# Syntax and grounding in adjective learning Supplementary material for Study 2

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February 27, 2025

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Theoretical background

#### Extra background on positive and negative adjectives

- Intuitively positive vs. negative adjectives pattern differently in several respects...
  - Positive (rather than negative) adjectives are used to ask unbiased degree-related questions.
  - Positive (rather than negative) adjectives are used to form unbiased comparatives/equatives.
  - Negative (rather than positive) adjectives may feature overt negative morphology.
- (1) a. How tall is Jo? → Jo may be tall or short.
  - b. How **short** is Jo?  $\sim$  Jo is short.
- (2) a. Jo is as **tall** as Al.  $\sim$  Both may be tall or short.
  - b. Jo is as **short** as Al.  $\sim$  Both are short.
- (3) a. in-competent; im-modest; un-lucky; dis-honest ...
  - b. \*un-small; \*im-messy; \*un-poor; \*dis-arrogant ...

#### An account of the ITA: Krifka, 2007

The Inference Towards the Antonym (Horn, 1989; Krifka, 2007; Ruytenbeek et al., 2017; Gotzner et al., 2018)

$$(not A) \Longrightarrow A'$$
 where A and A' are antonyms.  $(\heartsuit)$ 

#### ITA Pragmatic Mitigation Condition (Krifka, 2007)

$$(not A) \implies A', \text{ if } CPLX(not A) \gg CPLX(A') \qquad (\diamondsuit)$$

#### Negative Adjectives Complexity Hypothesis (Büring, 2007a, 2007b)

$$\forall \mathbf{A}^-$$
.  $\mathbf{A}^- = \text{Not-}\mathbf{A}^+$ , therefore:

$$CPLX(\mathbf{A}^{-}) = CPLX(NOT-\mathbf{A}^{+}) \sim CPLX(not \mathbf{A}^{+}) (\spadesuit)$$

$$CPLX(not \mathbf{A}^{-}) = CPLX(not Not \mathbf{A}^{+}) \gg CPLX(\mathbf{A}^{+})$$
 (\$\ddot\*)

#### Refinement of Krifka's predictions: Ruytenbeek et al., 2017

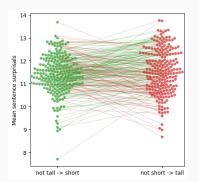
- Intuition: the decomposition A<sup>-</sup> = Not-A<sup>+</sup> is made particularly salient when the adjective is transparent.
- This means that (♠) and (♣) hold even "more unambiguously" for morphologically transparent pairs, which leads to a stronger interaction between the ITA and adjective polarity.
- In other words, the ITA contrast is expected to be stronger for transparent antonyms (cf. (5)) as opposed to opaque ones.
- (5) a. John is not lucky. Paul is unlucky too.
  - b. ## John is not unlucky. Paul is lucky too.

# sentence-level, other models

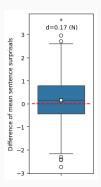
Preposed paradigm,

#### XLNet transparent + opaque

- (6) "Preposed too"
  - a. He is not  $A^+$ . She too is  $A^-$ .
  - b. # He is not  $A^-$ . She too is  $A^+$ .

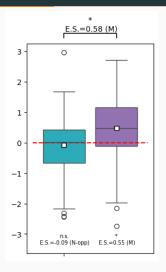


 $\mathscr{S}(6a)$  and  $\mathscr{S}(6b)$ . Links are sentence pairings. Green links show differences in the expected direction, red links in the opposite direction.



 $\mathcal{S}(6b) - \mathcal{S}(6a)$ . White square is the mean. '\*' means p < .05; effect size is Cohen's d. N=Negligible.

#### XLNet transparent vs. opaque

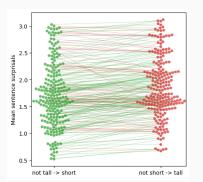


\$\mathscr{G}(6b) - \mathscr{S}(6a)\$, transparent vs. opaque pairs. White squares are means. Within-group p-values are BY-corrected. Effect size is Cohen's d. N-opp=Negligible opposite, M=Medium.

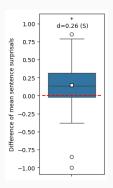
- Morphologically transparent pairs are associated with a stronger contrast than opaque pairs.
- In fact, only the transparent group gives rise to a significant contrast in ITA.

#### **BERT** transparent + opaque

- (6) "Preposed too"
  - a. He is not  $A^+$ . She too is  $A^-$ .
  - b. # He is not  $A^-$ . She too is  $A^+$ .

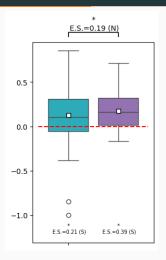


 $\mathcal{S}(6a)$  and  $\mathcal{S}(6b)$ . Links are sentence pairings. Green links show differences in the expected direction, red links in the opposite direction.



 $\mathcal{S}(6b) - \mathcal{S}(6a)$ . White square is the mean. '\*' means p < .05; effect size is Cohen's d. S=Small.

#### BERT transparent vs. opaque

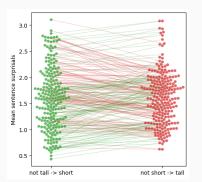


 $\mathscr{S}(6b)-\mathscr{S}(6a)$ , transparent vs. opaque pairs. White squares are means. Within-group p-values are BY-corrected. Effect size is Cohen's d. S=Small, N=Negligible.

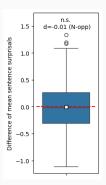
- No significant difference between morphologically transparent and opaque pairs.
- Significant, small contrast in ITA in both groups.

#### RoBERTa transparent + opaque

- (6) "Preposed too"
  - a. He is not  $A^+$ . She too is  $A^-$ .
  - b. # He is not  $A^-$ . She too is  $A^+$ .

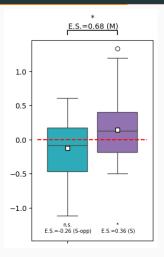


 $\mathcal{S}(6a)$  and  $\mathcal{S}(6b)$ . Links are sentence pairings. Green links show differences in the expected direction, red links in the opposite direction.



 $\mathcal{S}(6b) - \mathcal{S}(6a)$ . White square is the mean. '\*' means p < .05; effect size is Cohen's d. N-opp=Negligible opposite.

#### RoBERTa transparent vs. opaque

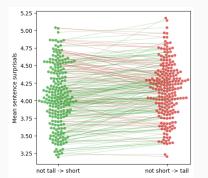


 $\mathscr{S}(6b)-\mathscr{S}(6a)$ , transparent vs. opaque pairs. White squares are means. Within-group p-values are BY-corrected. Effect size is Cohen's d. S-opp=Small opposite, S=Small, M=Medium.

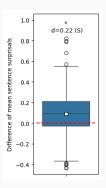
- Morphologically transparent pairs are associated with a stronger contrast than opaque pairs.
- In fact, the transparent group gives rise to a significant contrast in ITA in the right direction, while the opaque group gives rise to a contrast, in the wrong direction!

#### Mistral 7B transparent + opaque

- (6) "Preposed too"
  - a. He is not  $A^+$ . She too is  $A^-$ .
  - b. # He is not  $A^-$ . She too is  $A^+$ .

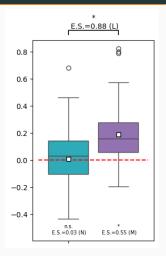


 $\mathscr{S}(6a)$  and  $\mathscr{S}(6b)$ . Links are sentence pairings. Green links show differences in the expected direction, red links in the opposite direction.



 $\mathcal{S}(6b) - \mathcal{S}(6a)$ . White square is the mean. '\*' means p < .05; effect size is Cohen's d. S=Small.

#### Mistral 7B transparent vs. opaque



 $\mathscr{S}(6b)-\mathscr{S}(6a)$ , transparent vs. opaque pairs. White squares are means. Within-group p-values are BY-corrected. Effect size is Cohen's d. N=Negligible, M=Medium, L=Large.

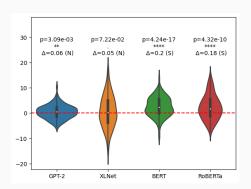
- Morphologically transparent pairs are associated with a stronger contrast than opaque pairs.
- In fact, only the transparent group gives rise to a significant contrast in ITA.

Other paradigms tested

#### All three "paradigms"

- 3 kinds of minimal pairs were assessed in 3 different sub-experiments. All pairs of sentences were counterbalanced for gender and filled with the 111 possible (A<sup>+</sup>, A<sup>-</sup>) antonymic pairs.
- (6) "Preposed too" (does more justice to left-to-right LLMs)
  - a. He is not  $A^+$ . She too is  $A^-$ .
  - b. # He is not  $A^-$ . She too is  $A^+$ .
- (7) "Postposed too" (very close to the stimuli in Ruytenbeek et al., 2017)
  - a. He is not  $A^+$ , and she is  $A^-$  too.
  - b. # He is not  $A^-$ , and she is  $A^+$  too.
- (8) "Meta"
  - a. He is not  $A^+$  means that he is  $A^-$ .
  - b. # He is not  $A^-$  means that he is  $A^+$ .

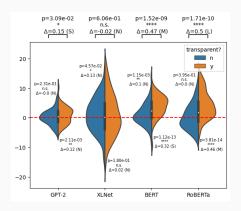
#### Sentence-level results for all models, postposed too paradigm



Paired differences in sentence surprisal between (5'b) and (5'a), p-value computed using a Wilcoxon test, effect sizes with Cliff's  $\Delta$ .

- All models but one (XLNet) exhibit a significant contrast in ITA strength, but the effect sizes are negligible (GPT-2) or small (BERT/RoBERTa).
- Because too appears after the critical adjectives, this paradigm expectedly favors bidirectional models.

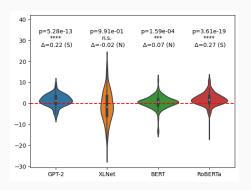
#### Postposed too paradigm at the sentence-level: group-by-group



Paired differences in sentence surprisal between (5'b) and (5'a), group-by-group (T vs. O), p-value computed using a Wilcoxon test, effect sizes with Cliff's  $\Delta$ .

- BERT is the only model for which H1 is individually verified by both the T- and O-group.
- BERT also verifies H2, meaning, the T-group is associated to a bigger contrast in ITA strength than the O-group (medium effect size).

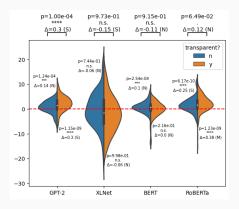
#### "Meta" paradigm at the sentence-level:both groups



Paired differences in sentence surprisal between (8b) and (8a), p-value computed using a Wilcoxon test, effect sizes with Cliff's  $\Delta$ .

 All models but one (XLNet) exhibit a significant contrast in ITA strength, but the effect sizes are negligible (BERT) or small (GPT-2/RoBERTa).

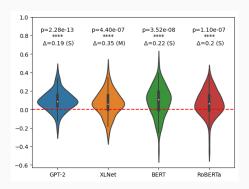
#### "Meta" paradigm at the sentence-level:group-by-group



Paired differences in sentence surprisal between (8b) and (8a), group-by-group (T vs. O), p-value computed using a Wilcoxon test, effect sizes with Cliff's  $\Delta$ .

- GPT-2 and RoBERTa are the two models for which H1 is individually verified by both the Tand O-group.
- But only GPT-2 clearly verifies H2 (RoBERTa is characterized by a negligible effect size...).

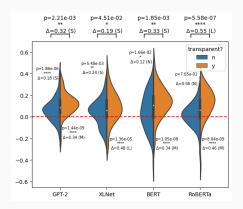
#### Results for H1, both groups



Paired differences in cosine similarities between (not  $\overrightarrow{A^+}, \overrightarrow{A^-}$ ) and (not  $\overrightarrow{A^-}, \overrightarrow{A^+}$ ), p-value computed using a Wilcoxon test, effect sizes using Cliff's  $\Delta$ .

- All models exhibit a significant contrast in cosine similarities (and by proxy ITA strength) as a function of adjective polarity, with small-to-medium effect sizes.
- This suggests that H1 translates into a topological inequality within the LLMs' vector spaces!

#### Results for H1, group-by-group, and H2



Paired differences in cosine similarities between (not  $\overrightarrow{A^+}, \overrightarrow{A^-}$ ) and (not  $\overrightarrow{A^-}, \overrightarrow{A^+}$ ), group-by-group p-values computed using a Wilcoxon test, and between-group p-values using a Mann-Whitney U-test. Effect sizes are Cliff's  $\Delta$ .

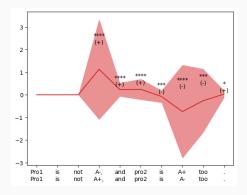
- GPT-2 and XLNet are the two models for which H1 is individually verified by both the Tand O-group.
- Both models also verify H2, meaning, the T-group is associated to a bigger contrast in ITA strength than the O-group (small effect sizes).
- Quite encouraging results overall but...

# Word-level

#### Predictions of left-to-right processing on word-level surprisal

- What do the best performing models do at the word-level?
- From a language processing standpoint, we expect the positive contrasts in surprisal witnessed in the sentence-level assessments to be driven by the occurrence of the second adjective:
  - given what precedes it, this adjective is expected to be ok (i.e. not surprising) when negative;
  - and less ok (i.e. quite surprising) when positive.
- (6) a. He is not  $A^+$ . She too is  $A_{\odot}^-$ .
  - b. # He is not  $A^-$ . She too is  $A_{\odot}^+$ .

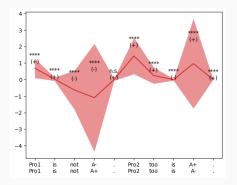
#### Word-level processing: GPT-2



Paired word-by-word differences in surprisal between (2"b) and (2"a), p-values computed using Wilcoxon tests. Red line is the mean, red enveloppe is the standard deviation. Similar plots for the two other paradigms.

- A<sup>-</sup> is significantly more surprising than A<sup>+</sup> after negation (position 4)...
- but also in position 8 (second occurrence), against the expectations...
- The effect witnessed at the sentence-level was driven by the wrong element of the sentence!!!
- BERT and RoBERTa did better but evaluating bidirectional models at the word-level is also trickier.

#### Word-level processing: BERT



Paired word-by-word differences in surprisal between (8b) and (8a), p-values computed using Wilcoxon tests. Red line is the mean, red enveloppe is the standard deviation. Similar plots for the two other paradigms.

- A<sup>-</sup> is significantly less surprising than A<sup>+</sup> after negation (position 4)...
- and also significantly less surprising than A<sup>+</sup> in position 9.
- The effect witnessed at the sentence-level makes sense at the word-level.
- But some amount of negative surprisal may have "transferred" from position 9 to position 4, due to the model's bidirectionality.

**Neural** assessment

#### Measuring the ITA in the embedding space

- In this task, we abandon stimuli sentences to focus on the internal (vector) representations assigned by the original standard
  LLMs to A<sup>+</sup>, A<sup>-</sup>, and their respective negations: A<sup>+</sup>, A<sup>-</sup>, not A<sup>+</sup>, not A<sup>-</sup>.
- A common measure of semantic proximity in such vector spaces is cosine similarity:

$$\textit{CosSim}(\vec{v}_1, \vec{v}_2) = \frac{\vec{v}_1.\vec{v}_2}{||\vec{v}_1|| \times ||\vec{v}_2||} \in [-1; 1]$$

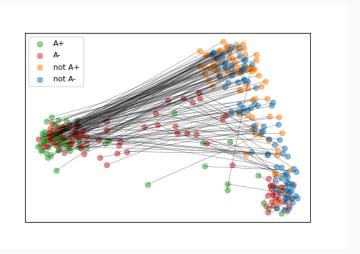
• If H1 translates into the  $\overrightarrow{LLMs'}$  vector space, we then expect  $\overrightarrow{not}$   $\overrightarrow{A^+}$  to be closer to  $\overrightarrow{A^+}$  than  $\overrightarrow{not}$  is close to  $\overrightarrow{A^+}$ , i.e.:

$$CosSim(\overrightarrow{\mathsf{not}}\ \overrightarrow{\mathbf{A}^+}, \overrightarrow{\overline{\mathbf{A}^+}}) - CosSim(\overrightarrow{\mathsf{not}}\ \overrightarrow{\mathbf{A}^-}, \overrightarrow{\overline{\mathbf{A}^+}}) > 0$$

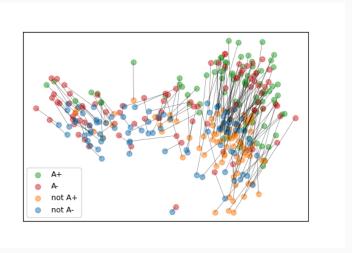
 Moreover, H2 predicts that this difference should be bigger for T-antonyms as opposed to O-antonyms.

<sup>&</sup>lt;sup>2</sup>In practice, we included the copula *is* as a left context to get those representations.

### **XLNet Embedding**



### BERT Embedding



### **RoBERTa Embedding**

