

Answer All the Section

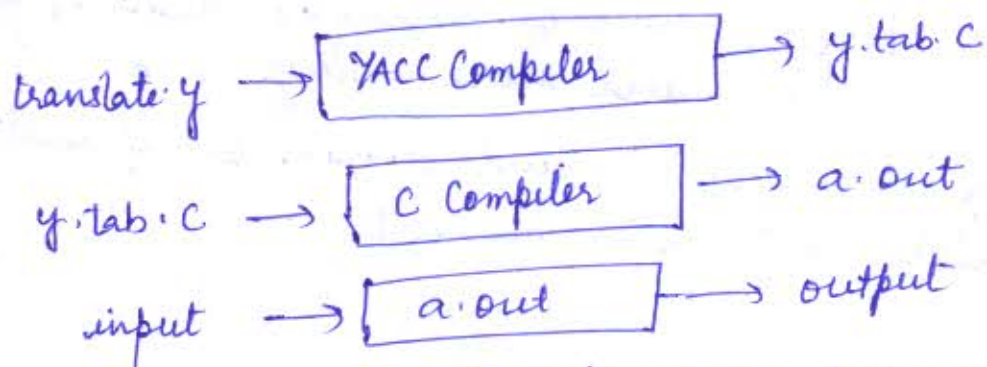
Section A

Q.1 Attempt all parts. All parts carry equal Marks. Write answer of each part in short. (2x10=20)

(a) How YACC can be used to generate parser?

Answer → YACC stands for "yet another compiler-compiler". It is an LALR parser generator which is basically available as a command on UNIX system. It is a tool that compiles a source program and translates it into a C program that implements the parser.

An input/output translator constructed using YACC is given as-



A YACC source program consists of the following three parts:

- declaration // ordinary C declarations delimited by % { and % }
- % % transition rules // declaration of grammar tokens
- % % supporting C routines // includes the grammar productions along with their semantic actions
- % % // includes the lexical analyzer yylex() that produces pairs consisting of tokens name & their associated values

(b) Discuss the challenges in compiler design.

Answer:-

Challenges in Compiler Design-

- (1) They are often easier to learn, read and understand. If a feature is hard to compile, it may well be hard to understand.
- (2) They will have quality compilers on a wide variety of machines. This fact is often crucial to a language's success.
- (3) Often, better code will occur. If a compiler was does not fully understand a language, how can they produce a sound compiler?
- (4) The compiler will be smaller, cheaper, faster more reliable and more widely used.
- (5) Compiler diagnostics and program development features will often be better.

(c) Discuss various compiler writing Tools.

Answer:-

Parser Generators :- These produce syntax analyzers, normally from input that is based on a context free grammar. In early compilers, syntax analysis consumed not only a large fraction of the running time of a compiler, but a large fraction of the intellectual effort of writing a compiler.

Many parser generators utilize powerful parsing algorithms that are too complex to be carried out by hand.

Scanner Generators → These automatically generate lexical analyzers, normally from a specification based on regular expressions.

Syntax-Directed translation engines - These produce collections of routines that walk the parse tree.

Automatic Code generators - Such a tool takes a collection of rules that define the translation of each operation of the intermediate language into the machine language for the target machine.

Data-flow engines - Much of the information needed to perform good code optimization involves "data-flow analysis", the gathering of information about how values are transmitted from one part of a program to each other part.

(d) Discuss the role of Macros in programming languages?

Answer:-

Many assembly (and programming) languages provide a "macro" facility whereby a macro statement will translate into a sequence of assembly language statements & perhaps other macro statements before being translated into machine code. Thus, a macro facility is a text replacement capability.

Macro Definition →

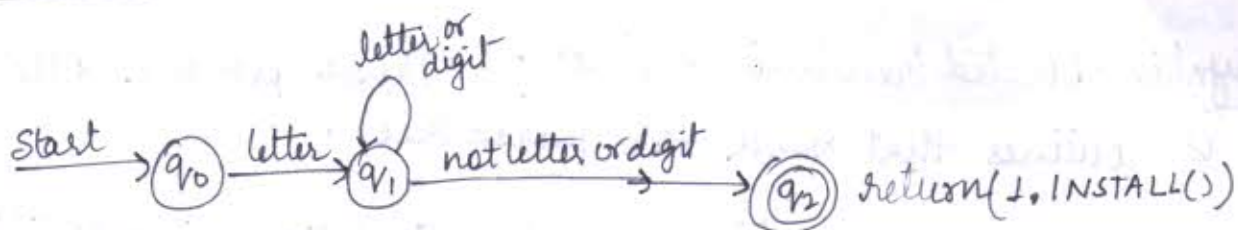
```
MACRO    ADD 2    X, Y
          LOAD    Y
          ADD     X
          STORE   Y

          END MACRO
```

There are two aspects of macros → definitions and use.

(e) Draw the transition diagram for identifiers?

Answer →



(f) Differentiate between dynamic loaders and linkers.

Answer →

Loader → Loader is a program that performs the function of loading and linkage editing. The process of loading consists of taking re-locatable machine code, altering the re-locatable address and placing the altered instructions and data in memory at the proper location.

Linker → Linker is a program that combines (multiple) object files to make an executable. It converts name of variables and functions to members (machine addresses).

(g) Describe languages denoted by the following regular expressions: $(1+0)^*$.

Answer :-

terminals → 1, 0

nonterminal → S

productions →

$S \rightarrow 1S$

$S \rightarrow 0S$

$S \rightarrow 1/0$

$S \rightarrow \epsilon$

It's CFL is $(1+0)^*$

(iv) Write the prefix and postfix expression for $A = (20 + (-5) * 6 + 12)$

Answer:-

$$A = (20 + (-5) * 6 + 12)$$

Prefix expression $\rightarrow ++ 20 * - 5 6 + 12$

Postfix expression $\rightarrow 20 5 - 6 * + 12 +$

(i) What are the code optimization Techniques?

Answer:- Code optimization techniques are generally applied after syntax analysis usually both before and during code generation. The techniques consist of detecting patterns in the program and replacing these patterns by equivalent but more efficient constructs. These patterns may be local or global, and the replacement strategy may be machine-dependent or machine-independent.

(j) Show that the following grammar is unambiguous:

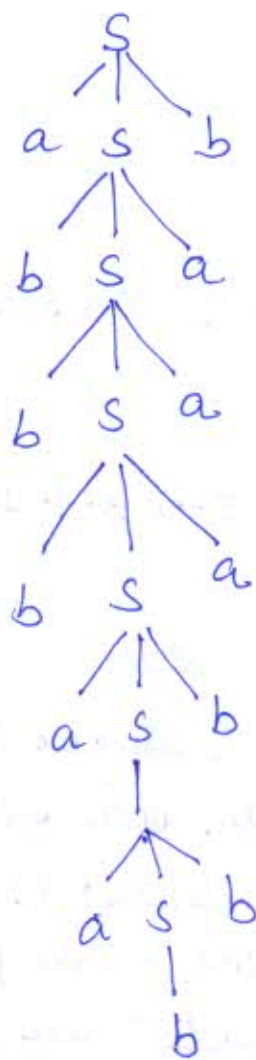
$$S \rightarrow a s b \mid b s a \mid b$$

For a string $a b b b a a b b b a a b$ draw a parse tree.

Answer \rightarrow For a given grammar

$$S \rightarrow a s b \mid b s a \mid b$$

there is only one parse tree is generated for given string, so this grammar is unambiguous for given string.



• (Parse tree)

SECTION - B

Q:-2 What are different ways to write three address code? Write the three address code for the following code segment:

switch a+b

{ Case 1: $x = x + 1$
Case 2: $y = y + 2$
Case 3: $z = z + 3$
default: $c = c - 1$

}

Ans:- The three address codes are of different types -

1. Assignment statement of the form
(a) $A = B \text{ op } C$ (b) $A = \text{op } B$ and (c) $A = B$
2. The unconditional jump goto L means instruction to execute Lth three address statement.
3. Conditional jump such as if $A < B$ goto L. if the condition is true then execute Lth statement else next sequential statement must be executed.
4. Param A, and call p, n. used for writing three address code for procedure call. like
param A₁
param A₂
:
:
:
param A_n
call p, n

Where A_1, \dots, A_n is arguments.

5. Indexed assignment of the form $A := B[I]$ and $A[I] := B$. The first of these sets A to value in the location I memory units beyond location B . Second sets the location I units beyond A to the value of B .
6. Address and pointer assignments of the form $A := \text{addr } B$, $A := \&B$ and $\&A = B$.

The three address code for the problem
switch a+b

```
{ case 1: x = x + 1
  case 2: y = y + 2
  case 3: z = z + 3
  default: c = c - 1
```

}

is given as:

- ① $T_1 = a + b$
- ② goto 15
- ③ $T_2 = x + 1$
- ④ $x = T_2$
- ⑤ goto 19
- ⑥ $T_2 = y + 2$
- ⑦ $y = T_2$
- ⑧ goto 19
- ⑨ $T_2 = z + 3$
- ⑩ $z = T_2$
- ⑪ goto 19
- ⑫ $T_2 = c - 1$

- ⑬ $c = T_2$
- ⑭ goto 19
- ⑮ if $T = 1$ goto 3
- ⑯ if $T = 2$ goto 6
- ⑰ if $T = 3$ goto 9
- ⑱ goto 12
- ⑲ exit.

- (3) Given the algorithm for computing precedence function. Consider the following operator precedence matrix draw precedence graph and compute the precedence function:

| | a | (|) | ; | \$ |
|----|---|---|---|---|----|
| a | | | > | > | > |
| (| < | < | = | < | |
|) | | | > | > | > |
| ; | < | < | > | > | |
| \$ | < | < | | | |

Answer: Algorithm for Computing precedence function:

Input: An operator precedence Matrix

output: Precedence functions representing the input matrix, or an indication that none exist.

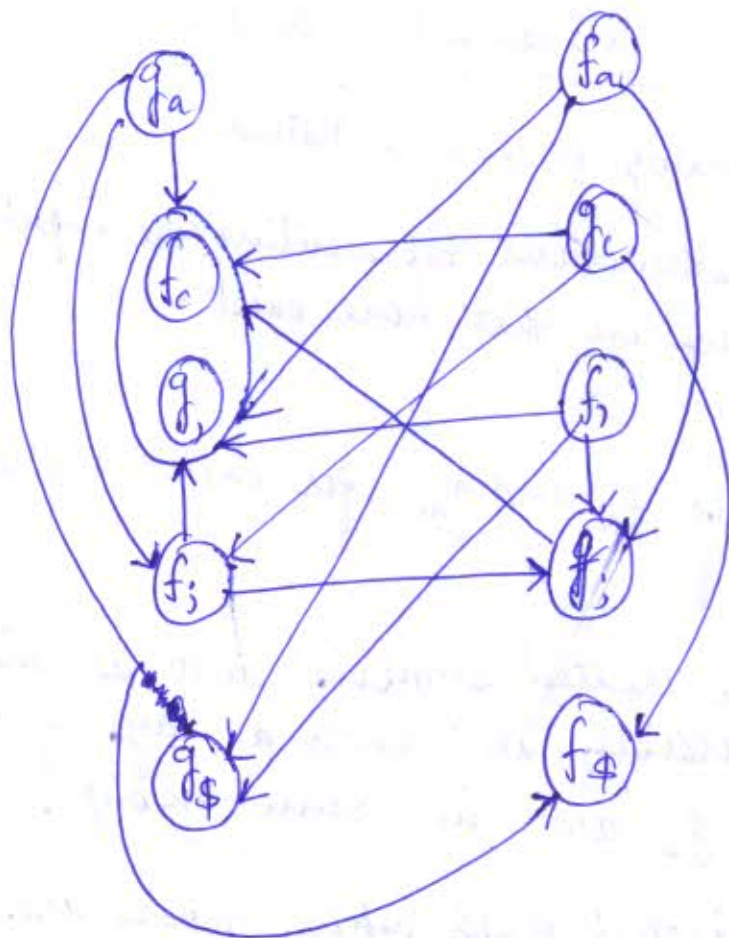
Method:

- 1- Create symbols f_a and g_a for each a that is a terminal or $\$$.
- 2- partition the created symbols into as many groups as possible, in such a way, if $a \doteq b$, then f_a and g_b are in same group.
3. Create a directed graph whose nodes are the groups found in (2). for any a and b , if $a < b$, place an edge from the group of g_b to the group of f_a .

If $a > b$, place an edge from the group of f_a to that of g_b .

- (4) If the graph constructed in (3) has a cycle, then no precedence functions exists. If there are no cycles, let $f(a)$ be the length of longest path beginning at the ~~group~~ group of f_a ; let $g(a)$ be the length of the longest path from ~~beg~~ the group of g_a .

graph ->



| | a | c | d | i | j |
|---|---|---|---|---|---|
| f | 0 | 0 | 0 | 0 | 0 |
| g | 1 | 1 | 0 | 0 | 0 |

- (4) Define backpatching and semantic rules for Boolean expression. Derive the three address code for the following expression.

$$P < Q \text{ or } R < S \text{ and } T < U.$$

Answer →

Backpatching - To generate the three address code, two passes are necessary.

~~In first pass, labels are properly filled, is called backpatching.~~

In first pass, labels are not specified. These statements are placed in a list. In second pass, these labels are properly filled, is called backpatching.

following are the three functions used for backpatching

(a) Makelist(i) → creates a new list containing only i , an index into the array of quadruples being generated. Makelist returns a pointer to the list it has made.

(b) Merge(p_1, p_2) → takes the lists pointed by p_1 and p_2 , concatenates them into one list, and returns a pointer to the concatenated list.

(c) Backpatch(p, i) → makes each of the quadruples on the list pointed to by p take quadruple i as a target.

Semantic Rules for Boolean Expression

The Grammar is

$$\begin{aligned} (1) \quad E \rightarrow & E^{(1)} \text{ or } M E^{(2)} \\ & | E^{(1)} \text{ and } M E^{(2)} \\ & | \text{ not } E^{(1)} \\ & | (E^{(1)}) \\ & | \text{ id} \\ & | \text{ id}^{(1)} \text{ relop id}^{(2)} \end{aligned}$$

$$M \rightarrow \epsilon$$

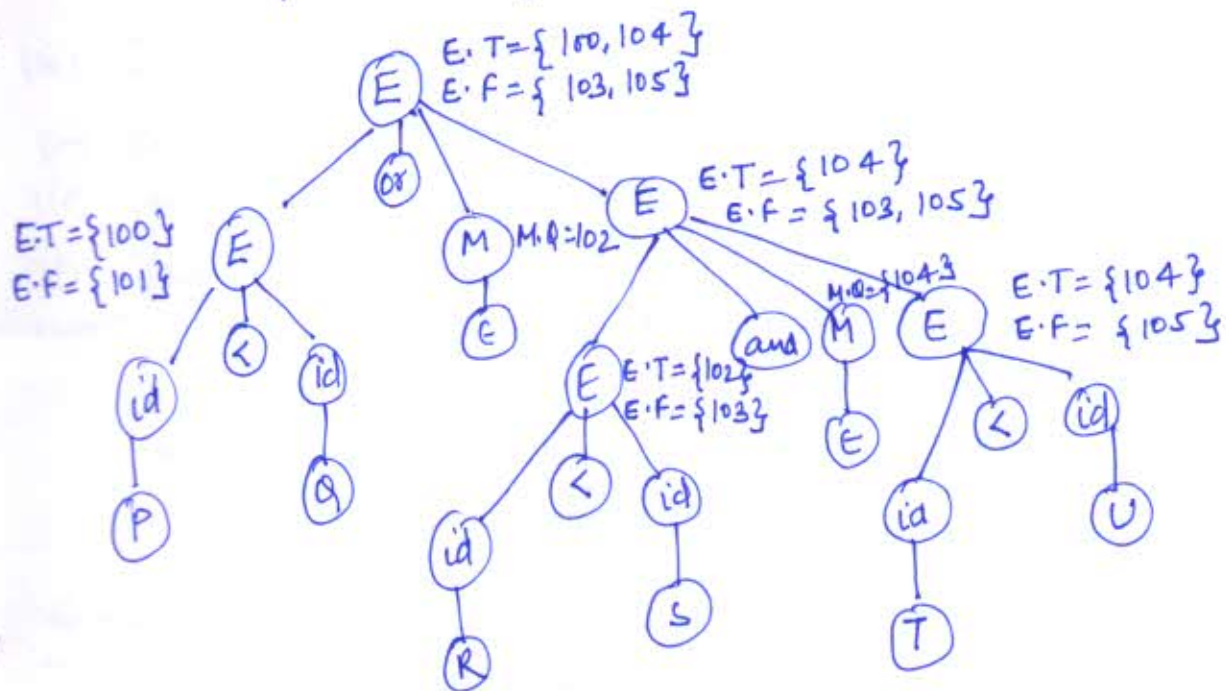
The Syntax Directed Translation Scheme is as follows:-

- (1) $E \rightarrow E^{(1)} \text{ or } M E^{(2)}$ $\{ \text{Backpatch } (E^1.\text{false}, M.\text{Queue});$
 $E.\text{True} = \text{Merge}(E^1.\text{True}, E^2.\text{True});$
 $E.\text{false} = E^2.\text{false} \}$
- (2) $E \rightarrow E^{(1)} \text{ and } M E^{(2)}$ $\{ \text{Backpatch } (E^1.\text{True}, M.\text{Queue});$
 $E.\text{True} = E^2.\text{True};$
 $E.\text{false} = \text{Merge}(E^1.\text{false}, E^2.\text{false}) \}$
- (3) $E \rightarrow \text{not } E^{(1)}$ $\{ E.\text{True} = E^1.\text{false};$
 $E.\text{false} = E^1.\text{True} \}$
- (4) $E \rightarrow (E^{(1)})$ $\{ E.\text{True} = E^{(1)}.\text{True};$
 $E.\text{false} = E^{(1)}.\text{false} \}$
- (5) $E \rightarrow \text{id} = \{ E.\text{True} = \text{Makelist}(\text{NextQueue});$
 $E.\text{false} = \text{Makelist}(\text{NextQueue} + 1);$
 $\text{Gen}(\text{if id.place goto } -);$
 $\text{Gen}(\text{goto } -) \}$

(6) $E \rightarrow id^{(1)} \text{ relop } id^{(2)}$ $\{ E.\text{True} = \text{Makelist}(\text{NextQuad});$
 $E.\text{false} = \text{Makelist}(\text{NextQuad} + 1);$
 $\text{Gen}(\text{if } id^{(1)}? \text{ place relop } id^{(2)} \text{ place goto-})$
 $\text{Gen}(\text{goto-}) \}$

(7) $M \rightarrow \epsilon$ $\{ M.\text{Quad} := \text{nextQuad} \}$

Parse Tree for $P < Q$ or $R < S$ and $T < U$



100: if $P < Q$ goto -
 101: goto 102
 102: if $R < S$ goto 104
 103: goto -
 104: if $T < U$ goto -
 105: goto -

Q.5 What are the lexical phase errors, syntactic phase errors and semantic phase errors, explain with suitable examples.

Answer →

lexical phase errors → These are not many errors that can be caught at the lexical level; those you should be looking for are:-

- (i) Characters that cannot appear in any token in our source language, such as @ or #.
- (ii) Integer constants out of bounds (range is 0 to 32767).
- (iii) Identifier names that are too long (maximum length is 32 characters).
- (iv) Text strings that are too long (max^m length is 256 characters).
- (v) Text strings that span more than one line.
- (vi) Certain other errors, such as malformed identifiers, could be caught here, or by the parser. The only one of these errors you are responsible for at this stage is the following:
Unmatched right comment delimiters (* /).

Syntax Errors →

- A syntax error occurs when stream of tokens is an invalid string.
- In LL(k) or LR(k) parsing tables, blank entries refer to syntax error.

How should syntax errors be handled?

- (1) Report error, terminate compilation ⇒ not user friendly.
- (2) Report error, recover from error, and search for more errors ⇒ better.

Semantic Errors →

The semantic errors :-→

- (i) Undeclared identifiers
- (ii) Unreachable statements
- (iii) Identifiers used in the wrong context.
- (iv) Methods called with the wrong number of parameters or with parameters of the wrong type.
- (v) Type Mismatch.
- (vi) Undeclared variable
- (vii) Reserved identifier misuse.
- (viii) Multiple declaration of variable in a scope.
- (ix) Accessing an out of scope variable
- (x) Actual & formal parameter mismatch.

Q.6 What is the role of symbol table? Discuss different data structures used for symbol table.

Answer → A symbol table is a compile time data structure that is used by the compiler to collect and use information about the source program constructs, such as variables, constants, functions etc.

The symbol table helps the compiler in determining and verifying the semantics of given source program.

Data Structures used for symbol Table →

The various data structures used for implementing the symbol table are linear list, self-organizing list, hash table & search tree. The organization of symbol table depends on the selection of the data structure scheme used to implement the symbol table. The data structure

schemes are evaluated on the basis of access time, simplicity, storage and performance.

Linear list → A linear list of records is the simplest data structure and its easiest-to-implement data structure as compared to other data structures for organizing a symbol table. A single array or collection of several arrays is used to store names and their associated information. It uses a simple linear linked list to arrange the names sequentially in the memory.

The new names are added to the table in the order of their arrival. Whenever a new name is added, the whole table is searched linearly or sequentially to check whether the name is already present in the symbol table or not.

If not, then a record for new name is created and added to the linear list at a location pointed to by the space pointer, & the pointer is incremented to point to the next empty location.

| Variable | Information (types) | space (byte) |
|----------|---------------------|--------------|
| a | int | 2 |
| b | char | 1 |
| c | float | 4 |
| d | long | 4 |
| | | |
| | | |

space. →

Self-organizing list → We can reduce the time of searching the symbol table at the cost of a little extra space by adding an additional LNK field to each record or to each array index. Now, we search the list in the order indicating by links.

| Variable | Information |
|-----------------|-------------|
| id ₁ | Info 1 |
| id ₂ | Info 2 |
| id ₃ | Info 3 |
| | |
| | |

← space.

The main reason for using the self-organizing list is that if a small set of names is heavily used in a section of program, then these names can be placed at the top while that section is being processed by the computer; However, if references are random, then the self-organizing list will cost more time & space.

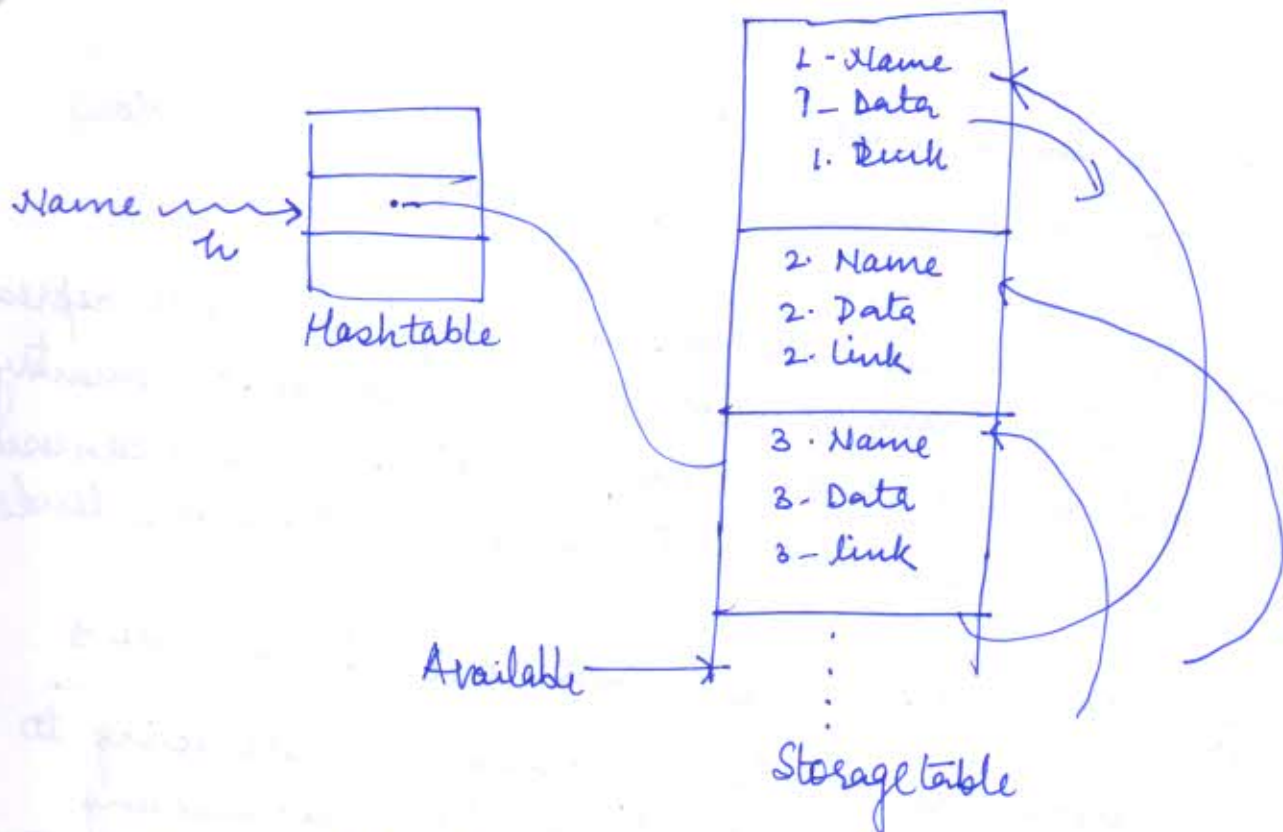
Demerits of self-organizing list are as follows:-

- It is difficult to maintain the list if a large set of names is frequently used.
- It occupies more memory as it has link field for each record.
- As self-organizing list organizes it itself, so it may cause problems in pointer movements.

Hash Table → A hash table is a data structure that associates keys with values. The basic hashing

schemes has two parts:-

- A hash table consisting of a fixed array of k pointers to table entries.
- A storage table with the table entries organized into k separate linked lists & each record in the symbol table appears on exactly one of these lists.



Search Tree → Search tree is an approach to organize symbol table by adding two link fields, left and right, to each record. These two fields are used to link the records into a binary search tree. All names are created as child nodes of root node that always follow the properties of a binary search tree.

- The name in each node is a key value, that is, no two nodes can have identical names.
- The names in the nodes of left subtree, if exists, is smaller than the value in the root node.
- The names in the nodes of right subtree, if exists, is greater than the value in the root node.
- The left & right subtrees, if exists, are also binary search trees.

Q.7. Why run-time storage Management is required? How simple stack implementation is implemented?

Answer: →

A compiler must allocate resources of the target machine to represent the data objects manipulated by the source program. Elementary data types such as integers, real, & logical variables can usually be represented by equivalent data objects at the m/c levels.

Implementation of A simple stack - Allocation Scheme →

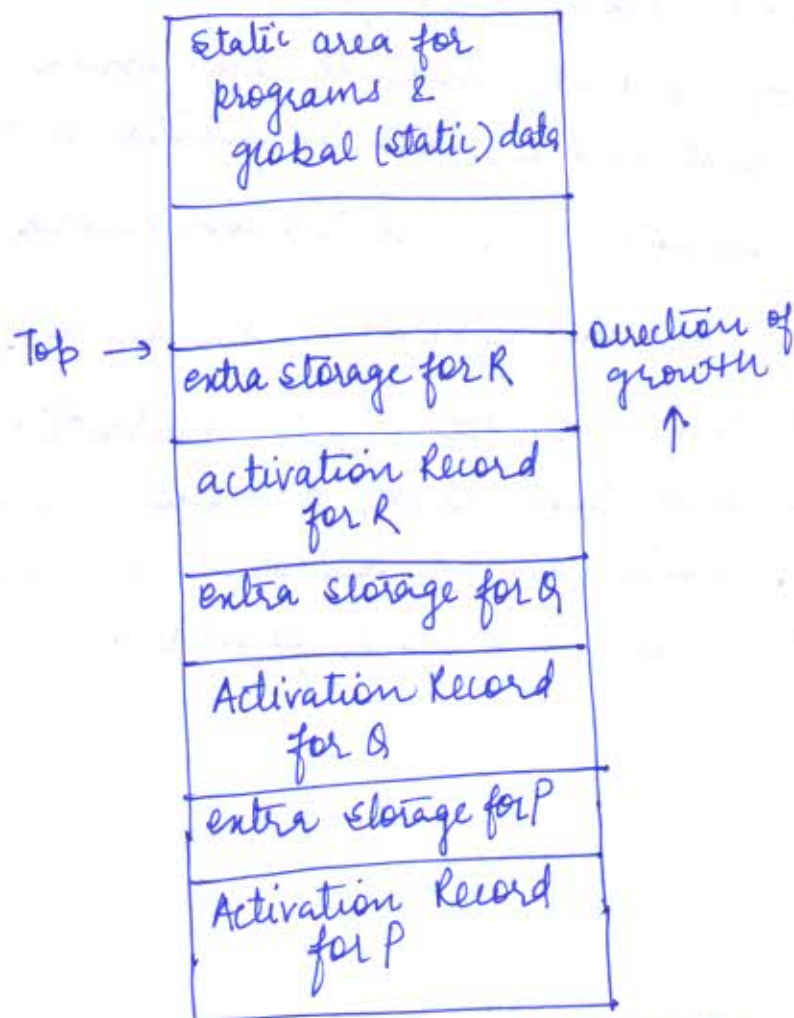
As an introduction to stack allocation, we are going to consider an implementation of the UNIX programming language C, which allows somewhat simpler implementation than more other stack-oriented languages like ALGOL.

Data in C can be global, meaning it is allocated static storage and available to any procedure, or local meaning it can be accessed only by the procedure in which it is declared.

A program consists of a list of global data declarations and procedures; there is no block structure or nesting of procedures. However, recursion is permitted, so local names must be allocated space on stack.

Stack allocation of storage each procedure has an activation record on the stack, in which the values of local names are kept.

The low-numbered memory locations contains the code for the various procedures & space for the global data.



(Memory orgⁿ for C program).

Starting from the highest numbered available memory location is the run-time stack.

We show two pointers to the stack, which are actually permanently allocated registers.

One, called the stack pointer (SP), always points to particular position in the activation record for the currently active procedure.

The second, called TOP, always points to the top of the stack. In C, it is often the case that TOP points to the TOP points to the TOP of the ~~stack~~ top activation record. However, ~~temporaries~~ temporaries used for expression evaluation are allocated storage above the top activation record.

In a language like, which permits adjustable arrays, it is customary allocate space to the array above the fixed-size data and to store a pointer to this space in a fixed position of the activation record.

For uniformity, fixed-length ~~always~~ arrays are treated this way too. This ~~activation~~ arrangement allows each activation record to have a fixed size, and all local data can be accessed by going to a known distance from the stack pointer.

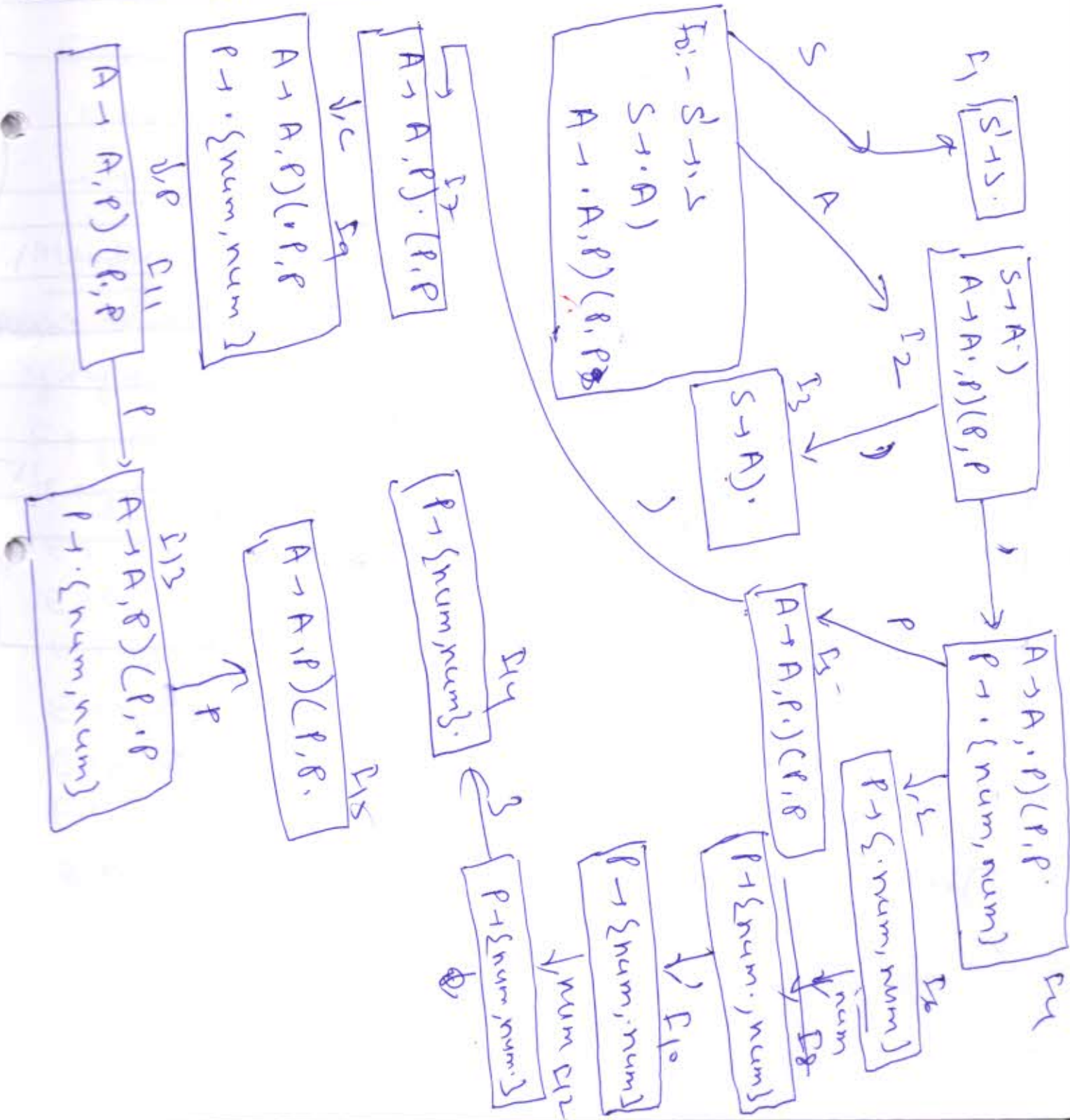
Q2:- Construct LR(1) parsing table for the following grammar-

$$S \rightarrow A)$$
$$A \rightarrow A, p) (p, p$$
$$P \rightarrow \{num, num\}$$

Ans:- Initially the grammar made augmented

$$S \rightarrow S' ; (S \rightarrow A) ; (A \rightarrow A, P) (P, P ; P \rightarrow \text{num, num})$$

Constructing $LR(0)$ items:-



SLR(1) Parsing table

| State | ACTION | | | | | | | GOTO | | |
|-------|--------|----|----|----------|----------|-----|--|------|---|----|
| | , | (|) | Σ | Δ | \$ | | S | A | P |
| 0 | | | | | | | | 1 | 2 | |
| 1 | | | | | | acc | | | | |
| 2 | s4 | | s3 | | | | | | | |
| 3 | | | | | | r1 | | | | 8 |
| 4 | | | | s6 | | | | | | 5 |
| 5 | | s7 | | | | | | | | |
| 6 | | | | | s8 | | | | | |
| 7 | | s9 | | | | | | | | |
| 8 | s10 | | | | | | | | | |
| 9 | | | s6 | | | | | | | 11 |
| 10 | | | | | s12 | | | | | |
| 11 | | | | | | | | | | |
| 12 | | | | s14 | | | | | | |
| 13 | | | s6 | | | | | | | 15 |
| 14 | r3 | | r3 | | | | | | | |
| 15 | r2 | | r2 | | | | | | | |

Follow(S) = { \$ }

Follow(A) = { , ,) }

Follow(P) = { , ,) }

The above table is SLR(1) table.

Q.9:- Consider the following grammar -

$$E \rightarrow E + T \mid T$$

$$T \rightarrow T * F \mid F$$

$$F \rightarrow (E) \mid y$$

Show shift reduce parser action for the string $y + y + y * y$.

Ans:- Derive the string using RMD and find the handles.

$$E \rightarrow E + T \rightarrow E + T * F \rightarrow E + T * y \rightarrow E + F * y \rightarrow$$

$$E + y * y \rightarrow E + T + y * y \rightarrow E + E + y * y \rightarrow E + y + y * y$$

$$\rightarrow T + y + y * y \rightarrow F + y + y * y \rightarrow y + y + y * y$$

Handle pruning process

| Right Sentential form | handle | used production |
|-----------------------|---------|-----------------------|
| $y + y + y * y$ | y | $F \rightarrow y$ |
| $F + y + y * y$ | F | $T \rightarrow F$ |
| $T + y + y * y$ | T | $E \rightarrow T$ |
| $E + y + y * y$ | y | $F \rightarrow y$ |
| $E + F + y * y$ | F | $T \rightarrow F$ |
| $E + T + y * y$ | $E + T$ | $E \rightarrow E + T$ |
| $E + y * y$ | y | $F \rightarrow y$ |
| $E + F * y$ | F | $T \rightarrow F$ |
| $E + T * y$ | $E + T$ | $E \rightarrow E + T$ |
| $E + T * F$ | $T * F$ | $T \rightarrow T * F$ |
| $E + T$ | $E + T$ | $E \rightarrow E + T$ |
| E | - | - |

Stack implementation

| Stack | input | Action |
|---------|---------|--------------|
| \$ | y+y+y\$ | shift y |
| \$y | +y+y\$ | reduce F→y |
| \$F | +y+y\$ | reduce T→F |
| \$T | | reduce E→T |
| \$E | +y+y\$ | shift + |
| \$E+ | y+y\$ | shift y |
| \$E+y | +y+y\$ | reduce F→y |
| \$E+F | +y+y\$ | reduce T→F |
| \$E+T | +y+y\$ | reduce E→F+T |
| \$E | +y+y\$ | shift + |
| \$E+ | y+y\$ | shift y |
| \$E+y | +y\$ | reduce F→y |
| \$E+F | +y\$ | reduce T→F |
| \$E+T | +y\$ | shift + |
| \$E+T+ | y\$ | shift y |
| \$E+T+y | \$ | reduce F→y |
| \$E+T+F | \$ | reduce T→T+F |
| \$E+T | \$ | reduce E→E+T |
| \$E | \$ | accept. |

SECTION-C

Q.10 → Consider the following grammar for addressing the array elements. Give the syntax directed translation scheme to convert into three address code.

$$S \rightarrow L = E$$

$$E \rightarrow E + E \mid (E) \mid L$$

$$L \rightarrow \text{id} [E \text{ list}]$$

$$E \text{ list} \rightarrow E \mid (E, E \text{ list})$$

Generate three address code for the following expression
 $A[I, J] = B[E, J] + C[A[K, L]] + D[I, J]$

Ans:- The semantic Action for the grammar is as follows.

$S \rightarrow L = E$ { if $L.OFFSET := \text{null}$ then (if L is a simple id or

$\text{GEN}(L.PLACE := E.PLACE);$

else $\text{GEN}(L.PLACE[L.OFFSET] := E.PLACE);$ }

$E \rightarrow E + E$ { $T := \text{NEWTEMP}();$

$E.PLACE := T;$

$\text{GEN}(T := E^{(1)}.PLACE + E^{(2)}.PLACE);$ }

$E \rightarrow (E)$ { $E.PLACE := E^{(1)}.PLACE;$ }

$E \rightarrow L$ { if $L.OFFSET := \text{null}$ then
 $\text{GEN}(E.PLACE := L.PLACE);$

else ^{begin} $T := \text{NEWTEMP}();$

$\text{GEN}(T := L.PLACE[L.OFFSET]);$ }

$E.PLACE := T$

end }

~~$E \text{ list} \rightarrow E \mid (E, E \text{ list})$~~
 $E \text{ list} \rightarrow E$ { $L.PLACE := E \text{ list}.PLACE;$

$L.NDIM := 1;$

$L.ARRAY := \text{id}.PLACE$

}

$$L \rightarrow \text{Ad}[E \text{ list}] \{$$

$$\begin{aligned} &T := \text{NEWTEMP}(); \\ &U := \text{NEWTEMP}(); \\ &\text{GEN}(T := E \cdot \text{ARRAY} - C); \\ &\text{GEN}(U := \text{b}pw \& E \cdot \text{PLACE}); \\ &L \cdot \text{PLACE} := T; \\ &L \cdot \text{OFFSET} := U; \end{aligned}$$

$$\}$$

$$E \text{ list} \rightarrow E, E \text{ list}'' \{$$

$$\begin{aligned} &T := \text{NEWTEMP}(); \\ &\text{GEN}(T := E \cdot \text{PLACE} \& \text{LIMIT}(E \cdot \text{ARRAY}, \\ &\quad E \cdot \text{NDIM} + 1)); \\ &\text{GEN}(T := T + E \cdot \text{PLACE}); \\ &E \text{ list} \cdot \text{ARRAY} := E \cdot \text{ARRAY} \\ &E \text{ list} \cdot \text{PLACE} := T; \\ &E \text{ list} \cdot \text{NDIM} := E \cdot \text{NDIM} + 1 \} \end{aligned}$$

The expression is:-

$$A[E, J] = B[E, J] + C[A[K, L]] + D[P, J]$$

Suppose $d_1 = 10$, $d_2 = 20$, $\text{b}pw = 4$

$$T_1 = 20 \& I$$

$$T_1 = 20 \& I + J$$

$$T_2 = 4 \& T_1$$

$$T_3 = A - 84$$

$$T_4 = T_3[T_2]$$

$$T_5 = B - 84$$

$$T_6 = T_5[T_2]$$

$$T_7 = D - 84 \quad T_{16} = P + J$$

$$T_8 = T_7[T_6]$$

$$T_{14} = T_6 + T_{13}$$

$$T_{15} = T_{14} + T_8$$

$$T_4 = T_{15}$$

$$T_9 = 20 \& K$$

$$T_9 = T_9 + L$$

$$T_{10} = 4 \& T_9$$

$$T_{11} = T_3[T_{10}]$$

$$T_{12} = C - 4$$

$$T_{13} = T_{12}[T_{11}]$$

Q.17(a) What is DAG? Give algorithm for DAG construction? Also construct the DAG for the following expression:

$$(a+b) - e - (c+d)$$

Ans:- DAG (DIRECTED ACYCLIC GRAPH): - A DAG is a directed graph with no cycle which gives a picture how the value computed by each statement in a basic block is used in subsequent statement in the block. A computation DAG is a directed graph with following labels on node.

- I) Leaves are labeled by unique identifiers either variable names or constants.
- II) Interior nodes are labeled by an operator symbol.
- III) Nodes are also optionally given an extra set of identifiers for labels.

A DAG computation of basic block is optimized version of tripper.

Algo:- Constructing a DAG

INPUT:- A basic block

OUTPUT:- A DAG with the following information:

- 1) A label for each node. For leaf the label is an identifier (constant permitted) and for interior nodes an operator.

- II) For each node a list of attached identifiers are allowed (constants are not permitted)

Method:- The DAG computation process is to do the following step 1 through step 2

for each statement in block. Initially we assume that there are no nodes and $NODE()$ is undefined. Suppose the Three address codes are
 (I) $A = B \text{ op } C$ (II) $A = \text{op } B$ (III) $A = B$

Rule 1:- If node B is undefined, create a leaf labeled with B. Let $NODE(B)$ be this node. In case I if node C is undefined, create this node.

Rule 2:- In case I determine if there is a node labelled operator whose left child is node B and right child is node C. In case II determine whether there is node labelled operator whose lone child is node B. If not create a node. In case III, let it be the node B.

Rule 3: Append A to list of attached identifiers for the node found in step 2.

The expression is

$$(a+b) - (e - (c+d))$$

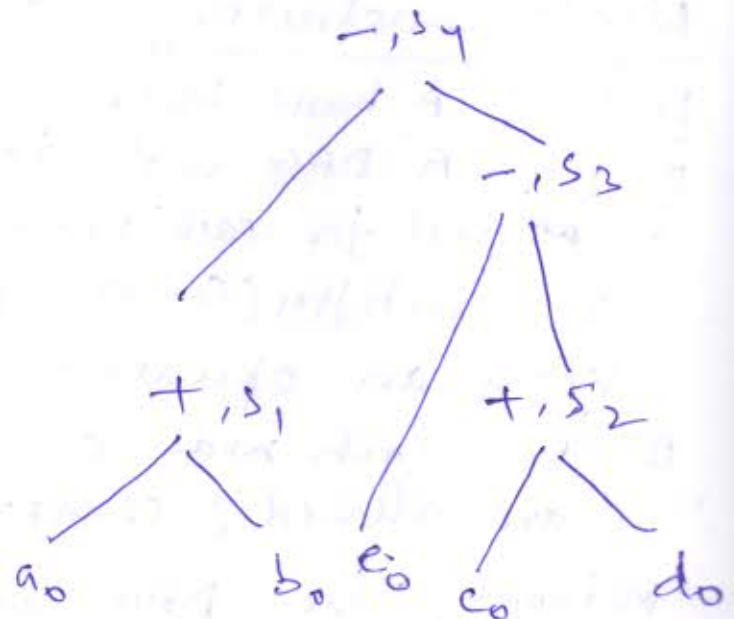
The triples are:-

$$S_1 = a + b$$

$$S_2 = c + d$$

$$S_3 = e - S_2$$

$$S_4 = S_1 - S_3$$



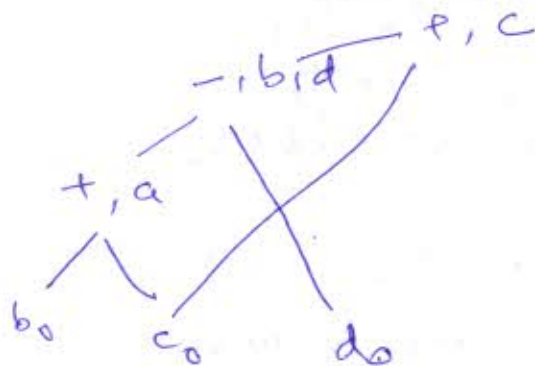
The resulting DAG

11(b) → What are DAG advantages in context of optimization?

Ans. - DAG (Directed Acyclic Graph) is a graphical representation with no cycle to perform optimization of basic blocks. The advantages of DAG is -

① Eliminating Local common subexpression →

$$\begin{aligned} a &= b+c \\ b &= a-d \\ c &= b+c \\ d &= a-d \end{aligned}$$



here b & d is local common subexpression and after eliminating the expression becomes

$$a = b+c, \quad d = a-d, \quad c = d+c$$

② Dead Code elimination →

— Delete from a DAG any root (node with no ancestor) that has no live variables attached.

— Repeated applications of this transformation will remove all nodes from the DAG that corresponds Dead Code.

③ Rearranging statement that donot depend on one another.

④ Use of Algebraic identities

— eliminate computations

$$\begin{aligned} x-0 &= 0+x = x & x-0 &= x \\ x \times 1 &= 1 \times x = x & x/1 &= x \end{aligned}$$

— Reduction in strength

$$x^2 = x \times x, \quad 2 \times x = x+x, \quad x/2 = x \times 0.5$$

— constant folding $2 \times 3.14 = 6.28$ evaluated at compile time

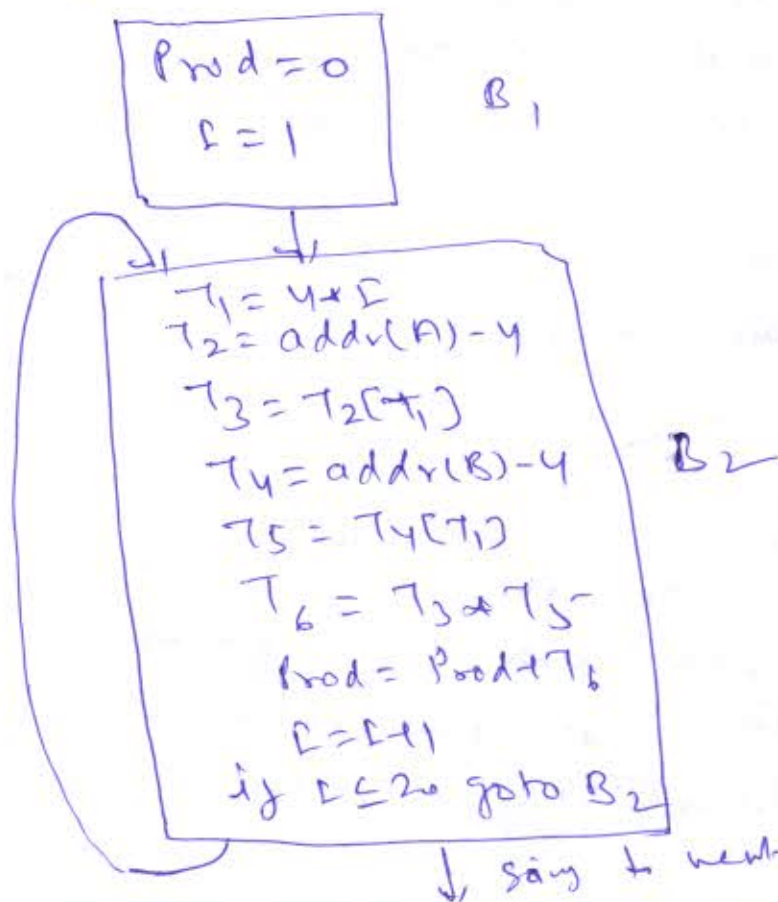
— Other transformations $x \neq y = y \neq x, \quad x > y \text{ and } x-y > 0$

Q12(a) Consider the following sequence of three address code -

1. $Prod = 0$
2. $I = 1$, 3. $T_1 = 4 * I$
4. $T_2 = \text{addr}(A) - 4$
5. $T_3 = T_2[T_1]$
6. $T_4 = \text{addr}(B) - 4$
7. $T_5 = T_4[T_1]$
8. $T_6 = T_3 * T_5$
9. $Prod = Prod + T_6$
10. $I = I + 1$
11. if $I \leq 20$ goto (3)

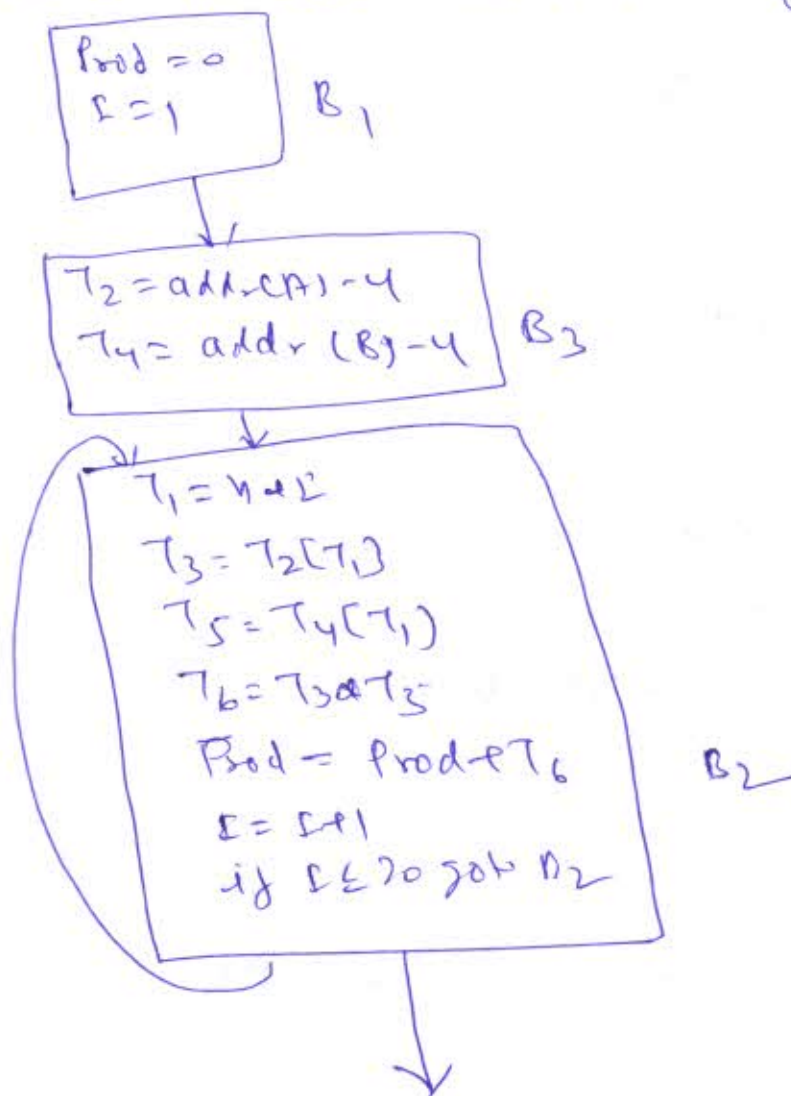
Perform Loop Optimization.

Ans:- The given three address codes are initially converted into basic block for performing loop optimization. The Basic blocks are defined by leader statement. In this problem the statement (1) and statement (3) are leaders. So initially two basic blocks are made.

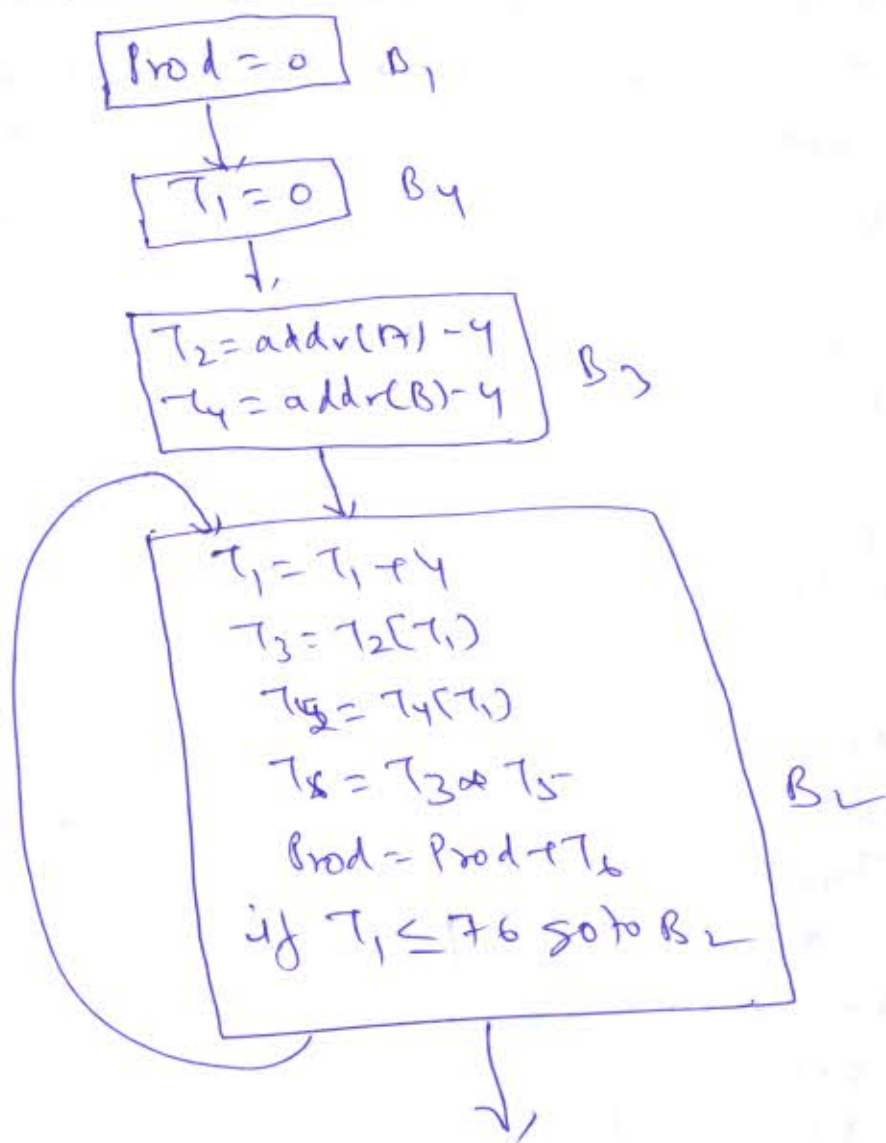


After Designing basic block there are edges connecting each basic block with another. The complete structure is called flow graph. After that we are going to optimize that flow graph using loop optimization.

- ① Code Motion → The running time of a program may be improved if we decrease the length of one of its loops especially an inner loop, even if increase the amount of code outside the loop. This approach is called code motion. In this problem $T_2 = \text{addr}(A) - 4$ & $T_4 = \text{addr}(B) - 4$ is independent from loop index. So removed from Basic block B_2 . The resulting Basic blocks are.



(F) Induction variable elimination: The induction variable I & T_1 is found in block B_2 . The value of I is from 1, 2, ... so then the value of T_1 is from 4, 8, ... So the both values are generated as arithmetic progression and are induction variable. We remove I from the expression by converting $T_1 = 4 \times I$ into $T_1 = T_1 + 4$ and $T_1 = 0$ initializing. One index variable I is deleted and costly operator $*$ is replaced by cheaper operator $+$ is called strength reduction. So the optimized blocks are.



The above is optimized TAC for the problem

12(b) :- Write short notes (on any two) -

(I) Global data flow analysis

Ans:- It is an informal approach of examining entire program. A new concept u-d-chaining (use-definition-chaining) which answers the question: Given that identifier A is used at point p, at what points could the value of A used at point p have been defined.

By a use of identifier A means any occurrence of A as an operand. By a definition of A means either an assignment to A or reading of value for A. By a point in a program means the position before or after any intermediate statement control reaches the point just before statement execution and after when statement has been executed.

There are data flow equations that used to calculate the reaching definitions in terms of use-definition-chaining. For each variable A there are two sets $GEN(B)$ i.e. is the set of generated definitions and $KILL(B)$ the set of related definitions outside the block. Then $IN(B)$ is used to generate the input set and $OUT(B)$ is generated by following data flow equation -

$$(I) \quad OUT(B) = IN(B) - KILL(B) + GEN(B)$$

$$(II) \quad IN(B) = OUT(P)$$

where P is a predecessor of B

By using above flow equation the reaching definition is calculated and also the dependency of variables according to their definition and declaration is defined.

⑩ Loop Unrolling →

Ans:- The loop unrolling avoids a test at every iteration by recognizing that the number of iterations is constant and replicating the body of loop.

Let's the loop.

begin

$I := 1$

while $I \leq 100$ do

begin

$A[I] := 0$

$I := I + 1$

end

end

We could do with 50 tests if we converted the code to

begin

$I := 1$

while $I \leq 100$ do

begin

$A[I] := 0$

$I = I + 1$

$A[I] = 0$

$I := I + 1$

end

end

Q1) Loop Jamming

Ans:- The loop jamming is to merge the bodies of two loops. It is necessary that each loop be executed the same number of times and that the indices be the same.

For ex:-

begin

for $I := 1$ to 10 do

for $J := 1$ to 10 do

$A[I, J] := 0$ // Zero the individual

for $I = 1$ to 10 do

$A[I, I] := 1$

end

* ~~can be jammed~~

The above loop can be jammed by concatenating the bodies of two loops on I to form

for $I := 1$ to 10 do

begin

for $J = 1$ to 10 do

$A[I, J] := 0$

$A[I, I] := 1$

end.