Systems and Controls Lab

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January 19, 2021

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Part I

Week 1

LECTURE

1

INTRODUCTION

1.1 Contact Info

- 1. Dr. Koeln, Justin.Koeln@UTDallas.edu (Office hours by appointment)
- 2. Navad Hashemi, Navid.Hashemi@UTDallas.edu (TR 3:00pm 5:00 pm, or by apointment)
- 3. Fenglin Zhou, fxz160030@UTDallas.edu (TR 1:00pm 3:00pm, or by appointment)

TA's office hours are to help with Prelabs, Lab Procedures and Lab Reports.

1.2 Objectives & Structure

Lab course for MECH 4310. Focused on Modeling of dynamic systems, design of controllers, and analysis/report of results. Weekly lectures will be posted on Monday mornings to review necessary theory for the lab. There will be 5 expereiments, roughly every other week.

- 1. Prelabs use theory and calculates to prepare for the lab
- 2. Lab Procedures Instructions in Lab Manual (Matlab / Simulink)

Table 1.1: Grading Participation 20%
Prelabs 40%
Lab Reports 40%

3. Lab Reports - focus on analysis of results and technical writing

NOTE: Check elearning frequently for course materials, announcements, etc.

The Lab Manual will be provided on elearning. It includes prelabs and lab report assignments, procedures, supplemental theory, and experimental system User's guides (real world equipement that the experiments are based on). The instructors have provided Matlab/Simulink files for reference on elearning.

1.3 Typical Schedule

Bi-weekly structure for each lab. Two lectures per lab, posted on Mondays. The prelab is due by Friday 5pm the week before the corresponding lab. Next week you will complete the lab, following the Lab Manual procedures. The Lab Report is due by 5pm the following week.

1.4 Grading

See Table 1.1.

NOTE: These assignments are individual. Collaboration is allowed but copying code or reports is considered cheating.

1.4.1 Participation

Most lectures will end with questions to review material in that lecture. The answers will be discussed at the beginning of the next lecture. Used to test understanding and provide feedback to the professor. Will be posted in elearning.

1.4.2 Prelabs

Individual assignment posted on elearning provided in the lab manual. Due Friday at 5pm before the lab. See the schedule and grading rubric. Prelabs

are equally important as the Lab Reports. Ask the TA's or the professor for help if you need it!

1.4.3 Lab Report

Assignment provided in Lab Manual on eLearning. Individual assignment. Due by 5pm on Friday the week after the lab. The Lab Reports must always be typed. See the grading rubric on elearning and tips for technical writing on elearning.

1.5 TA Assignments

The TA's grade different labs, but you may reach out to either of them for help. See the breakdown in elearning.

1.6 Matlab/Simulink

Self paced activity posted next week to learn more about Matlab/Simulink. Ask the professors or TA's for help if you are stuck with matlab or simulink.

Part II

Week 2

1.7 Fluid and Thermal Systems

Most system dynamics are governed by basic conservation laws, which are a great way to start modeling a system. The two important ones are conservation of mass and conservation of mass as a rate,

$$\sum m_{in} - \sum m_{out} = m_{stored} \tag{1.1}$$

$$\sum q_{in} - \sum q_{out} = \frac{dm}{dt} = \dot{m} \tag{1.2}$$

We also can make use of conservation of energy for fluid systems.

$$\sum E_{in} - \sum E_{out} = E_{stored} \tag{1.3}$$

1.8 Assumptions

• Flow through a restriction/resistance (eg valve) is proportional to the pressure across it. As resistance R increases flow decreases

$$q = \frac{1}{R} (P_1 - P_2) \tag{1.4}$$

• Pressure at the bottom of the tank is proportional to the height of the liquid (hydrostatic pressure)

$$P = \rho g h + P_a \Rightarrow \Delta P = \rho g \Delta h \tag{1.5}$$

• Constant cross-sectional area (hydraulic capacitance)

$$C = \frac{A}{g} \tag{1.6}$$

1.9 Hydraulic System Modeling

Start with conservation of mass,

$$\frac{dm}{dt} = q_{mi} - q_{mo}.$$

The value of q_{mo} is given by the resistance, and P_{bottom} is given by the hydrostatic pressure

$$q_{mo} = \frac{1}{R} \left(P_{bottom} - P_a \right).$$

$$P_{bottom} = \rho g h + P_a.$$

Substitution yields that,

$$q_{mo} = \frac{1}{R} \left(\rho g h + P_a - P_a \right) = \frac{\rho g}{R} h \tag{1.7}$$

Revisiting the conservation of mass, we can change the differential term from mass to height.

$$m = \rho V = \rho A h \Rightarrow \frac{dm}{dt} = \rho A \dot{h}.$$

This gives us a linear first order ODE for the height, we can simplify further with capacitance.

$$\rho A \dot{h} = q_{mi} - \frac{\rho g}{R} h \tag{1.8}$$

$$RC\dot{h} + h = \frac{R}{\rho g} q_{mi} \tag{1.9}$$

Two model two different tanks, you go through this process twice. Once for each tank.

1.10 First Order Systems (Review)

General forms,

$$\tau \dot{x} + x = k \cdot f(t) \tag{1.10}$$

where τ is the time constant, and k is the gain. We can also represent this as a transfer function using laplace transforms.

$$\frac{X(s)}{F(s)} = \frac{k}{\tau s + 1} \tag{1.11}$$

For a unit impulse response, this system evolves exponentially. After one time constant, we would expect 63% of the water to have drained from the tank. After 4 time constants we would expect 98% of the water to have drained from the tank.

For a unit set response, we would expect the system to reach a steady state value. Where the mass flow rate in equals the mass flow rate out.