**Topic**: Sketching graphs

**Question**: If the first derivative of the function is positive, then the function is...

## **Answer choices:**

A ... concave down

B ... concave up

C ... decreasing

D ... increasing



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Where the first derivative of a function is positive, the function itself is increasing.



**Topic**: Sketching graphs

**Question**: If g'(-2) = 0 and g''(-2) > 0, which of the following must be true?

## **Answer choices:**

- A The function has an inflection point at x = -2.
- B The function has a local minimum at x = -2.
- C The function has a local maximum at x = -2.
- D The function has an *x*-intercept at x = -2.

## Solution: B

If g'(-2) = 0, then x = -2 is critical point of the function. If g''(x) > 0 at a critical point, there's a local minimum there.



**Topic**: Sketching graphs

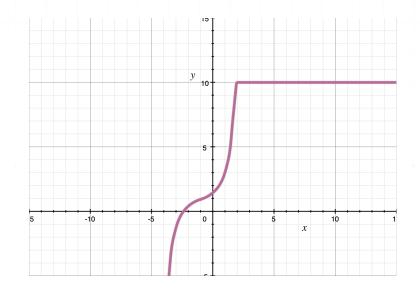
**Question**: Which of the following is a graph of the function with the given properties?

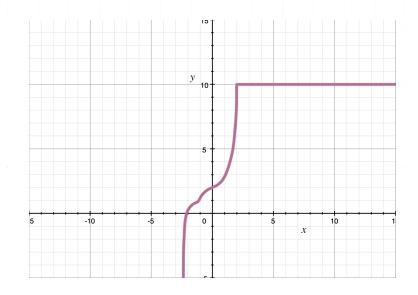
$$f'(x) < 0 \text{ and } f''(x) > 0 \text{ for } x \le -1$$

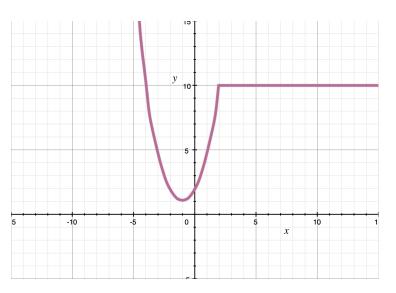
$$f'(x) > 0$$
 and  $f''(x) > 0$  for  $-1 < x < 2$ 

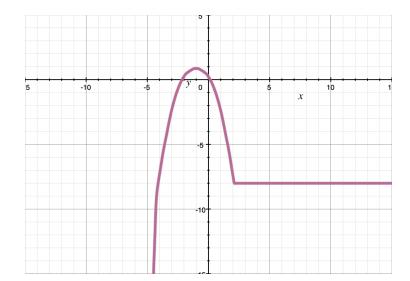
$$f(x) = 10$$
 for  $x \ge 2$ 

## **Answer choices:**







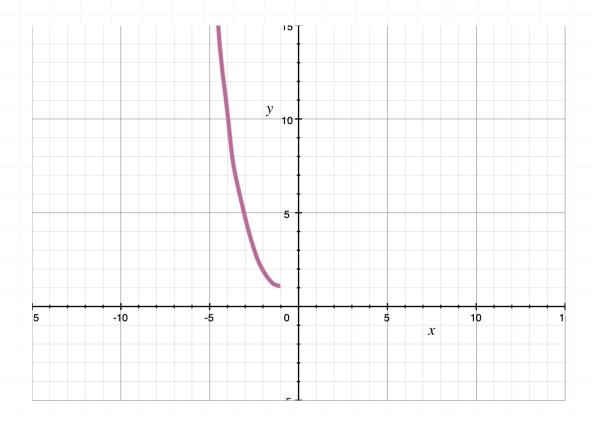


Α

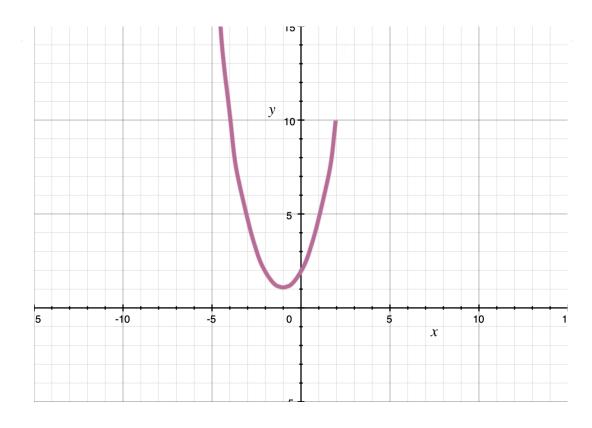
В

**Solution**: C

For  $x \le -1$ , the function is decreasing since f'(x) < 0, and concave up since f''(x) > 0.



For -1 < x < 2, the function is increasing since f'(x) > 0, and concave up since f''(x) > 0.



For  $x \ge 2$ , the function's value is f(x) = 10.

