

Ayush Nagpure
Batch – 2024
Application No - 158377
Subgroup – 1H3

EXPERIMENT - 10

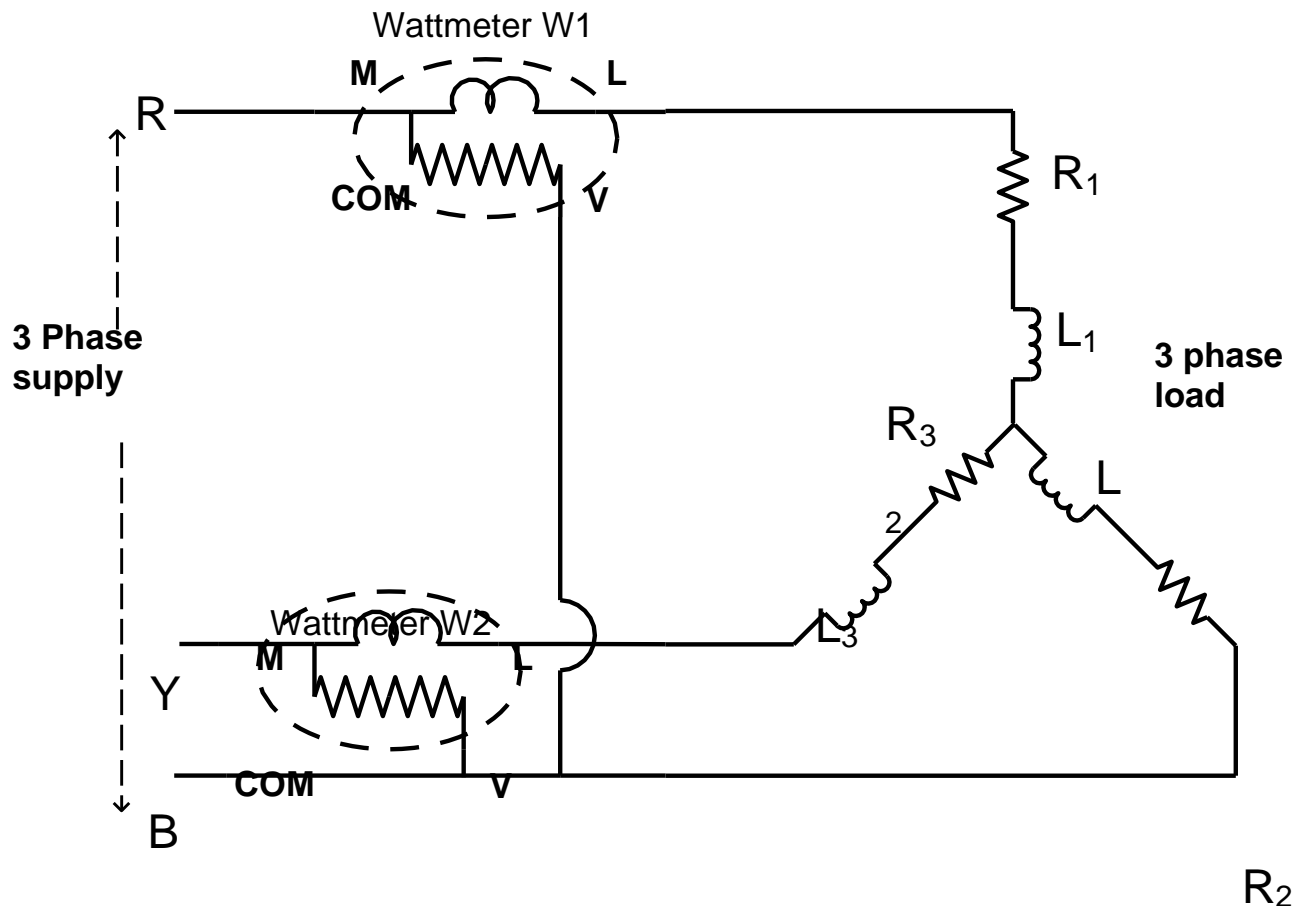
EXPERIMENT: MEASUREMENT OF POWER IN THREE PHASE BALANCED LOAD.

Objective: To determine:

- (1) Relationship between phase and line voltage and current
- (2) Power and power factor by two wattmeter method.

Equipment:(1) AC Voltmeter (2) Three phase balanced R-L Load (3) C-M Board

(4) AC Ammeter (5) Three Phase Variable Transformer (6) Two AC Wattmeters (7) Connecting wires



Connection diagram for Two Wattmeter Method of Power Measurement

Fig. Circuit diagram for measurement of power in a three phase load using two wattmeter method.

Theory: Power measurement : The active power per phase in three phase circuit is given by $P_P = V_P I_P \cos \theta$ Where θ is the phase angle between phase voltage and phase current. V_P is phase voltage and I_P is phase current. Total power in three phase circuit is given by $P = 3 V_P I_P \cos \theta$.

For star connections, $V_P = (V_L / \sqrt{3})$ and $I_P = I_L$. $P = 3(V_L / \sqrt{3})(I_L) \cos \theta = \sqrt{3} V_L I_L \cos \theta$.

For delta connections $V_P = V_L$ and $I_P = (I_L / \sqrt{3})$. $P = 3 V_L (I_L / \sqrt{3}) \cos \theta = \sqrt{3} V_L I_L \cos \theta$

is the line current and V_L is the line voltage.

Power and power factor in a three phase balanced circuit is measured by one wattmeter or two wattmeter or three wattmeter method. Three wattmeter methods is used to measure power in unbalanced circuit. For wattmeter W_1 , the current through current coil is I_a and voltage across potential coil is $(V_a - V_b)$. For watt meter W_2 , the current through current coil is I_c and voltage across potential coil is $(V_c - V_b)$.

Total instantaneous power of load = $V_a I_a + V_b I_b + V_c I_c$.

Now, considering the three phase balanced load:-

Sum of all the three phase currents is zero, i.e $I_a + I_b + I_c = 0$ for balanced circuit,

So total instantaneous power $P = (V_a - V_b)I_a + (V_c - V_b)I_c$

$P = \text{Instantaneous reading of } W_1 + \text{Instantaneous reading of } W_2$

Using phasor diagram, $W_1 = \sqrt{3}(V_L)(I_L) \cos (30^\circ + \theta)$ and $W_2 = \sqrt{3}V_L I_L \cos(30^\circ - \theta)$

Such that power in 3 phase circuit will be $W = W_1 + W_2 = \sqrt{3} (V)(I) \cos \theta$, Where θ is the phase angle of load.

Hence, power $= P = W = W_1 + W_2 = \sqrt{3} (V)(I) \cos \theta$. The Power factor can be calculated

as: $\cos \theta = \cos [\tan^{-1} \{ \sqrt{3} (W_2 - W_1) / (W_1 + W_2) \}]$.

Procedure:

- Connect the experimental set up as shown in the circuit diagram.
- Switch on the appropriate input supply and measure the following;
- (a) Voltage across each phase (b) Voltage drop across R and L. (c) Current in each phase by using the current measurement board and ampere meter.
- Take the both wattmeter readings simultaneously.
- Record readings of all the instruments in the observations in table.

Observation

Type of circuit	Voltage				Current		V_L/V_P	I_L/I_P	Watt-meter reading		Total Power	Power factor
	V_P	V_L	V_R	V_{XL}	I_P	I_L			W_1	W_2	$W_1 + W_2$	$\cos \phi$
Star	59V	108V	23V	50V	2.06A	2.06A	1.83	1	16W	208W	224W	0.58

CALCULATIONS:

Experiment - 10		(Calculation part)
Phase voltage	= 59V	
line voltage	= 101V	
$V_R = 23V$,	$V_{xc} = 50V$.
$I_{ph} = 2.06A$,	$I_c = 2.06A$
\therefore [Because star connection $I_{ph} = I_c = 2.06A$]		
Multiplying factor	$= \frac{125 \times 2.5 \times 1}{156.25} = 2$.	
Wattmeter connected between two phases		
$W_1 = 8 \times \text{multiplying factor}$		
$W_1 = 8 \times 2 = 16W$		
lly,		
$W_2 = 104 \times 2 = 208W$.		
Total Power (P)	$= W_1 + W_2$	
	$= 16 + 208 = 224W$.	
P.	$= 224W$	

Calculate Power factor ($\cos\phi$) (verification)

Case
P.1) Total Power (P) = $\sqrt{3} V_L I_L \cos\phi$

$$\cos\phi = \frac{224}{107 \times 2.06 \times \sqrt{3}}$$

$$\boxed{\cos\phi = 0.58} \quad \text{--- (1)}$$

$$\boxed{\phi = 54.12^\circ}$$

Case

P.1) $\cos\phi = \cos \left[\tan^{-1} \left\{ \frac{\sqrt{3}(W_1 - W_2)}{(W_1 + W_2)} \right\} \right]$

$$\cos\phi = \cos \left[\tan^{-1} \left\{ \frac{\sqrt{3}(-192)}{(224)} \right\} \right]$$

On solving this,

$$\boxed{\cos\phi = 0.5586} \quad \text{--- (2)}$$

$$\boxed{\phi = 56.036^\circ}$$

Result: Hence, we get $\cos\phi \approx 0.55$ from both formulae. \therefore We verified the power factor $\cos\phi$.

Teacher's Signature : _____

Precautions:

- Always keep measuring instruments in horizontal position. i.e. table mode.
- Select appropriate range of the instruments. i.e. the range of the instruments should always be more than the existing value of current or voltage in the circuit.

- Don't touch the resistance even after switching off the supply as it might have been heated up.

Ayush Nagpure