

Name → Adhyayan Dhyan
Class → 4th sem, Sec-H
Roll no → 20

Date _____
Page No. _____

DAA- Tutorial - 5

BFS

- i) Uses queue data structure.
- ii) Stands for Breadth first search
- iii) Can be used to find single source shortest path in an unweighted graph.
- iv) Siblings are visited before the children.

DFS

- Uses stack data structure.
- Stands for depth first search
- We might traverse through more edges to reach a destination vertex.
- Children are visited before the siblings.

Applications :

- 1) Shortest path & Min spanning tree for unweighted graph
- 2) Peer to Peer network
- 3) Social Networking web.
- 4) GPS Navigation systems.

- Detecching cycle in a graph.
- Path finding
- Topological sorting
- Solving puzzles with only one soln.

Ans 2Solⁿ

In BFS we use Queue data structures as queue is used when things don't have to be processed immediately but have to be processed in FIFO order like BFS.

In DFS stack is used as DFS uses backtracking. For DFS, we retrieve it from root to the farthest node as much as possible same as LIFO.

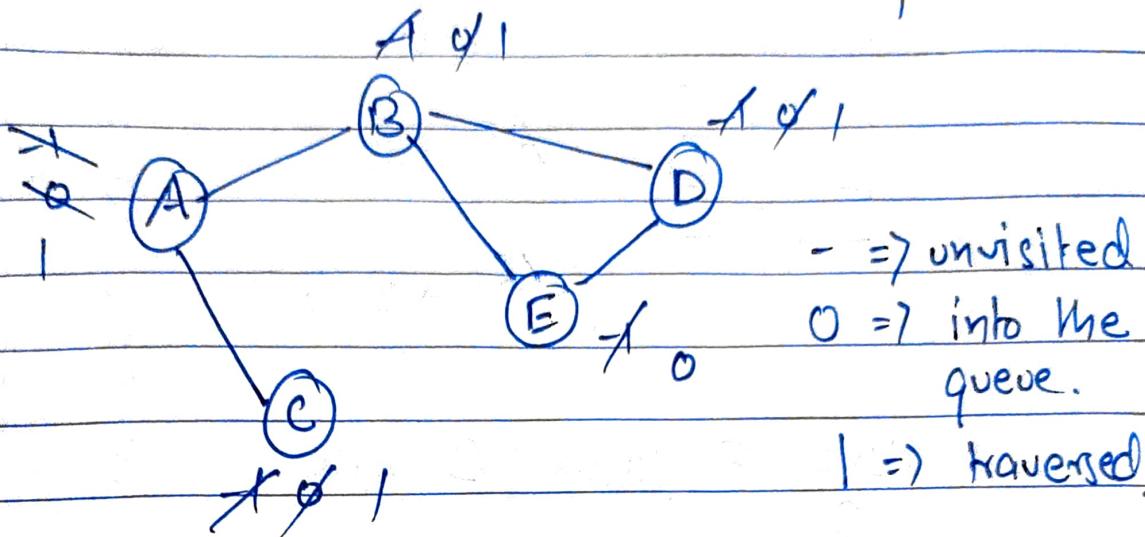
Ans 3Solⁿ

Dense graph is a graph in which the no. of edges is close to the maximal no. of edges

Sparse graph is a graph in which the no. of edges is close to the minimal no. of edges. It can be disconnected graph

Ans 4Solⁿ

Cycle detection in undirected Graph (BFS)



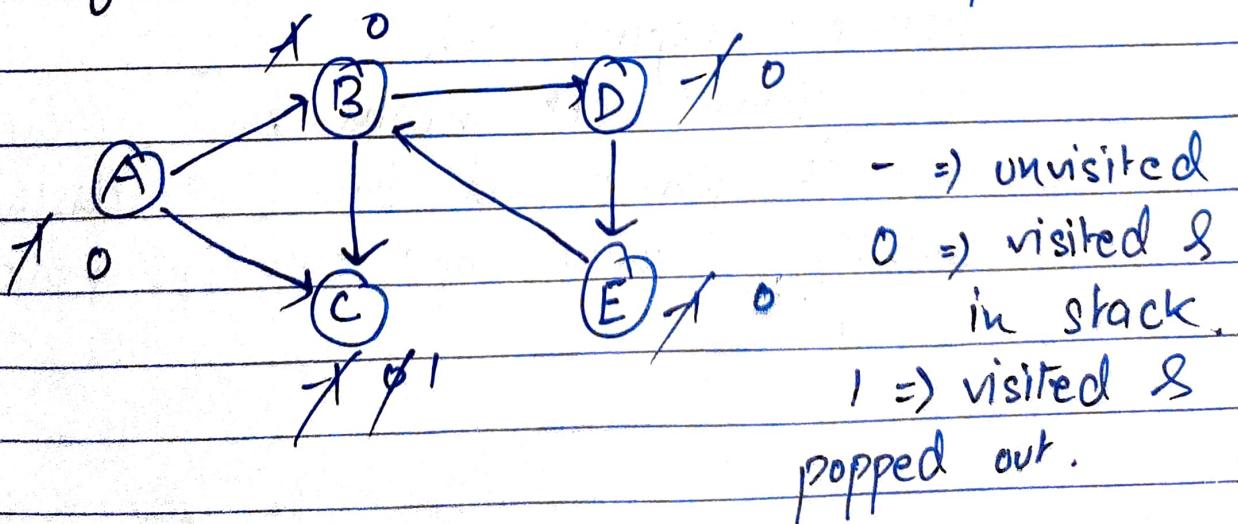
Queue :

A	B	C	D	E
---	---	---	---	---

Visited Set :

A	B	C	D
---	---	---	---

Cycle detection in Directed Graph (DFS)



Stack :



Visited set

ABCDE

$B \rightarrow D \rightarrow E \rightarrow B$

Parent map

Vertex

A

B

C

D

B

Parent

-

A

B

B

D

Here E finds B with
0,

E

→ it contains a cycle.

Ans 5

Sol

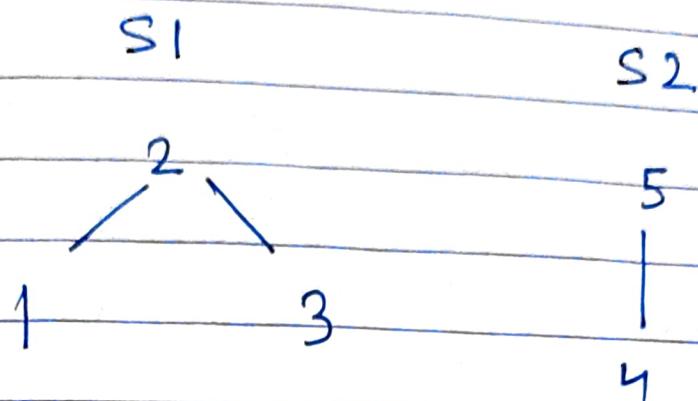
The disjoint set data structure is also known as union-find data structure & merge - find set. It is a data structure that contains a collection of disjoint or non-overlapping sets.

The disjoint set means that when the set is partitioned into the disjoint subsets, various opⁿ can be performed on it.

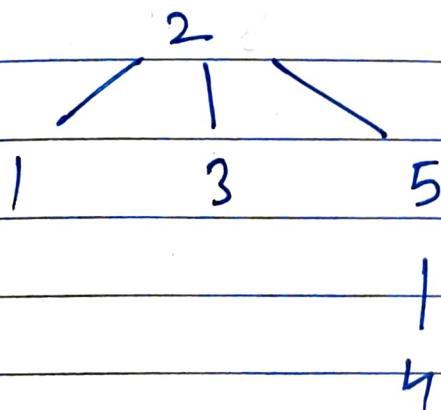
Operations on disjoint set.

1) Union.

Eg.



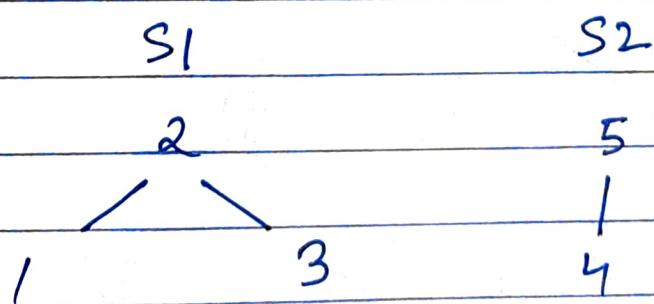
$S1 \cup S2$



Merge the sets containing X & containing Y into one.

2) Find

Eg.



find(3) \Rightarrow S1

find(5) \Rightarrow S2

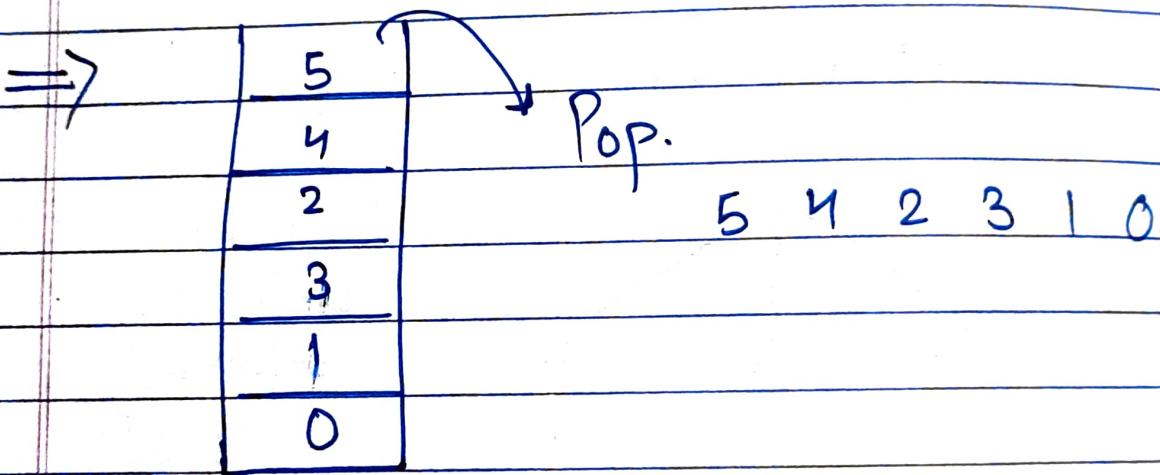
return in which set X belongs.

37

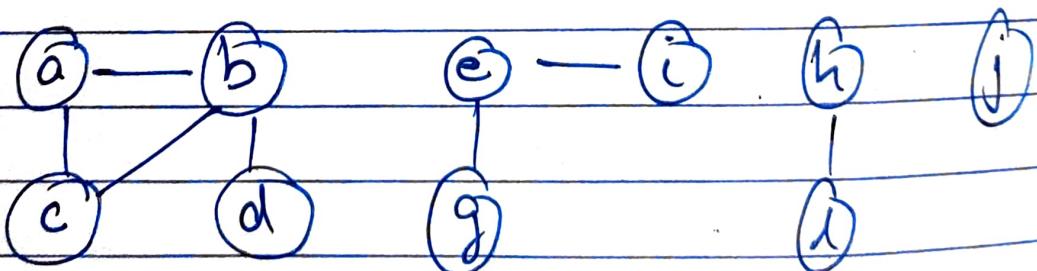
Make-Set(X) : Create a set containing X.

Ans 6
Solⁿ

Go to node 5, all its adjacent nodes are already visited so push node 5 into the stack & mark it visited.



Ans 7
Solⁿ



$$V = \{a, b, c, d, e, g, h, i, j, l\}$$

$$E = \{(a,b), (a,c), (b,c), (b,d), (e,i), (e,g), (h,l), (j,l)\}$$

{a, b} {c} {d} {e} {g} {h} {i} {j} {l}

(a, b)	{a, b} {c} {d} {e} {g} {h} {i} {j} {l}
(a, c)	{a, b, c} d, e, g, h, i, j, l
(b, c)	{a, b, c} d, e, g, h, i, j, l
(b, d)	{a, b, c, d} e, g, h, i, j, l
(e, i)	{a, b, c, d} {e, i} g, h, j, l
(e, g)	{a, b, c, d} {e, i, g} h, j, l
(h, l)	{a, b, c, d} {e, i, g} {h, l} {j}
(j)	{a, b, c, d} {e, i, g} {h, l} {j}

We have,

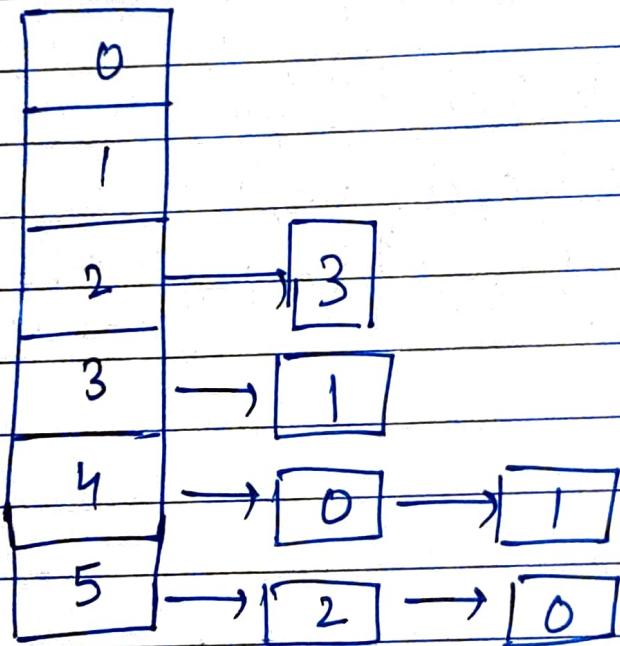
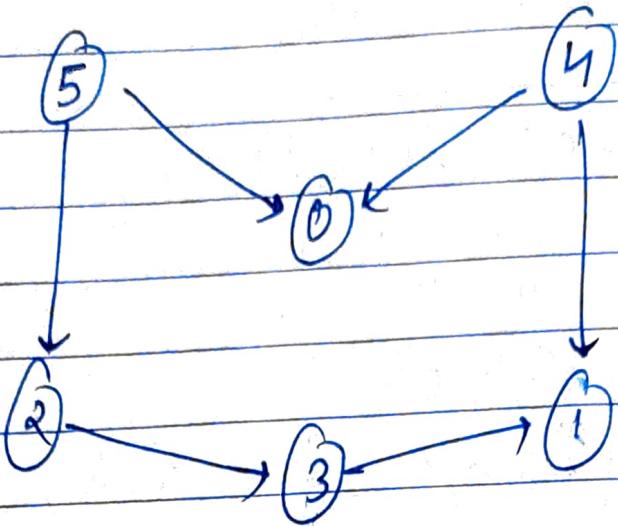
{a, b, c, d}

{e, i, g}

{h, l}

{j}

Ans 8
Soln



Algo :-

- 1) Go to node 0, it has no outgoing edges so push node 0 into the stack & mark it visited.

- 2) Go to node 1, again it has no outgoing edges, so push node 1 into the stack & mark it visited.
- 3) Go to node 2, process all the adjacent nodes & mark node 2 visited.
- 4) Node 3 is already visited so continue with next node.
- 5) Go to node 4, all. its adjacent node are already visited so push node 4 into the stack & mark it visited.

Ans 10
Soln

Min Heap

Max Heap.

1) For every pair of the parent & descendant child ~~is~~ node, the parent node always has lower value.

For every pair of the parent & descendant child node has greater value.

2) The value of nodes including as we traverse from root to leaf node.

The value of nodes decreases as we traverse from root to leaf node.

3) Root node has the lowest value.

The root node has the greatest value.