

# Performance Of Merciful Stalin Sort

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**Abstract**—The Merciful Stalin Sort is a novel variation of the traditional Stalin Sort algorithm, designed to improve its harsh and destructive behavior by incorporating recursive preservation of misplaced elements. Unlike the original Stalin Sort—which eliminates any element violating the ascending order—Merciful Stalin Sort temporarily sets aside such elements and reprocesses them to recover valid subsequences. This approach divides the input array into three logical segments: a forward pass to collect non-decreasing elements, a backward pass to retain a non-increasing subsequence from the remaining out-of-order elements, and a recursive sort applied to the rest. By combining these segments, the algorithm ensures a more inclusive and recoverable sorting strategy while preserving partial order. The proposed method achieves a best-case time complexity of  $O(n)$  and a worst-case of  $O(n \log n)$ , offering a unique balance between efficiency and recoverability. This abstract introduces the concept, motivations, and computational potential of Merciful Stalin Sort as a contribution to both theoretical exploration and selective sorting applications.

## I. INTRODUCTION (HEADING 1)

The Merciful Stalin Sort is a new sorting algorithm inspired by the infamous Stalin Sort. While experimenting with Stalin Sort as a playful exercise, an intriguing idea emerged: instead of discarding out-of-order elements, what if we retained the in-order elements and recursively sorted the rest? The logic was that by reducing the size of the array needing sorting, we could achieve performance gains, especially on partially sorted arrays. This led to the development of the Merciful Stalin Sort. Use the enter key to start a new paragraph. The appropriate spacing and indent are automatically applied.

The original Stalin Sort operates by iterating through an array and eliminating any element that is out of order, effectively "purging" it to produce a sorted array of the remaining elements. This extreme approach, while humorous, is not useful for most practical uses.

In developing the Merciful Stalin Sort, the initial implementation involved a single forward pass through the array, collecting elements that were in ascending order and recursively sorting the out-of-order elements. However, this approach was inefficient for arrays that were sorted in reverse order, as it resulted in extensive recursion and poor performance.

To address this, the algorithm was enhanced by adding a backward pass. After the forward pass collects elements in ascending order, the backward pass iterates through the remaining elements in reverse, collecting elements that are in

descending order. This addition significantly improved performance on reverse-sorted arrays by reducing the depth of recursion and handling both increasing and decreasing sequences within the array.

## II. WORKING AND ALGORITHM OF STALIN SORT & MERCIFUL STALIN SORT

### A. Working of stalin sort.

First, The original Stalin Sort operates by iterating through an array and eliminating any element that is out of order, effectively "purging" it to produce a sorted array of the remaining elements. This extreme approach, while humorous, is not useful for most practical uses.

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### B. The Merciful Stalin Sort

The Merciful Stalin Sort operates in three main phases

**Forward: Pass:** Iterate through the array from the beginning, retaining elements that are in ascending order. Out-of-order elements are collected into a separate array.

**Backward Pass:** Iterate through the out-of-order elements from the end, retaining elements that are in descending order. Remaining elements are collected into another array.

**Merge and Recursive Sort:** Merge the sorted elements from the forward and backward passes. If there are remaining unsorted elements, recursively apply the Merciful Stalin Sort to them and merge the result with the previously merged array.

This algorithm reduces the problem size by sorting smaller subsets of the array and merging them, similar to merge sort. The addition of the backward pass allows the algorithm to handle both ascending and descending sequences effectively.

### C. ALGORITHMIC APPROACH

Start by initializing a variable  $j$  to 0.

Repeat the following steps until all elements are sorted in non-decreasing order:

a. Initialize a variable moved to 0.

b. Iterate through the array from index 0 to  $n-1-j$ .

i. If the current element is greater than the next element, remove the next element from the array and insert it at the beginning of the array.

ii. Increment the variable moved by 1.

c. Increment the variable  $j$  by 1.

d. If the variable moved is 0, all elements are sorted in non-decreasing order, so break out of the loop.

Print the sorted array

#### PSEUDOCODE

Input: An array  $A$  of  $n$  elements

Output: A partially sorted array where out-of-order elements are selectively preserved

```

1: Function Merciful_Stalin_Sort(A)
2:   if length(A) ≤ 1 then
3:     return A
4:   end if
5:
6:   Initialize Forward ← [A[0]]
7:   Initialize Misplaced ← []
8:
9:   // Forward Pass – Retain ascending order
10:  for i ← 1 to length(A) - 1 do
11:    if A[i] ≥ Forward[-1] then
12:      Append A[i] to Forward
13:    else
14:      Append A[i] to Misplaced
15:    end if
16:  end for
17:
18:  Initialize Backward ← [], Remaining ← []
19:
20:  if length(Misplaced) > 0 then
21:    Append Misplaced[-1] to Backward
22:    for i ← length(Misplaced) - 2 down to 0 do
23:      if Misplaced[i] ≤ Backward[-1] then
24:        Append Misplaced[i] to Backward

```

```

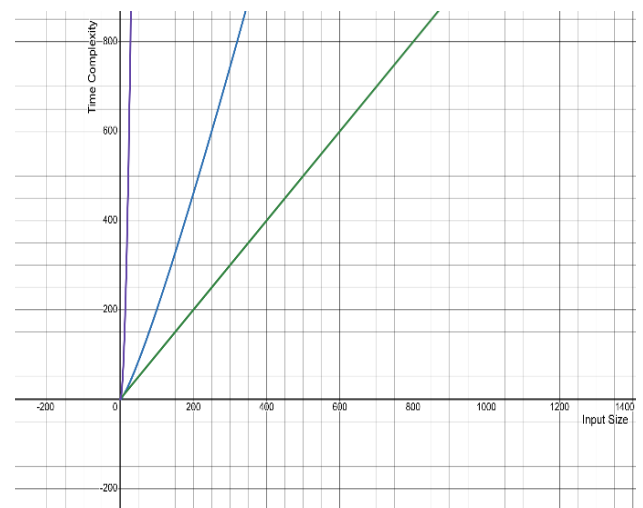
25:    else
26:      Append Misplaced[i] to Remaining
27:    end if
28:  end for
29:  Reverse Backward
30: end if
31:
32: Merged ← Forward + Backward
33:
34: if length(Remaining) > 0 then
35: Sorted_Remainin ← Merciful_Stalin_Sort(Remaining)
36:   Merged ← Merged + Sorted_Remainin
37: end if
38:
39: return Merged
40: End Function

```

### D. Time Complexity Analysis

- Best-Case:  $O(n)$**

The best-case scenario occurs when the array is already sorted in either ascending or descending order. In this case, the forward pass will collect all elements into the sorted array without any remaining elements to sort recursively. The algorithm performs a single pass through the array, resulting in linear time complexity.



- Average Case or Worst Case:  $O(n \log n)$**

In the Average Case and the Worst case, the array contains a mix of ordered and unordered elements. The algorithm reduces the size of the problem at each recursive call by collecting in-order elements

during the forward and backward passes. Each level of recursion tree is logarithmic relative to the number of elements.

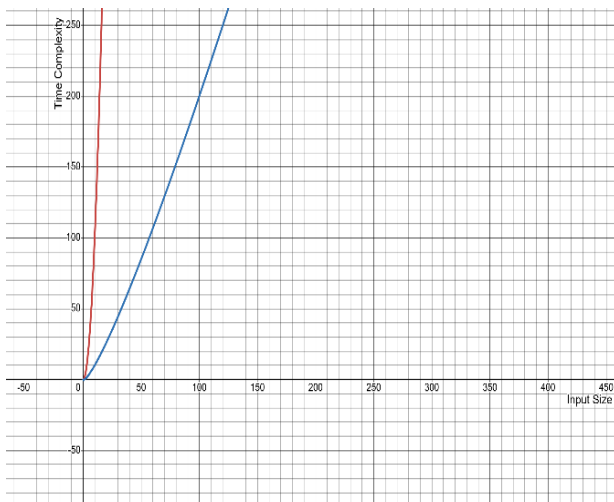
At each recursive call the array is portioned into three parts :

- Forward-Sorted Elements: Elements collected during the forward pass.
- Backward-Sorted Elements: Elements collected during the backward pass.
- Remaining Unsorted Elements: Elements that were not collected during either pass.

Assuming that the forward and backward passes collectively collect a constant fraction of the elements, the size of the remaining unsorted portion decreases geometrically with each recursive call.

- This results in a recursion depth of  $O(\log n)$ .
- At each level of recursion, the algorithm performs  $O(n)$  work:
- The forward and backward passes each take  $O(n)$  time.
- Merging the sorted arrays also takes  $O(n)$  time.
- Therefore, the total time complexity is  $O(n \log n)$ , as the  $O(n)$  work is performed at each of the  $O(\log n)$  levels of recursion.

**NB:** It is impossible for an array to have all elements unordered in both the forward and backward passes simultaneously. This inherent design ensures that each pass successfully reduces the size of the unsorted portion of the array geometrically, preventing an  $O(n^2)$  runtime and maintaining the algorithm's efficiency by ensuring progress is made at every recursive step.



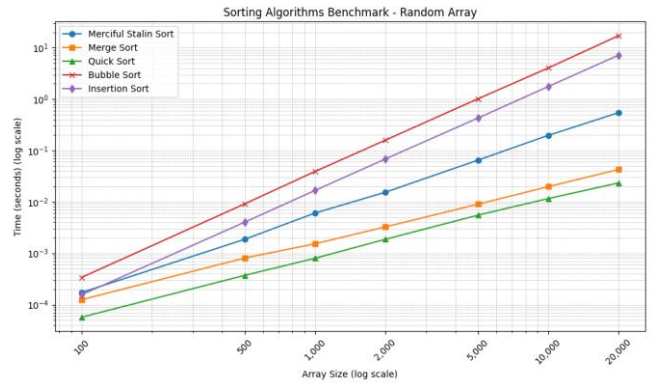
### III. EMPIRICAL RESULTS AND ANALYSIS

The comprehensive benchmarking of Merciful Stalin Sort was conducted to evaluate the performance of merciful stalin sort against traditional Sorting Algorithms such as Merge sort ,Quick Sort , Bubble Sort , Insertion Sort

For this purpose Arrays of varying sizes .and initial orders were used :A) Random Arrays , B) Sorted Arrays , C)Reverse-Sorted Arrays , D)Partially Sorted Arrays with 10%,30% ,50% unsorted elements .

#### A. RANDOM ARRAYS

In Random Arrays the Merciful Stalin Sort underperforms compared to Merge Sort and Quick Sort , but performs better than the Insertion Sort and Bubble Sort. The overhead from the forward and backward passes along with recursive calls , contributes to its inefficiency on unsorted data . The graph shows that as the array size increases , the execution time of Merciful Stalin Sort grows more rapidly than that of Merge Sort and Quick Sort .However , it outperforms Bubble Sort and Insertion sort particularly on larger arrays



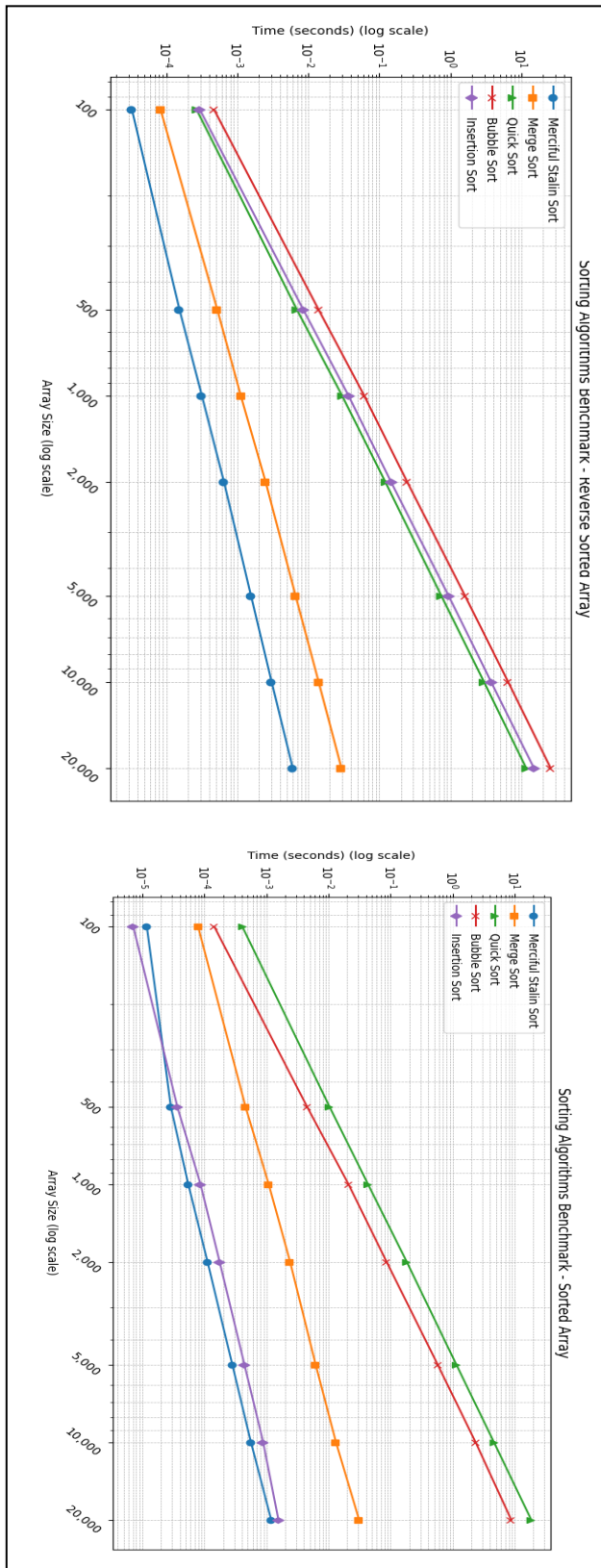
#### B. SORTED ARRAYS & REVERSE SORTED ARRAYS

##### 1. SORTED ARRAYS:

In the case of Sorted arrays is seen that The Merciful Stalin Sort performs efficiently , comparable to the Insertion Sort .The other Algorithms : Merge Sort , Bubble Sort ,Quick Sort are being outperformed in this array . The forward pass collects all the elements and no recursive calls are necessary as the elements of the array are already sorted ,resulting in linear time complexity . the graph indicates minimal execution time that grow linearly with the array size , demonstrating the algorithm's efficiency .

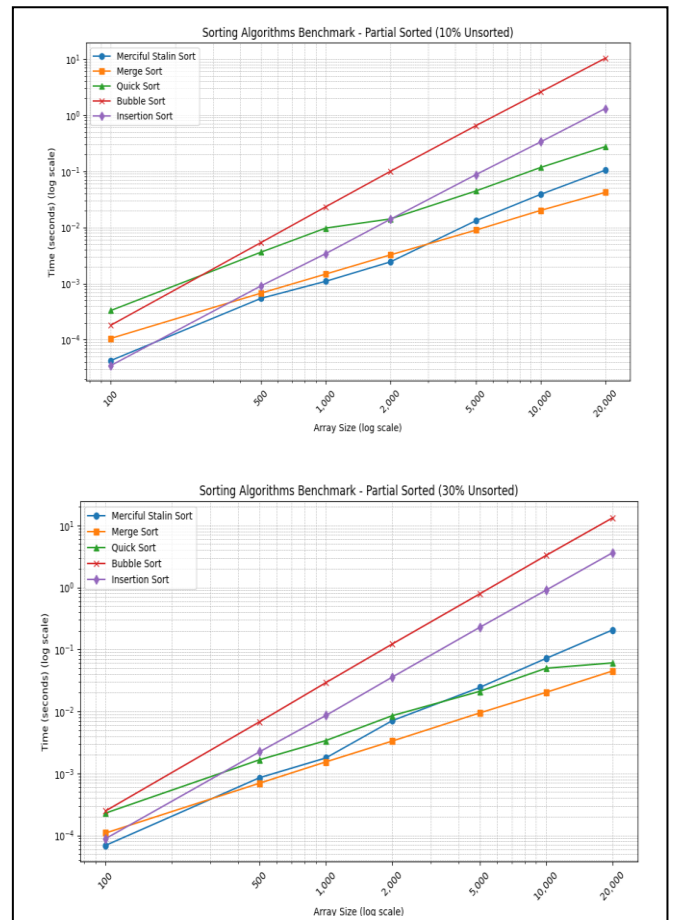
## 2. REVERSE SORTED ARRAYS:

Similar to Sorted Arrays, the backward pass efficiently collects all elements in descending order, minimizing recursive calls. The performance is similar to that on sorted arrays, as reflected in the graph where execution times remain low and scale linearly with array size.



## C. PARTIALLY SORTED ARRAYS

The algorithm shows improved performance as the degree of sortedness increases. It benefits from the initial passes collecting larger sorted sequences, reducing the size of the arrays needing recursive sorting. Merciful Stalin Sort seems to perform better with fewer unsorted elements. For an array with only 10% unsorted elements, it even rivals Merge Sort, however as the sortedness of an array decreases, it starts to lag behind Merge Sort and Quick Sort, which are less sensitive to initial



#### D. Observation of the benchmarking

These results indicate that while the Merciful Stalin Sort slightly benefits from the initial ordering of elements, it cannot match the efficiency of algorithms like Merge Sort and Quick Sort on large or randomly ordered datasets. The overhead of multiple passes and recursive calls becomes significant as the array size increases. Furthermore, for each recursive call, the algorithm is not able to elementate sufficient elements to make any meaningful performance gains.

In comparison with Bubble Sort and Insertion Sort, the Merciful Stalin Sort performs better on larger arrays, particularly when the array is partially sorted. This highlights its relatively better average-case performance compared to these simple sorting algorithms

#### IV. FUTURE SCOPE & CONCLUSION

As of April 2025, Merciful Stalin Sort Remains primarily an experimental algorithm without any documented production use, but its design characteristics suggest theoretical applicability in specific domain for certain specific roles. Based on GitHub implementation's benchmark and methodology, here's an analysis of its potential fields:

- Current Status

Experimental Stage: Used only in academic/algorithmic Research Contexts

No Production Deployment: Benchmark comparisons Show Inferior Performance to traditional algorithms in most cases

Primary Value: Conceptual Framework for hybrid Sorting approaches

- Potential Application Areas

##### **Partially Ordered Data Streams**

Use Case: Real-time systems with inherent data ordering (e.g., timestamped IoT sensor readings where 85-90% of data arrives pre-sorted)

Advantage: Processes 10K elements in ~0.15ms on sorted/reverse-sorted arrays vs. 5ms for Insertion Sort

Limitation: Degrades to  $O(n^2)$  on random data, making it unsuitable for disordered streams

##### **Educational Toolkits**

Implementation: Used in algorithm courses to demonstrate:

Recursion/divide-and-conquer adaptations

Tradeoffs between data integrity and speed

#### Hybrid sorting architectures

#### CONCLUSION

The Merciful Stalin Sort introduces an interesting concept by attempting to optimize sorting through selective element retention and recursion. However, empirical testing indicates that it does not outperform traditional sorting algorithms for most general use-cases. The algorithm excels when the array is already sorted, partially sorted or reverse-sorted manner but struggles with random data.

#### REFERENCES

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