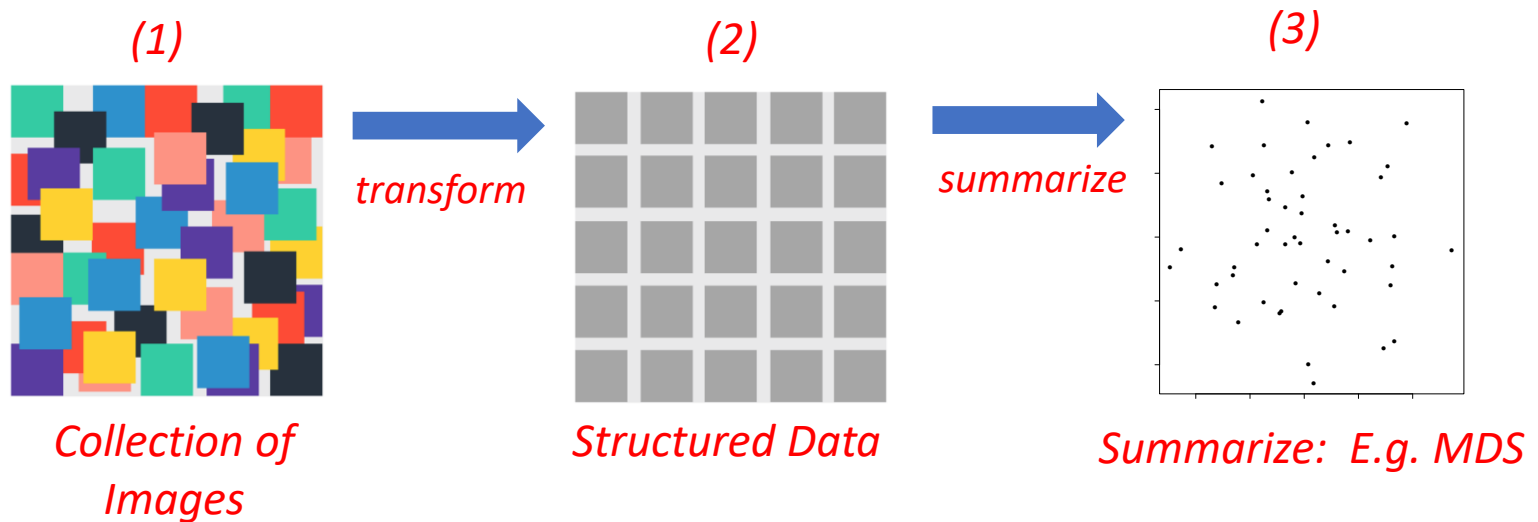


Review: Image Analytics

- Images are unstructured observations in the collection
- Rely on critical thinking to transform and summarize



Transforming Images to Structured Datasets

- Feature approach:
 - Consider a list of all features that *could* be in images
 - E.g., Tree, Beach, Animal, Human, House, Flower, etc.
 - Humans go through images, 1 by 1, to look for features
 - Image analyses are based on feature lists
 - Analogy:
 - Subjective lexicon is to Text Analytics *as* Feature list is to Image Analytics
- Pixel approach:
 - Automate processing of images to structured data via information of each pixel
 - TODAY

Transform to structured data via pixel approach

- 1 image is $n \times m$ pixels
- Define the amount of a *specific* color in each pixel:
- Pixel Matrix:

$p_{11}, p_{12}, \dots, p_{1m}$

$p_{21}, p_{22}, \dots, p_{2m}$

..

$p_{n1}, p_{n2}, \dots, p_{nm}$

p_{11}	p_{12}	p_{13}	p_{1m}
p_{21}	p_{22}	p_{23}	p_{2m}
p_{n1}	p_{n2}	p_{n3}	p_{nm}

- Vectorize: $[p_{11}, p_{12}, \dots, p_{1m}, p_{21}, p_{22}, \dots, p_{2m}, \dots, p_{n1}, p_{n2}, \dots, p_{nm}]$

Transform to structured data via pixel approach (cont)

- Stack the vectorized matrices together to make one dataset.
- Each row represents one image (i.e., observation); let N represent the number of images being analyzed.
- Each column represents one color for one pixel; i.e., one variable = one color for one pixel
- If considering ONE color, the dimension of the data is $N \times (nm)$
 - N images
 - n rows of pixels in an image
 - m columns of pixels in an image

[illegible]

Transform via pixel approach (cont)

- If considering, say, three colors (e.g., RGB), the dimension of the data is $N \times (3nm)$
 - N images
 - n rows of pixels in an image
 - m columns of pixels in an image Dimension
 - 3 colors per pixel, thus pixel columns repeated 3 times

[illegible]

Transform via pixel approach (cont)



- If considering a movie that is compiled from, say, 10 (static) snapshots the dimension data dimension is $N \times (30nm)$
 - N *movies* with 10 images each
 - n rows of pixels in an image
 - m columns of pixels in an image Dimension
 - 3 colors per pixel, thus pixel columns repeated 3 times
 - 10

[illegible]


Anatomy of Images (pixel approach)

- Pixels: x-axis (m columns) and y-axis (n rows)
- Number of pixels = nm
- One image has nm pixels
- One movie has nm pixels per depth
 - Static images = 1 depth
 - Movie > 1 deep
- Define amount or “intensity” of color(s) in each pixel
- Color Spectrum (selected by you or image-creator):
 - RGB: Red, Blue, Green (primary colors for light)
 - CMYK: Cyan, Magenta, Yellow, Black (primary colors for pigment)
 - Gray Scale
 - “Amount of each color”

Defining color per pixel

- One color (e.g., aqua, tangerine, violet) is defined by combinations of “primary” colors in a color spectrum
- E.g., If the color spectrum is RGB, we define  with specifying amounts red, green and blue.
- How do we specify amounts? A: Balance computer constraints with levels or “intensities” of color
- Primary colors are coded with 8 bits each, thus
 - $2^8=256$ different “intensities” of primary color (PC) to specify
 - E.g., 0 = None of the primary color
 - E.g., 255 = Maximum amount/ intensity of the primary color
- Ex. 
 - Red: 196
 - Green: 60
 - Blue: 90

Example Static image with RGB

- R, however, uses a scale from 0-1.
 - Maps $[0, 255] \rightarrow [0, 1]$
 - $[0/255, 1/255, \dots, 255/255] \rightarrow [0, 0.00392, \dots 1]$
- Ex. 
 - Red: $196/255 = 0.7686$
 - Green: $60/255 = 0.2353$
 - Blue: $90/255 = 0.3529$
- With RGB, one image has three color-matrices:
 - Red-matrix, Green-matrix, Blue-matrix
- I.e., one image is described by an *array* of 3 matrices

Elements of images in R

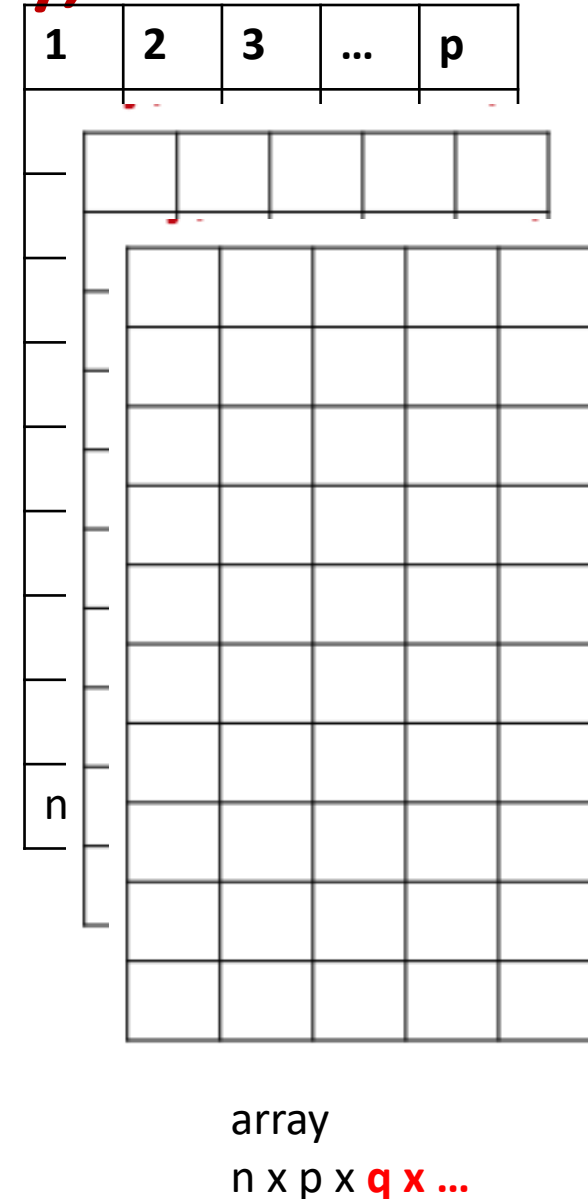
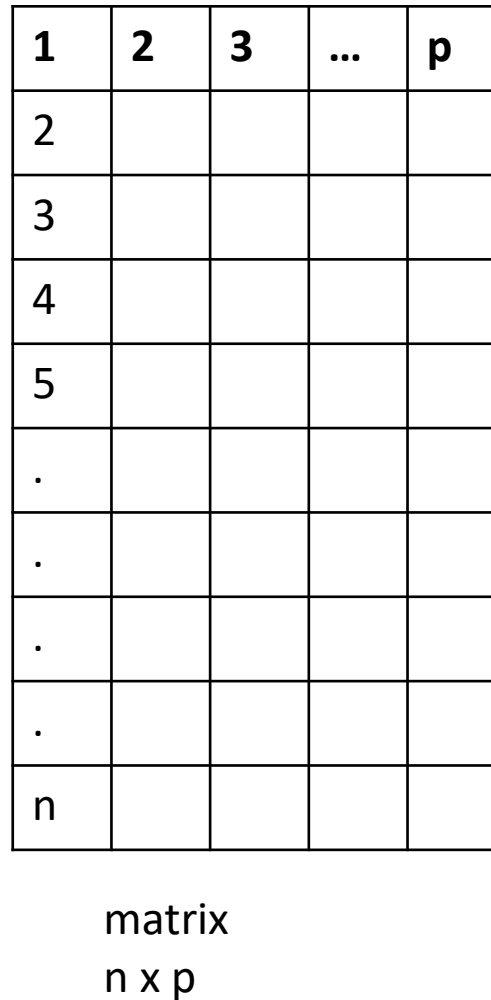
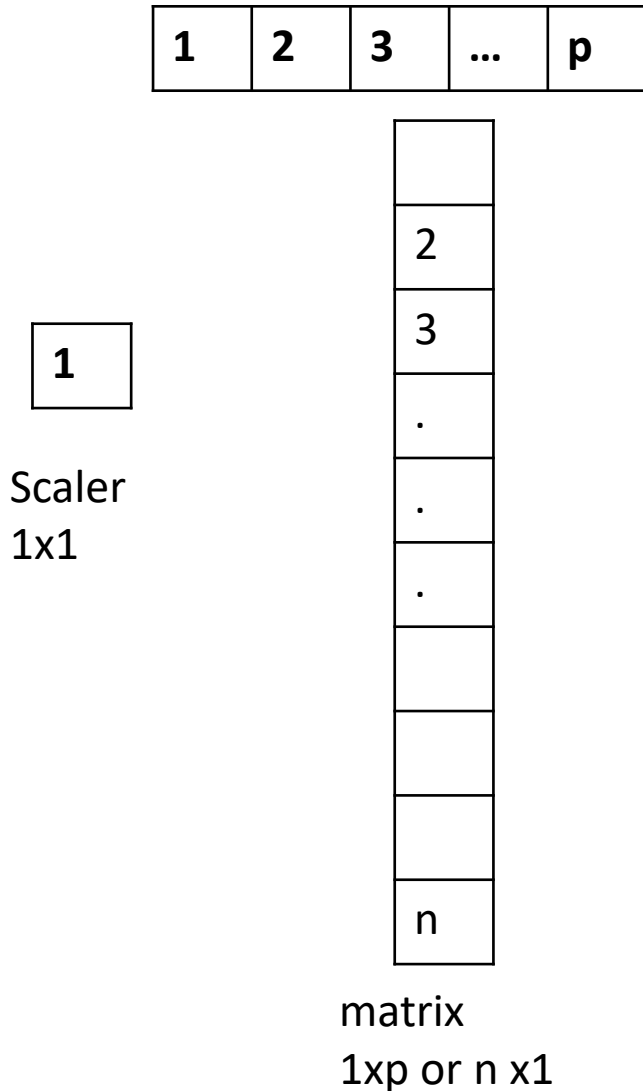
- `library(imager)`
- An image has the following dimensions
Columns x #rows x Depth x #Shades
- Static images have `depth=1`
Columns x # rows x 1 x #Shades
- RGB images
Columns x # rows x 1 x 3
- CMYK images
Columns x # rows x 1 x 4

Array, matrix, vector, scaler

In words

- Scaler: 1 number
- Vector: a vertical or horizontal sequence of scalars
- Matrix: 1 or more vectors
- Array: 1 or matrices

Scaler, vector, matrix, array,



Notice relationships

- Matrix is a special case of
 - an array: $n \times p \times 1$
- Vector is a special case of
 - a matrix: $1 \times p$ or $p \times 1$
 - an array: $1 \times p \times 1$ or $n \times 1 \times 1$
- Scaler is a special case of
 - a vector: 1×1
 - a matrix: 1×1
 - an array: $1 \times 1 \times 1$

Math Operations

- Simple operations: \times , \div , $+$, $-$
- Math
 - $+$, $-$: for objects of SAME dimension vectors, element by element in the object
 - Ex
 - \times, \div : for *scalars* with vectors, matrices, arrays.
 - Ex
 - \times, \div : for objects of SAME dimension vectors, element by element in the object
 - Technically, we call element-wise \times, \div of matrices, the *Hadamard* product or quotient

In R, we can create one from others

- vectorize a matrix
- Put a vector back into a matrix
- Under some conditions, we can merge levels in an array into one matrix
- Or we can spit up a matrix to add dimensions in an array