Before Starting: First, fill out the below code cell with your first name, last name, and student ID.

Before Submission: Make sure everything runs as expected. First, **restart the kernel** (in the menubar, select Kernel \rightarrow Restart) and then **run all cells** (in the menubar, select Cell \rightarrow Run All).

During Lab Tips:

- 1. DO NOT write your written responses in the same markdown cell as the question. If you do this, your written response will be lost!
- 2. If possible, please try to use your local Jupyter Notebook to complete the lab. Online notebook editors like Collab can edit notebook source code and cause our autograder to break, making grading your lab more difficult for us!

WARNING: Some TODOs have todo_check() functions which will give you a rough estimate of whether you will recieve points or not. These checks are there simply to make sure you are on the right track and they DO NOT determine your final grade for the lab. They are only here to provide you with real-time feedback.

```
FIRST_NAME = "Adam"
LAST_NAME = "Nur"
STUDENT_ID = "801286783"
```

Linear Classification Lab

ITCS 5156: Applied Machine Learning

Minwoo "Jake" Lee

```
collected = gc.collect()
class TodoCheckFailed(Exception):
    pass
def todo check(asserts):
    failed err = "You passed {}/{} and FAILED the following code
checks:\n{}"
    failed = ""
    n failed = 0
    for check, (condi, err) in enumerate(asserts):
        exc failed = False
        if isinstance(condi, str):
            try:
                passed = eval(condi)
            except Exception:
                exc failed = True
                n failed += 1
                failed += f"\nCheck [{check+1}]: Failed to execute
check [{check+1}] due to the following error...\
n{traceback.format exc()}"
        elif isinstance(condi, bool):
            passed = condi
        else:
            raise ValueError("asserts must be a list of strings or
bools")
        if not exc failed and not passed:
            n failed += 1
            failed += f"\nCheck [{check+1}]: Failed\n\tTip: {err}\n"
    if len(failed) != 0:
        passed = len(asserts) - n_failed
        err = failed err.format(passed, len(asserts), failed)
        raise TodoCheckFailed(err.format(failed))
    print("Your code PASSED the code check!")
```

Goal

The goal of this activity is to make you more familiar with Scikit.Learn and practice linear classification models with it. You will apply Ridge Classifier, SGD, Perceptron, SVM, Logistic Regression, kNN, and Naive Bayes to real data. We will prepare data as we did in last week's practice and then apply these linear classification models. Follow the TODO titles and comments to finish the activity!

Agenda

- Iris data breakdown
- Iris data visualization
- Breast cancer data breakdown/visualization
- Classification with
 - Ridge Classifier
 - SGD
 - Perceptron
 - SVM
 - Logistic Regression
 - kNN
 - Naive Bayes
- Multi-class classification with One vs Rest

Tables of TODO's

- 1. TODO1 (6 points)
- 2. TODO2 (10 points)
- 3. TODO3 (8 points)
- 4. TODO4 (3 points)
- 5. TODO5 (4 points)
- 6. TODO6 (7 points)
- 7. TODO7 (7 points)
- 8. TODO8 (18 points)
- 9. TODO9 (12 points)
- 10. TODO10 (22 points)
- 11. Extra Credit (15 points)
- 12. Feedback (3 points)

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from mpl_toolkits.mplot3d import Axes3D
from copy import deepcopy as copy
%matplotlib inline
```

Classification

Data Visualization

Iris dataset breakdown

The data we are going to be using for this lab is the famous iris dataset. This dataset is a frequently used dataset when first being introduced to classification in machine learning. Famous datasets like this can often be found within machine learning packages, meaning all you have to do is import the dataset via a given package. For instance, Scikit Learn (sklearn) already has the iris dataset built into its library. All we need to do is simply import it!

If you are not familiar to the iris dataset try reading up on it on the UCI website: https://archive.ics.uci.edu/ml/datasets/iris.

Let's import the iris dataset using the imported load_iris() function and store the output into a variable called iris.

```
from sklearn.datasets import load_iris
iris = load_iris()
```

Next, let's check the data structure type of the our iris variable so we know how to manipulate our data. To do so we can use Pythons built-in function type().

```
type(iris)
sklearn.utils._bunch
```

Hmmm, I don't think we have seen the type sklearn.utils.Bunch before. Let's quickly check the output of the iris variable. Here we can see the iris prints out keys and corresponding data or meta-data (information about our data) for each key.

```
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```

```
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```

```
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      [5.8, 2.8, 5.1, 2.4],
      [6.4, 3.2, 5.3, 2.3],
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      [5.9, 3., 5.1, 1.8]]),
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      1,
      1,
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```

```
2,
       2,
       'frame': None,
 'target names': array(['setosa', 'versicolor', 'virginica'],
dtvpe='<U10'),
 'DESCR': '.. _iris_dataset:\n\nIris plants dataset\
n-----\n\n**Data Set Characteristics:**\n\n
                                                      :Number
of Instances: 150 (50 in each of three classes)\n : Number of
Attributes: 4 numeric, predictive attributes and the class\
    :Attribute Information:\n

    sepal length in cm\n

sepal width in cm\n
                       - petal length in cm\n

    petal width

in cm\n
                                    - Iris-Setosa\n
             - class:\n
- Iris-Versicolour\n
                               - Iris-Virginica\
                    :Summary Statistics:\n\n
               \n
n
                        :=====\ n
                                                     Min
                                                          Max
Mean
       SD
           Class Correlation\n
                               4.3
===== =====\n
                            sepal length:
                                              7.9
0.7826\n sepal width:
                        2.0 4.4 3.05
                                        0.43
                                              -0.4194\n
petal length:
             1.0 6.9
                       3.76
                              1.76
                                     0.9490 (high!)\n petal
width:
        0.1 2.5
                  1.20
                        0.76
                               0.9565 (high!)\n
:Missing Attribute Values: None\n
                                     :Class Distribution: 33.3%
for each of 3 classes.\n :Creator: R.A. Fisher\n
                                                :Donor: Michael
Marshall (MARSHALL%PLU@io.arc.nasa.gov)\n :Date: July, 1988\n\nThe
famous Iris database, first used by Sir R.A. Fisher. The dataset is
taken\nfrom Fisher\'s paper. Note that it\'s the same as in R, but not
as in the UCI\nMachine Learning Repository, which has two wrong data
points.\n\nThis is perhaps the best known database to be found in the\
npattern recognition literature. Fisher\'s paper is a classic in the
field and\nis referenced frequently to this day. (See Duda & Hart,
for example.) The \ndata set contains 3 classes of 50 instances each,
where each class refers to a\ntype of iris plant. One class is
linearly separable from the other 2; the\nlatter are NOT linearly
R.A. "The use of multiple measurements in taxonomic problems"\n
Annual Eugenics, 7, Part II, 179-188 (1936); also in "Contributions
       Mathematical Statistics" (John Wiley, NY, 1950).\n - Duda,
R.O., & Hart, P.E. (1973) Pattern Classification and Scene Analysis.\n
(0327.D83) John Wiley & Sons. ISBN 0-471-22361-1.
                                             See page 218.\n
- Dasarathy, B.V. (1980) "Nosing Around the Neighborhood: A New
           Structure and Classification Rule for Recognition in
System\n
Partially Exposed\n
                  Environments". IEEE Transactions on Pattern
                       Intelligence, Vol. PAMI-2, No. 1, 67-71.\n
Analysis and Machine\n
- Gates, G.W. (1972) "The Reduced Nearest Neighbor Rule". IEEE
                on Information Theory, May 1972, 431-433.\n
Transactions\n
also: 1988 MLC Proceedings, 54-64. Cheeseman et al "s AUTOCLASS II\n
conceptual clustering system finds 3 classes in the data.\n - Many,
```

```
many more ...',
  'feature_names': ['sepal length (cm)',
  'sepal width (cm)',
  'petal length (cm)',
  'petal width (cm)'],
  'filename': 'iris.csv',
  'data_module': 'sklearn.datasets.data'}
```

So, it looks our iris variable is an instance of a sklearn object which holds the data and metadata. No worries, after a little research it looks like we can access our data by accessing the instance variables inside the iris instance. It turns out each key seen in the above output is actually an instance variable. Let's remember what the keys of the iris instance are by calling iris.keys() instead of manually going through the large output above.

```
iris.keys()
dict_keys(['data', 'target', 'frame', 'target_names', 'DESCR',
    'feature_names', 'filename', 'data_module'])
```

Okay, now we can clearly see the keys. These key are actually the names of instance variables which hold data or meta-data. Let's try accessing this data and meta-data.

We can access the 'data' key of iris by treating the it as an instance variable. The following code does this by calling the instance iris and adding a dot. followed by the instance variable name, in this case data.

```
iris.data
array([[5.1, 3.5, 1.4, 0.2],
       [4.9, 3. , 1.4, 0.2],
       [4.7, 3.2, 1.3, 0.2],
       [4.6, 3.1, 1.5, 0.2],
       [5., 3.6, 1.4, 0.2],
       [5.4, 3.9, 1.7, 0.4],
       [4.6, 3.4, 1.4, 0.3],
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       [4.9, 3.1, 1.5, 0.1],
       [5.4, 3.7, 1.5, 0.2],
       [4.8, 3.4, 1.6, 0.2],
       [4.8, 3., 1.4, 0.1],
       [4.3, 3. , 1.1, 0.1],
       [5.8, 4. , 1.2, 0.2],
       [5.7, 4.4, 1.5, 0.4],
       [5.4, 3.9, 1.3, 0.4],
       [5.1, 3.5, 1.4, 0.3],
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       [5.1, 3.8, 1.5, 0.3],
       [5.4, 3.4, 1.7, 0.2],
```

```
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```

```
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```

```
[6., 2.2, 5., 1.5],
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[6.9, 3.1, 5.4, 2.1],
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[6.5, 3., 5.2, 2.],
[6.2, 3.4, 5.4, 2.3],
[5.9, 3., 5.1, 1.8]
```

Let's check the data structure type of iris.data.

```
type(iris.data)
numpy.ndarray
```

Hey, look at that! iris.data returns the data in the form of a Numpy array. This means we can manipulate this data just like we have in previous labs! Now that we know that iris.data is a Numpy array let's check the shape of our data.

```
iris.data.shape
(150, 4)
```

Nice, we can see we have 150 data samples (rows) and 4 features (columns).

Let's now check the labels of our features (columns).

```
iris.feature_names
['sepal length (cm)',
  'sepal width (cm)',
  'petal length (cm)',
  'petal width (cm)']
```

Here can see the feature names, where each feature name represents the name of a column in the iris.data output. For instance, the first column iris.data[0] corresponds to 'sepal length' while the second column iris.data[1] corresponds to sepal width.

Finally, let's take a look at the target data.

Ah, here we can see the targets for each of our data samples (rows). It seems that there are 3 classes: 0, 1, and 2.

Let's next check the data structure type of iris.target to make sure it is a Numpy array as well.

```
type(iris.target)
numpy.ndarray
```

Awesome, iris.target is also a Numpy array.

Let's next check the number of samples our target iris.target has to make sure it matches the number of samples in our data iris.data.

```
iris.target.shape
(150,)
```

As excepted, iris.target does contain the same number of samples.

The final question is what do the three classes represent? Let's check by accessing the instance variable target names which should tell us the actual names of the targets/classes.

```
iris.target_names
array(['setosa', 'versicolor', 'virginica'], dtype='<U10')</pre>
```

There we go, we can see that each class corresponds to a type of flower - as might have been suspected by the name of the dataset! We can see that class 0 corresponds to 'setosa', class 1 corresponds to 'versicolor', and class 2 corresponds to 'virginica'.

Thus, our goal for this dataset will be to classify a data sample based on the 4 features 'sepal length', 'sepal width', 'petal length', 'petal width' into one of the three classes, 'setosa', 'versicolor', 'virginica'!

Visualization

Now it's time to do some quick visualization to get a better feel for the iris data.

Let's store the iris data into variables to shorten our typing labor.

```
X = iris.data
T = iris.target
```

Just like any visualization we want to see how the features relate to one another. In our case we want to see how the features relate to one anther and how they vary across classes! To do so lets first plot how our sepal features, 'sepal length' and 'sepal width', and observe how they relate.

Take a second to review the code. You will need to understand it to complete the next TODO!

```
http://scikit-learn.org/stable/auto_examples/datasets/plot_iris_datase
t.html

Code source: Gaël Varoquaux
Modified for documentation by Jaques Grobler
License: BSD 3 clause
"""

# Get row locations for each class
setosa_locs = np.where(T == 0)[0].astype(int)
versicolor_locs = np.where(T == 1)[0]
virginica_locs = np.where(T == 2)[0]

# Find min and max x-y coordiantes
x_min, x_max = X[:, 0].min() - .5, X[:, 0].max() + .5
y_min, y_max = X[:, 1].min() - .5, X[:, 1].max() + .5
plt.figure(figsize=(6,6))

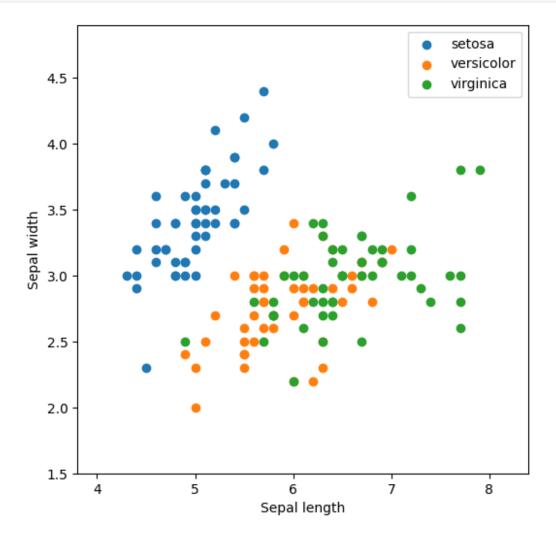
# Plot the training points
```

```
plt.scatter(X[setosa_locs, 0], X[setosa_locs, 1], label='setosa')
plt.scatter(X[versicolor_locs, 0], X[versicolor_locs, 1],
label='versicolor')
plt.scatter(X[virginica_locs, 0], X[virginica_locs, 1],
label='virginica')

plt.xlabel('Sepal length')
plt.ylabel('Sepal width')

plt.xlim(x_min, x_max)
plt.ylim(y_min, y_max)

plt.legend() # Plots legend
plt.show()
```



Interesting! Here we can see that the setosa flower sepal width and length are quite distinguishable from the rest of the classes. It also looks like setosa has a nice linear pattern when it comes to its sepal width and length. Meaning, as the sepal length grows so does the

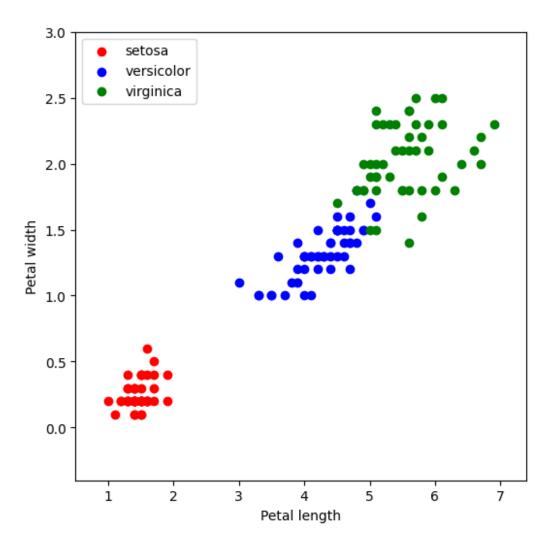
sepal width, typically. On the other hand, the versicolor and virginica flowers sepal features seem to be quite intertwined and more chaotic.

Now, let's see how the petal features relate within and between classes.

TODO1

- 1. Just like above, plot each class but now with respect to petal length (the 3rd feature) and petal width (the 4th feature).
 - a. Hint: Reuse the three plt.scatter() lines from above but now simply change which columns are being indexed!
- 2. Take a look at the two figures. What do you notice? Do any of the classes seem separable based on certain features?

```
# Find min and max x-y coordiantes
x_{min}, x_{max} = X[:, 2].min() - .5, X[:, 2].max() + .5
y_{min}, y_{max} = X[:, 3].min() - .5, X[:, 3].max() + .5
plt.figure(figsize=(6,6))
# TODO 1-1
plt.scatter(X[T == 0, 2], X[T == 0, 3], c='red',
label=iris.target names[0])
plt.scatter(X[T == 1, 2], X[T == 1, 3], c='blue',
label=iris.target_names[1])
plt.scatter(X[T == 2, 2], X[T == 2, 3], c='green',
label=iris.target_names[2])
plt.xlabel('Petal length')
plt.ylabel('Petal width')
plt.xlim(x min, x max)
plt.ylim(y min, y max)
plt.legend()
plt.show()
```



T0D0 1-2 Take a look at the two figures. What do you notice? Do any of the classes seem separable based on certain features? Add answer in the below markdown cell.

DO NOT WRITE YOUR ANSWER IN THIS CELL!

Answer: Setosa stands out from both Versicolor and Virginica based on petal size. Versicolor and Virginica alsoshow some overlap

Breast Cancer Wisconsin dataset breakdown

Another popular classification data is breast cancer dataset from Clinical Sciences Center, Madison, WI. The computed features from a disgitized image of a fine needle aspirate (FNA) of a breast mass include radius, texture, perimeter, area, smoothness, compactness, concavity, concave points, symmetry, and fractal dimension. You can acces the detailed description and relevant papers from https://archive.ics.uci.edu/ml/datasets/Breast+Cancer+Wisconsin+ (Diagnostic).

Scikit Learn (sklearn) has the brest cancer dataset built into its library, so you don't need to download the file.

TODO 2-1

- 1. Using load breast cancer() function in Scikit-Learn, load the data into cancer.
 - a. Hint: Feel free to import the function or call it directly from sklearn.
- 2. Create a pandas DataFrame that contain both cancer.data and cancer.target with a proper column names and store to df breast.
- 3. HINT: use np.hstack to combine the arrays and then convert the stacked data into a DataFrame.

```
from sklearn.datasets import load_breast_cancer
# TODO 2-1.1
cancer = load breast cancer()
# TODO 2-1.2
data with target = np.hstack((cancer.data, cancer.target.reshape(-1,
1)))
column names = list(cancer.feature names) + ['diagnosis']
df breast = pd.DataFrame(data with target, columns=column names)
display(df_breast.head(5))
print(f"Target Names: {cancer.target names} Target Labels:
{ np.unique(cancer.target)}")
   mean radius mean texture mean perimeter
                                               mean area
                                                           mean
smoothness
         17.99
                        10.38
                                       122.80
                                                   1001.0
0.11840
         20.57
                        17.77
                                       132.90
                                                   1326.0
0.08474
         19.69
                       21.25
                                       130.00
                                                   1203.0
0.10960
         11.42
                        20.38
                                        77.58
                                                    386.1
0.14250
         20.29
                        14.34
                                       135.10
                                                   1297.0
0.10030
   mean compactness
                     mean concavity
                                      mean concave points
                                                            mean
symmetry
            0.27760
                              0.3001
                                                   0.14710
0.2419
        1
                              0.0869
                                                   0.07017
            0.07864
0.1812
            0.15990
                              0.1974
                                                   0.12790
0.2069
            0.28390
                              0.2414
                                                   0.10520
0.2597
            0.13280
                              0.1980
                                                   0.10430
```

```
0.1809
   mean fractal dimension ... worst texture worst perimeter worst
area
                   0.07871
                                                          184.60
                                          17.33
0
2019.0 \
                   0.05667
                                          23.41
                                                          158.80
1956.0
                   0.05999
                                          25.53
                                                          152.50
1709.0
                                         26.50
                   0.09744
                                                           98.87
567.7
                   0.05883
                                          16.67
                                                          152.20
1575.0
   worst smoothness worst compactness worst concavity worst concave
points
                                 0.6656
                                                   0.7119
             0.1622
0.2654
             0.1238
                                 0.1866
                                                   0.2416
0.1860
             0.1444
                                 0.4245
                                                   0.4504
2
0.2430
             0.2098
                                 0.8663
                                                   0.6869
0.2575
             0.1374
                                 0.2050
                                                   0.4000
0.1625
  worst symmetry worst fractal dimension diagnosis
0
           0.4601
                                    0.11890
                                                    0.0
           0.2750
                                                    0.0
1
                                    0.08902
2
           0.3613
                                                    0.0
                                    0.08758
3
           0.6638
                                    0.17300
                                                    0.0
           0.2364
                                    0.07678
                                                    0.0
[5 rows x 31 columns]
Target Names: ['malignant' 'benign'] Target Labels: [0 1]
todo check([
    \overline{\text{("df breast.shape == (569,31)", "`df_breast` has the wrong}}
shape"),
    ("list(df breast.columns.values[[0,10,20]]) == ['mean radius',
'radius error', 'worst radius']", "`df breast` is missing column
names"),
    ("'diagnosis' in df breast.columns", "target 'diagnosis' is not in
df breast")
])
Your code PASSED the code check!
```

Skewness measures the symmetry of the distributions. Last week, we observed the skewed target label distributions in the forest fire dataset. Well, we may check skewness of our data as it reveals how the data is sampled. Moreover, linear models learn based on the assumption of similar distributions between input and target.

You can learn about skewness of a distribution from here.

Here are how to read the numbers from skewness values:

- If the skewness is between -0.5 and 0.5, the data are fairly symmetrical
- If the skewness is between -1 and 0.5 or between 0.5 and 1, the data are moderately skewed
- If the skewness is less than -1 or greater than 1, the data are highly skewed

TODO 2-2

- 1. Using Pandas describe() method to take a look at the summary of df_breast. Store the output into dfb describe.
- 2. Using Pandas skew() method to take a look at the skewness of df_breast. Store the output into dfb skew.
- 3. What do you observe when looking at data summary and skewness measures?

```
# TODO 2-2.1
dfb describe = df breast.describe()
dfb describe
       mean radius
                     mean texture
                                    mean perimeter
                                                       mean area
        569.000000
count
                       569.000000
                                        569.000000
                                                      569.000000
         14.127292
                        19.289649
                                         91.969033
                                                      654.889104
mean
          3.524049
                         4.301036
                                         24.298981
                                                      351.914129
std
min
          6.981000
                         9.710000
                                         43.790000
                                                      143.500000
25%
         11.700000
                        16.170000
                                         75.170000
                                                      420.300000
                                         86.240000
                                                      551,100000
50%
         13.370000
                        18.840000
75%
         15.780000
                        21.800000
                                        104.100000
                                                      782.700000
         28.110000
                        39.280000
                                        188.500000
                                                     2501.000000
max
       mean smoothness
                                            mean concavity
                         mean compactness
                                                             mean concave
points
count
            569.000000
                               569.000000
                                                569.000000
569.000000
mean
              0.096360
                                  0.104341
                                                  0.088799
0.048919
               0.014064
                                  0.052813
                                                  0.079720
std
0.038803
                                                  0.000000
                                  0.019380
min
               0.052630
0.000000
25%
               0.086370
                                  0.064920
                                                  0.029560
0.020310
50%
               0.095870
                                  0.092630
                                                  0.061540
0.033500
75%
              0.105300
                                  0.130400
                                                  0.130700
0.074000
```

max 0.201200	0.163400	0.345400	0.426800	
	symmetry m	ean fractal dimensio	n worst texture	
	59.000000 0.181162 0.027414 0.106000 0.161900 0.179200 0.195700 0.304000	569.00000 0.06279 0.00706 0.04996 0.05770 0.06154 0.06612 0.09744	10 569.000000 18 25.677223 10 6.146258 10 12.020000 10 21.080000 10 25.410000 10 29.720000	
wors compactness	t perimeter	worst area worst	smoothness worst	
count 569.000000	569.000000	569.000000	569.000000	
mean	107.261213	880.583128	0.132369	
0.254265 std	33.602542	569.356993	0.022832	
0.157336 min	50.410000	185.200000	0.071170	
0.027290 25%	84.110000	515.300000	0.116600	
0.147200 50% 0.211900	97.660000	686.500000	0.131300	
75% 0.339100	125.400000	1084.000000	0.146000	
max 1.058000	251.200000	4254.000000	0.222600	
wors count mean std min 25% 50% 75% max	t concavity 569.000000 0.272188 0.208624 0.000000 0.114500 0.226700 0.382900 1.252000	worst concave point 569.00000 0.11460 0.06573 0.00000 0.06493 0.09993 0.16140 0.29100	569.000000 \ 6	
wors count mean std min 25% 50% 75%	0 0 0 0	mension diagnosis .000000 569.000000 .083946 0.627417 .018061 0.483918 .055040 0.000000 .071460 0.000000 .080040 1.000000 .092080 1.000000		

```
0.207500
                                   1.000000
max
[8 rows x 31 columns]
# TODO 2-2.2
dfb skew = df breast.skew()
dfb skew
mean radius
                            0.942380
mean texture
                            0.650450
mean perimeter
                            0.990650
mean area
                            1.645732
mean smoothness
                            0.456324
mean compactness
                           1.190123
mean concavity
                           1.401180
mean concave points
                           1.171180
mean symmetry
                            0.725609
mean fractal dimension
                            1.304489
radius error
                            3.088612
texture error
                           1.646444
perimeter error
                           3.443615
area error
                            5.447186
smoothness error
                           2.314450
compactness error
                           1.902221
                            5.110463
concavity error
concave points error
                           1.444678
symmetry error
                            2.195133
fractal dimension error
                            3.923969
                           1.103115
worst radius
worst texture
                            0.498321
worst perimeter
                            1.128164
worst area
                            1.859373
worst smoothness
                            0.415426
worst compactness
                           1.473555
worst concavity
                           1.150237
worst concave points
                            0.492616
worst symmetry
                            1.433928
worst fractal dimension
                           1.662579
diagnosis
                           -0.528461
dtype: float64
todo check([
    ("dfb_describe.shape == (8,31)", "dfb_describe has the wrong
    ("np.all(np.isclose(np.diag(dfb describe)[[0, 2, 3]],
                      , 24.29898104, 143.5
np.array([569.
     "dfb describe values are incorrect."),
    ("np.all(np.isclose(dfb_skew.values[[0, 2, 3]],
np.array([0.94237957, 0.990\overline{6}5043, 1.64573218])))", "dfb skew has
```

```
incorrect values")
])
Your code PASSED the code check!
```

TODO 2-2.3 What do you observe when looking at data summary and skewness measures?

DO NOT WRITE YOUR ANSWER IN THIS CELL!

Answer: mean area values are much larger compared to mean smoothness. Mean area (skew = 1.645732), Area error (skew = 5.447186), and Concavity error (skew = 5.110463) have very positive skewness.

```
n_pos = np.sum(cancer.target==1)
n_neg = len(cancer.target) - n_pos
print("# pos: {}, # neg: {}".format(n_pos, n_neg))
# pos: 357, # neg: 212
garbage_collect(['dfb_skew', 'dfb_describe'])
```

Visualization

The breast cancer data is high dimensional, which can be disasterous for data visualization.

TODO 3-1

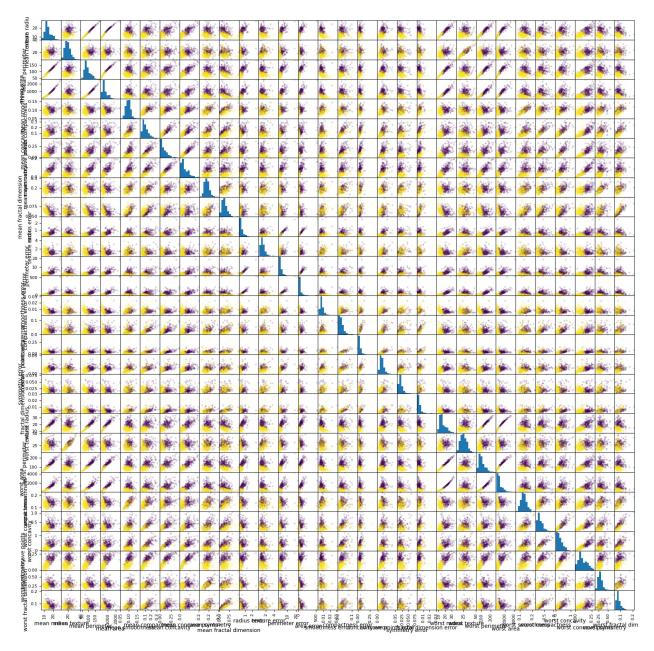
- 1. Using df_breast and the Pandas scatter_matrix() function, create a scatter plot using the all 31 features from the df_breast dataframe.
 - a. Tip: By setting the c argument for scatter_matrix() equal to the targets, you can present the data with different colors for different labels.

WARNING: THIS CODE CAN TAKE A LONG TIME TO RUN!

As it compares the all the pairs, it may take long depending on your computing power. Once you get the figure, running this cell multiple times is not a good idea.

```
# TODO 3-1.1
from pandas.plotting import scatter_matrix

features = df_breast.columns[:-1]
scatter_matrix(df_breast[features], c=df_breast['diagnosis'],
figsize=(20, 20), alpha=0.2)
plt.show()
```



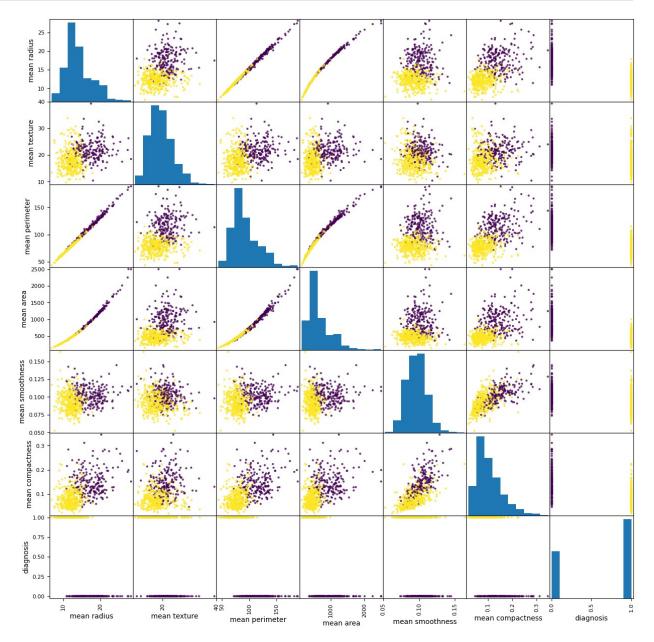
Wow! There are a lot of features. Even x and y label texts overlap, so we can't read! However, we can see some input features are dependent to each other (highly correlated). This tells us that some of the features are redundant (so possible reduction). But for now, let us pick some features to zoom in through just simply picking up first six features.

TODO 3-2

1. Now, plot the same scatter plot as in TODO 12-1 but now only use the first 6 features.

```
# TODO 3-2.1
first_six_features = df_breast.columns[:6].tolist()
features_and_diagnosis = first_six_features + ['diagnosis']
scatter_matrix(df_breast[features_and_diagnosis],
```

```
c=df_breast['diagnosis'], figsize=(15, 15), alpha=0.8,
diagonal='hist')
plt.show()
```



By zooming to each scatter plot, we can better observe the data. However, the diagonal layered kernel density estimate (KDE) with single color for all data is a bit less informative. Seaborn pairplot does very similar with the different colors for the diagonal KDE. So, let us try it.

TODO 3-3

1. Plot the same scatter plot as in TODO 3-2 using the first 6 features but now use Seaborn's pairplot() function to generate the plot.

a. Hint: hue is the key to specify the column name for the label.

If you don't have seaborn library installed, you can install it by running the following:

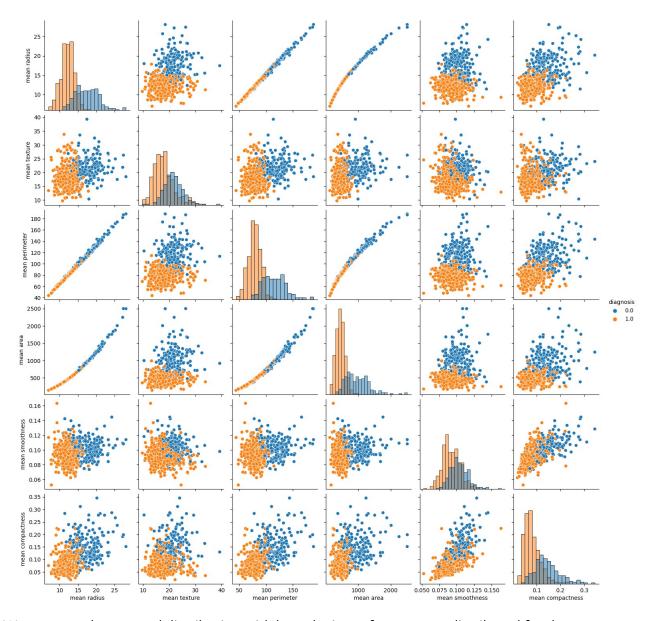
pip install seaborn

or

conda install seaborn

```
import seaborn as sns

# TODO 3-3.1
columns_to_plot = df_breast.columns[:6].tolist() + ['diagnosis']
sns.pairplot(df_breast[columns_to_plot], hue='diagnosis',
diag_kind='hist')
plt.show()
```



We now see the zoomed distribution with how the input features are distributed for the twom positive and negative classes. If they are largely overlap, the input feature by itself might not be a good factor to classify the data. I said "by itself" because it might be necessary as it can combine with other feature to form important decision factors.

Applying Linear Classification to Iris

Now it's time to apply newly learned linear classification algorithms. However, be thinking about the following questions before starting, as your apply the algorithms, and as you analyze the results.

- What do we need to do first to the data before running the algorithms?
- How accurate were the linear classifiers on Iris?

How can we quantitatively show this measure of accuracy?

Data Partitioning

For the first question if you're thinking that we still need to partition our data, you're correct! As stated, we still need to split the iris and breast cancer data into a training and testing set, as discussed and practiced last week. Remember, this is to simulate seen (train) and unseen (test) data!

TODO 4

We are going to write a general data splitting function <code>split_iris_data()</code> so we can call it later on in the notebook using any dataset we want!

- 1. Split the passed data data and targets target using Sklearn's train_test_split() function. Store the values into X_train, X_test, t_train, and t_test. Be sure to pass the arguments that correspond to the following descriptions:
 - a. Split the data/targets using a 80/20 split (80% for training and 20% for testing).
 - b. Use a seed of 0 for the random_state. WARNING: If you don't use this seed, you are likely to fail future TODOs even if your code is correct!

```
from sklearn.model selection import train test split
def data_splitting(data, target):
    # TODO 4.1
    X train, X test, t train, t test = train test split(data, target,
test size=0.2, random state=0)
    return X_train, X_test, t_train, t_test
# Notice we pass iris.data to data and iris.target to target!
X train, X_test, t_train, t_test = data_splitting(
    data=iris.data,
    target=iris.target
)
print("Train data shape: {}".format(X_train.shape))
print("Train target shape: {}".format(t train.shape))
print("Test data shape: {}".format(X test.shape))
print("Test target shape: {}".format(t_test.shape))
Train data shape: (120, 4)
Train target shape: (120,)
Test data shape: (30, 4)
Test target shape: (30,)
todo_check([
    ("X_train.shape == (120, 4)", "X_train has the wrong shape"),
("X_test.shape == (30, 4)", "X_test has the wrong shape"),
```

```
("t_train.shape == (120,)", "t_train has the wrong shape"),
   ("t_test.shape == (30,)", "t_test has the wrong shape"),
])
Your code PASSED the code check!
```

Applying the Perceptron Algorithm

The first algorithm we are going to implement is the perceptron algorithm. Recall from our notes that the perceptron algorithm predicts binary classes. The required targets for this algorithm are -1 and 1. This is because the algorithm classifies a data sample as the positive class (target is 1) if the value of the prediction is greater than 0. Likewise, the algorithm classifies a data sample as the negative class (target is -1) if the value of the prediction is less than zero. When the output is exactly zero then it can be unclear to which class the sample belongs to, this is typically a rare event.

We can calculate our prediction by applying the dot product between the current weight vector w and the current data sample vector X_i . \begin{equation} $y = w \cdot x_i \cdot x$

We can update our weight vector by taking the element-wise multiplication between the current scalar target t_i and the current data sample vector x_i and then applying our learning-rate α to scale the weight update. Remember that the sign of t_i represents which direction we need to update our weights in! \begin{equation} w = w + \alpha t_i x_i \tag{2} \end{equation}

References

- https://towardsdatascience.com/perceptron-learning-algorithm-d5db0deab975
 - A good blog post to see how all the parts, linear algebra, and calculus, of the perceptron algorithm come together.

Converting to Binary Classes

Wait a second! How many classes do we have in the iris data? Let's print out the number unique targets below to see how many classes we have. Remember that perceptron only works on binary classification!

Let's confirm how many classes t_train has. First, we are going to make a copy of t_train called t train copy to prevent editing of the original memory locations.

```
t_train_copy = t_train.copy()
np.unique(t_train_copy)
array([0, 1, 2])
```

Oh no! It has three classes. How can we apply binary classifiers when we have three classes?

To get around this issue we usually apply binary classifiers multiple times in a one-vs-another classification format. This means we pick one class say setosa to be the positive class and then combine the remaining classes into a singel class, the negative class. In essences, we are now

trying to determine if a given sample is of the positive class setosa or the negative class, where the negative class is anything but setosa. So, if we wanted to classify all the samples into their exact class we'd have perform the aforementioned idea three times, where each class acts as the postive class and the remaining classes act as the negative class.

For this exercise, we will only focus on classifying our data as setosa or not. Once again, this means that setosa acts as our positive class and the remaining two classes, versicolor and virginica, combine to give us the negative class.

The next few cells represent the code for setting versicolor and virginica to both have the negative class target of -1.

Using the below code we find all locations for the classes versicolor, and virginica. We do so by simply testing for where the targets in t_train_copy are above 1. Remember versicolor corresponds to the target 1 and virginica corresponds to the target 2, so we can simply check for where the targets are greater than or equal to 1!

```
t_train_copy >= 1
               True, False,
array([ True,
                             True,
                                    True, True, False,
                                                          True,
                                                                  True,
        True,
               True, False,
                             True, False, False,
                                                   True,
                                                           True.
                                                                  True.
        True,
               True,
                      True,
                             True,
                                     True,
                                            True,
                                                   True,
                                                          True,
                                                                  True,
        True,
               True,
                      True,
                             True, False,
                                            True,
                                                   True,
                                                           True,
                                                                  True,
               True, False, False, True,
                                            True, False, False,
                                                                  True,
        True,
       False,
               True,
                     True, False,
                                     True,
                                            True,
                                                   True, False,
                                                                  True,
        True,
               True,
                      True, False, False,
                                            True,
                                                   True, False,
                                                                 True,
                      True, False, False,
                                            True, False, False, False,
       False,
               True,
                      True, False, False, False,
               True,
        True,
                                                   True,
                                                          True,
                                                                 False,
       False,
               True, False,
                            True,
                                    True,
                                           True,
                                                   True, False,
                                                                 True,
               True, False, False,
       False.
                                     True, False,
                                                   True,
                                                          True,
                                                                  True.
        True,
               True,
                      True,
                             True,
                                     True, False,
                                                   True,
                                                          True,
                                                                  True,
       False,
                      True,
                                     True, False, False, False,
               True,
                             True,
                                                                  True,
               True, False])
        True.
```

Next, we use the previous code to index t_train_copy only where all the targets are greater than or equal to 1 (this is represented by the 'True' values given in the output above) and then we set these indexed t_train_copy targets to -1.

```
t_train_copy[t_train_copy >= 1] = -1
```

Now let's take a look at what are class targets are now!

```
np.unique(t_train_copy)
array([-1, 0])
```

This is good, we have successfully combined our two classes versicolor and virginica into a single negative class. However, recall that if we want to make a prediction our class targets need to be -1 and 1. This is currently not the case. Let's fix this by setting setosa to have a target of 1, corresponding to the positive class.

```
t train copy == 0
array([False, False, True, False, False, False, True, False, False,
                       False, False, True, False, True, True, False, False
                       False, False, False, True, False, False, False, False,
                       False, False, True, True, False, False, True, True, False,
                          True, False, False, True, False, False, True, False,
                                                                                                                      True, False, False,
                       False, False, True,
                                                                                                                                                                                            True, False,
                                                                                                                      True, False, True, True,
                          True, False, False, True,
                                                                                                                                                                                                                True,
                       False, False, False, True, True, False, False,
                                                                                                                                                                                                                 True,
                          True, False, True, False, False, False, True, False,
                                                                     True, True, False, True, False, False,
                          True, False,
                       False, False, False, False, True, False, False, False,
                          True, False, False, False, True, True, True, False,
                       False, False, True])
t_train_copy[t_train_copy == 0] = 1
```

We can validate our method work by checking the number of unique targets in t_train_copy. As we can see there are now only two targets. One represents our negative class (target equal to -1) which corresponds to versicolor and virginica. The other represents our positive class (target equal to 1) which corresponds to setosa.

```
np.unique(t_train_copy)
array([-1, 1])
```

TODO 5

Let's redo what we did above but now converting our code into a function called convert_targets(). Repeat the above target reassignment for t_train and now for t_test as well.

- 1. Set the versicolor (target 1) and virginica (target 2) classes in t train to -1
- 2. Set the setosa class (target 0) in t train to 1
- 3. Set the versicolor (target 1) and virginica (target 2) classes in t test to -1
- 4. Set the setosa class (target 0) in t test to 1

```
def convert_targets(t_train, t_test):
    """ Convert partitioned targets to binary targets formatted for
the perceptron algorithm.

    Note:
        This operation is an in-place operation which means the
passed data
        values are directly modified when running this function!

"""
```

```
# TODO 5.1
t_train[(t_train == 1) | (t_train == 2)] = -1

# TODO 5.2
t_train[t_train == 0] = 1

# TODO 5.3
t_test[(t_test == 1) | (t_test == 2)] = -1

# TODO 5.4
t_test[t_test == 0] = 1

return t_train, t_test
```

Run the below code cell to test if the convert_targets () function works! You should see two unique targets [-1, 1] for both the training and testing sets!

```
new_t_train, new_t_test = convert_targets(t_train.copy(),
t test.copy())
print("New training targets: {}".format(np.unique(new_t_train)))
print("New test targets: {}".format(np.unique(new t test)))
todo check([
    ("new_t_train.shape == t_train.shape", "new_t_train shape does not
match t train"),
    ("new t test.shape == t test.shape", "new t test shape does not
match t test"),
    ("np.all(np.unique(new_t_train) == [-1, 1])", "new_t_train has
incorrect values"),
    ("np.all(np.unique(new t test) == [-1, 1])", "new t test has
incorrect values"),
])
New training targets: [-1 1]
New test targets: [-1 1]
Your code PASSED the code check!
```

Performing Classification

TODO 6

Let us test the binary converted iris target with Perceptron.

- 1. Create an instance using the proper Sklearn class for running the perceptron algorithm. Store the output into clf.
 - a. Hint: Make sure to import and use the right class. You can find the correct class to import and use by referring to the slides.
- 2. Train the Perceptron model using the X train and t train.

- 3. Evaluate the model by computing the score using the train data X_train and train labels t train. Store the output into train score.
- 4. Evaluate the model by computing the score using the test data X_test and test labels t_test. Store the output into test_score.
- 5. Using clf, make a predictions for the train data X_train. and test data X_test. Store the output inside y_train
- 6. Using clf, make a predictions for the test data X_test. Store the output inside y test

The score() method for classifiers quantifies the results by computing the accuracy as given below:

 $accuracy = \frac{\text{total number of correct classification}}{\text{total number of data samples}}$.

```
# TODO: Import a proper module
from sklearn.linear model import Perceptron
X train, X test, t train, t test = data splitting(iris.data,
iris.target)
convert targets(t train, t test) # Changes values in-place
# TODO 6.1
clf = Perceptron(random state=0)
# TODO 6.2
clf.fit(X_train, t_train)
# TODO 6.3
train score = clf.score(X train, t train)
# TODO 6.4
test score = clf.score(X test, t test)
print("Train Accuracy: {}, Test Accuracy: {}".format(train_score,
test_score))
# TODO 6.5
y train = clf.predict(X train)
# TODO 6.6
y test = clf.predict(X test)
plt.figure(figsize=(12,4))
plt.subplot(121)
# Plot the train labels using the 'ro' marker, y train using the 'bx'
marker.
```

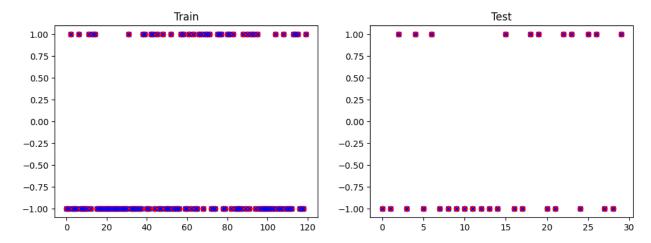
```
plt.plot(t_train, 'ro')
plt.plot(y_train, 'bx')
plt.title("Train")

plt.subplot(122)

# Plot the test labels using the 'ro' marker, y_train using the 'bx'
marker.
plt.plot(t_test, 'ro')
plt.plot(y_test, 'bx')
plt.title("Test")

Train Accuracy: 1.0, Test Accuracy: 1.0

Text(0.5, 1.0, 'Test')
```



```
todo_check([
    ("train_score > .9", "train_score needs to be greater than .9"),
    ("test_score > .9", "test_score needs to be greater than .9"),
])
Your code PASSED the code check!
```

Here, the red dots are the target labels for each sample (indexed by the x-axis). The blue crosses are predictions, so the samples with both markers at the same position represent correct classifications.

```
garbage_collect(['X_train', 'X_test', 't_train', 't_test', 'clf',
'train_score', 'test_score', 'y_train', 'y_test'])
```

Using Sklearn One-vs-Rest

Previously we manually converted the three target classes into two binary classes with the labels -1 and 1 so that they would be compatible with the algorithm Perceptron and binary classification in general.

Well, as we learned in the lecture, the binary classifiers can be easily extended to multi-class classification by using one-vs-rest or one-vs-one manner. Let us practice One-vs-Rest classification using Scikit-Learn which will automatically take care of preparing our targets for a multi-class classification problem.

TODO 7

Sklearn's OneVsRestClassifier class allows us to run multiclass classification by simply wrapping binary classifiers. You can take a look at the reference for more information. As we'll see, for a 3-way classification problem with a binary classifier OneVsRestClassifier will automatically generate 3 classifiers, one for each one-vs-rest problem formulation.

- 1. Create an Sklearn's OneVsRestClassifier which we'll pass as input a instance of Skleanrn's Perceptron class. Store the output into clf.
 - a. Hint: Make sure to import and use the right class. You can find the correct class to import and use by referring to the slides.
- 2. Train the OneVsRestClassifier class instance using the X train and t train.
- 3. Evaluate the model by computing the score using the train data X_train and train labels t_train. Store the output into train_score.
- 4. Evaluate the model by computing the score using the test data X_test and test labels t test. Store the output into test score.
- 5. Using clf, make a predictions for the train data X_train. and test data X_test. Store the output inside y_train
- 6. Using clf, make a predictions for the test data X_test. Store the output inside y test

```
# TODO: Import a proper module
from sklearn.multiclass import OneVsRestClassifier

X_train, X_test, t_train, t_test = data_splitting(iris.data,
iris.target)

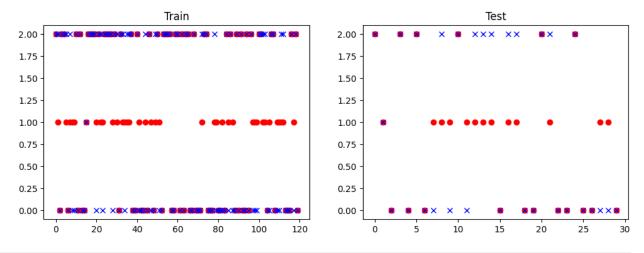
# TODO 7.1
clf = OneVsRestClassifier(Perceptron(random_state=0))

# TODO 7.2
clf.fit(X_train, t_train)

# TODO 7.3
train_score = clf.score(X_train, t_train)

# TODO 7.4
test_score = clf.score(X_test, t_test)
print("Train Accuracy: {}, Test Accuracy: {}".format(train_score,
```

```
test score))
# TODO 7.5
y train = clf.predict(X train)
# TODO 7.6
y test = clf.predict(X test)
plt.figure(figsize=(12,4))
plt.subplot(121)
# Plot the train labels using the 'ro' marker, y train using the 'bx'
marker.
plt.plot(t_train, 'ro')
plt.plot(y_train, 'bx')
plt.title("Train")
plt.subplot(122)
# Plot the test labels using the 'ro' marker, y train using the 'bx'
marker.
plt.plot(t_test, 'ro')
plt.plot(y_test, 'bx')
plt.title("Test")
Train Accuracy: 0.7, Test Accuracy: 0.6
Text(0.5, 1.0, 'Test')
```



```
todo_check([
    ("isinstance(clf, OneVsRestClassifier)", "`clf` is not of type
`OneVsRestClassifier`"),
    ("train_score > .6", "train_score needs to be greater than .6"),
    ("test_score > .5", "test_score needs to be greater than .5"),
])
```

Your code PASSED the code check!

If we quickly print out all variables for the clf model we can see it learns 3 different estimators, one for each class. Each estimator is trained on a different one-vs-rest problem. For example, we can assume the first estimator corresponds to using 0 as the positive label and classes 1 and 2 as the negative label.

```
clf.__dict__
{'estimator': Perceptron(),
   'n_jobs': None,
   'verbose': 0,
   'label_binarizer_': LabelBinarizer(sparse_output=True),
   'classes_': array([0, 1, 2]),
   'estimators_': [Perceptron(), Perceptron(), Perceptron()],
   'n_features_in_': 4}

garbage_collect(['X_train', 'X_test', 't_train', 't_test', 'clf',
   'train_score', 'test_score', 'y_train', 'y_test'])
```

Exploring More Linear Classifiers

Now, let us try all the classifiers that we learned this week to classify the Iris dataset.

TODO 8

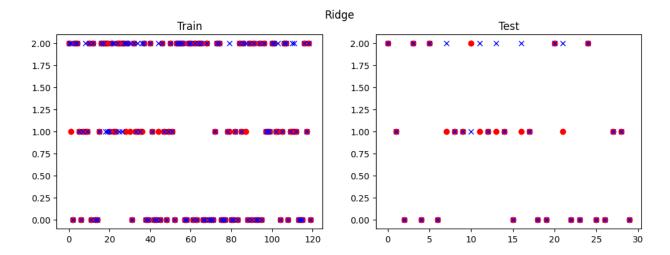
Feel free to reuse code from prior TODOs

- 1. Create instances of each classifier which corresponds to the names in the names list. Not all classifiers will be imported so feel free to import any classifiers you need from Sklearn. Utilize the following instructions to create the 7 classifiers:
 - a. Create a class instance for ridge classification. Store the output into ridge.
 - b. Create a class instance for the perceptron. Store the output into perceptron.
 - c. Create a class instance for stochastic gradient descent (SGD) classification. Store the output into sgd.
 - d. Create a class instance for logistic classification. Store the output into logreg.
 - e. Create a class instance for K-nearest neighbors classification. Store the output into knn.
 - f. Create a class instance for Gaussian Naive Bayes classification. Store the output into nb.
 - g. Hint: Notice all the names of these classifiers correspond to the variables within the clfs list and names list.
- 2. Create an Sklearn's OneVsRestClassifier where we pass the current classifier clf as input. Store the output back into clf.
 - a. Hint: Make sure to import and use the right class. You can find the correct class to import and use by referring to the slides.

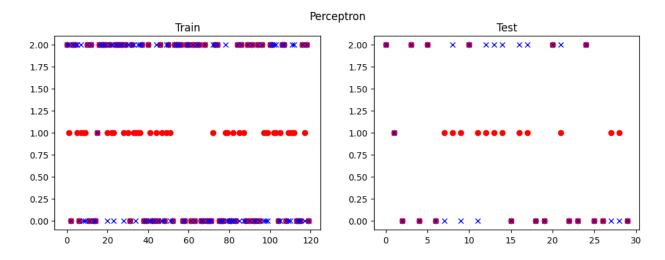
- 3. Train the OneVsRestClassifier class instance using the X train and t train.
- 4. Evaluate the model by computing the score using the train data X_train and train labels t_train. Store the output into train_score.
- 5. Evaluate the model by computing the score using the test data X_test and test labels t test. Store the output into test score.
- 6. Using clf, make a predictions for the train data X_train. and test data X_test. Store the output inside y_train
- 7. Using clf, make a predictions for the test data X_test. Store the output inside y test
- 8. Observing the results and plots for each classifier. What do you think? Is there a best classifier?

```
TODO: Import necessary modules
from sklearn.linear model import RidgeClassifier, Perceptron,
SGDClassifier, LogisticRegression
from sklearn.neighbors import KNeighborsClassifier
from sklearn.naive_bayes import GaussianNB
from sklearn.multiclass import OneVsRestClassifier
import matplotlib.pyplot as plt
from sklearn import datasets
X_train, X_test, t_train, t_test = data_splitting(iris.data,
iris.target)
# TODO 8.1
ridge = RidgeClassifier()
perceptron = Perceptron()
sqd = SGDClassifier()
logreg = LogisticRegression()
knn = KNeighborsClassifier()
nb = GaussianNB()
# list of algorithms to test
clfs = [ ridge, perceptron, sgd, logreg, knn, nb]
# list of algorithm names
names = ["Ridge", "Perceptron", "SGD", "Logistic Regression", "kNN",
"Naive Bayes"]
# Loop through classifiers defined above
for name, clf in zip(names, clfs):
    print("{:=^50s}".format(name))
    # TODO 8.2
    clf = OneVsRestClassifier(clf)
```

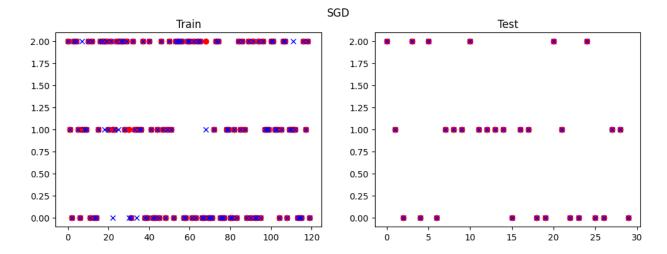
```
# TODO 8.3
    clf.fit(X train, t train)
    # TODO 8.4
    train_score = clf.score(X_train, t_train)
    # TODO 8.5
    test_score = clf.score(X_test, t_test)
    print(f"Train Accuracy: {train_score}\nTest Accuracy:
{test_score}")
    # TODO 8.6
    y_train = clf.predict(X_train)
    # TODO 8.7
    y_test = clf.predict(X_test)
    plt.figure(figsize=(12,4))
    plt.subplot(121)
    plt.plot(t_train, 'ro')
plt.plot(y_train, 'bx')
plt.title("Train")
    plt.subplot(122)
    plt.plot(t_test, 'ro')
plt.plot(y_test, 'bx')
    plt.title("Test")
    plt.suptitle(name)
    plt.show()
   Train Accuracy: 0.85833333333333333
Test Accuracy: 0.8
```



Train Accuracy: 0.7 Test Accuracy: 0.6



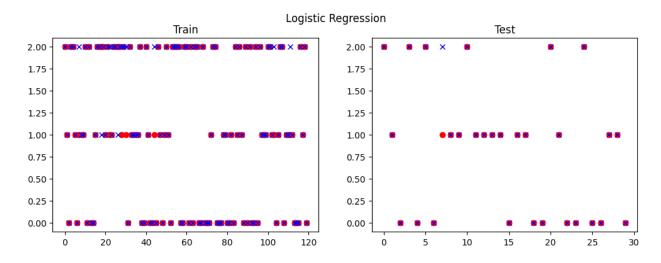
Test Accuracy: 1.0



=======Logistic Regression========

Train Accuracy: 0.925

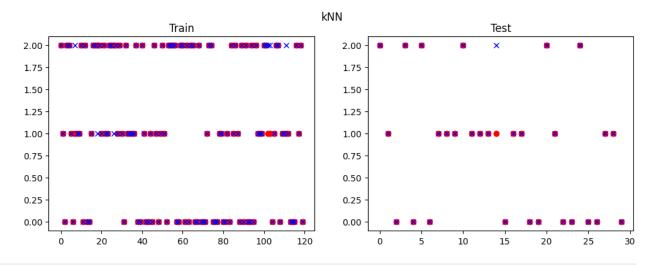
Test Accuracy: 0.966666666666667

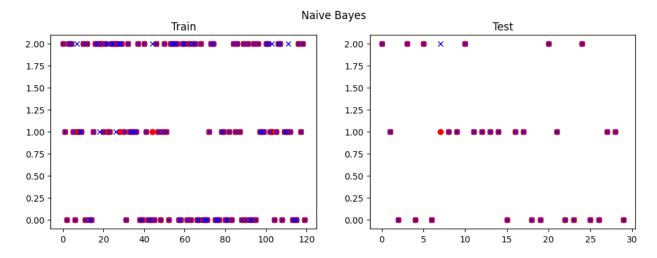


=========kNN=======================

Train Accuracy: 0.95

Test Accuracy: 0.966666666666667





T0D0 8.8 Observing the results and plots for each classifier. What do you think? Is there a best classifier?

DO NOT WRITE YOUR ANSWER IN THIS CELL!

ANSWER: SGD beacuse it has the highest test accuracy

Wait a second, some of the classifiers we defined above can inherently deal with multi-class classification problems without the one-vs-rest wrapper. Let's try using just these multi-class classifiers without the one-vs-rest wrapper to see how they preform.

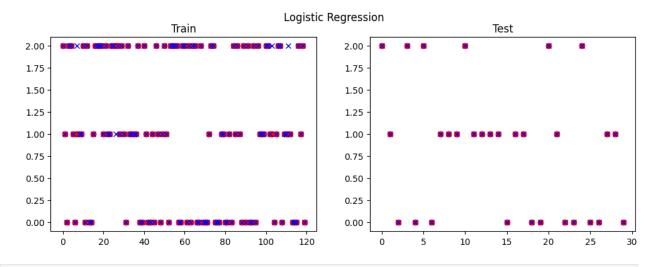
TODO 9

Feel free to reuse code from prior TODOs

- 1. From the following classifiers select the **4** that can inherently deal with multi-class classification problems: "Ridge", "Perceptron", "SGD", "SVM", "Logistic Reg", "kNN", "Naive Bayes". Once selected, create instances of each classifier in a list where each element of the list corresponds to a classifier, as done for clfs in TODO 8. Store the output into clfs.
- 2. Create the corresponding names list where each element is a string name for the classifier you defined in TODO 9.1. Store the output into names.
 - a. Hint: See TODO 8. names should defined similarly to names in TODO 8 but 4 elements only of course.
- 3. Train the current classifier clf class instance using the X_train and t_train.
- 4. Evaluate the model by computing the score using the train data X_train and train labels t train. Store the output into train score.
- 5. Evaluate the model by computing the score using the test data X_test and test labels t_test. Store the output into test_score.
- 6. Using clf, make a predictions for the train data X_train. and test data X_test. Store the output inside y_train
- 7. Using clf, make a predictions for the test data X_test. Store the output inside y_test
- 8. Observing the results and plots for each classifier. Now, what do you think? Is there a new best classifier?

```
from sklearn.svm import SVC
# TODO 9.1
logreg = LogisticRegression(max iter=200) # increased to 200 for
convergence
knn = KNeighborsClassifier()
nb = GaussianNB()
svm = SVC(probability=True) # allowed for prob estimates
clfs = [logreg, knn, nb, svm]
# TODO 9.2
names = ["Logistic Regression", "kNN", "Naive Bayes", "SVM"]
for name, clf in zip(names, clfs):
    print("{:=^50s}".format(name))
    # TODO 9.3
    clf.fit(X train, t train)
    # TODO 9.4
    train score = clf.score(X_train, t_train)
```

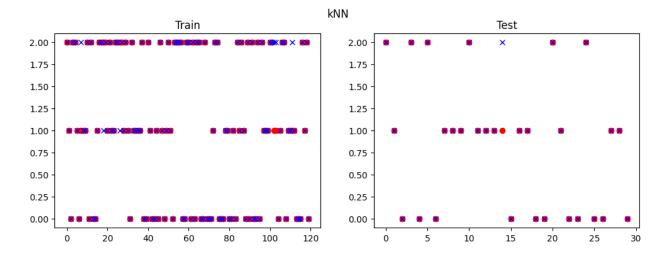
```
# TODO 9.5
   test_score = clf.score(X_test, t_test)
    print(f"Train Accuracy: {train score}\nTest Accuracy:
{test score}")
   # TODO 9.6
   y train = clf.predict(X train)
   # TODO 9.7
   y_test = clf.predict(X_test)
   plt.figure(figsize=(12,4))
   plt.subplot(121)
   plt.plot(t_train, 'ro')
   plt.plot(y_train, 'bx')
   plt.title("Train")
   plt.subplot(122)
   plt.plot(t_test, 'ro')
   plt.plot(y_test, 'bx')
   plt.title("Test")
   plt.suptitle(name)
   plt.show()
======Logistic Regression========
Train Accuracy: 0.966666666666667
Test Accuracy: 1.0
```



============kNN===================

Train Accuracy: 0.95

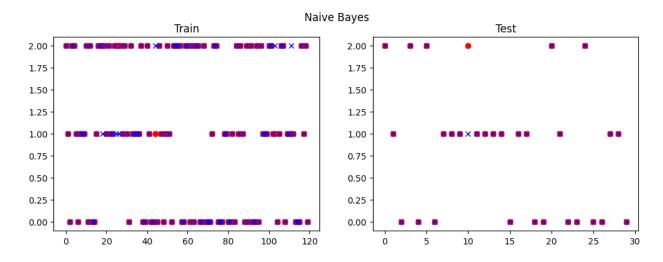
Test Accuracy: 0.966666666666667



==========Naive Bayes===========

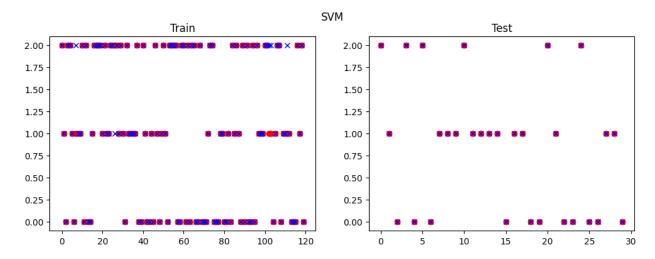
Train Accuracy: 0.95

Test Accuracy: 0.966666666666667



Train Accuracy: 0.9583333333333334

Test Accuracy: 1.0



T0D0 9.8 Observing the results and plots for each classifier. Now, what do you think? Is there a new best classifier?

DO NOT WRITE YOUR ANSWER IN THIS CELL!

ANSWER: Logistic Regression

```
garbage_collect(['X_train', 'X_test', 't_train', 't_test', 'clf',
'train_score', 'test_score', 'y_train', 'y_test'])
```

Breast Cancer Detection

Now, let us apply all the classifiers to breast cancer detection problem. This problem is binary classification, so we do not need multi-class conversion.

TODO 10

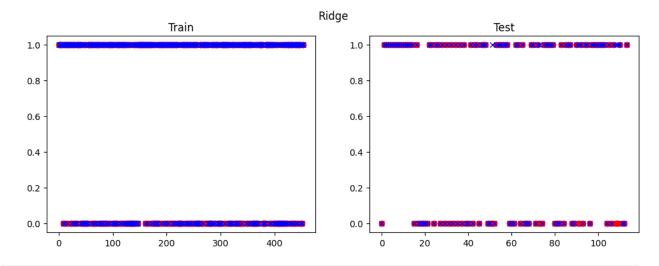
Feel free to reuse code from prior TODOs

- 1. Split the cancer data by utilizing the data_splitting() function and the cancer variable. Store the outputs into X_train, X_test, t_train, t_test.
- 2. Create instances of each classifier which corresponds to the names in the names list. Not all classifiers will be imported so feel free to import any classifiers you need from Sklearn. Utilize the following instructions to create the 7 classifiers:
 - a. Create a class instance for ridge classification. Store the output into ridge.
 - b. Create a class instance for the perceptron. Store the output into perceptron.
 - c. Create a class instance for stochastic gradient descent (SGD) classification. Store the output into **sgd**.
 - d. Create a class instance for logistic classification. Store the output into logreg.
 - e. Create a class instance for K-nearest neighbors classification. Store the output into knn.

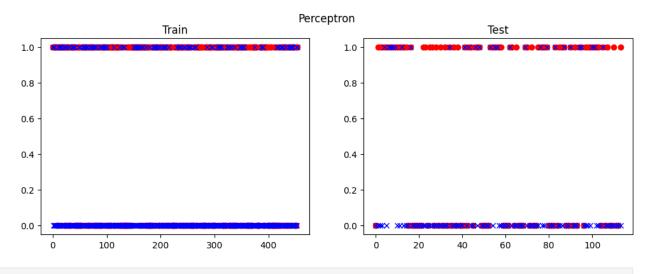
- f. Create a class instance for Gaussian Naive Bayes classification. Store the output into nb.
- g. Hint: Notice all the names of these classifiers correspond to the variables within the clfs list and names list.
- 3. Train the current classifier instance clf using the X train and t train.
- 4. Evaluate the model by computing the score using the train data X_train and train labels t train. Store the output into train score.
- 5. Evaluate the model by computing the score using the test data X_test and test labels t_test. Store the output into test_score.
- 6. Using clf, make a predictions for the train data X_train. and test data X_test. Store the output inside y train
- 7. Using clf, make a predictions for the test data X_test. Store the output inside y_test
- 8. Create a bar plot that compares the train and test accuracies of all the algorithms.
 - a. Hint: train_accs stores the train accuracies for each model and test_accs stores the test accuracies for each model.
- 9. Observing the results and plots for each classifier. What do you think? Is there a best classifier?

```
# TODO 10.1
cancer = load breast cancer()
X train, X test, t train, t test = data splitting(cancer.data,
cancer.target)
# TODO 10.2
ridge = RidgeClassifier()
perceptron = Perceptron()
sqd = SGDClassifier()
logreg = LogisticRegression(max iter=10000)
knn = KNeighborsClassifier()
nb = GaussianNB()
svm = SVC(probability=True)
clfs = [ ridge, perceptron, sgd, svm, logreg, knn, nb]
names = ["Ridge", "Perceptron", "SGD", "SVM", "LogReg", "kNN",
"NaiveBayes"]
train accs = []
test accs = []
for name, clf in zip(names, clfs):
    print("{:=^50s}".format(name))
```

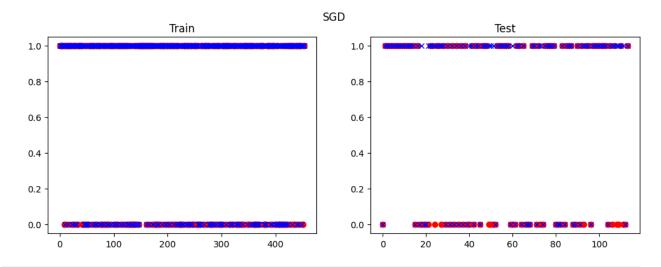
```
# TODO 10.3
   clf.fit(X_train, t_train)
   # TODO 10.4
   train_score = clf.score(X_train, t_train)
   # TODO 10.5
   test score = clf.score(X test, t test)
   print(f"Train Accuracy: {train score}\nTest Accuracy:
{test_score}")
   # TODO 10.6
   y train = clf.predict(X train)
   # TODO 10.7
   y test = clf.predict(X test)
   # Track each model/classifier's train and test accuracy
   train accs.append(train score)
   test_accs.append(test_score)
   plt.figure(figsize=(12,4))
   plt.subplot(121)
   plt.plot(t train, 'ro')
   plt.plot(y_train, 'bx')
plt.title("Train")
   plt.subplot(122)
   plt.plot(t_test, 'ro')
   plt.plot(y_test, 'bx')
plt.title("Test")
   plt.suptitle(name)
   plt.show()
Train Accuracy: 0.9582417582417583
Test Accuracy: 0.956140350877193
```



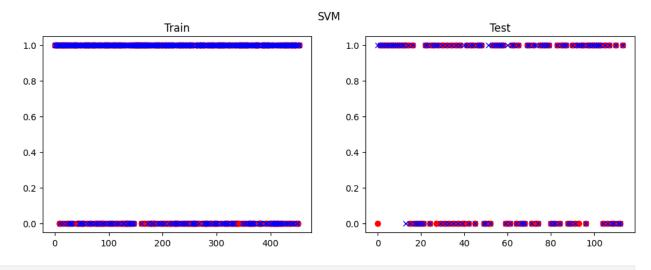
Train Accuracy: 0.589010989010989 Test Accuracy: 0.6491228070175439



Train Accuracy: 0.8989010989010989 Test Accuracy: 0.868421052631579

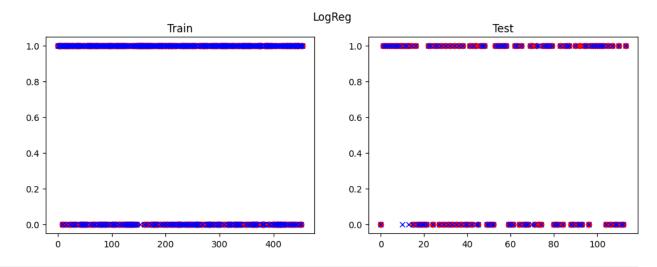


Train Accuracy: 0.9098901098901099 Test Accuracy: 0.9298245614035088

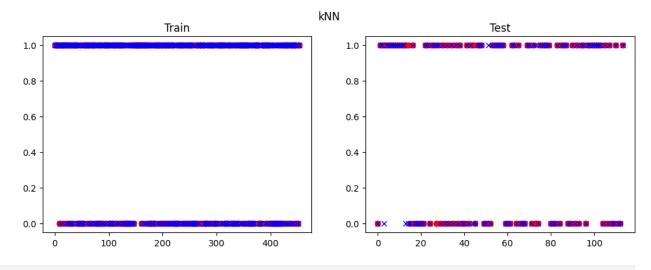


=========LogReg===============

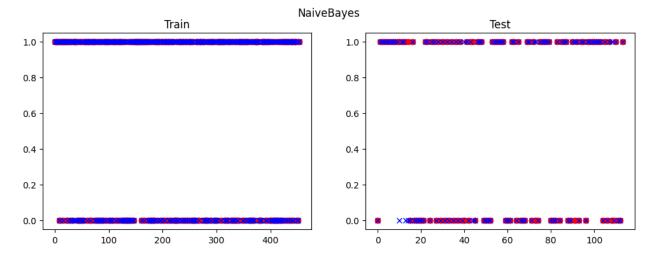
Train Accuracy: 0.9626373626373627 Test Accuracy: 0.9473684210526315



Train Accuracy: 0.9494505494505494 Test Accuracy: 0.9385964912280702



Train Accuracy: 0.9472527472527472 Test Accuracy: 0.9298245614035088



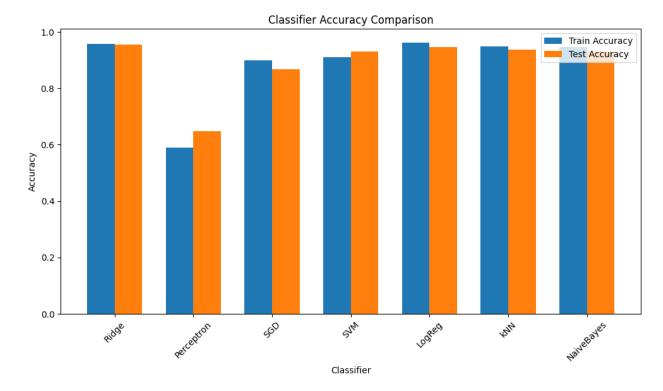
Add bar plot for T0D0 10.8 below.

```
# TODO 10.8
index = np.arange(len(names))
bar_width = 0.35

plt.figure(figsize=(10, 6))
train_bar = plt.bar(index, train_accs, bar_width, label='Train
Accuracy')
test_bar = plt.bar(index + bar_width, test_accs, bar_width,
label='Test Accuracy')

plt.xlabel('Classifier')
plt.ylabel('Accuracy')
plt.title('Classifier Accuracy Comparison')
plt.xticks(index + bar_width / 2, names, rotation=45)
plt.legend()

plt.tight_layout()
plt.show()
```



T0D0 10.9 Observing the results and plots for each classifier. What do you think? Is there a best classifier?

DO NOT WRITE YOUR ANSWER IN THIS CELL!

ANSWER: Ridge because it has the clossest and highest test and train accuracy

Extra Credit:

Repeat TODO 10 on the Maternal Health Risk Dataset (Download here).

You are free to use any visualizations of your choice. Implement the above algorithms and write your observations on it. Comment on the accuracies that you've achieved on training these models on this dataset. Explore various parameters to increase the accuracies and comment on them.

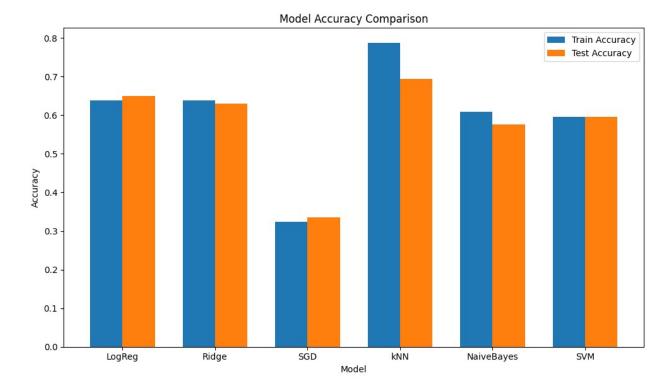
Note: Make sure to preprocess the data before starting model training and evaluation processes.

```
import pandas as pd
from sklearn.model_selection import train_test_split
from sklearn.preprocessing import LabelEncoder

df = pd.read_csv('Maternal Health Risk Data Set.csv')
print(df.info())
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 1014 entries, 0 to 1013
Data columns (total 7 columns):
                  Non-Null Count
     Column
                                  Dtype
 0
                  1014 non-null
                                  int64
     Age
    SystolicBP 1014 non-null
1
                                  int64
    DiastolicBP 1014 non-null
 2
                                  int64
 3
     BS
                  1014 non-null
                                  float64
4
     BodyTemp
                  1014 non-null
                                 float64
5
                  1014 non-null
                                  int64
     HeartRate
     RiskLevel
                  1014 non-null
                                  object
dtypes: float64(2), int64(4), object(1)
memory usage: 55.6+ KB
None
label encoder = LabelEncoder()
df['RiskLevel'] = label encoder.fit transform(df['RiskLevel'])
X = df.drop('RiskLevel', axis=1)
y = df['RiskLevel']
X train, X test, t train, t test = train test split(X, y,
test_size=0.2, random_state=42)
from sklearn.linear model import LogisticRegression, RidgeClassifier,
SGDClassifier
from sklearn.neighbors import KNeighborsClassifier
from sklearn.naive bayes import GaussianNB
from sklearn.svm import SVC
logreg = LogisticRegression(max iter=10000)
ridge = RidgeClassifier()
sqd = SGDClassifier()
knn = KNeighborsClassifier()
nb = GaussianNB()
svm = SVC(probability=True)
clfs = [logreg, ridge, sgd, knn, nb, svm]
names = ["LogReg", "Ridge", "SGD", "kNN", "NaiveBayes", "SVM"]
train accs = []
test accs = []
for name, clf in zip(names, clfs):
    clf.fit(X train, t train)
    train score = clf.score(X train, t train)
    test score = clf.score(X_test, t_test)
    train accs.append(train score)
```

```
test accs.append(test score)
    print(f"{name} - Train Accuracy: {train score}, Test Accuracy:
{test score}")
LogReg - Train Accuracy: 0.6374845869297164, Test Accuracy:
0.6502463054187192
Ridge - Train Accuracy: 0.6374845869297164, Test Accuracy:
0.6305418719211823
SGD - Train Accuracy: 0.3242909987669544, Test Accuracy:
0.33497536945812806
kNN - Train Accuracy: 0.7866831072749692, Test Accuracy:
0.6945812807881774
NaiveBayes - Train Accuracy: 0.6091245376078915, Test Accuracy:
0.5763546798029556
SVM - Train Accuracy: 0.5955610357583231, Test Accuracy:
0.5960591133004927
import matplotlib.pyplot as plt
import numpy as np
index = np.arange(len(names))
bar width = 0.35
plt.figure(figsize=(10, 6))
plt.bar(index, train accs, bar width, label='Train Accuracy')
plt.bar(index + bar width, test accs, bar width, label='Test
Accuracy')
plt.xlabel('Model')
plt.ylabel('Accuracy')
plt.title('Model Accuracy Comparison')
plt.xticks(index + bar width / 2, names)
plt.legend()
plt.tight layout()
plt.show()
```



Comment on the accuracies that you've achieved on training these models on this dataset. Comment on the parameters you used to increase the accuracies. If you dont find an increase, you may suggest any better algorithms that work best on this data. Make sure you train and test these models on the dataset in the place for code above.

ANSWER: Logistic Regression and Ridge both have accuraciess around 64% and SVM having an accuracy around 60% how ever the bestassucarcy would have to be kNN with a 79% accuracy on the training set and 69% accuracy on the test set.

Feedback (3 point)

Did you enjoy the lab?

Please take time to answer the following feedback qustions to help us further improve these labs! Your feedback is crucial to making these labs more useful!

How do you rate the overall experience in this lab? (5 likert scale. i.e., 1 - poor ... 5 - amazing)
 Why do you think so? What was most/least useful?

ANSWER 5

 What did you find difficult about the lab? Were there any TODOs that were unclear? If so, what specifically did not make sense about it?

ANSWER N/A

Which concepts, if any, within the lab do you feel could use more explanation?

ANSWER N/A