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(* Adam Beck *)
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(* Calculate the fractional dimension of the Sierpinski carpet and "sponge" *)
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(* Sierpinski carpet *)
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In[51]:= (* consider a 2D square. As discussed in class, we need  $(1/\text{epsilon})^2$  objects  
to "fill" the square, where epsilon is the diameter. Let E refer to epsilon. *)  
(* dimension =  $\log[N\{E,A\}] / \log[1/E]$  *)  
(*  $\log[N\{E,A\}]$  is calculated by taking the mass of the current iteration of the carpet,  
and plugging E into that mass equation. *)
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(* For the first iteration, the mass of the carpet is  $8/9$ , the next is  $8/9$  squared,  
then cubed, and so on. These are all multiplied by  $(1/E)$  squared. A  
For loop can be used to iterate through a few iterations of the carpet,  
and converge on an answer. Let epsilon be raised to the 1,  
2nd, 3rd, etc. power for every iteration *)
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epsilon = 1/3;
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mass = 8/9;
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For[i = 1, i < 5, i++, (  
  epsilonTemp = (epsilon ^ i) ^ 2;  
  massTemp = mass ^ i;  
  massEquation = massTemp / epsilonTemp;  
  Print[N[Log[massEquation] / Log[1 / (epsilon ^ i)]] ] )  
];
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1.89279
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1.89279
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1.89279
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