Practical 1 1

```
c1=34+7j
c2=32+27j
c1+c2
print("Addition of two complex number is ", c1+c2)
print("Subtraction of two complex number is ", c1-c2)
print("Multiplication of two complex number is ", c1*c2)
print("Division of two complex number is ", c1/c2)
Output
```

```
Addition of two complex number is (66+34j)
Subtraction of two complex number is (2-20j)
Multiplication of two complex number is (899+1142j)
Division of two complex number is (0.728465487735311-0.39589275527666856j)
```

Practical 1_2

```
t=3+4j
print(t)
m=t.conjugate()
print("conjugate of t is ",m)

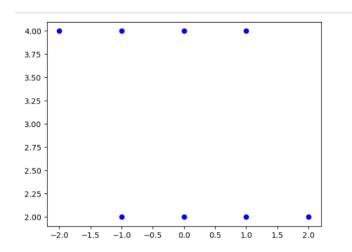
Output

(3+4j)
    conjugate of t is (3-4j)
```

Practical 1_3

```
import matplotlib.pyplot as plt x=3+2j a=[-2+4j,-1+2j,0+2j,1+2j,2+2j,-1+4j,0+4j,1+4j] A=[x.real for x in a] B=[x.imag for x in a] plt.scatter(A,B,color="blue") plt.show()
```

Output



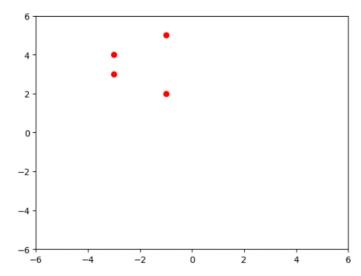
Practical 1_4

```
import matplotlib.pyplot as plt
s = \{3+3j, 4+3j, 2+1j, 5+1j, 2+1j\}
angle=int(input("Enter the angle rotation"))
if angle==90:
    s1=\{x*1j \text{ for } x \text{ in } s\}
    print(s1)
    x=[x.real for x in s1]
    y=[x.imag for x in s1]
    plt.plot(x,y,'ro')
    plt.axis([-6,6,-6,6])
    plt.show()
elif angle==180:
    s1=\{x*-1 \text{ for } x \text{ in } s1\}
    print(s1)
    x=[x.real for x in s1]
    y=[x.imag for x in s1]
    plt.plot(x,y,'ro')
    plt.axis([-6,6,-6,6])
```

```
plt.show()
else:
   print("invalid angle")
```

Output

```
Enter the angle rotation90 {(-3+4j), (-1+2j), (-1+5j), (-3+3j)}
```



Practical 2

```
import numpy as np
#enter vector as n-list
x=np.array([5,6,7])
y=np.array([1,2,3])
print(x)
print(y)
print("enter value of a and b")
a=int(input())
b=int(input())
c=a*x+b*y
d=np.dot(x,y)
print("au+bv vector is " , c)
print("dot product is ",d)
```

Output

```
[5 6 7]
[1 2 3]
enter value of a and b
34
12
au+bv vector is [182 228 274]
dot product is 38
```

Practical 3_1

```
import numpy as np
M=np.array([[1,1,1],[3,4,7],[9,6,3]])
#matrix M is
print("matrix M is ", M)
Y=M[0:1]
#first row of matrix M is
print("first row of matrix M is ",Y)
x=M[0:2]
#first two rows of matrix M is
print("first two rows of matrix M is ",x)
t=M[0:3]
#all rows of matrix M is
print("all three rows of matrix M is ",t)
Output
   matrix M is [[1 1 1]
    [3 4 7]
    [9 6 3]]
   first row of matrix M is [[1 1 1]]
   first two rows of matrix M is [[1 1 1]
   [3 4 7]]
   all three rows of matrix M is [[1 1 1]
   [3 4 7]
    [9 6 3]]
```

Practical 3_2

```
import numpy as np
M=np.array([[1,1,1],[3,4,7],[9,6,3]])
M
#matrix M is
print("matrix M is ",M)
Y=M[:,0:1]
Y
#first column of matrix M is
print("first column of matrix M is ",Y)
x=M[:,0:2]
#first two columns of matrix M is
print("first two columns of matrix M is
print("first two columns of matrix M is
print("first two columns of matrix M is ",x)
t=M[:,0:3]
#all columns of matrix M is
print("all three columns of matrix M is ",t)
```

```
matrix M is [[1 1 1]
  [3 4 7]
  [9 6 3]]
first column of matrix M is [[1]
  [3]
  [9]]
first two columns of matrix M is [[1 1]
  [3 4]
  [9 6]
all three columns of matrix M is [[1 1 1]
  [3 4 7]
  [9 6 3]]
```

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Practical 3_3

```
import numpy as np
M=np.array([[1,1,1],[3,4,7],[9,6,3]])
M
#matrix M is
print("matrix M is ",M)
a=6
scalar=a*M
print("scalar-matrix multiplication is ",scalar)

Output

matrix M is [[1 1 1]
       [3 4 7]
       [9 6 3]]
       scalar-matrix multiplication is [[ 6 6 6]
       [18 24 42]
       [54 36 18]]
```

Practical 3 4

```
original matrix
[[12, 7], [4, 5], [3, 8]]
transpose of matrix
[12, 0, 0]
[0, 0, 0]
[12, 0, 0]
[7, 0, 0]
[12, 4, 0]
[7, 0, 0]
[12, 4, 0]
[7, 5, 0]
[12, 4, 3]
[7, 5, 0]
[12, 4, 3]
[7, 5, 8]
```

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Practical 4_1

```
import numpy as np
x=np.array([1,4,6])
y=np.array([[2,3],[3,4],[4,5]])
print(np.dot(x,y))

Output
[38 49]
```

Practical 4 2

```
matrix A is [[3 2 2]
 [4 1 5]
 [1 2 3]]
matrix B is [[1 2 3]
 [1 1 1]
 [2 2 2]]
multiplication of two matrices A & B is
[3, 0, 0]
[0, 0, 0]
[0, 0, 0]
[5, 0, 0]
[0, 0, 0]
[0, 0, 0]
[9, 0, 0]
[0, 0, 0]
[0, 0, 0]
[9, 6, 0]
[0, 0, 0]
[0, 0, 0]
[9, 8, 0]
[0, 0, 0]
[0, 0, 0]
[9, 12, 0]
[0, 0, 0]
[0, 0, 0]
[9, 12, 9]
[0, 0, 0]
[0, 0, 0]
[9, 12, 11]
[0, 0, 0]
[0, 0, 0]
[9, 12, 15]
[0, 0, 0]
[0, 0, 0]
[9, 12, 15]
[4, 0, 0]
[0, 0, 0]
[9, 12, 15]
[5, 0, 0]
[0, 0, 0]
[9, 12, 15]
[15, 0, 0]
[0, 0, 0]
[9, 12, 15]
[15, 8, 0]
[0, 0, 0]
[9, 12, 15]
[15, 9, 0]
[0, 0, 0]
```

- [9, 12, 15]
- [15, 19, 0]
- [0, 0, 0]
- [9, 12, 15]
- [15, 19, 12]
- [0, 0, 0]
- [9, 12, 15]
- [15, 19, 13]
- [0, 0, 0]
- [9, 12, 15]
- [15, 19, 23]
- [0, 0, 0]
- [9, 12, 15]
- [15, 19, 23]
- [1, 0, 0]
- [9, 12, 15]
- [15, 19, 23]
- [3, 0, 0]
- [9, 12, 15]
- [15, 19, 23]
- [9, 0, 0]
- [9, 12, 15]
- [15, 19, 23]
- [9, 2, 0]
- [9, 12, 15]
- [15, 19, 23]
- [9, 4, 0]
- [9, 12, 15]
- [15, 19, 23]
- [9, 10, 0]
- [9, 12, 15]
- [15, 19, 23]
- [9, 10, 3]
- [9, 12, 15]
- [15, 19, 23]
- [9, 10, 5]
- [9, 12, 15]
- [15, 19, 23]
- [9, 10, 11]

Practical 5

```
import numpy as np
from numpy.linalg import inv
a=np.array([[1,2],[3,4]])
b=inv(a)
print(b)

Output

[[-2. 1.]
[ 1.5 -0.5]]
```

Practical 6

```
from scipy.linalg import lu
import numpy as np
M=np.array([[1,2,3],[3,-1,0],[2,2,2]])
u=lu(M)
print(M)
print(u)
Output
  [[ 1 2 3]
   [ 3 -1 0]
[ 2 2 2]]
  (array([[0., 0., 1.], [1., 0., 0.],
        [1., 0., 0.],
[0., 1., 0.]]), array([[1.
                                      , 0. , 0.
                                                           ],
        [0.66666667, 1. , 0. [0.333333333, 0.875 , 1.
                                      ]]), array([[ 3.
                                                            , -1.
                                                                     , 0. ],
                 , 2.66666667, 2.
, 0. , 1.25
        [ 0.
[ 0.
                                       ],
]]))
```

Practical 7_1

```
N=54
print(N)
a=9
b=6
print("factors of N are a and b",a,b)
x=(a+b)/2
y=(a-b)/2
print("x and y is ",x,y)
a1=x*x
```

```
b1=y*y
print("a1 and b1 is " ,a1,b1)
N=a1-b1
print(N)

Output

54
    factors of N are a and b 9 6
    x and y is 7.5 1.5
    a1 and b1 is 56.25 2.25
54.0
```

Practical 7_2

```
import math
print("gcd of x & y is :",end="")
print(math.gcd(12,16))

Output
```

gcd of x & y is :4

Practical 8

```
import numpy as np
def oprojection (of_vec,on_vec):
    x1=np.array(of_vec)
    x2=np.array(of_vec)
    scal=np.dot(x2,x1)/np.dot(x1,x2)
    vec=scal*2
    return round(scal,10),np.around(vec,decimals=10)
print(oprojection([2.0,2.0],[1.0,0.0]))
print(oprojection([2.0,2.0],[6.0,2.0]))
Output
```

(1.0, 2.0) (1.0, 2.0)

Practical 9

```
import numpy as np
A=np.mat("-2 1;12 -3")
print("A \n",A)
print("eigen values of A are ",np.linalg.eigvals(A))
eigenvalues,eigenvectors=np.linalg.eig(A)
print("first set of eigen values ",eigenvalues)
print("eigen vectors are ",eigenvectors)

Output

A
    [[-2 1]
    [12 -3]]
    eigen values of A are [ 1. -6.]
    first set of eigen values [ 1. -6.]
    eigen vectors are [[ 0.31622777 -0.24253563]
    [ 0.9486833     0.9701425 ]]
```