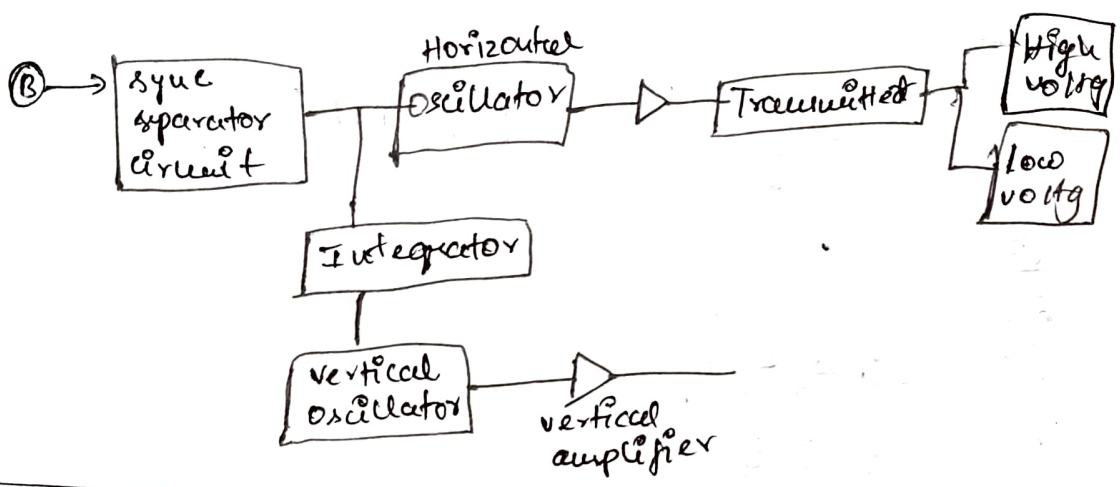
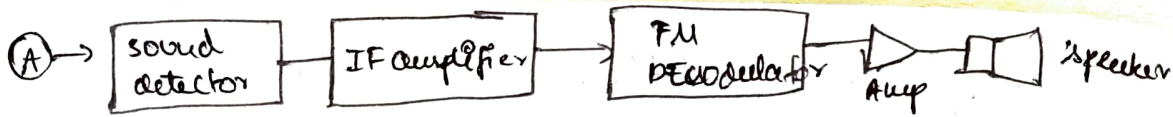
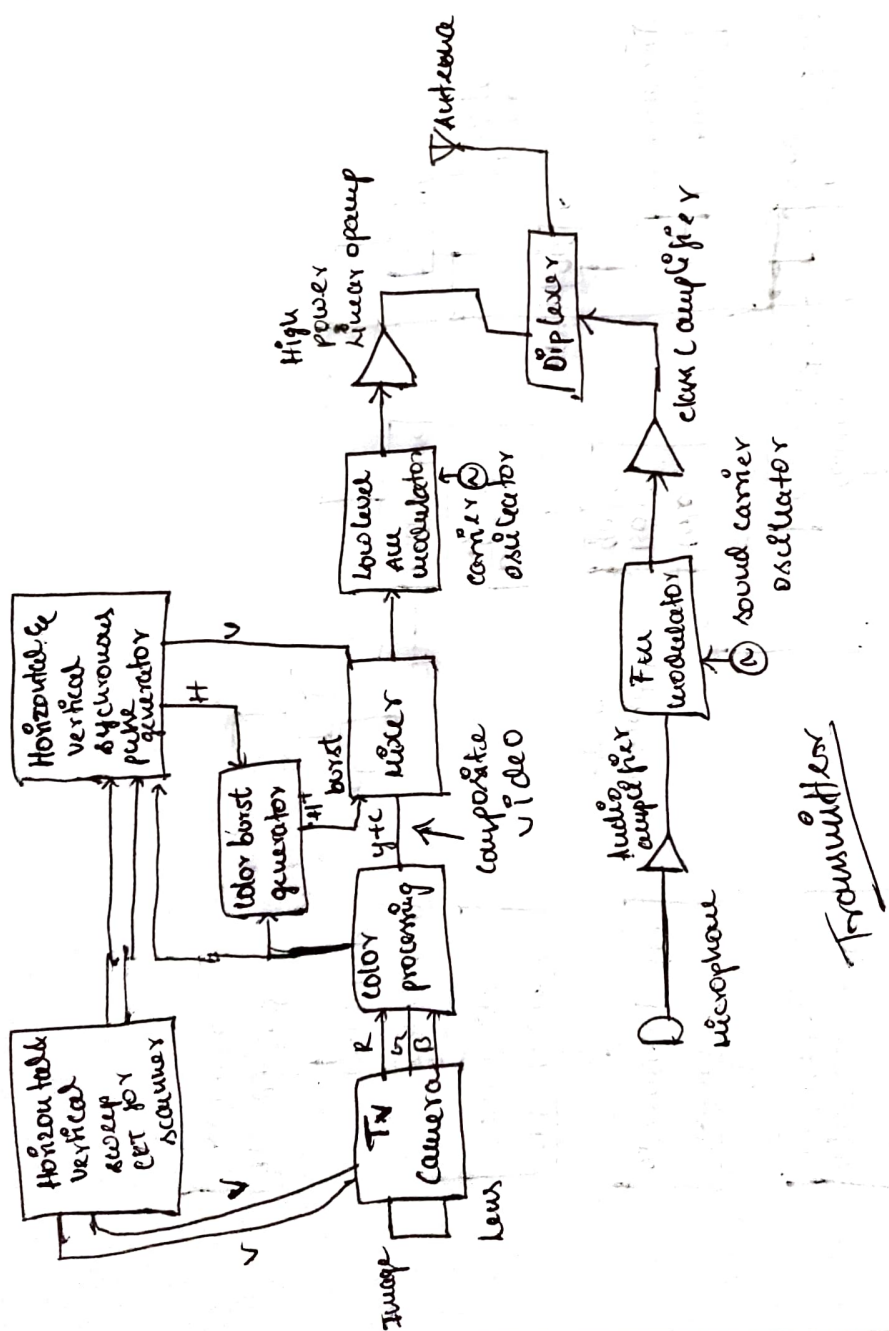


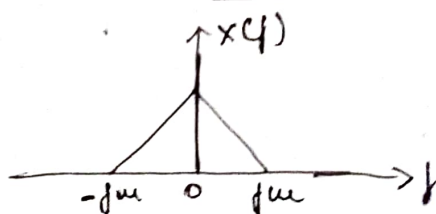
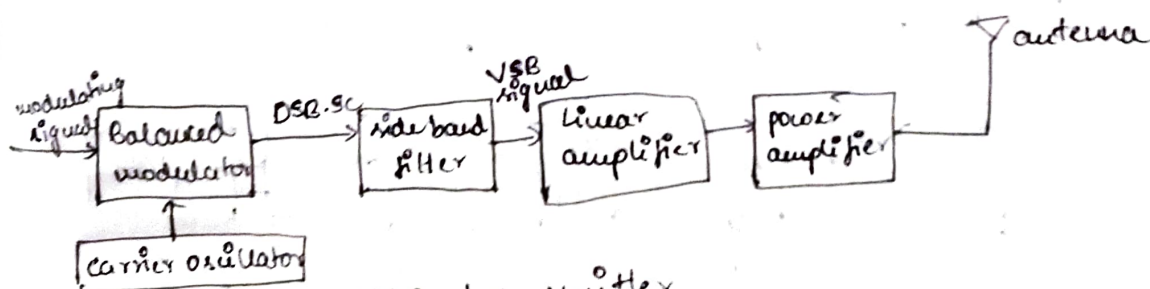
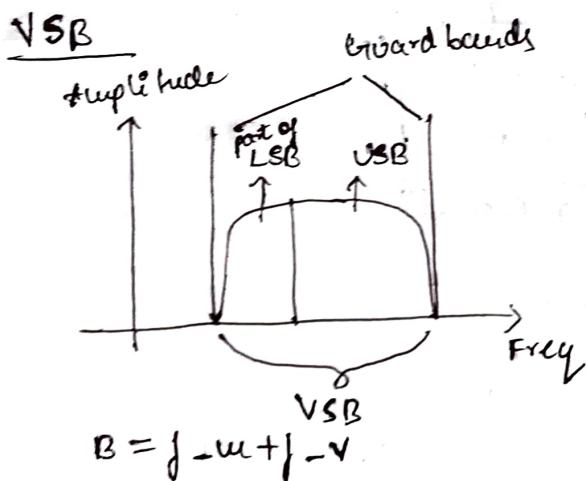
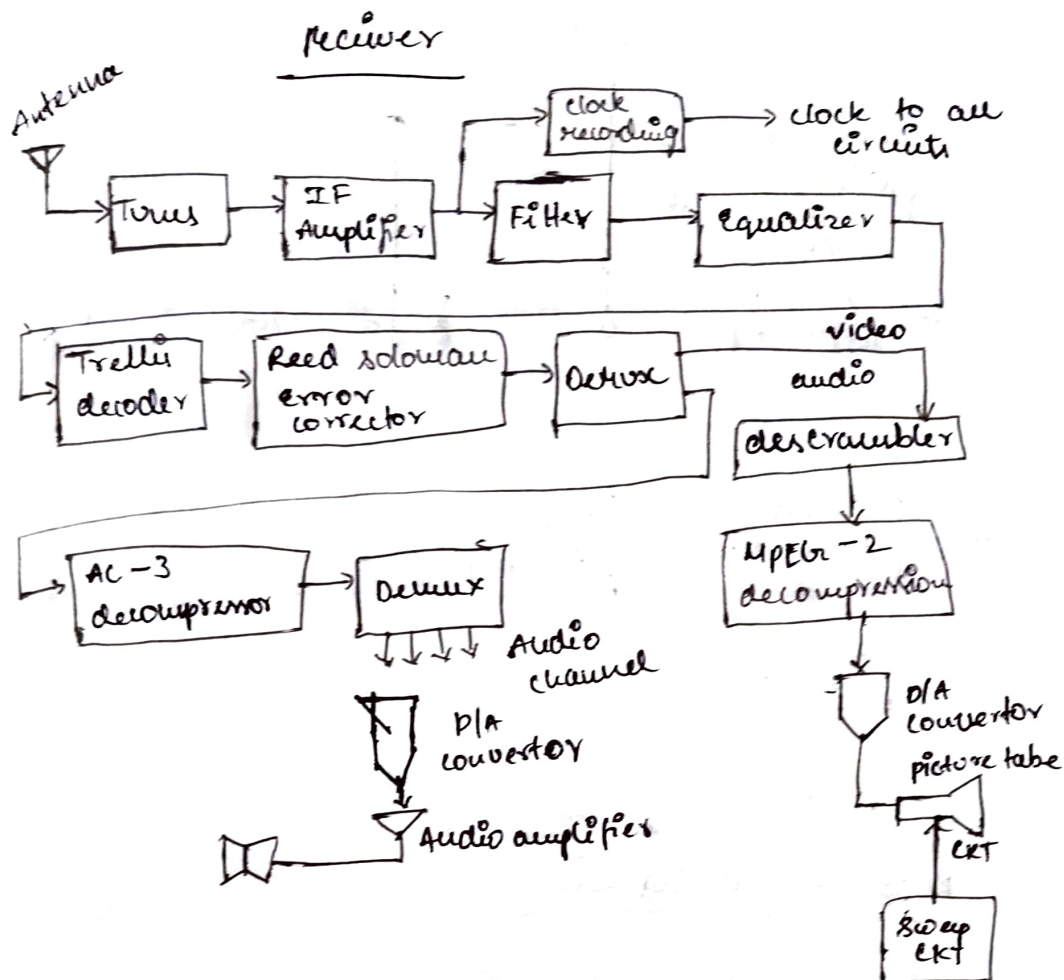
Tones

pull freq

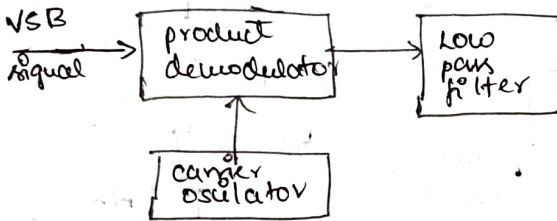
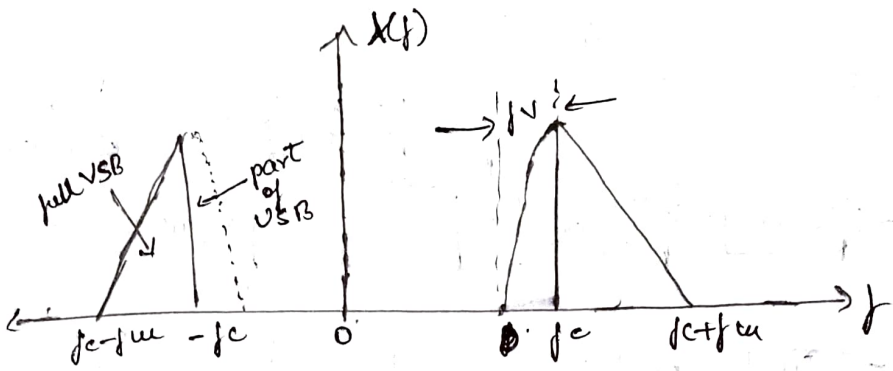


HDTV Transmitter and receiver





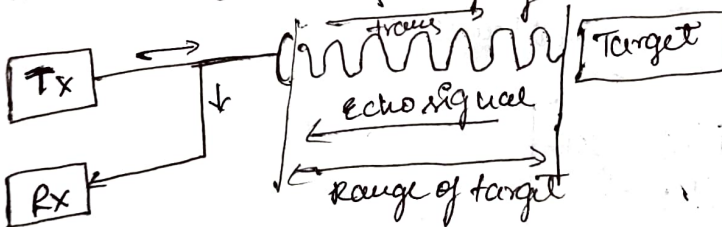
spectrum of
average signal



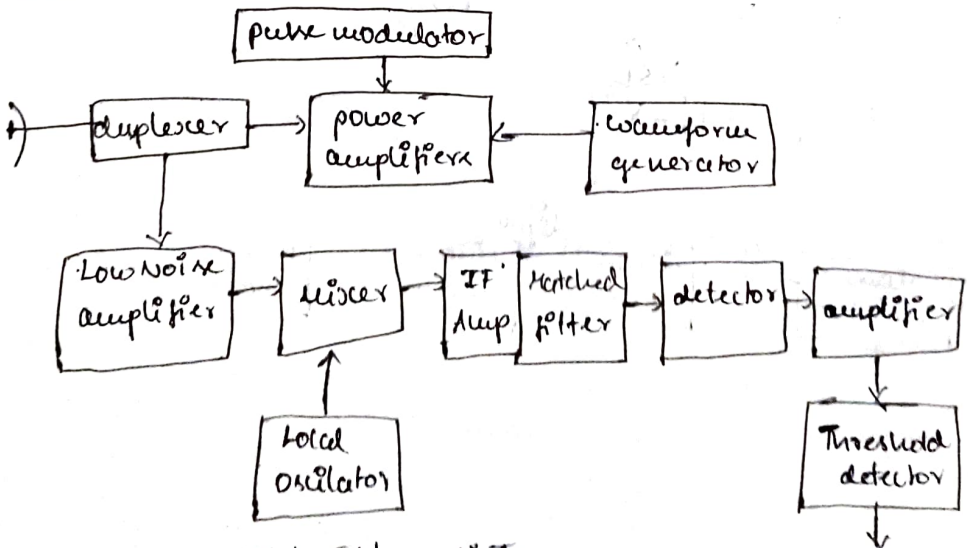
Unit - 4

Radar communication

Radar :- radio detection & ranging



Block diagram of radar



RF to Intermediate Freq

Radar Equation

10m

p_{is} = power density in isotropic

p_t = transmitted power

$4\pi R^2$ = area

$$p_{is} = \frac{p_t}{4\pi R^2} \quad \text{--- (1)}$$

p_{dir} = power density w/rt directive antenna

$$p_{dir} = \frac{p_t G}{4\pi R^2} \quad \text{--- (2)}$$

p_{rad} = power radiated

$$p_{rad} = \frac{p_t G}{4\pi R^2} \cdot \sigma \quad [\sigma = \text{area of cross section}]$$

$$p_{rad} = \frac{p_t G \sigma A_e}{(4\pi)^2 R^4} \quad [A_e = \text{effective aperture}]$$

$$A_e = \beta A$$

fundamental radar eq

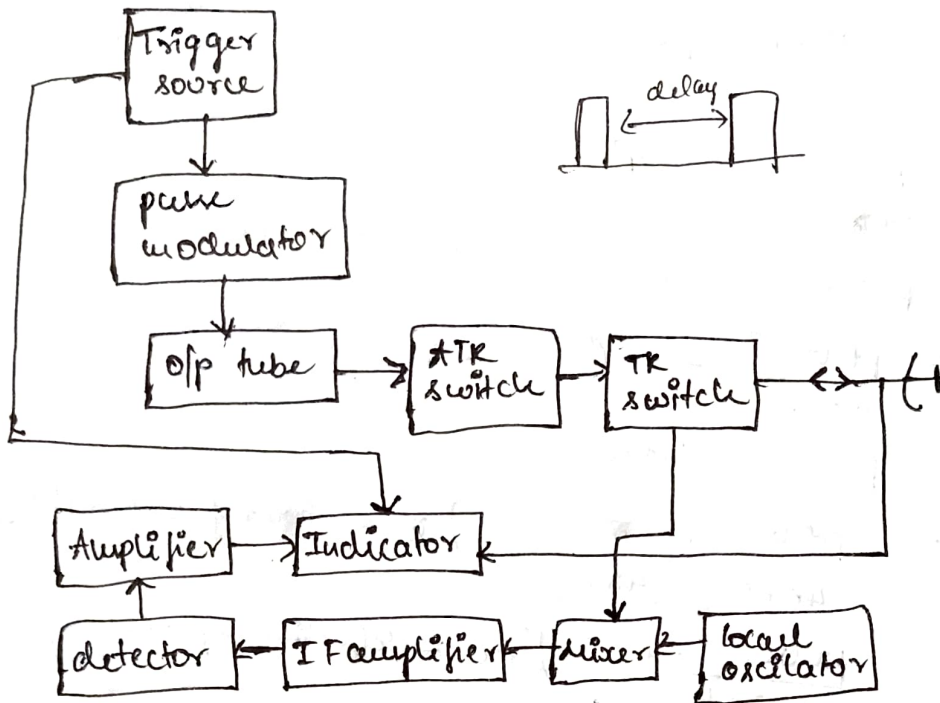
gain & effective area [relationship]

$$A_e G = \frac{p_{rad} \cdot (4\pi)^2 R^4}{p_t \sigma G}$$

$$A_e G = \frac{4\pi A_e}{\lambda^2}$$

$$R^4 = \frac{p_t G \sigma A_e}{(4\pi)^2 p_{rad}} \Rightarrow R = \left(\frac{p_t G \sigma A_e}{(4\pi)^2 p_{rad}} \right)^{\frac{1}{4}}$$

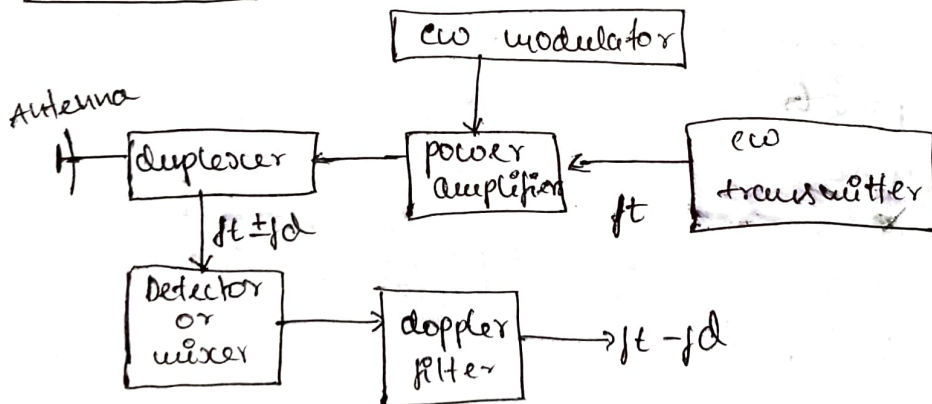
1) pulsed radar :-



ATR - Anti Transmitter & receiver switch

TR - Transmitter receiver switch

CW Radar



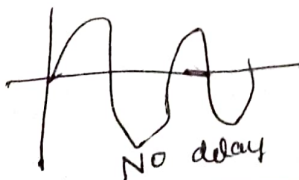
* cw specialty is to measure the moving object velocity

* doppler's effect principle [it works]

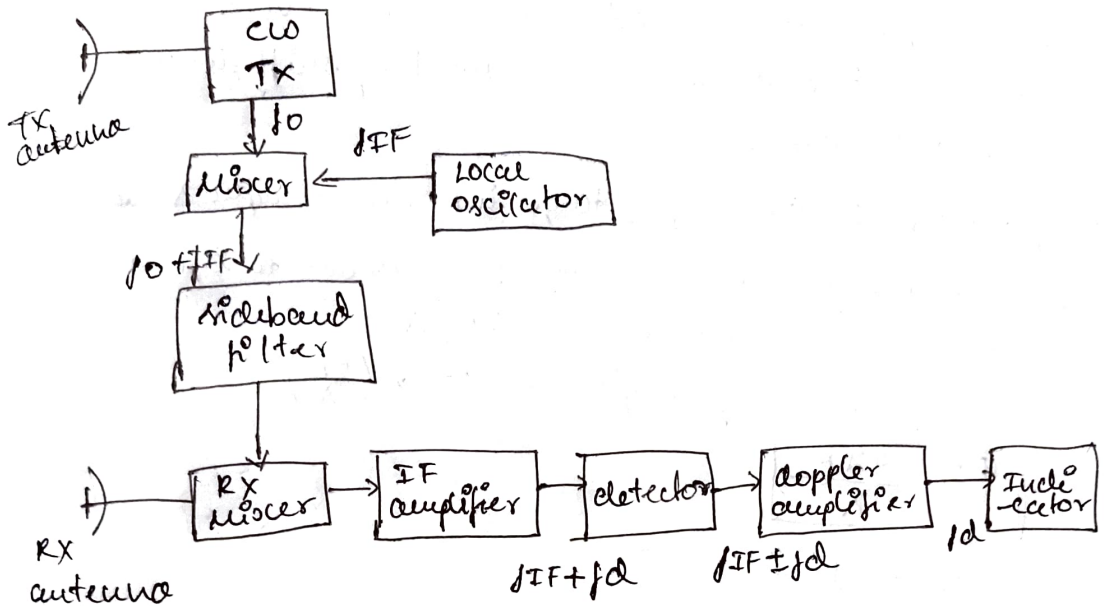
f_t :- transmitting freq

f_d :- dopler freq

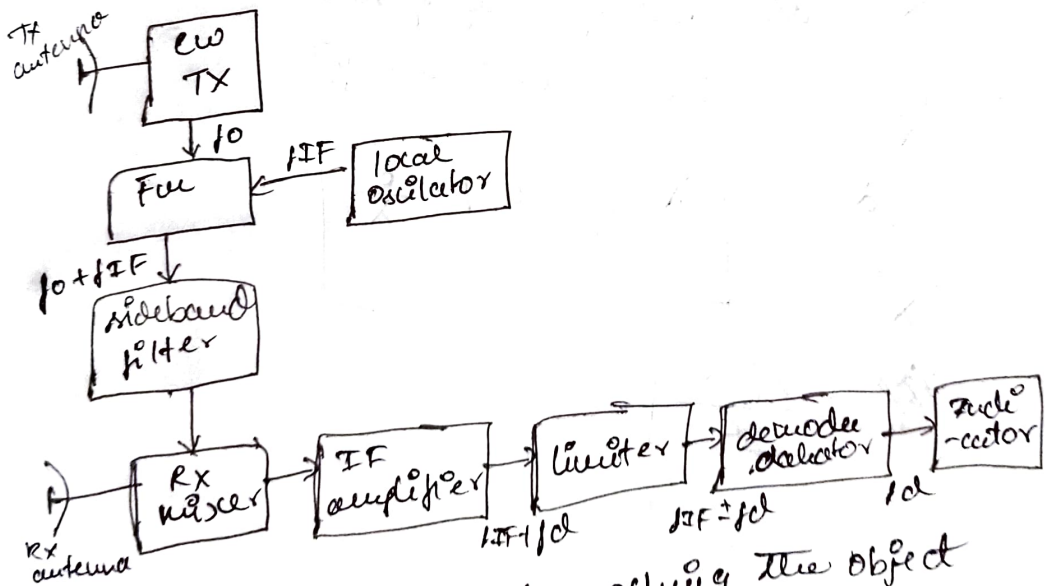
continuous wave = $f_t - f_d$ [cw]



CW radar with non zero intermediate freq



FM radar



• it also calculates the time of approaching the object

Another — it acts as a filter

(Signature)

Equation for doppler frequency shift

• doppler freq :- The freq shift can be +ve or -ve if the target is moving towards the radar the freq shift is +ve or else it is negative.

• Range of target :- the range of target is R , wavelength λ

• Total no. of signals in propagation from radar to the target and written it been taken has $2R/\lambda$

• The total phase change is given by $2\pi \times \left(\frac{2R}{\lambda}\right)$

$$\phi = \frac{4\pi R}{\lambda}$$

• In case the target is

$$wd = \frac{d\phi}{dt} \quad \text{rate of change of phase}$$

$$= \frac{4\pi}{\lambda} \frac{dR}{dt} \quad \left[\begin{array}{l} \text{radial velocity} \\ \text{rate of change of range w.r.t time} \end{array} \right]$$

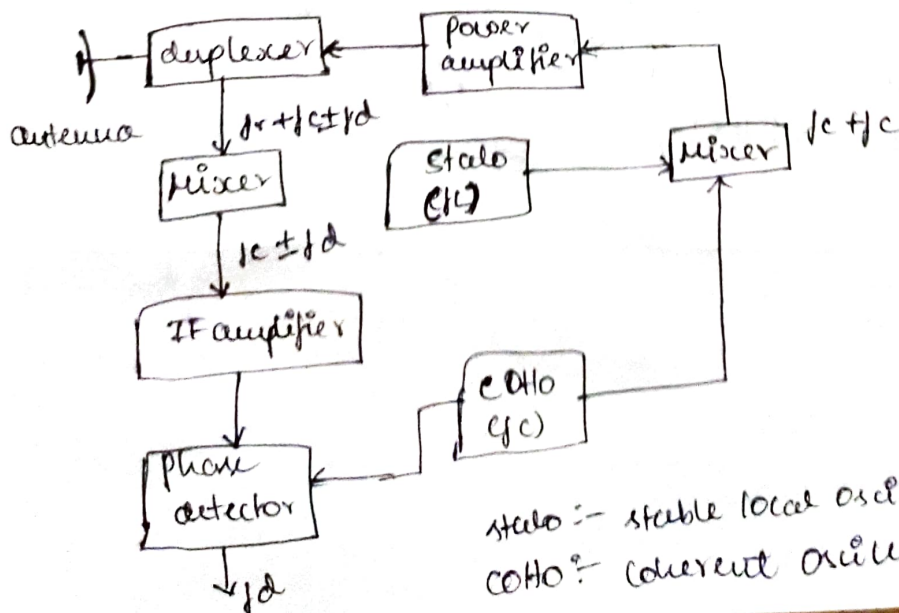
$$= \frac{4\pi}{\lambda} v_r \quad [v_r = \text{radial velocity}]$$

$$wd = 2\pi f_d \quad \left[\begin{array}{l} \lambda = \frac{c}{f} \text{ or } f = \frac{c}{\lambda} \end{array} \right]$$

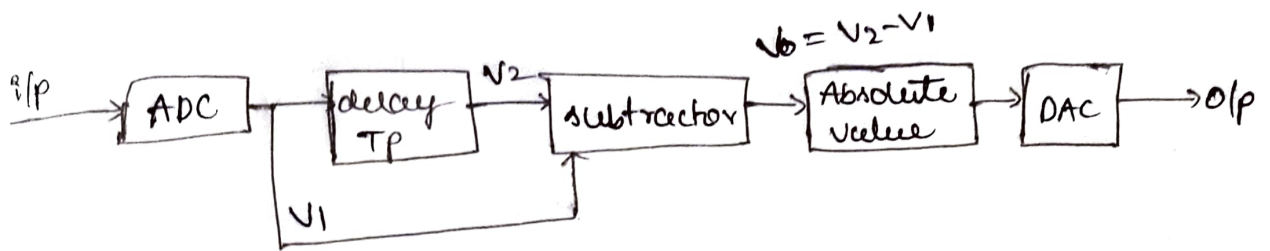
$$f_d = \frac{2v_r}{\lambda}$$

$$f_d = \frac{2f v_r}{c}$$

MTI RADAR



Delay line canceller



$$V_1 = K \sin [2\pi f_d t - \phi]$$

$$V_2 = K \sin [2\pi f_d (t - t_p) - \phi]$$

$$V = V_2 - V_1$$