Query Optimization

Whenever we want to improve the efficiency of a query, make it execute faster and consume fewer resources we use query optimization techniques.

Optimizing SQL queries is essential for improving the performance of database applications

1.Use Indexes Efficiently: Index the columns frequently used in WHERE, JOIN, ORDER BY, and GROUP BY clauses to speed up data retrieval.

2.Select Only Necessary Columns: Avoid SELECT*, specify only the columns you need in your query. This reduces the amount of data transferred and processed.

Query Optimization

- **3. Optimize JOIN Operations :** Choose the Right JOIN Type and use indexed columns in Join conditions.
- **4. Partition Large Tables:** For very large tables, consider partitioning them to improve query performance. Partitioning allows the DBMS to scan only relevant partitions, reducing I/O and improving response times.
- **5. Cache results**: Cache the results of frequently executed queries to avoid redundant calculations.

Physical Storage And File Organization

Physical Storage

Storage device: For storing the data, there are different types of storage options available.

- Primary Storage -> Main memory and cache (fastest and expensive and as soon as the system leads to a power cut or a crash, the data also get lost.)
- Secondary Storage -> Flash Memory and Magnetic Disk Storage (non-volatile)save and store data permanently.
- Tertiary Storage-> Optical disk and Magnetic tape (used for data backup and storing large data offline)

Physical Storage And File Organization

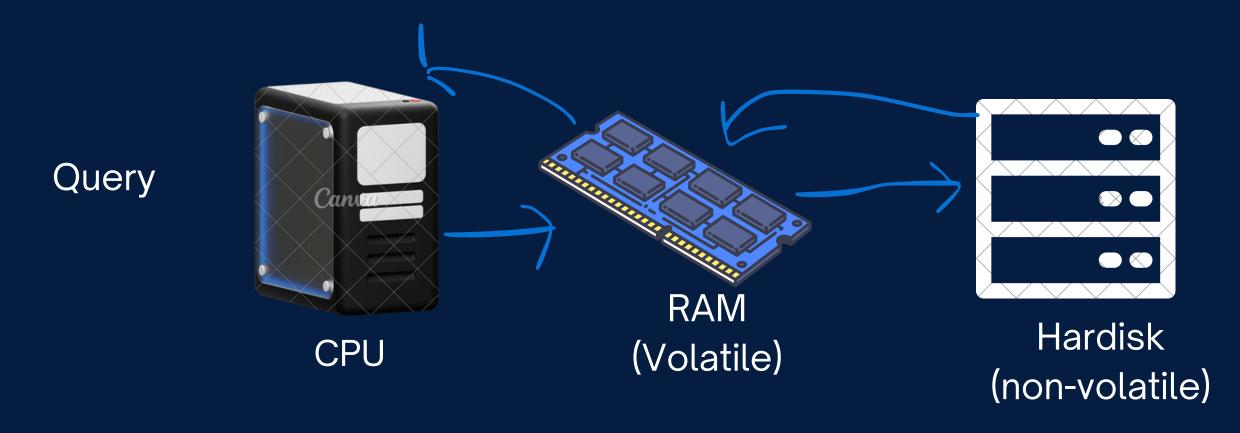
Databases store data in files on disk. Each table or index may correspond to one or more files. Each file has sequence of records.

Accessing data from RAM is much faster than accessing data from a hard disk or SSD. This is because RAM is designed for high-speed read and write operations. Data retrieval in RAM typically involves fetching data in nanoseconds.

- RAM: Provides fast, volatile memory for quick data retrieval. Data is accessed via addressable locations and cache memory enhances speed.
- Hard Disk: Provides slower, non-volatile storage with mechanical components that impact access speed. Data retrieval involves moving the read/write head and waiting for disk rotation.

Physical Storage And File Organization

When a program or application needs to access data, it first checks if the data is available in RAM. If the data is not in RAM, it must be loaded from a slower storage device like a hard disk or SSD. Index files in a Database Management System (DBMS) are stored on disk but are also managed in RAM to optimize performance



Physical Storage And File Organization

How file is organized?

Rollno	Snam e	SAge
DB		



Files are allocated on the hard disk in contiguous blocks to reduce fragmentation.

HARDISK

No of records stored in each block= Size of block/size of record Records can be stored in 2 ways-> sorted(seraching is fast) or unsorted(searching is slow, insertion is fast)

Indexing and its types

Why do we need indexing? Imagine you have a 1,000-page textbook and you want to serach a topic "xyz".

- When indexing is not present-> You need to manually search for each term in the book, which could be frustrating and time-consuming.
- When indexing is present->The index allows you to quickly locate each topic.
 You can look up "xyz," find that it's covered on pages 448-490. This makes it more efficient and less time-consuming.

Indexing is a critical technique in database management that significantly improves the performance of query operations by minimizing the no of disk access. Index table is always sorted

Indexing and its types

Why do we need indexing?

• In the same way how we have used indexing in book, it helps us to find specific records or data entries in a large table or dataset.

Search key	Data acccess
It is used to find the record	It contains the address where the data item is stored in memory for the provided search key

It helps in **Index table** set of pointer finding what a holding address user is looking of a block for

Indexing and its types

How it helps?

- Improved Query Performance: Indexes allow the database management system (DBMS) to locate and retrieve data much more quickly than it could by scanning the entire table.
- Indexes can be used to optimize queries that sort data (ORDER BY) or group data (GROUP BY): When an index is available on the columns being sorted or grouped, the DBMS can retrieve the data in the desired order directly from the index, eliminating the need for additional sorting operations.
- We have certain indexing methods like Dense(index entry for all the records) and Sparse(index entries for only a subset of records) index.

Indexing and its types

Sparse Index: A sparse index is a type of database indexing technique where the index does not include an entry for every single record in the database. Instead, it contains entries for only some of the records, typically one entry per block (or page) of data in the storage. This makes sparse indexes smaller and faster to search through compared to dense indexes, which have an entry for every record.

It is used when we have an ordered data set.

EX: If a table has 1,000 rows divided into 100 blocks, and you create a sparse index, the index might only have 100 entries, with each entry pointing to the first record in each block.

Index table

Search key	data ref
1	B1
4	B2

Sparse Index no of records in index file=no of blocks

1 Ram 2 Shyam 3	B1
4 5 6	B2

disk

RollNo	Name
1	Ram
2	Shyam
3	Raghu
4	Riti
5	Raj
6	Rahul

How Sparse Indexing Works:

- **Primary Index:** Sparse indexes are often used with primary indexes, where the table is sorted on the indexed column. The sparse index only includes an entry for the first record in each block or page.
- Searching: When searching for a specific value, the database uses the sparse index to quickly locate the block where the record might reside. It then searches within the block to find the exact record.

Disadvantages of Sparse Indexes

- Additional I/O Operations: After using the index to find the correct block, an additional search within the block is required to find the specific record.
- Less Efficient for Random Access: If queries often need to retrieve random, non-sequential records, a dense index might be more efficient.

Index table

Search key	data ref
1	B1
4	B2

Sparse Index no of records in index file=no of blocks

1 2 3	B1
4 5 6	B2

disk

RollNo	Name
1	Ram
2	Shyam
3	Raghu
4	Riti
5	Raj
6	Rahul

Use Cases:

- Primary Indexing on Large Tables: Sparse indexes are ideal for primary indexes on large tables where records are sequentially stored.
- Range Queries: Sparse indexes can be effective for range queries where the query needs to retrieve a range of records rather than a single record.

Indexing and its types

Dense Index: A dense index is a type of indexing technique used in databases where there is an index entry for every single record in the data file. This means that the index contains all the search keys and corresponding pointers (or addresses) to the actual data records, making it highly efficient for direct lookups.

It is used when we have an un-ordered data set.

EX : Consider a table with 1,000 rows, and you create a dense index on a non-primary key column. The dense index will have no ofunique non key records, each pointing to a specific row in the table.

These are useful in scenarios where random access to individual records is quiet frequent.

Search key	data ref
18	B1
19	B1
20	B2
21	B2

no	OV	† 3		
	ex	La	U	

18 Ram 18. Shyam 19	B1
20 20 21	B2

Dense Index
no of records in index file=no
of blocks unique non key
records

Age	Name
18	Ram
18	Shyam
19	Raghu
20	Riti
20	Raj
21	Rahul

How Dense Indexing Works:

In a dense index, each index entry includes:

- A search key (the value of the indexed column).
- A pointer (or address) to the actual record in the data file.

When a query searches for a specific value, the database uses the dense index to quickly locate the corresponding record.

Disadvantages of Dense Indexes

• Storage Intensive: Requires significant storage space because it maintains an entry for every record in the table.

	Search key	data ref
	18	B1
	19	B1
e	20	B2
	21	B2

Index table

18 Ram 18. Shyam 19	B1
20 20 21	B2

Dense Index no of records in index file=no of blocks unique non key records

Age	Name
18	Ram
18	Shyam
19	Raghu
20	Riti
20	Raj
21	Rahul

• Maintenance Overhead: Inserting, updating, or deleting records requires updating the dense index, which can be costly in terms of performance, especially for large tables.

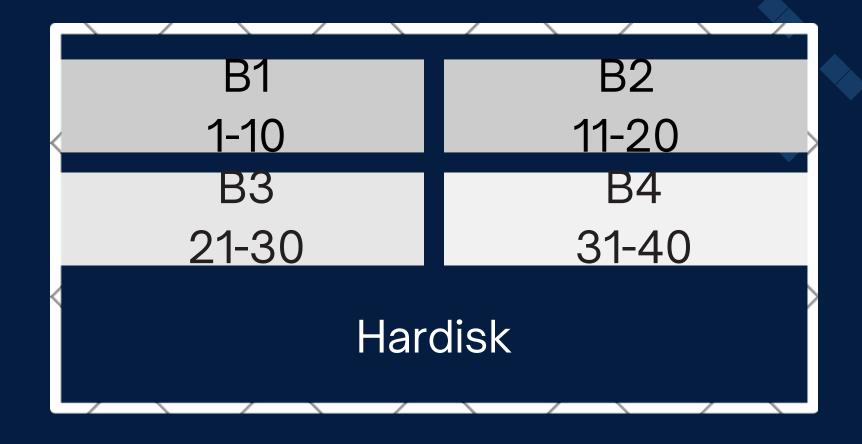
Use Cases:

- **Primary Indexing:** Dense indexes are often used for primary indexing when the table is small to medium-sized, and quick access to individual records is required.
- Exact Match Queries: Ideal for situations where queries frequently request individual records based on an exact key match.

Indexing and its types

Index table

Search key	data ref
1	B1
11	B2
21	B3



When a query is run, the database engine checks the index to find the pointers to the rows that contain the desired data. It then retrieves these rows directly, without scanning the entire table.

Indexing and its types

How indexing works?

It takes a search key as input and then returns a collection of all the matching records. Now in index there are 2 columns, the first one stores a duplicate of the key attribute/ non-key attribute(serach key) from table while the second one stores pointer which hold the disk block address of the corresponding key-value.

Indexing and its types

Indexing

Clustered Index

Primary index

When key= PK
order= sorted
Follows sparse indexing

Clustering Index

When key= non-key order= sorted Follows dense indexing

Multilevel Indexing

When there is one more level of indexing in the index table we use inner and outer index.

Mostly used for large files

Non clustered Index

Secondary index

When key= non-key/key order= unsorted Follows dense indexing

Indexing and its types

Key data: Unique identifiers for each record. Often used to distinguish one record from another.

Non-key data: All other data in the record besides the key.

- Single-Level Indexing is straightforward and works well for smaller databases, offering a direct approach to speeding up query performance.
- Multi-Level Indexing is more complex but necessary for larger databases, as it effectively manages large indexes by creating additional layers of indexing, thereby improving data retrieval times.

Primary Index

It enhances the efficiency of retrieving records by using their primary key values. It establishes an index structure that associates primary key values with disk block addresses. This index is composed of a sorted list of primary key values paired with their corresponding disk block pointers, thereby accelerating data retrieval by reducing search time. It is especially beneficial for queries based on primary keys. It is done on sorted data

Search key	data ref
1	B1
4	B2

It creates an index structure that maps primary key values to disk block addresses. Index table

1 2 3	B1
4 5 6	B2

Sparse Index no of reocrds in index file=no of blocks

RollNo	Name
1	Ram
2	Shyam
3	Raghu
4	Riti
5	Raj
6	Rahul

Primary Index

Example: In a Users table with a UserID column as the primary key, a primary index on UserID allows for quick retrieval of user records when you know the UserID

The primary index ensures that the database can immediately locate the row associated with a given UserID, making operations like SELECT, UPDATE, and DELETE highly efficient.

Cluster Index

The cluster index is generally on a non-key attribute. The data in the table is typically ordered according to the order defined by the clustered index. Mostly each index entry points directly to a row. It is mostly used where we are using GROUP BY. It physically order records in a table based on the indexed columns.

Search key	data ref
18	B1
19	B1
20	B2
21	B2

Index table

18 18 19	B1
20 20 21	B2

Dense Index no of reocrds in index file=no of blocks unique non key records

Age	Name
18	Ram
18	Shyam
19	Raghu
20	Riti
20	Raj
21	Rahul

Cluster Index

Example: In an Employees table, if you often need to produce lists of employees ordered by LastName, creating a clustered index on LastName can make these queries faster.

The clustered index keeps the rows in LastName order, reducing the need for the database to perform additional sorting when executing queries.

Multilevel Index

A multilevel index is an advanced indexing technique used in database management systems to manage large indexes more efficiently. When a single-level index becomes too large to fit into memory, multilevel indexing helps by breaking down the index into multiple levels, reducing the number of disk I/O operations needed to search through the index

- First Level (Primary Index): The first level is the original index, where each entry points to a block of data or a page in the table.
- Second Level (Secondary Index): If the first level index is too large to fit in memory, a second-level index is created. This index points to blocks of the first-level index, effectively indexing the index itself.

<u>Multilevel Index</u>

Eid	Pointer
E101	
E201	
E301	

Outer index

Eid	Pointer
E101	B1
E151	B2

Eid	Pointer
E201	В3
E251	B4

Eid	Pointer
E301	B5
E351	B6

Inner index

Eid	Data
E101 E102	
E151 E152 ·	
E201 E202 ·	

Secondary Index

Secondary indexing speeds up searches for non-key columns in a database. Unlike primary indexing, which uses the primary key, secondary indexing focuses on other columns. It creates an index that maps column values to the locations where the records are stored, making it faster to find specific records without scanning the entire table.

The data is mostly unsorted and it can be performed on both key and non-key attributes.

Secondary Index

1. when serach key is key attribute and data is unsorted

Dense Index
no of reocrds in index
file=no of blocks unique
non key records

Search key	data ref
18	B1
20	B1
22	B2
24	B2
· · ·	

Age 18 20 45 67	B1
22 24 30	B2

Index table

Secondary Index

2. when serach key is non-key attribute and data is unsorted

Dense Index
no of reocrds in index
file=no of blocks unique
non key records

Search key	data ref
18	B1
20	B1
22	B1->B2
24	B2

Age 18 18 20 67 22	B1
22 24 30	B2

Index table

Indexing and its types

How to create indexes

Non-Clustered index:
(On one column)
CREATE INDEX index_name
ON table_name (column_name);

Clustered index:

Automatically created with the primary key. MySQL does not support explicit creation of additional clustered indexes.

(On multiple column)

CREATE INDEX index_name
ON table_name (column_name1, column_name2,.....)

Remove an index

DROP INDEX index_name ON table_name

B and B+ trees

Clustered and non-clustered indexes are concepts that describe how data is stored and accessed in a database, but B-trees (and B+ trees) are the data structures that actually implement these indexes. Knowing B-trees gives you insight into how these indexes work under the hood.

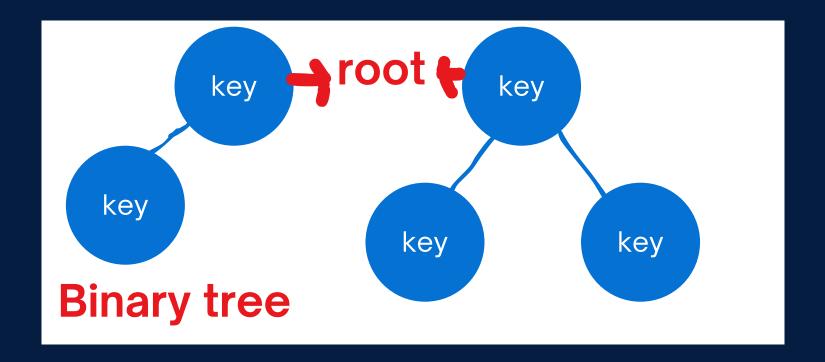
Understanding B-trees helps you understand why certain queries perform well or poorly based on the structure of the index. For example, how a B-tree's balanced nature affects search times or why range queries are efficient with B-tree indexes

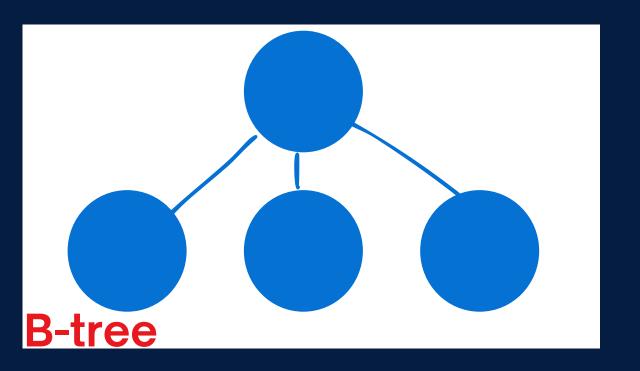
B-trees provide the balanced, efficient structure that makes these types of indexes performant, ensuring that operations like search, insert, delete, and update are done in logarithmic time (O(log n)). This makes B-tree indexing crucial for optimizing database queries, whether in clustered or non-clustered index scenarios.

B trees(M-way tree)

B-trees are self-balancing tree data structures that maintain sorted data and allow searches, sequential access, insertions, and deletions in logarithmic time. All leaf nodes are at the same level.

In B trees you can have minimum 2 children and max x children. Now B-tree is a generalisation of Binary Search trees. In BST every node can have atmost 2 children(0,1,2) and only one key





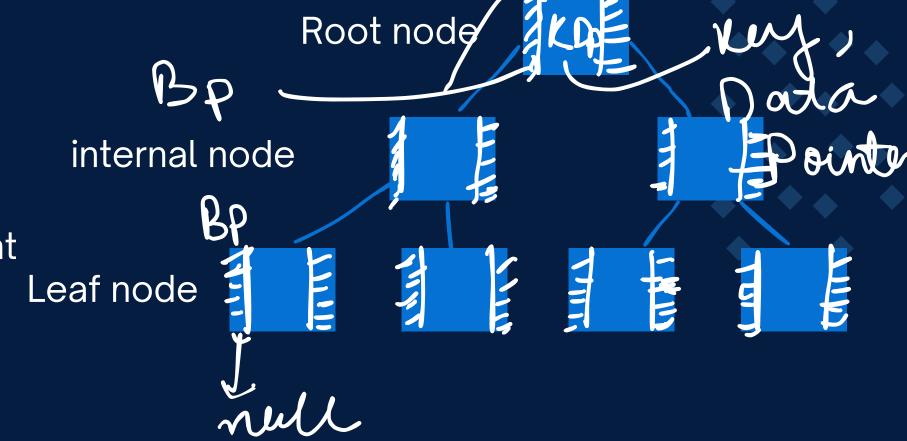
B trees

 (ρ) Dp-> record/data pointer(where the record is present in secondary memory(disk)

Tp-> block/tree pointer(links to the children nodes)

Structure of B-Tree:

- Nodes: A B-tree is composed of nodes, each containing keys and pointers (references) to child nodes. The keys within a node are sorted in ascending order.
- Root, Internal Nodes, and Leaves:
- 1. The root node is the topmost node in the tree.
- 2. Internal nodes contain keys and child pointers.
- 3. Leaf nodes contain keys and possibly pointers to records or other data.
- In indexing, each key in a B-tree node typically represents a value or range of values, and the associated pointer directs to a data block where records corresponding to the key(s) can be found.
- For example, in a database, the key might be a value in a column, and the pointer might direct to the location of a row or a set of rows in a table.



keys Rp

Tp

B trees

Block

A B-tree of order x can have:

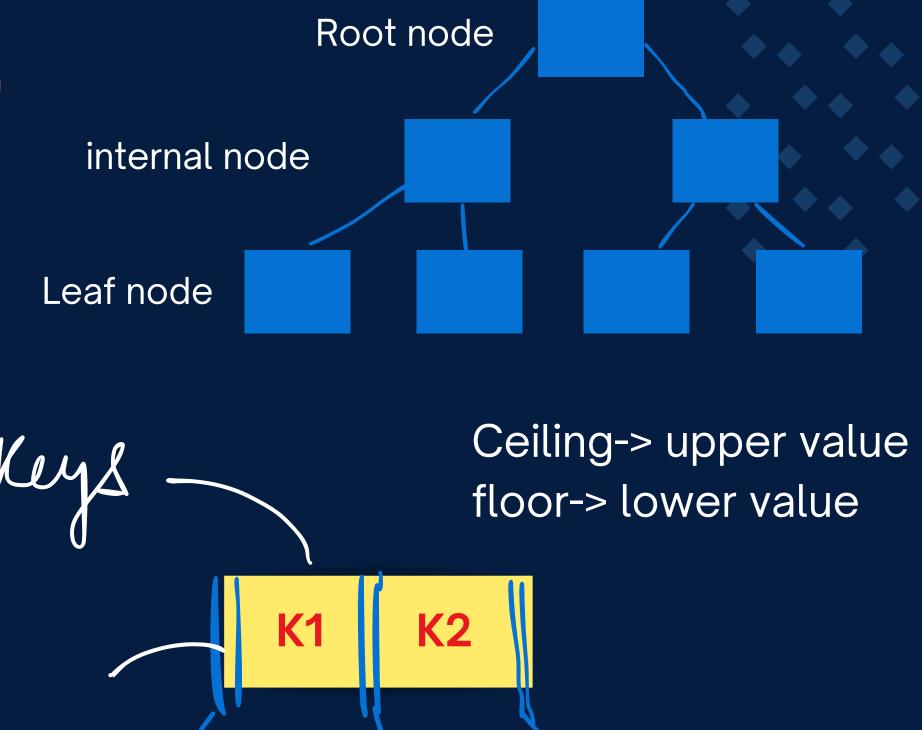
The max no. of children

For every node -> x i.e the order of tree.

• The max no. of keys

For every node -> x-1

- The min no of keys
- a. root node -> 1
- b. other nodes apart from root-> ceiling(m/2) -1
 - The min no. of children
- a. root node -> 2
- b. Leaf node ->0
- c. internal node-> ceiling(m/2)



Insertion in B-tree always happens from leaf node.

B trees

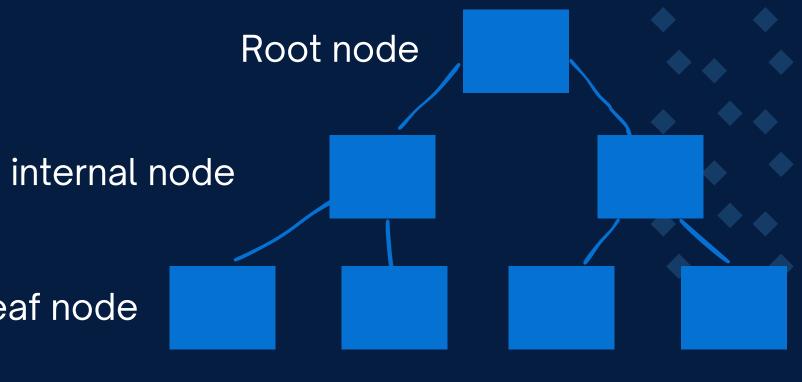
To determine the order of a B-tree when the block size, block pointer size, and data pointer size are given:

$$m \times Pb + (m-1) \times (K+Pd) \leq B$$

B- Block size
m- Order of tree
Pb- Block pointer size
K- Key size
Pd- Data pointer size

For a B-tree node with m children:

- Number of Keys: A node with m children can have a maximum of m-1 keys.
- Number of Block Pointers: Each node has m block pointers (pointers to child nodes).
- Number of Data Pointers: Each key has an associated data pointer, so there are m-1 data pointers.



B trees

Let's say you have the following:

- Block size (B) = 1024 bytes
- Block pointer size (Pb) = 8 bytes
- Data pointer size (Pd) = 12 bytes
- Key size (K) = 16 bytes

Find the order of the tree.

Formula to find order: $m\times Pb+(m-1)\times (K+Pd)\leq B$ $m\times 8+(m-1)\times (16+12)<=1024$

So, the order of the B-tree is m = 29

To determine the order of a B-tree when the block size, block pointer size, and data pointer size are given:

 $m \times Pb + (m-1) \times (K+Pd) \leq B$

B- Block size
m- Order of tree
Pb- Block pointer size
K- Key size
Pd- Data pointer size

Insertion in B-TREE

Steps to insert values in B-tree

- 1.Start at the root and recursively move down the tree to find the appropriate leaf node where the new value should be inserted.
- 2. Insert the value into the leaf node in sorted order. If the leaf node has fewer than the maximum allowed keys (order 1), this step is simple.
- 3. If the leaf node contains the maximum number of keys after the insertion, it causes an overflow. Split the Node:

Divide the node into two nodes. The middle key (median) is pushed up to the parent node.

- The left half of the original node stays in place, while the right half forms a new node.
- Insert the Median into the Parent:
- If the parent node also overflows after this insertion, recursively split the parent node and propagate the median up the tree.

4.If the root node overflows (which can happen if it already has the maximum number of keys), split it into two nodes, and the median becomes the new root. This increases the height of the B-tree by one.

A B-tree of order x can have:

- Every node will have max x children i.e the order of tree.
- Every node can have max (x-1) keys
- The min no of keys
- a. root node -> 1
- b. other nodes apart from root-> ceiling(m/2) -1
- - a. root node -> 2
 - b. Leaf node ->0
 - c. internal node-> ceiling(m/2)

LET'S START WITH DBMS:)

Insertion in B-TREE

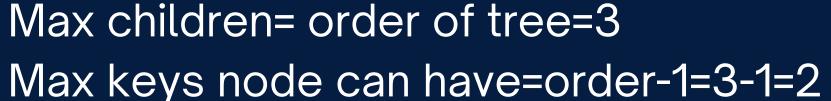
Create a B-tree of Order 3 and insert values from 1,4,6,8,10,12,14,16. Min children

Max children= order of tree=3

Max keys node can have=order-1=3-1=2

Insertion in B-tree happens from leaf node and values are also inserted in sorted order. The element in left of root would be less than root and the element in right would be greater than root

Step 1: Start at the root and recursively move down the tree to find the appropriate leaf node where the new value should be inserted. Insert the value into the leaf node in sorted order. If the leaf node has fewer than the maximum allowed keys (order - 1), this step is simple



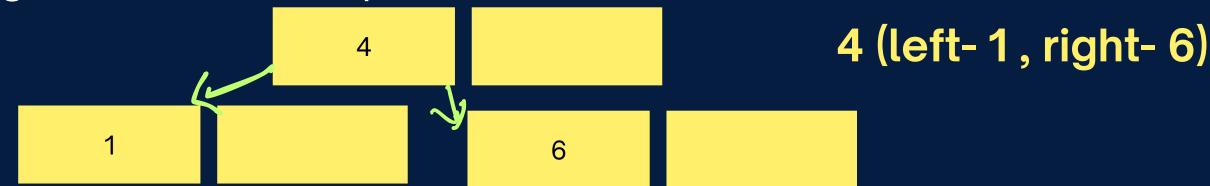
Insertion in B-TREE

Create a B-tree of Order 3 and insert values from 1,4,6,8,10,12,14,16

Step 2: If the leaf node contains the maximum number of keys after the insertion, it causes an overflow.

Split the Node: Divide the node into two nodes. The middle key (median) is pushed up to the parent node.

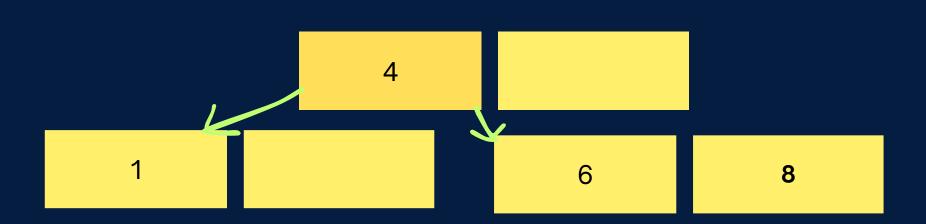
- The left half of the original node stays in place, while the right half forms a new node.
- Insert the Median into the Parent:
- If the parent node also overflows after this insertion, recursively split the parent node and propagate the median up the tree.



Max children= order of tree=3
Max keys node can have=order-1=3-1=2

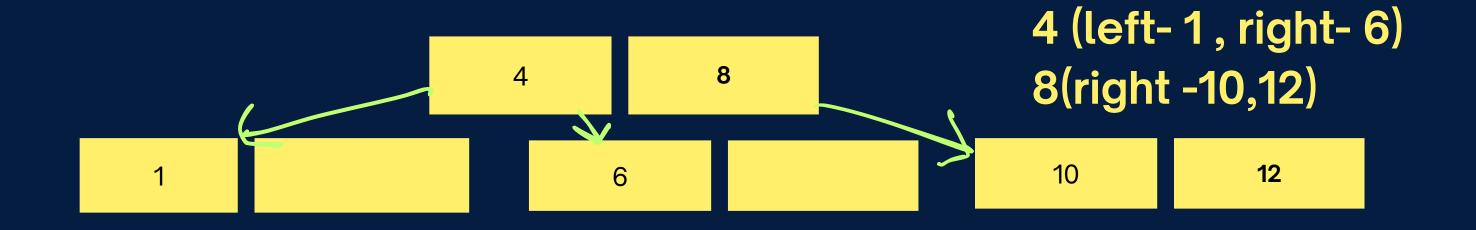
Insertion in B-TREE

Create a B-tree of Order 3 and insert values from 1,4,6,8,10,12,14,16



4 (left-1, right-6,8)

Follow step-2 again

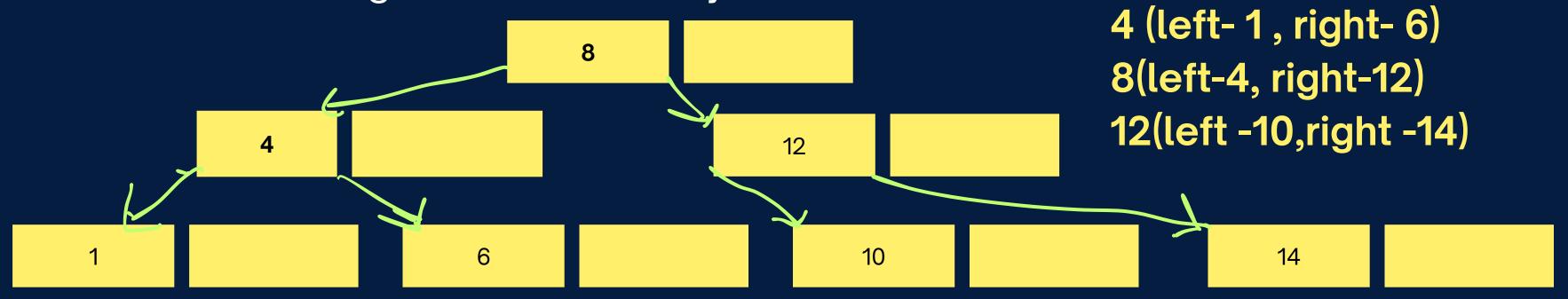


Max children= order of tree=3
Max keys node can have=order-1=3-1=2

Insertion in B-TREE

Create a B-tree of Order 3 and insert values from 1,4,6,8,10,12,14,16

<u>Step 3:</u>If the root node overflows (which can happen if it already has the maximum number of keys), split it into two nodes, and the median becomes the new root. This increases the height of the B-tree by one.

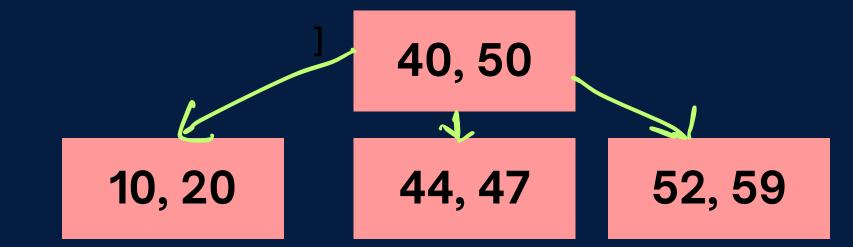


Deletion in B-TREE

Consider a B-tree of order 4

Step 1: Begin at the root and recursively move down the tree to find the node that contains the key to be deleted.

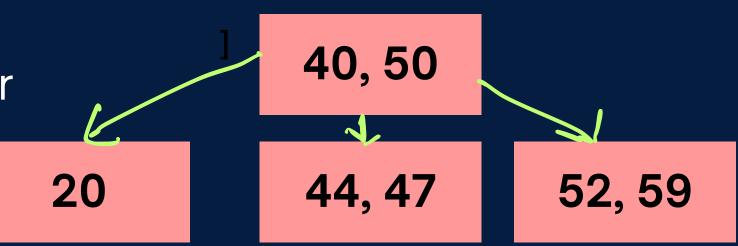
maximum of (m-1)=3 keys and minimum of (ceil(m/2)-1)=1 key



Step 2:

Case 1: The Key is in a Leaf Node (Delete 10)

- Simply remove the key from the leaf node.
- If the node still has the minimum required number of keys (i.e., at least ceil(order/2) 1 keys), the deletion is complete.



Deletion in B-TREE

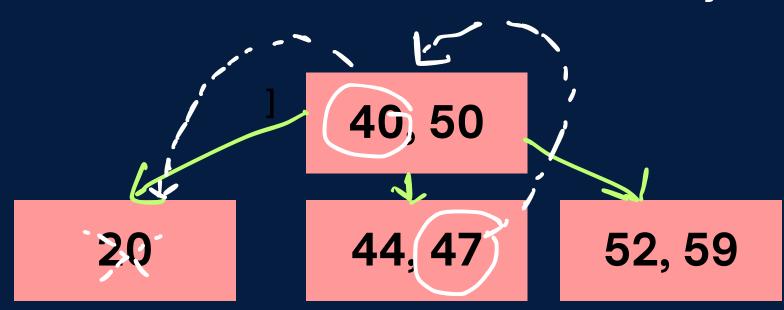
Consider a B-tree of order 4

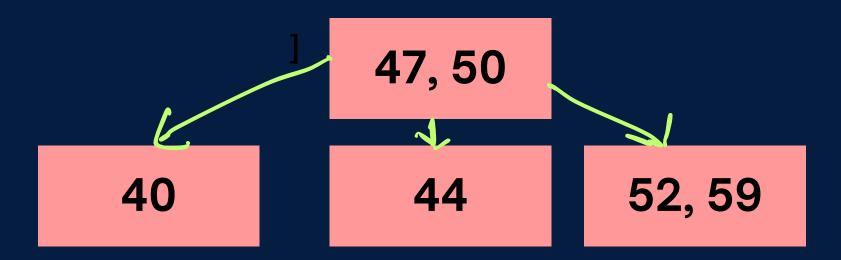
Step 2:

Case 2: The Key is in a Leaf Node (Delete 20)

- If the deletion causes the node to have fewer than the minimum number of keys, proceed to the Borrowing or Merging step.
- 1. If the node has a sibling with more than the minimum number of keys, you can borrow a key from this sibling. The parent key between the node and the sibling moves down to the node, and a key from the sibling moves up to the parent.

maximum of (m-1)=3 keys and minimum of (ceil(m/2)-1)=1 key





Deletion in B-TREE

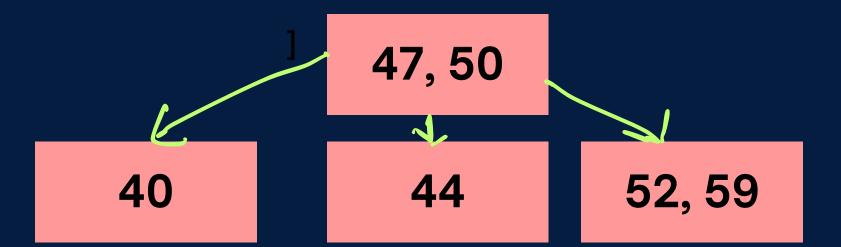
Consider a B-tree of order 4

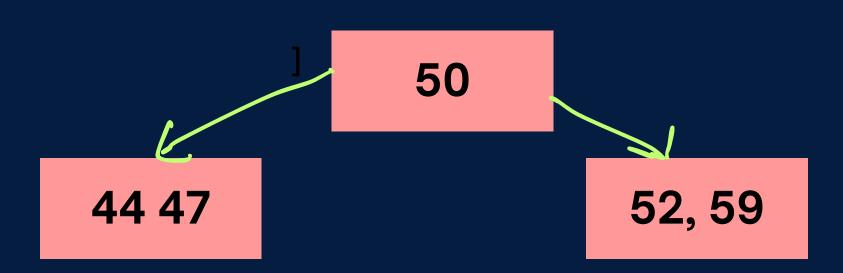
Step 2:

Case 2: The Key is in a Leaf Node (Delete 40)

2. If borrowing is not possible (i.e., the sibling also has the minimum number of keys), merge the node with a sibling. The key from the parent that separates the two nodes moves down into the newly merged node. If this causes the parent to have too few keys, repeat the borrowing or merging process at the parent level.

maximum of (m-1)=3 keys and minimum of (ceil(m/2)-1)=1 key





Deletion in B-TREE

Steps on how we can delete elements in Btree

Step 2:

Case 2: The Key is in an Internal Node (Delete 20)



40,50

44, 47

43

52, 59

60

48

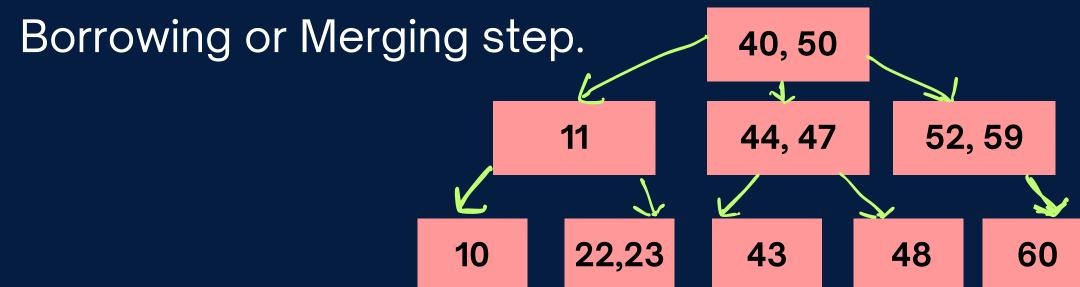
20

22,23

10,11

• Delete the predecessor or successor key from the corresponding subtree.

• If this causes an underflow (i.e., a node has too few keys), proceed to the



B+ Tree

A B+ tree is an extension of the B-tree and is commonly used in databases and file systems to maintain sorted data and allow for efficient insertion, deletion, and search operations. B+ tree is a balanced tree, meaning all leaf nodes are at the same level

The key difference between a B+ tree and a B-tree lies in how they store data and how leaf nodes are structured.

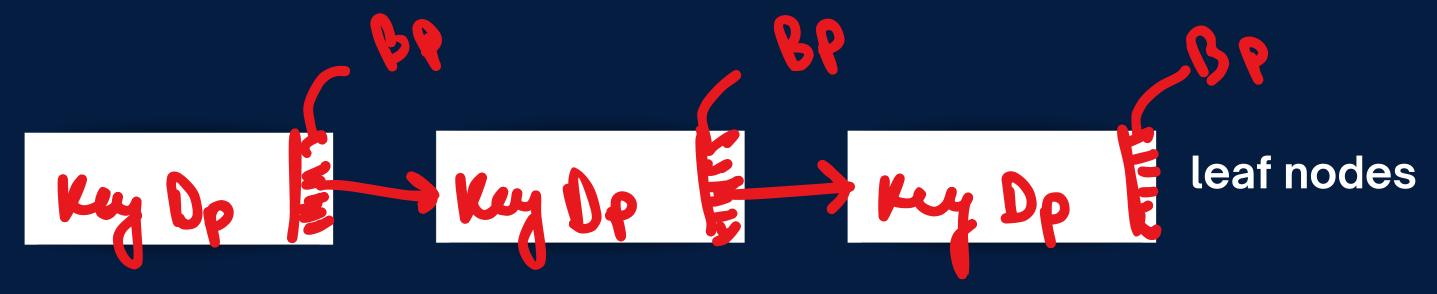
1. In a B+ tree, all actual data (or references to data) are stored in the leaf nodes.

Internal nodes only store keys



B+ Tree

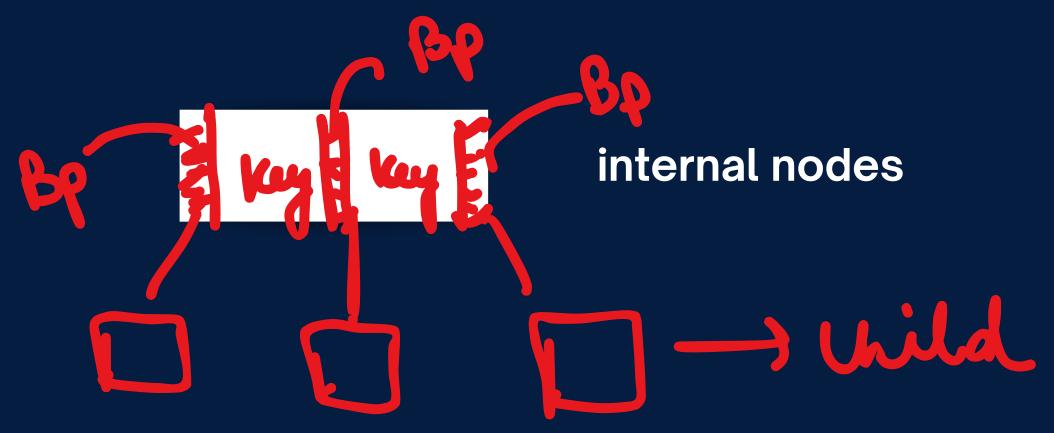
2. In a B+ tree, Leaf nodes are linked together in a linked list fashion, allowing for efficient sequential access, one leaf node will have only 1 Bp.



During inserting value in B+ tree, a copy of the key is always stored in the leaf node.

B+ Tree

3. Internal nodes do not store data pointers, only keys and child pointers. This allows more keys to be stored in each internal node, leading to a lower height and more efficient operations.



B+ Tree into

Structure of a B+ Tree:

- Root Node:
 - The top node of the B+ tree, which points to the first level of internal nodes or directly to leaf nodes if the tree has only one level.
- Internal Nodes:
 - These nodes contain only keys and pointers to child nodes.
 They guide the search process down to the correct leaf node.
- Leaf Nodes:
 - These nodes contain keys and data pointers. Each leaf node stores a pointer to the next leaf node, enabling quick traversal of records.

B+ Tree

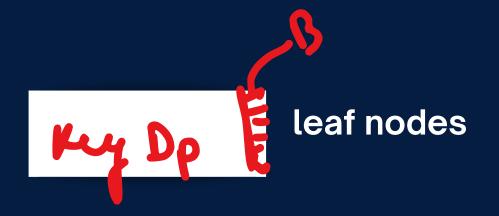
Advantages:

- 1.B+ trees have a balanced structure, meaning all leaf nodes are at the same level. This balance ensures that search operations require logarithmic time relative to the number of keys, making it very efficient even for large datasets.
- 2. The structure of the B+ tree allows for direct access to data. Since the internal nodes contain only keys, searching for a specific value can be done quickly by navigating through the tree down to the leaf node where the data is stored.

B+ Tree
Order of B+ tree

Order of Leaf node:

$$1xPb+M(k+Pd) \le B$$



B- Block size
m- Order of tree
Pb- Block pointer size
K- Key size
Pd- Data pointer size

Order of non-Leaf node(internal,root):

mxPb+(m-1)k<=B

<u>Difference between B and B+ Tree</u>

- B-Tree Example: Think of a B-Tree as a directory structure on your computer where folders (nodes) contain both names (keys) and pointers to subfolders or files (child pointers).
- B+ Tree Example: Imagine a library catalog where all book records are listed in a sorted, linked list (leaf nodes), and the internal nodes only contain pointers to guide you to the right part of the catalog.

Difference between B and B+ Tree

Case	B tree	B+ tree
Data Storage	keys and associated pointers to data are stored in all nodes (internal and leaf nodes)	all actual data is stored only in the leaf nodes.Internal nodes contain only keys and pointers to child nodes
Leaf Node Linking	There is no inherent linked structure between the leaf nodes	Leaf nodes are linked together in a linked list. This linked structure allows for efficient sequential access, making range queries faster and easier
Search Performance	Access times can be slower for certain types of queries because you may need to traverse multiple levels of the tree to find the data.	Leaf nodes are linked, allowing for efficient sequential access and range queries.
Space Utilization	Since data is stored throughout the tree, B- trees might have lower space utilization in the nodes.	B+ trees typically have better space utilization because internal nodes are used only for keys, allowing more keys to be stored per node.