzer, σ_z denotes the axial stress, and E_z denotes the exerted electric field. The piezoelectric force and the electric field are, respectively, written as [28]

$$\begin{split} F_p &= \sigma_z A_1, \\ E_z &= \frac{V}{t}, \end{split} \tag{17}$$

where A_1 denotes the buzzer disk area and V the exerted electric voltage. Substituting (13), (15), and (17) into (16) yields the piezoelectric force

$$F_{p} = \frac{A_{1}}{S_{13}^{E}} \left(\varepsilon_{r} - s_{11}^{E} \sigma_{r} - s_{12}^{E} \sigma_{\theta} - d_{31} \frac{V}{t} \right). \tag{18}$$

The friction force between the moving body and rod can be expressed by [29]

$$F_{f}(\dot{z}) = \gamma_{1} \left(\tanh \left(\gamma_{2} \dot{z} \right) - \tanh \left(\gamma_{3} \dot{z} \right) \right) + \gamma_{4} \tanh \left(\gamma_{5} \dot{z} \right) + \gamma_{6} \dot{z}. \tag{19}$$

Based on (19), the static friction coefficient can be approximated by the term $\gamma_1 + \gamma_4$. The term $\tanh(\gamma_2\dot{z}) - \tanh(\gamma_3\dot{z})$ captures the Stribeck effect where the friction coefficient decreases from the static friction coefficient with the increasing slip velocity. The third term $\gamma_4 \tanh(\gamma_5\dot{z})$ accounts for the Coulomb friction effect. The last term $\gamma_6\dot{z}$ accounts for the viscous damping effect. Finally, substituting (18) and (19) into (1) yields the dynamic equation. MATLAB/Simulink softwares are in turn executed to verify these equations. Comparisons of theory and experimental results are performed.

4. Experimental Results

Figure 6 shows the photograph of the piezoelectric actuator in this study. In system identification, the driving voltage

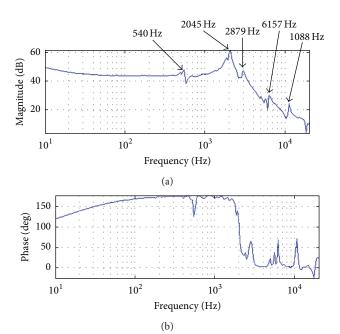


FIGURE 7: Bode plot.

is a 2V sinusoidal wave within the scanning range of 10 to 20 kHz. The driving voltage of the actuator driver is adjusted to drive the piezoelectric actuator. The vibrometer emits laser beams to detect the vibration displacement of the piezoelectric buzzer, passing the signal value of the vibration displacement to the vibrometer controller. Finally, vibration data stored in the vibrometer controller are converted into a Bode plot. Figure 7 depicts the Bode plot, where resonant frequencies include 540 Hz, 2045 Hz, 2879 Hz, 6157 Hz, and 10887 Hz. After velocity measurements for all the natural frequency, experimental results exhibited that actuator at frequency 2045 Hz obtained the fastest velocity and at frequency 6157 Hz, obtained the second fastest velocity. The purpose of the modal analysis in Figure 8 is to obtain the modal shapes rather than natural frequencies. Natural frequencies of Bode plot are actually driving frequencies of actuator in velocity and force experiments. According to the finite element modal analysis result, the first ten natural frequencies of the actuator are 324.2 Hz, 324.9 Hz, 1650 Hz, 2585 Hz, 2592 Hz, 4508 Hz, 5773.6 Hz, 5774.4 Hz, 7806.7 Hz, and 10969 Hz. Figure 8 depicts modal shapes at 1650 Hz and 4508 Hz. Figure 8(a) shows that two buzzers simultaneously deform in opposite directions, corresponding to the mode shape of actuator A. Figure 8(b) shows that both buzzers simultaneously deform in the same direction, corresponding to the mode shape of actuator B.

Velocity measurements and force measurements experiments are carried out for comparison between actuators A and B. According to resonant peaks, driving frequencies selected for both actuators are 2045 HZ and 6157 Hz, respectively. When the driving voltage employs rectangular waves [21] to drive the piezoelectric buzzer, according to the excitation frequency and duty ratio of the driving voltage, the piezoelectric buzzer deforms and produces an output

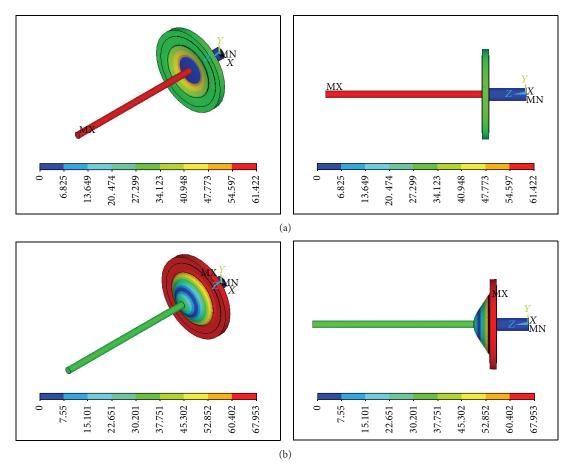


FIGURE 8: Actuator mode shapes obtained from the finite element analysis: (a) 1650 Hz whose deformation in mode shape occurs in the rod and (b) 4508 Hz whose deformation in mode shape occurs on the rim.

wave resembling a sawtooth wave. The duty ratio of the driving voltage rectangular waveforms is adjusted in this study to control the sawtooth proportion and the sawtooth wave direction [22]. Changes in the duty ratio influence the movement direction and velocity. Figure 9 shows a schematic diagram of the driving voltage, buzzer deformation, and actuator displacement. As depicted in Figure 9(a), W/T ratio is called the duty ratio, defined as the time percentage of high potential signal in a period, where W is the time interval of high potential signal and T is period. According to the experimental verification, W/T ratio of the driving voltage affects the velocity of the moving body. As depicted in Figure 9(b), in each period of the sawtooth signal, the slope of the first half is smaller than that of the second half. Therefore, in the first half, the static friction exists between the moving body and the rod, and no relative displacement occurs between both of them. In the second half, however, the slope is larger, and the dynamic friction between the moving body and rod allows the moving body to move for a short distance. As a consequence, persistent switching between static and dynamic friction causes the moving body to move, as shown in Figure 9(c). For the actuator velocity measurement, Figure 10 shows the experimental setup, which includes a vibrometer controller (Polytec OFV 3001), vibrometer (Polytec OFV 512), waveform generator (Agilent 33210A), and actuator driver (Echo ENP-4012B). In experiments, firstly, the waveform generator is used to generate the rectangular voltage waveform with a duty ratio. The driving voltage of the actuator driver is adjusted so as to drive the actuator. The vibrometer is used to measure the actuator displacement and velocity, which are in turn transmitted to the vibrometer controller.

Figure 11 compares experimental and simulation results, in which the driving voltage is 40 V for both actuators and driving frequencies are 2045 HZ and 6157 Hz for actuators A and B, respectively. When the duty ratio is prescribed as 50%, the buzzer deforms in an isosceles triangle waveform and, the moving velocity of the moving body is difficult to control and stabilize; thus, a duty ratio of 50% is not appropriate. According to experimental results, 10% and 90% duty ratios have little effect on velocity; thus, results of both duty ratios are not included in comparison. Figure 11 also shows that when the duty ratio is from 20% to 40% and from 60% to 80%, the moving bodies moved in opposite directions. The fastest speed is obtained at duty ratios of 40% and 60%. Actuator A moves faster than actuator B. Experimental results are consistent with simulation at 40% and 60% duty ratios, as depicted in Figure 11.

Figure 12 shows that the moving velocity is proportional to the driving voltage. Actuator A moves obviously faster

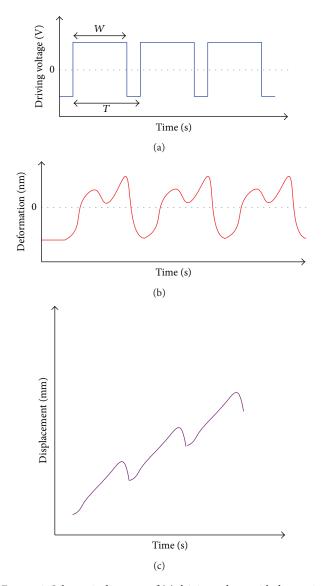


FIGURE 9: Schematic diagrams of (a) driving voltage with duty ratio = W/T, (b) deformation of piezoelectric buzzer in actuator, and (c) actuator displacement.

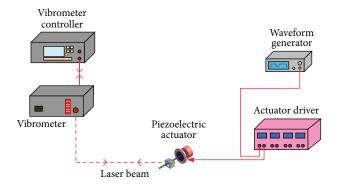


FIGURE 10: Experimental setup for the actuator velocity measurement.

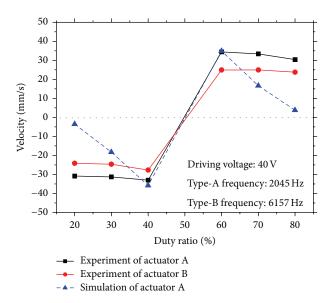


FIGURE 11: Comparison of experimental and simulation results in velocity variation with duty ratios.

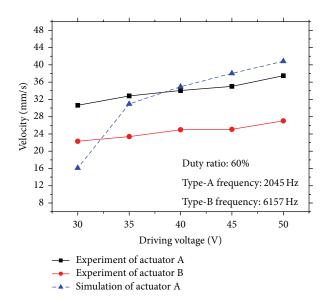


FIGURE 12: Comparison of experimental and simulation results in translational velocity.

than actuator B. Moreover, actuators A and B subject to $50\,\mathrm{V}$ driving voltage in experiments move at $37.5\,\mathrm{mm/sec}$ and $27.02\,\mathrm{mm/sec}$, respectively. In contrast, actuator A in simulation subject to $50\,\mathrm{V}$ driving voltage moves at $40.82\,\mathrm{mm/sec}$. Although the maximum distance traveled is $20\,\mathrm{mm}$, if no space constraint, the distance traveled by the moving body is not limited.

Figure 13 shows that the force is proportional to the driving voltage. The force experiments of actuator A and actuator B under a driving voltage of 50 V can reach 15.4 mN and 11.53 mN, respectively. The force simulation of actuator A under a driving voltage of 50 V is 26.18 mN. The measured force from actuator A is larger than that in actuator B. Measured forces are smaller than calculated forces in simulation

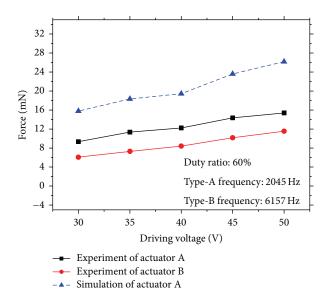


FIGURE 13: Comparison of experimental and simulation results in force versus voltage.

results due to the imperfect straightness of the rod. According to the overall comparison, actuator A performs superior to actuator B because actuator A has an advantage in its mode shape that yields larger force and displacement.

5. Conclusion

This study has designed, modeled, and measured innovative piezoelectric actuators of dual buzzers, alternately subject to piezoelectric force and Coulomb friction. Although the piezoelectric actuator moves 20 mm distance in this study, there is no distance limit as long as the rod is lengthened. This is unlike most belief that piezoelectric actuators move precisely but short. Based on experimental results, the present actuator can generate the translational velocity of 37.5 mm/sec and the force of 15.4 mN. According to experimental results, concerning velocities and forces, actuator A performs better than actuator B because the design of actuator A leads to larger forces and faster moving velocity. The proposed dynamic model that incorporates both mechanical and piezoelectric properties has been validated by experimental results. Future applications of this type of piezoelectric actuator include the focusing or zooming of the mobile phone cameras, digital cameras, and digital video cameras.

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